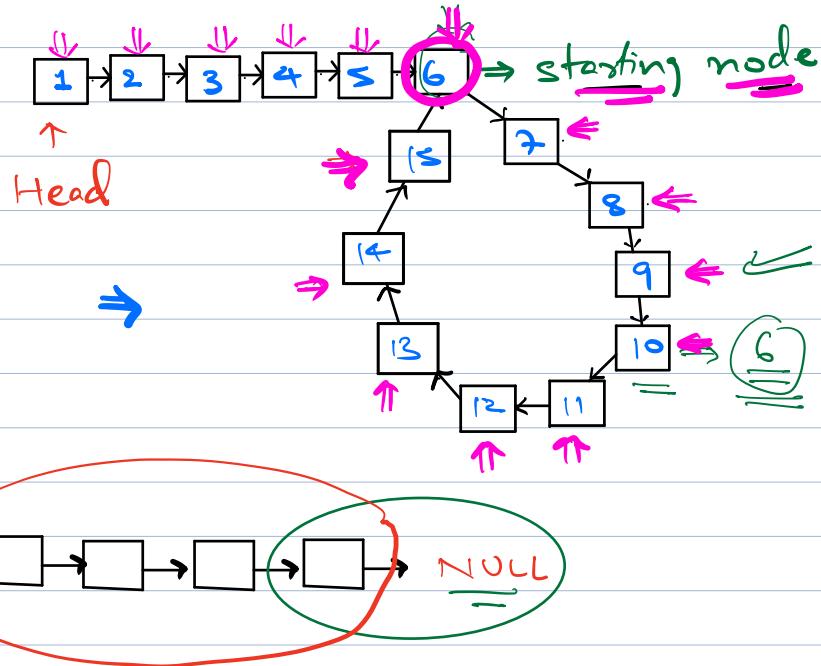


Q

Given a linked list

Return true if a cycle is present in the linked list.



1) Check if a cycle is present

2) Find the first node / start of the cycle.

Sol:

1) If you ever visit any node twice

That means the LL contains a cycle.

⇒ HashSet of visited nodes.

HashSet< Node >
↓
reference

(Iterate over the LL. $\underline{\underline{O(N)}}$)

for every node :

for every node :

 check if node is present

 if node is present → return True;

 else → return Node

 add the node to the set.

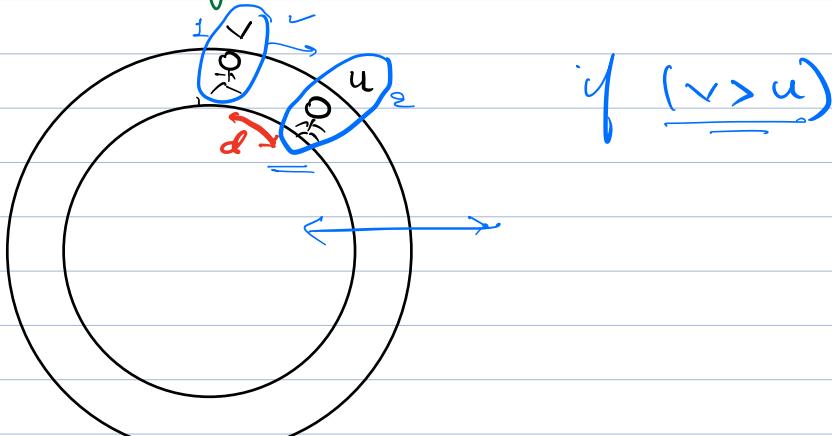
return False;

$$T.C. = \underline{O(N)}$$

$$S.C. = O(\underline{N}) \quad \checkmark$$

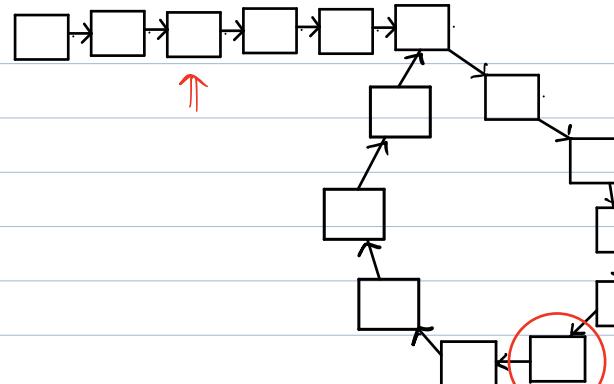
⇒ No extra space is allowed

2) Slow != fast pointer



S → ✓
f → ✓
Compare

~~1~~



Code

fast = head

slow = head

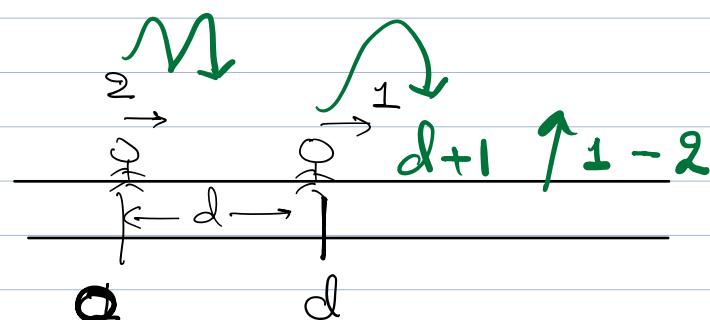
while (fast != null && fast.next != null) {

 slow = slow.next;

 fast = fast.next.next;

 if (slow == fast) {
 return True;
 }

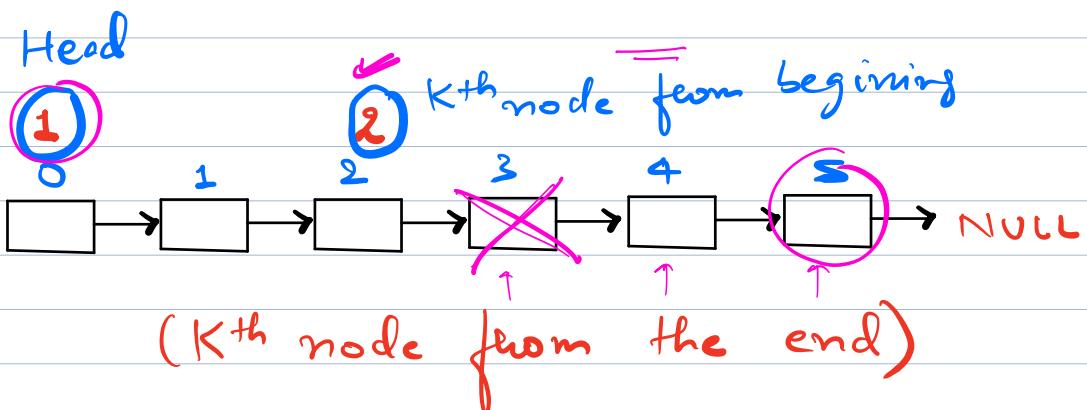
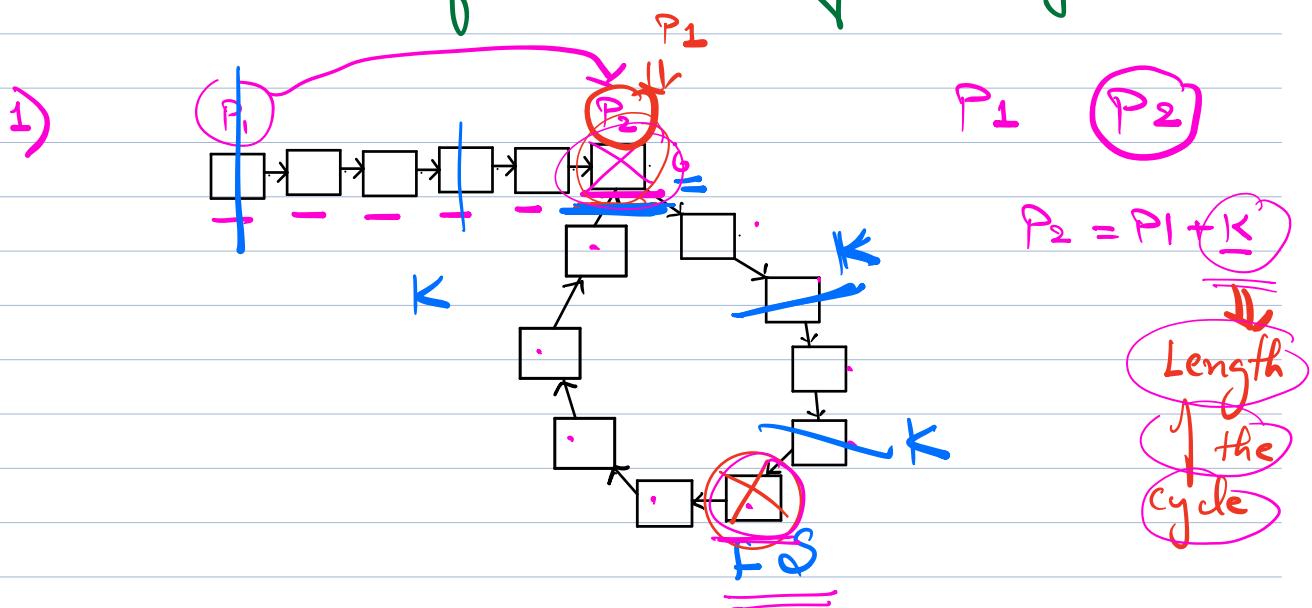
}



1 iteration \Rightarrow $d \Rightarrow d-1$

$10 \rightarrow 9 \rightarrow 8 \rightarrow 7 \dots \dots \text{ (Circular)} \text{ (Diagram of a circle with a dot inside)}$

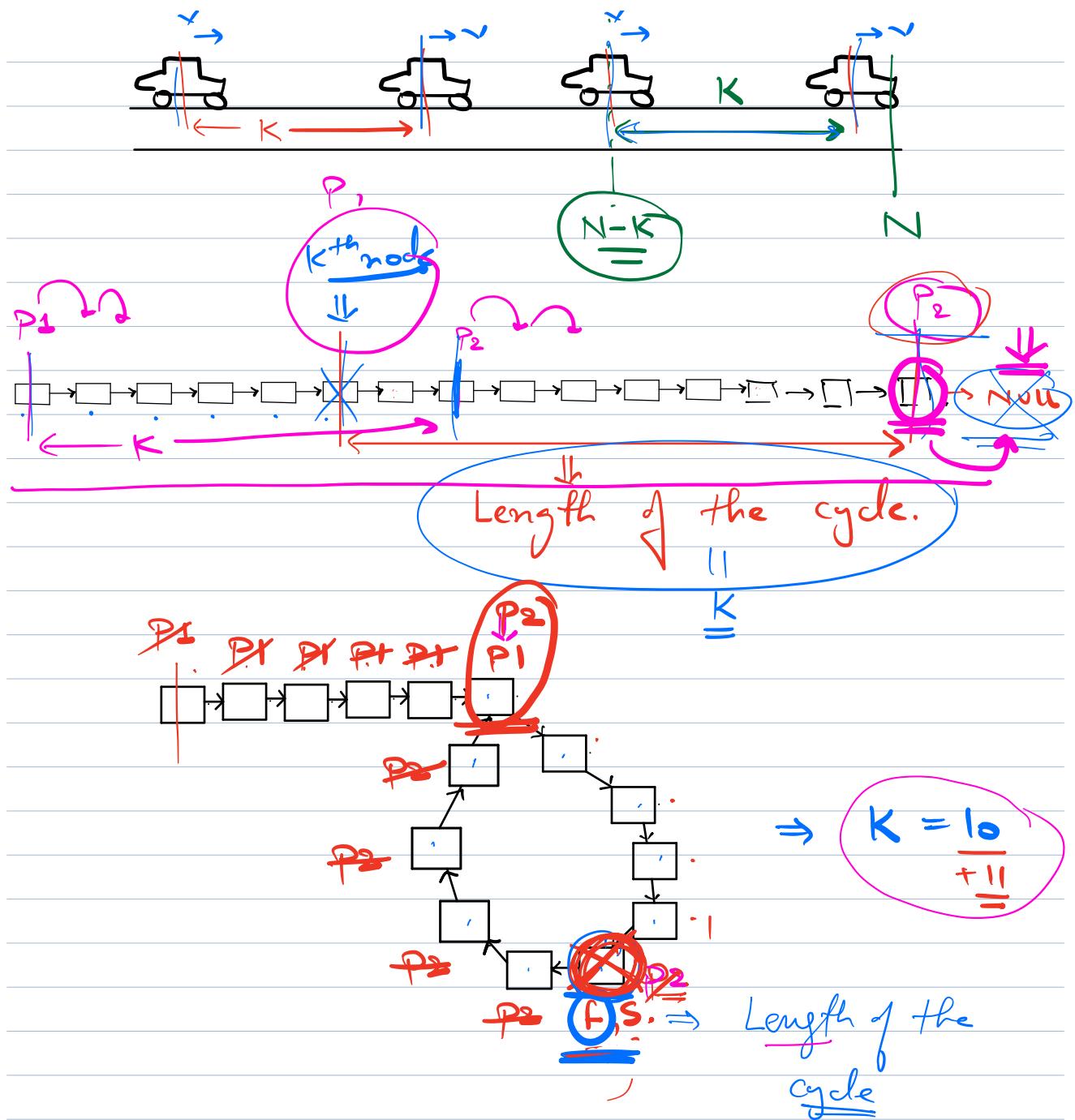
2) Find the first element of the cycle.



3^{rd} node from the end.

length

length - 3^{rd} node



Steps

- i) Using fast & slow pointer check if cycle is present

2) Keep the fast pointer fixed, & move

X the slow pointer one by one to

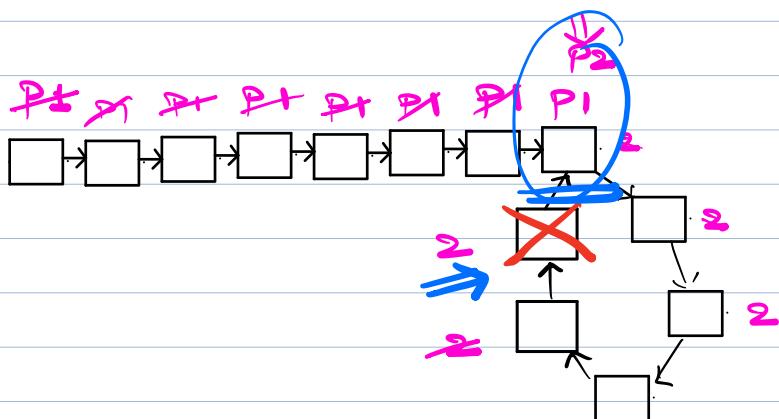
find the length of the cycle.
K

3) $P_1 = \text{Head}$
 $P_2 = \underline{(K+1)^{\text{th}} \text{ node}}$ from head. \rightarrow run at the same pace.

one node at a time

Iterate and find the point where P_1 & P_2 meets.

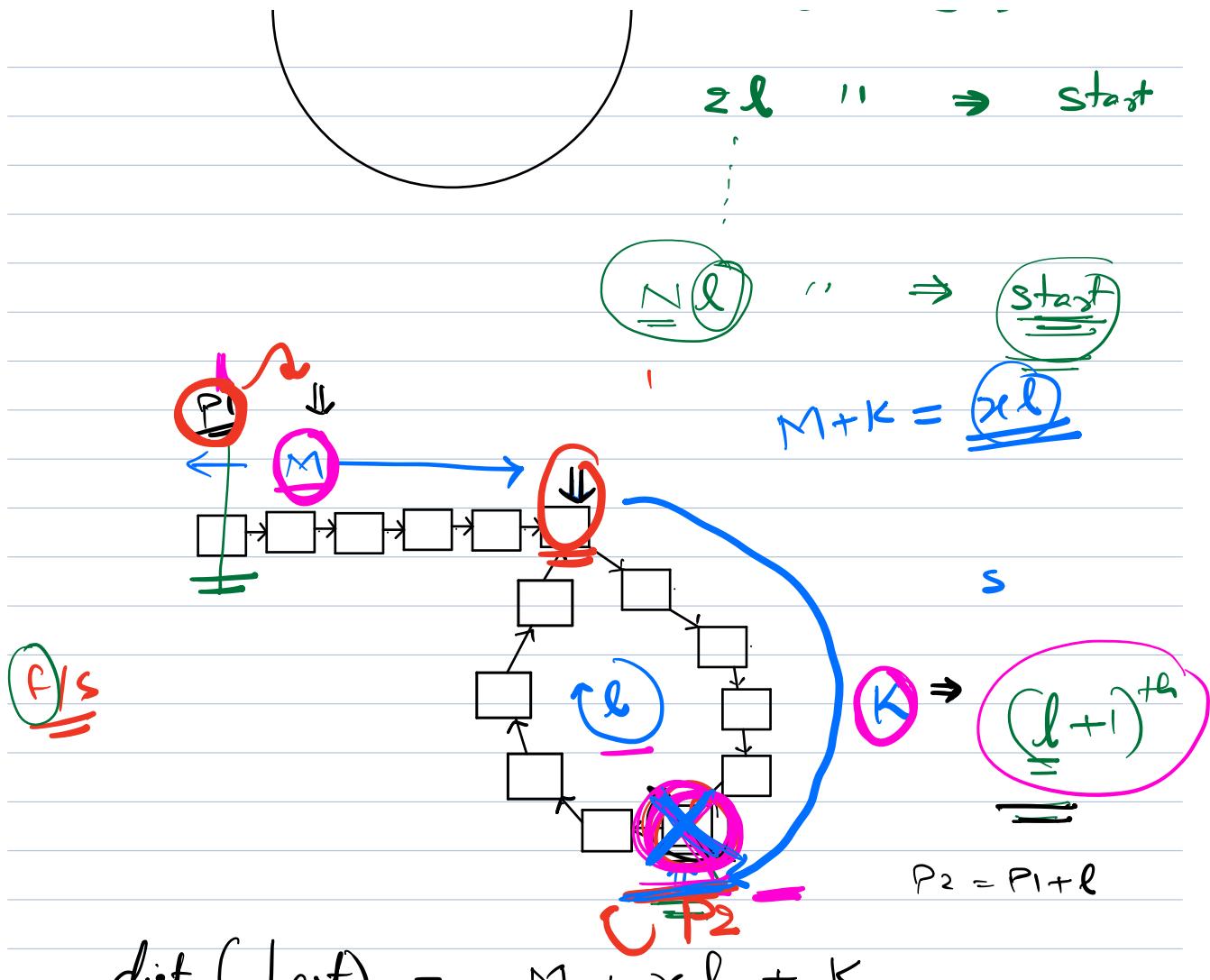
That is the first element of the cycle.



Start

Length = l

l iterations \Rightarrow start



$$\text{dist}(\underline{\underline{\text{fast}}}) = M + \underline{\underline{xl}} + K$$

$$\text{dist}(\underline{\underline{\text{slow}}}) = M + \underline{\underline{yl}} + K$$

$$\text{dist}(\underline{\underline{\text{fast}}}) = 2(\text{dist}(\underline{\underline{\text{slow}}}))$$

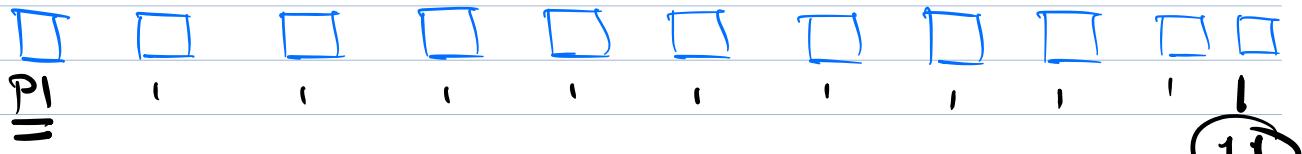
$$M + xl + K = 2(M + yl + K)$$

$$xl - 2yl = 2M + 2K - M - K$$

$$(x - 2y)l = M + K$$

\approx

$(M+k)$ is an integral multiple of $\underline{\lambda}$

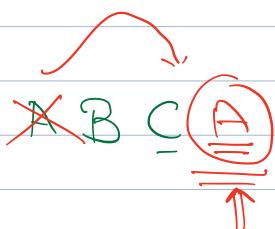


$$\text{length} = \underline{10}$$

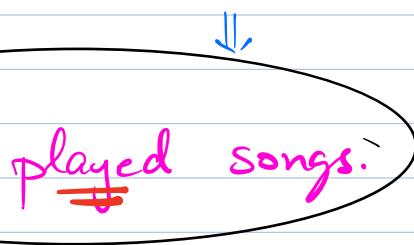
Break till 11:02 PM

Music app

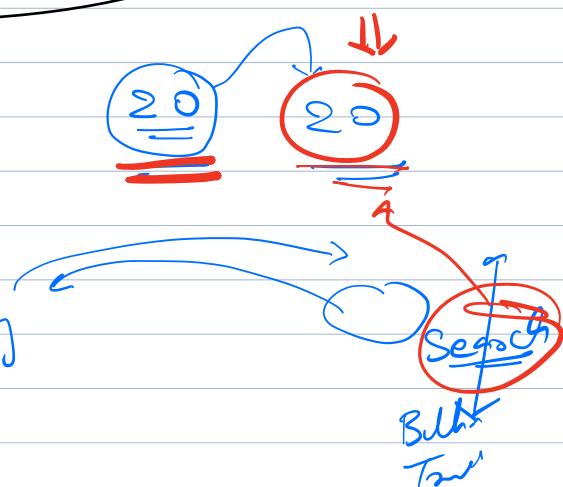
⇒ Recently played songs.



Song



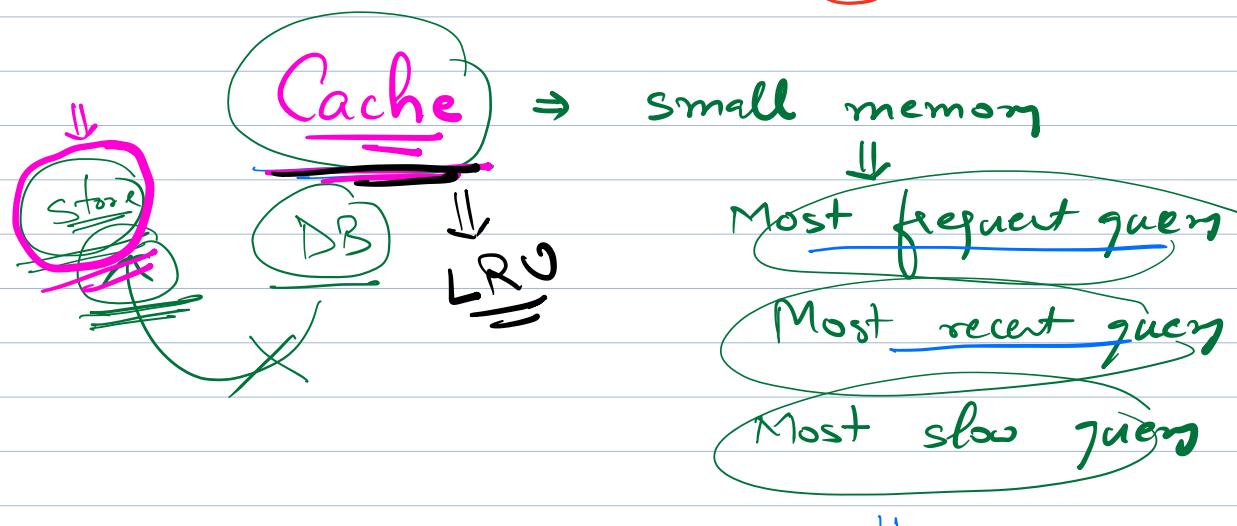
Spotify



website ⇒ x seconds.

↓
ago → < x

Eclipse / Word Event \Rightarrow



Music \Rightarrow Recently played songs.

cacheSize = 4



1	Dosti
2	Animals
3	Believer
4	Momni
=	

\Rightarrow LRP

\Rightarrow

\Rightarrow

\Rightarrow MRP

Animals. \Rightarrow MRP

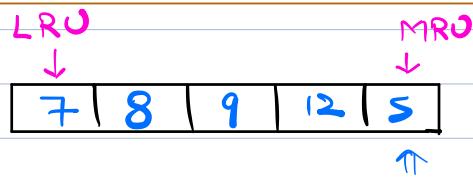
Believer

Momni

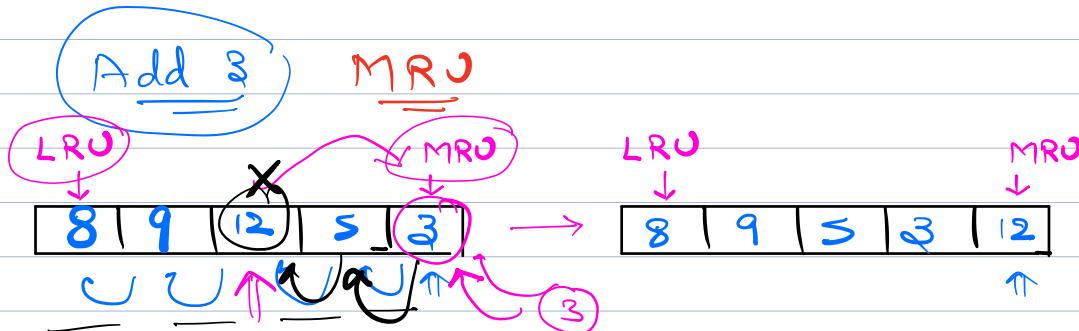
Queues

LRU

Least Recently used.



7, 8, 9, 12, 5, 3, 12



data : x

Search

Not found

found

if (currSize == Capacity)

- 1) Remove from curr position
- 2) Insert at MRO

YES

NO

- ⇒ Remove from LRU
- ⇒ Insert at MRO.

⇒ Insert at MRO

1) Search (x)

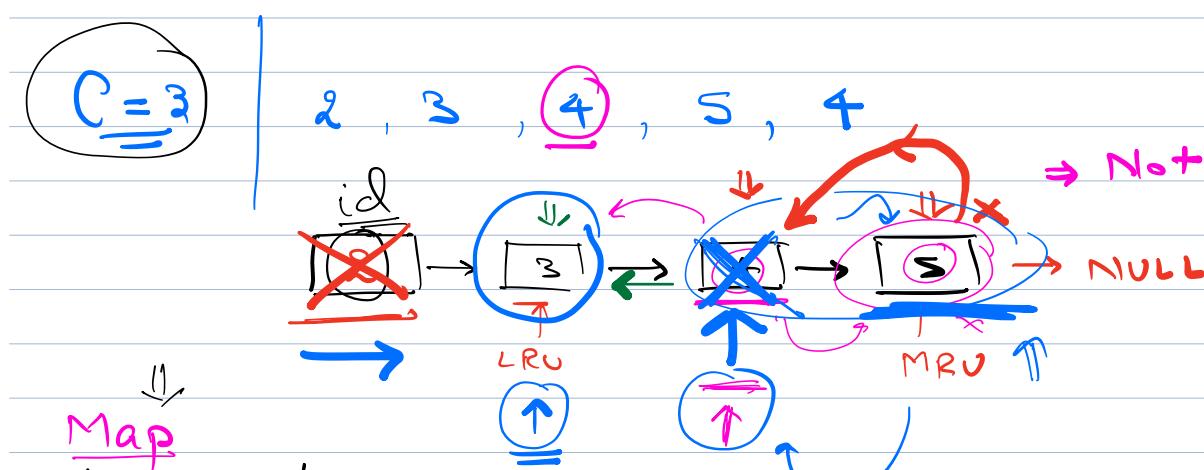
2) Deletion

③ Insert at one end

	Array	<u>LL</u>	^{+HM} <u>DLL</u>
✓ <u>Search</u>	$O(N)$	$O(N) \rightarrow O(1)$ using HM	$O(N) \rightarrow O(1)$ using HM
✓ <u>Delete</u>	$O(N)$	$O(1)$ (after search)	$O(1)$
✓ <u>Insert</u>	$O(1)$	$O(1)$ using tail.	$O(1)$

HashMap < Int, Node >

↑
address of
node in
cache



Map
id : Node
2 → N₁
3 → N₁
4 → N₂
5 → N₃

Node &
int val;
Node next;
Node prev;

Doubly Linked List

