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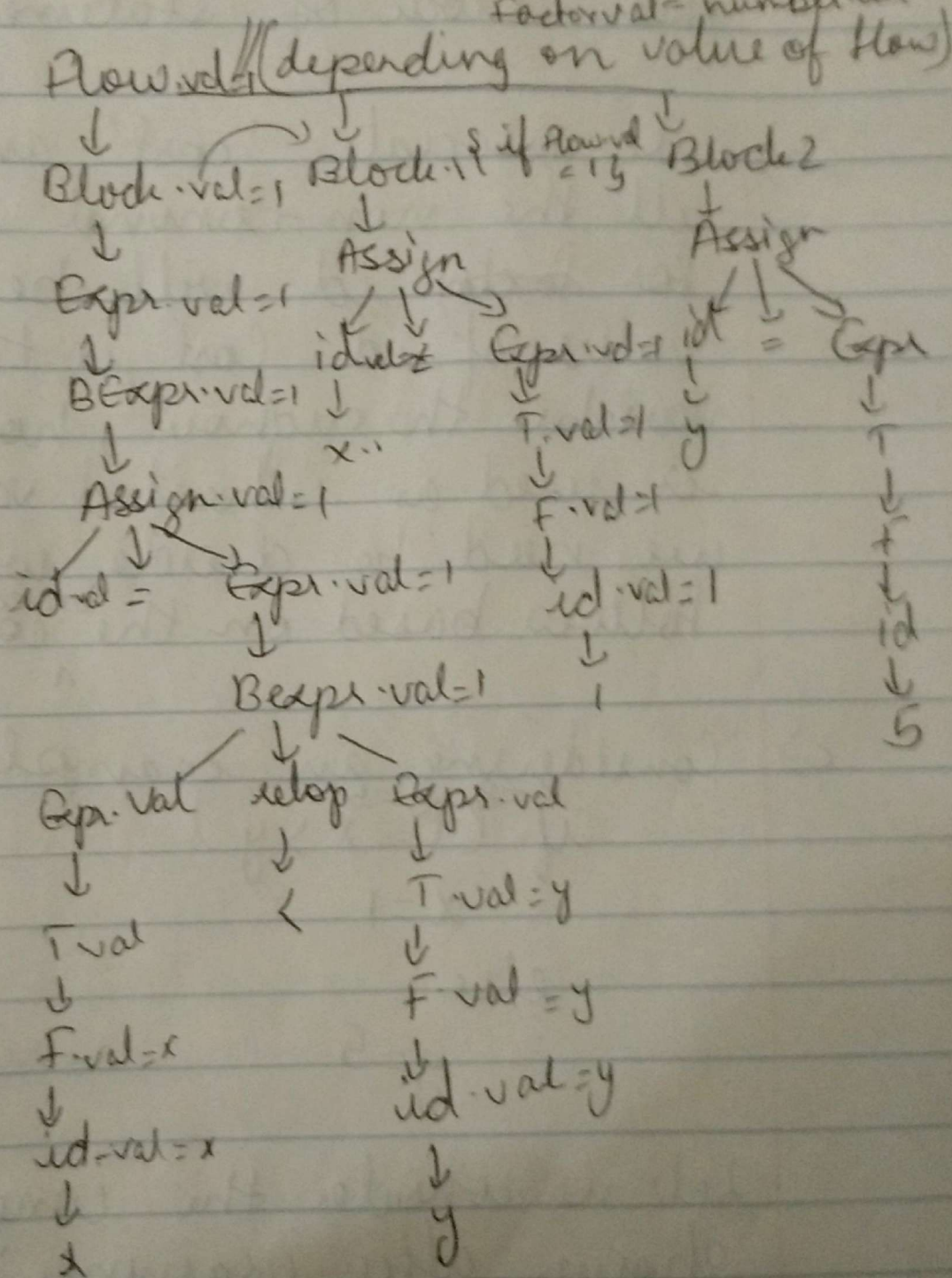
HW2

Flow \rightarrow Block | Block₁ Block₂ || Flow.val = Block.val
Block₀ \rightarrow Block, Assign || Block₀.cost = Block₁.cost + Assign.cost
|| Block₀.val = Block₁.val
 \rightarrow Assign || Block₀.cost = Assign.cost
|| Block₀.val = Assign.val
 \rightarrow Expr || Block₀.val = Expr.val
Expr₀ \rightarrow Expr₁ + Term || Expr₀.val = Expr₁.val + Term.val
|| Expr₀.cost = Expr₁.cost + Term.cost
 \rightarrow Expr₁ - Term || Expr₀.val = Expr₁.val - Term.val
|| Expr₀.cost = Expr₁.cost + Term.cost
 \rightarrow Term || Expr₀.val = Term.val
|| Expr₀.cost = Term.cost
 \rightarrow BExpr || Expr₀.val = BExpr.val
|| Expr₀.cost = BExpr.cost
BExpr \rightarrow Expr₁ relop Expr₂ || BExpr.cost = Expr₁.cost + Expr₂.cost
|| BExpr.val = Assign.val
 \rightarrow Assign || BExpr.cost = Assign.cost
 \rightarrow true || BExpr.val = 1
 \rightarrow false || BExpr.val = 0

relop \rightarrow > | < | = | >= | <= | == | !=
Assign \rightarrow id = Expr || Assign.val = id.val
|| Assign.cost = cost(load) + Expr.cost

$Term_0 \rightarrow Term_1 * factor \quad \begin{cases} Term_0.cost = Term_1.cost + factor.cost \\ Term_0.val = Term_1.val / factor.val \end{cases}$
 $Term_1 / factor \quad \begin{cases} Term_0.cost = Term_1.cost + factor.cost \\ Term_0.val = Term_1.val / factor.val \end{cases}$
 $factor \quad \begin{cases} Term_0.cost = factor.cost \\ Term_0.val = factor.val \end{cases}$

$factor \rightarrow id / number \quad \begin{cases} factor.cost = cost(load) \\ factor.val = id.val / number.val \end{cases}$



So, cost flows completely bottom to up as synthesized where as considering "value" as inherited attribute as shown above.

The Beqps considered here is the boolean expression considering it of type true, false or $a > b$ or $x = a > b$; so according to question it comes out as $if(x)$ or $if(a > b)$ then block of statements

b.) We associate 'cost' and 'val' with all the non terminal symbols. Value for ~~factor~~ id will be the lexical value of id. Cost is the synthesized variable throughout, however val is used as inherited variable when we need to decide which block to follow based on the ^{boolean} condition.

c.) Considering an example
 $x = 8, y = 5$
 $if (x > y)$
 $x = 1$
else
 $y = 5$

Let us consider the complete tree as shown after grammar for explanation of cost & value as shown in part a

Considering ~~the~~ load tracking,
now, we have a central variable
for cost

Block \rightarrow Block Assign

\rightarrow Assign

Cost $\leftarrow 0$

Assign $\rightarrow id = E$

cost \leftarrow cost + COST (load)

$E \rightarrow E + T$

cost \leftarrow cost + COST (add)

COST (load) = 1 $\left\{ \begin{array}{l} E - T \\ T \end{array} \right.$

COST (load) = 2 $\left\{ \begin{array}{l} T \end{array} \right.$

cost \leftarrow cost + COST (sub)

COST (store) = 2 $\left\{ \begin{array}{l} T \rightarrow T * F \\ T + F \end{array} \right.$

cost \leftarrow cost + COST (mul)

COST (add) = 2 $\left\{ \begin{array}{l} T + F \\ F \end{array} \right.$

cost \leftarrow cost + COST (add)

COST (div) = 2 $\left\{ \begin{array}{l} F \end{array} \right.$

COST (relop) = 1 $\left\{ \begin{array}{l} F \rightarrow id \end{array} \right.$

number.

cost \leftarrow cost + COST (load)

Block $\rightarrow E_1$ relop E_2

cost \leftarrow cost + COST (relop)

$i \leftarrow$ hash (identifier);
if (Table[i].loaded = false)
{

cost \leftarrow cost + COST (load);
Table[i].loaded \leftarrow true;
}

}

d.)

- 1.) If we have limited number of temporaries we can do code optimization before implementing it. Moreover we can use stack and directed acyclic graphs for optimization.
- 2.) If we have unlimited number of temporaries we can use SSA and write a clear implementation. That will help in finding the part of code which is useless/useful. It also helps in estimation of values.
- 3.) If we have limited number of temporaries and cyclic control flow we can use stacks and DAG's. We can also reuse the registers depending on the system for cyclic control flow.

2.)

$b_1 = 0;$

$d_1 = 1;$

$a_1 = \dots;$

$i_1 = \dots;$

L1: $i_2 = \phi(i_1, i_3)$

if $(i_2 \leq 0)$ goto Lbreak;

$d_2 = 1$

$b_2 = \phi(b_1, b_3)$

$b_3 = b_2 + 1$

$d_3 = 1$

$i_3 = i_2 - 1$

if $(i_3 < 0)$ {

$a_2 = \dots;$

$d_4 = 1;$

goto Lbreak;

}

$b_4 = 0$

goto L1

Lbreak: $a_3 = \phi(a_1, a_2)$

$b_5 = \phi(b_1, b_3, b_4)$

$x_1 = a_3$

$y_1 = b_5$

$d_5 = \phi(d_1, d_3, d_4)$

In this problem d is always 1 so it's being reassigned without any use. This information is useful

Q3>

name: main		parent: ←←	
kind	symbol	type	size
var	a	integer	4
var	b	integer	4
var	c	integer	4

name: f1		parent: —	
kind	symbol	type	size
param	w	integer	4
param	x	integer	4

name: f2		parent: ↗	
kind	symbol	type	size
param	y	integer	4
param	z	integer	4
var	a	integer	4

name: f3		parent: —	
kind	symbol	type	size
param	m	integer	4
param	n	integer	4
var	x	integer	4
var	y	integer	4

name: f4		parent: —	
kind	symbol	type	size
param	k	integer	4

For line 19 we refer to table of f2, it takes the value of z from its own table, for value of c it looks at the table of its parent i.e. main. The tables are activation records of each function.

84.)

$x = \sinh(x)$

$t1 = x$
putparam at
call sinh, 1

```
double sinh(double x) {
    int i, j;
    double y = 0.0;
    for (i = 1, j = 0; j < N; i += 2, j++)
    {
        y += pow(x, i) / fact(i);
    }
    return y;
}
```

sinh: getparam x
 $y = 0.0$
 $i = 1$
 $j = 0$
L0: $t1 = j < N$
~~if t1 gets to~~
if not t1 goto L1
pushparam i
t2 ~~get~~ call fact, 1
put param x
putparam i
t3 = call pow, 2
 $t4 = t2 / t3$
 $y = y + t4$
~~not done~~
L1: return y

Optimization

```
double sinh(double x)
{
    int i, j;
    double y = 0.0;
    int fact = 1;
    i = 1;
    for (j = 0; j < N; j++) {
        y += x / fact;
        x = x * x * x;
        fact = fact * (i + 1) * (i + 2);
        i += 2;
    }
```


1/ Use of marker is not necessarily required

5) $S \rightarrow \text{select } \{ \text{code} \} \text{ for } id \text{ in } \text{explist};$

$\text{Code} \rightarrow \text{var} = \text{fname}(\text{paramlist});$

$\text{explist}_0 \rightarrow \text{val}, \text{explist}_1;$

$\text{explist}_0 \rightarrow \text{val}$

$id \rightarrow \text{val}$

$\text{val} \rightarrow \text{float}$

$\text{fname} \rightarrow \text{string}$

$\text{paramlist}_0 \rightarrow \text{char}, \text{paramlist}_1$

$\text{paramlist}_0 \rightarrow \text{char}$

$\text{var} \rightarrow \text{string}$

$S.\text{code} = \text{append}(\text{gen}(' \text{goto } L_0: '), \text{Code}.\text{code}, \text{gen}(' L_0: '));$

$\text{Code}.\text{code} = \text{append}(\text{gen}(' L_1: '), \text{gen}(\text{var} = \text{fname}, \text{gen}(' - ' L_i), \text{gen}(' (\text{paramlist}) ' ;)), \text{gen}(' \text{goto end} '));$
 $\text{queue}.\text{push}((\text{paramlist}[0], L_i));$

for element in explist {

 while (queue not empty)

 {

$(V_i, L_i) = \text{queue}.\text{pop};$

$S.\text{code} = \text{append}(S.\text{code}, \text{gen}(' \text{if } a = V_i \text{ goto } L_i '));$

 }

$S.\text{code} = \text{append}(S.\text{code}, \text{gen}(' \text{goto } L_{\text{paramlist}.\text{size}+1} '));$