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Ch 19 Free Energy and Thermodynamics
                                                              Exerciso
 27) a+c spontaneous 28) a+c non spontaneous; Not impossible -add
                                                                                     Work
 35) a) AS(+) gasproduced b) AS(-) 2 molgas - 1 mol c) AS(-) stog d) AS(-) 4-)2
                                                                                     gas
37) a) DS sys (+) 677gas because AHis (-) DS sure (+) reaction is
        Spontaneous at all temperatures
     b) DSsys (-) 2 moles of diff gases to 2 molof Igas Alt (+) and DSsurr (-) nonsport at all T
     c) Assys (-) 3 >2 AH(+) and Assure (-) non spon Dall T
    d) 15545 (+) 9710 AH (-) and 1 Sour (+) sport 2 all T
(39)_{\alpha}) \triangle 5_{surr} = - \triangle H_{Srs} = - \frac{(-385,000)}{298K} = 1290 J/K
     b) \Delta 5 surr = \frac{-(-385,000 \text{ J})}{77 \text{ K}} = \frac{5.00 \times 10^3 \text{ S/K}}{35/\text{K}} = \frac{-(114,000 \text{ J})}{77 \text{ K}} = -1480 \frac{5}{\text{K}}
     C) DSurr = (114,0005) = -3835/K
41 )a) ASsure = (115,000 J) = -385.9 J/K ASsure = -263 J/K - 385.9 J/K = -6
                                                                                   Non
                                                 = -263 5/K - 385.93/K = -649 5/K
43)a) AG = AH - TAS = 115KJ - (698K)(-0.263KJ/K)) = 193KJ Non
                                                                                   Sport
41) b) ASsure = - (115,0005) = 385.9 J/K ASuniv = +263 J/K +385.9 J/K =
                                                                                 6495/K
43/b) DG= -115 KJ - ((298K) (0.263 KJ/K)) = -193KJ Sport
45) \Delta G = \Delta H - T \Delta S = -2217KJ - ((298K)(0.1011KJ/K)) = -2247KJ
                                                                              Sport
49) Molar entropy 1 with 1 T KE + molecular motion 1 Substance has access to 1# of
En) 3.11 street as ( 256 + cont. 1 2 0 K = 0 for enthalor 10 energy levels
50) 3rd Law States entropy of perfect crystal a OK = O for enthalpy we
    defined a standard state to define Zero for the scale. Not necessary for entropy
    Since there is an abs. Zero for the entopy scale
51) a) CO27CO - higher mola mass/complexity d) Sitty 7CHy greater mass/complex
    b) (H30H(g)) (2) 905 e) CH3CH2CH3/NO2 ""
    C) CO2(5) Ar(5) higher mass/complex
                                                I) NaBrago 76) more entropy
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53) a) He < NC <50, < NH3 < CH3 CH2 OH all gas TMM and complexity
   b) H2O(5) ((e) (G) C) CH4 < (F4 (CC14 7 MM
55) a) 15°= P-R [229,25/k] - [(219,3) + (30,7)] = -120.8 J/k Hnoles gas 1
   b) AS = (197.7 + 130,7) - (5.7 )/K + 188.8 5/K = 133,9 w/s of gas 7
   d) \Delta S^{\circ} = [2(70.0) + 2(248.2)] - [2(205.8) + 3(205.2)] = -390.8 J/K + gas 1
59) AH° = [2(-393,5) + 4(-241,8)] - [2(-2386) + 3(0)] = -1277 XJ
    \Delta 5^{\circ} = \int 2(213.8) + 4(188.8) - [2(126.8) - 3(205.2)] = 313.65/K
     △G = - 1277 KJ - ((298 K) (0.316 KJ/K) = +370. KJ sport
G(20)\Delta 5^{\circ} = [2(240.1) - (304.4)] = 0.1758 KJ

\Delta HP = [2(33.2) - (9.16)] = 57.2 KJ   \Delta G = 57.2 (298K)(0.1758 KJ/K) = 4.9 KJ
63)a) AGO = prod-react [2(51.3)]-[99.8] = 2.8K] = Non for sport
61)c) AH° = [2(0) + 3(-241.8) [-25(0) + (-824.2)] = 98.8KJ
      △SO = [2(27.3) ×3(188.8)]-[3(130.7)+(87.4)] = 141.5 J/K = 0.1415 KJ/K
     16° = 98.8KJ - (698) (0.1415 KJ/K) = 56,6KJ Non 1T
63) c) AG° = [(-95,3) + (-16,4)] - [202,9] = 91.2KJ Non
61d) AHO = [2(-45,9)] - [0+0] = -91,8KJ
      \Delta S^{\circ} = [2(192.8)] - [(191.6) + 3(130.7)] = -198.15/K
      AG° = -91.8KJ - (698) (-0.1981 KJ/K) = -32.8KJ Sport at room T
             Alt dominates so runis spontanteous as TT TAS term T
             and reaction is Non sport
63d) \Delta 6^{\circ} = [2(-16.4)] - [0+0] = -32.8 \text{KJ}
 656+c) AH = [2(33,2)] - [2(91.3) +6] = -11612KJ
        ASO = [2(240.1)] = 2(210.8) + (205.2)] = -0.1466 KJ/K
    6 vs) AG= -116,2-(715) (-0,466) = 44KJ spont
        \Delta G = " - (855) " = 9.1 KJ Non
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(9)a) I_{2}(9) \rightarrow I_{2}(9) AG^{\circ} = [19.3] - 0 = +19.3 \text{ KJ non spont}
                                            b) \Delta G_{rm} = \Delta C^{\circ} + RT \ln Q = 19.3KJ + (8.314J) (1KJ) (298K) \ln(000132)

i) Q = P_{T_2}
= +2.9KJ Non
1.00 mmHg * \frac{latm}{760} = 0.00132 atm
                                                                    ii) 0.100 mnHy × 1 = 0.0001320tm AGrxn = -2,9 KJ sport (at lower P)
                                           c) sublimes at coom temp due to equilibrium betw 5+g phases Vapor pressure is low (0,31mmHg 225°c > 0.00041atm) -> 16ran = 0 small ant of todine can
                                                   be in gar phase
    71) \Delta G = [-137,2] + 2(0)] - [-162,3] = 25,1 K <math>\int Q = \frac{(0.125)(0.183)^2}{6.855} = 0.0004896
                                      \Delta G_{\text{rxn}} = \Delta G^{\circ} + RT \ln Q = 25,1 KF + (8.314J)(1KJ)(298K) \ln (5) NON = 11.9 KJ
73) MG^{\circ} = [2(-394.4)] - [2(-157.2) + 0] = -514.4 \text{ KJ} = (-0.5144 \text{ J})

9) \Delta G^{\circ} = -RT \ln K   K = e^{-\Delta G^{\circ} = m} = e^{(8.344)/(.md)}(298K)

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\Delta G^{\circ} = -RT \ln K   E^{\circ} = -RT \ln K   E^{\circ
    75) a) AG^{\circ} = -RT \ln K = -(8.314) \left(\frac{1}{1000}\right) \left(\frac{298}{10}\right) \ln \left(\frac{226\times10^{4}}{10}\right) = -24.8 \text{ KJ}
                                                b) a) equilibrium AGrxn = 0
                                                 c) Q = \frac{\int CH_{30}H}{\int C_{co} \left(P_{H_2}\right)^2} = \frac{(1,0)}{(0.010)(0.00)^2} = 1.0 \times 10^6
                                                            \Delta G_{cxn} = AG^{6} + RT \ln Q = -24.8 + \left(\frac{8.314}{1000}\right) \left(\frac{298}{1000}\right) \ln \left(\frac{1.0 \times 10^{6}}{1000}\right)
= \frac{49.4 \times 5}{1000} \times \frac{1.0 \times 10^{6}}{1000} 
                                                                                                           Since Q > K rxn must reverse 6thers?
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