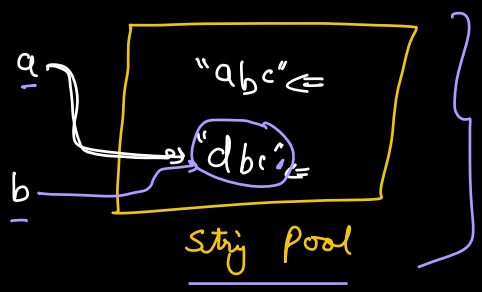
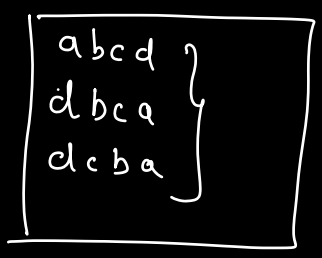
```
String a = "abc";
a[0] = 'd';
a = "dbc";
Stg b = "dbc";
Stg c = "abc";
```



a b c d

d b c a

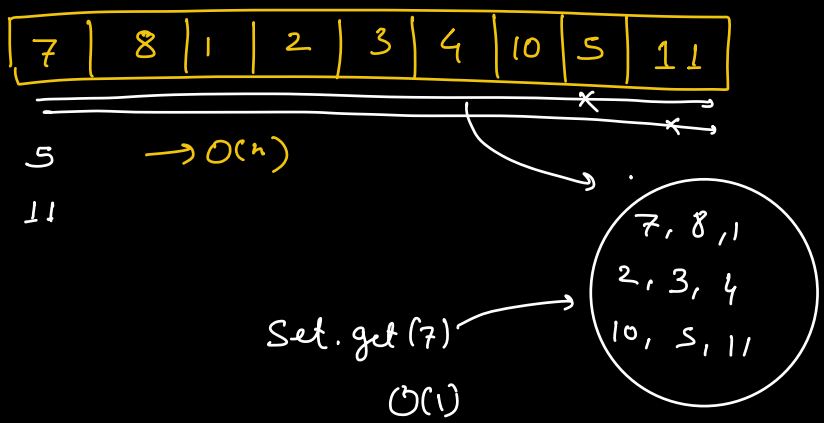


StringBuilder sb = new StringBuilder();

sb.charAt(i)

sb.setCharAt(i, 'c')

sb.toString() ⟶ Stg



Set

Search / find => O(1)

Hash Code
Self balancing BST
Advance

Java / C#
HashSet

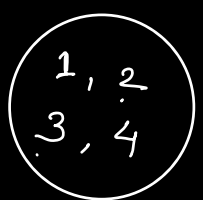
C++
Set
unordered_set
→ get / find (x)
→ add / emplace (x)
→ size()

Python / Ruby / JS
set

C
✗

O(1)

A : [1, 2, 1, 2, 1, 2, 3, 3, 4, 4]



Set only stores unique elements

Q Given an array. Count no. of distinct elements in the array.

A: [7, 3, 2, 1, 3, 7, 0] ⇒ 5

```
Set s = {};
for(i = 0; i < N; i++){
        Set.add(A[i]);
}
ret Set.size();
```

TC: O(N)
SC: O(N) (Extra)

Q Given an array & Q queries.
In every query return the freq of an element.

A: 7, 2, 7, 1, 2, 8, 1, 0, 8

Key ⟷ Value

⇒ 7 ⟹ 2 ⇒ O(N)
1 ⟹ 2 ⇒ O(N)
0 ⟹ 1 ⇒ O(N)
7 ⟹ 2
:

} O(QN)

Q Given an array of strings.

Q queries having a string in each query.

Return sum of ascii values of char of string.

N → Size of array
M → Max possible size of string

⇒ A: abc, bcd, a, c, e

Q >> N

Key Value

⇒ bcd ⇒ 297 ⇒ O(M)

a ⇒ 97 ⇒ O(M)

e ⇒ 101 ⇒ O(M)

⇒ bcd ⇒ 297 ⇒ O(M)

abc ⇒ 294

bcd ⇒

bcd ⇒

O(QM)

Map

Java	C++	Python	Ruby / JS
HashMap	unordered_map	dict	map

C ⟶ C++

Map < Key , value >

Q Store Countries - Capitals

Map < String , String >

Q County - Population

Map < String , Long >]

Q County → all states of the county.

Map < String , Array [String] >

Q Given a County name & a state name | Return Population of that state of that county.

Map < String , Map < String , LONG > >

String → County Name

String → State Name

Q Store marks scored by students in a subject.

Map < String , Double >

~~Name~~

↳ Roll No.

Keys in Hash Map are always unique

Map → get / find (K) // Return value associated with K

→ add / Put (K, V) // add <K,V> to map

→ size() // Return size

→ Update (K, V) // Update value of K

→ isPresent (K) / Contains Key (K) / Key Exists (K) // Check if K is present as Key

→ Remove (K) / delete (K) // Remove Key K along with its value.

O(1)

Amazon Q Given an array of size N.
Find the first non-repeating element in the array.

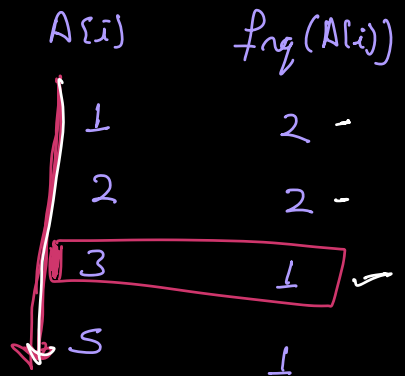
A : 8, 2, 8, 3, 1, 2, 6, 5

⇒ 3

Quiz A : 1, 2, 3, 1, 2, 5

Non-Repeating ⇒ (freq = 1)

First



[⇒ Build a hash Map to store the freq of every element.

⇒ Iterate over the array & return the first element with freq = 1.

```
HashMap < Int ,   Int >   map ;
           ↑       ↑
          A[i]   freq(A[i])
```

A : 1, 2, 3, 1, 2, 5

A[i]	freq(A[i])
<1	2>
<2	2>
<3	1>
<5	1>

```
for (i=0; i<N; i++) {
   // if A[i] is present in map
      if (map.containsKey(A[i])) {
           map.put(a[i], map.get(A[i]) + 1);
           // map[A[i]]++;

   // if A[i] is not present in map
      else {
           map.put(A[i], 1);
   }
```

TC : O(N)
SC : O(N)
[Building the freq map]

```
// Find first non-repeating element
  for(i=0; i<N; i++){
      if (map.get(A[i]) == 1) {
              ret A[i];
      }
}
```

TC : O(N)

TC : O(N)
SC (Extra) : O(N)

Amazon
MS
Google

Q Given an array of size N.
Return true if there exists a subarray with sum = 0.

A: 2, 2, 1, -3, 4, 3, 1, -2, -3
(indices 0 1 2 3 4 5 6 7 8)

True

No of subarrays in an array of size N

$N + (N-1) + (N-2) + \dots 1$

$\frac{N(N+1)}{2} \approx O(N^2)$

```
for (i=0; i<N; i++){
    for (j=i; j<N; j++){
        Sum = PS[j] - PS[i-1]
        Sum = 0;
        for (K=i; K<=j; K++){
            Sum += a[K];
        }
        if (Sum == 0)
            ret true;
    }
}
ret false;
```

TC: $O(N^3)$

Use PS

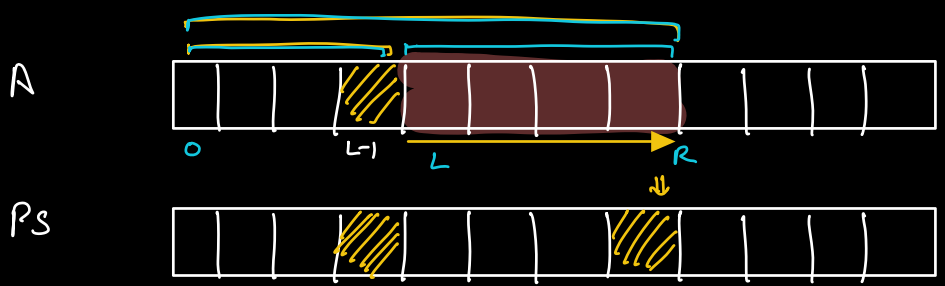
$O(N^2)$

$$Sum(L,R) = PS[R] - PS[L-1]$$

if $Sum(L,R) = 0$ (Assume)

$$0 = PS[R] - PS[L-1]$$

$$\Rightarrow \boxed{PS[R] = PS[L-1]}$$

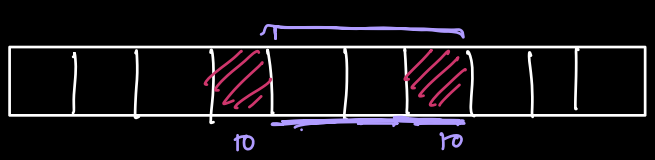


$Sum(0-R) = Sum(0, L-1) + Sum(L, R)$

if $Sum(L,R) = 0$

$Sum(0-R) = Sum(0, L-1)$

$PS[R] = PS[L-1]$



A : 2, 2, 1, -3, 4, 3, 1, -2, -3

Ps : 2, 4, 5, 2, 6, 9, 10, 8, 5

Sum (3, 8) = Ps[8] - P[2]

If any two values repeat in Ps array ans is true

A : 2, 2, 1, -2, 4, 3, 1, -2, -3

Ps : 2, 4, 5, 2, 6, 9, 10, 8, 5

2, 4

5

A : [0, 1, 2, 3]

Ps : 0, 1, 3, 6

A : [3, -1, -2, 4]

Ps : 3, 2, 0, 4

A : [2, 1, 0, 8]

Ps : [2, 3, 3, 11]

$$Sum(L,R) = \begin{cases} PS[R] - PS[L-1] & \text{if } L > 0 \\ PS[R] & \text{if } L = 0 \end{cases}$$

TC : O(N)
SC : O(N)