



Auriga – Remote Interview

Steps:

- Create a public git-hub repository
- Solve the exercise in page 2 using your favourite programming language
- Write a unit test class
- Commit
- Push
- Send the result (the repository link)

A game for one player is played on a board consisting of N consecutive squares, numbered from 0 to $N - 1$. There is a number written on each square. A non-empty array A of N integers contains the numbers written on the squares. Moreover, some squares can be marked during the game.

At the beginning of the game, there is a pebble on square number 0 and this is the only square on the board which is marked. The goal of the game is to move the pebble to square number $N - 1$.

During each turn we throw a six-sided die, with numbers from 1 to 6 on its faces, and consider the number K , which shows on the upper face after the die comes to rest. Then we move the pebble standing on square number I to square number $I + K$, providing that square number $I + K$ exists. If square number $I + K$ does not exist, we throw the die again until we obtain a valid move. Finally, we mark square number $I + K$.

After the game finishes (when the pebble is standing on square number $N - 1$), we calculate the result. The result of the game is the sum of the numbers written on all marked squares.

For example, given the following array:

- $A[0] = 1$
- $A[1] = -2$
- $A[2] = 0$
- $A[3] = 9$
- $A[4] = -1$
- $A[5] = -2$

one possible game could be as follows:

- the pebble is on square number 0, which is marked;
- we throw 3; the pebble moves from square number 0 to square number 3; we mark square number 3;
- we throw 5; the pebble does not move, since there is no square number 8 on the board;
- we throw 2; the pebble moves to square number 5; we mark this square and the game ends.

The marked squares are 0, 3 and 5, so the result of the game is $1 + 9 + (-2) = 8$. This is the maximal possible result that can be achieved on this board.

Write a function:

```
class Solution { public int solution(int[] A); }
```

that, given a non-empty array A of N integers, returns the maximal result that can be achieved on the board represented by array A .

For example, given the array

- $A[0] = 1$
- $A[1] = -2$
- $A[2] = 0$
- $A[3] = 9$
- $A[4] = -1$
- $A[5] = -2$

the function should return 8, as explained above.

Write an efficient algorithm for the following assumptions:

- N is an integer within the range $[2..100,000]$;
- each element of array A is an integer within the range $[-10,000..10,000]$.