

# R basics

# Assignments, numbers, vectors

```
> x <- 5
```

Assign number 5 to variable x

```
> x
```

```
[1] 5
```

```
> 5*x^2+7
```

Calculate  $5x^2+7$

```
[1] 132
```

```
> y <- c(1, 2, 3, 4, 5)
```

Create vector, assign to variable y

```
> y
```

```
[1] 1 2 3 4 5
```

```
> x*y
```

Multiply each element in y with the number in x

```
[1] 5 10 15 20 25
```

# Strings

A string contains text:

```
> name <- "Claus Wilke"  
> name  
[1] "Claus Wilke"
```

A vector of strings:

```
> animals <- c("cat", "mouse", "mouse",  
"cat", "rabbit")  
> animals  
[1] "cat"      "mouse"    "mouse"    "cat"  
"rabbit"
```

# Factors

Factors keep track of distinct categories (levels) in a vector:

```
> animals  
[1] "cat"      "mouse"    "mouse"    "cat"  
"rabbit"  
  
> factor(animals)  
[1] cat      mouse  mouse  cat      rabbit  
Levels: cat mouse rabbit
```

# Data frames

We use data frames to store data sets with multiple variables:

```
> pets <- data.frame(family=c(1,2,3,4,5),  
                      pet=animals)
```

```
> pets  
  family    pet  
1      1    cat  
2      2  mouse  
3      3  mouse  
4      4    cat  
5      5 rabbit
```

# Data frames

We access individual columns in a data frame with \$ + the column name:

```
> pets$family  
[1] 1 2 3 4 5
```

```
> pets$pet  
[1] cat      mouse    mouse    cat      rabbit  
Levels: cat mouse rabbit
```

# Data frames

R has many built-in data frames:

```
> cars
```

	speed	dist
1	4	2
2	4	10
3	7	4
4	7	22
5	8	16
6	9	10
7	10	18
8	10	26
9	10	34
10	11	17

# Data frames

The `head( )` function shows the first few lines of a data frame:

```
> head(cars)
  speed  dist
1     4     2
2     4    10
3     7     4
4     7    22
5     8    16
6     9    10
>
```



# Hypothesis testing: a quick review

# $H_0$ and $H_A$ : Null and alternative hypothesis

**$H_0$ :** Null hypothesis, assumption that the data show no signal, that nothing has happened.

**$H_A$ :** Alternative hypothesis, opposite of  $H_0$ , assumption that something has happened.

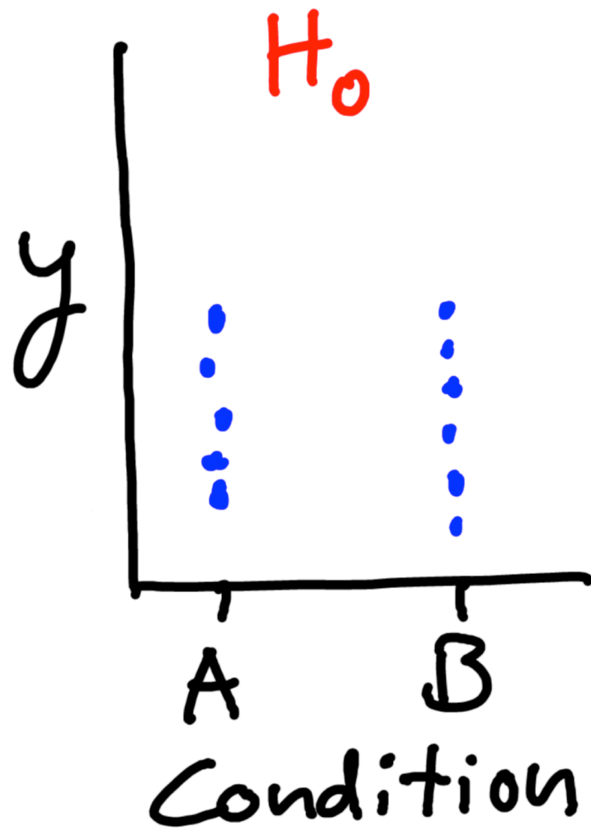
# The $P$ value tells us how unexpected the data are

**P value:** Probability to observe the given data under the assumption that  $H_0$  is true

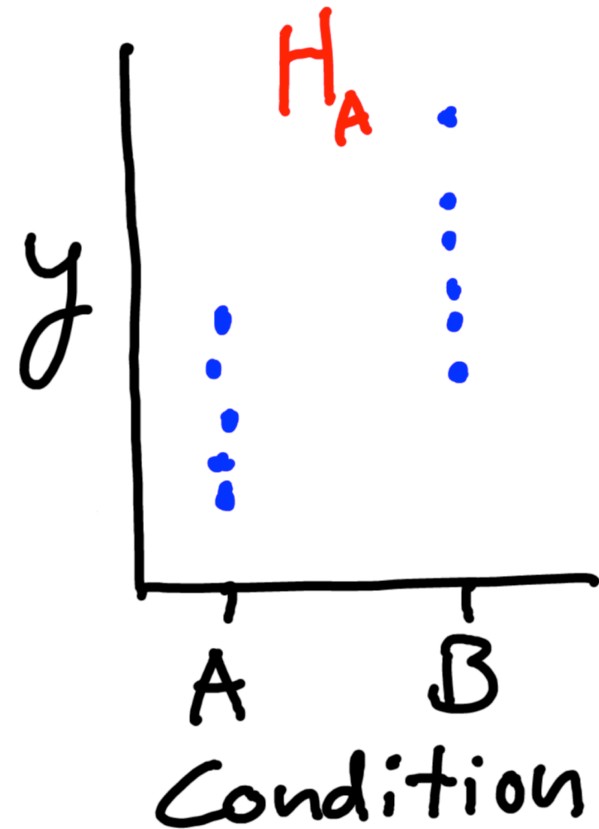
We generally reject  $H_0$  if  $P < 0.05$

We **never** accept  $H_A$

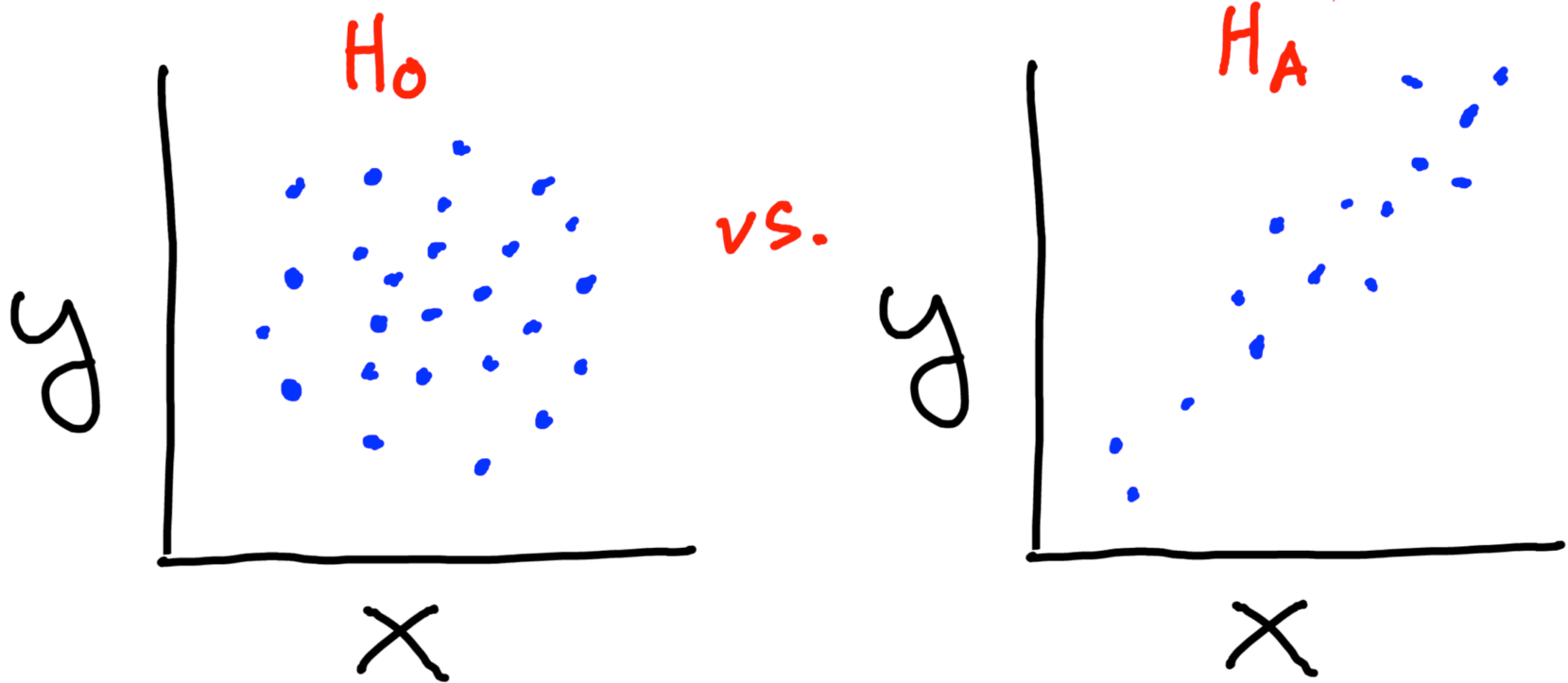
*t test*: Do two groups of numerical measurements have the same mean?



vs.



***Correlation:*** Do two numerical variables have a relationship with each other?



# *Multivariate regression:* Which predictors have an effect on the response variable?

Example:

