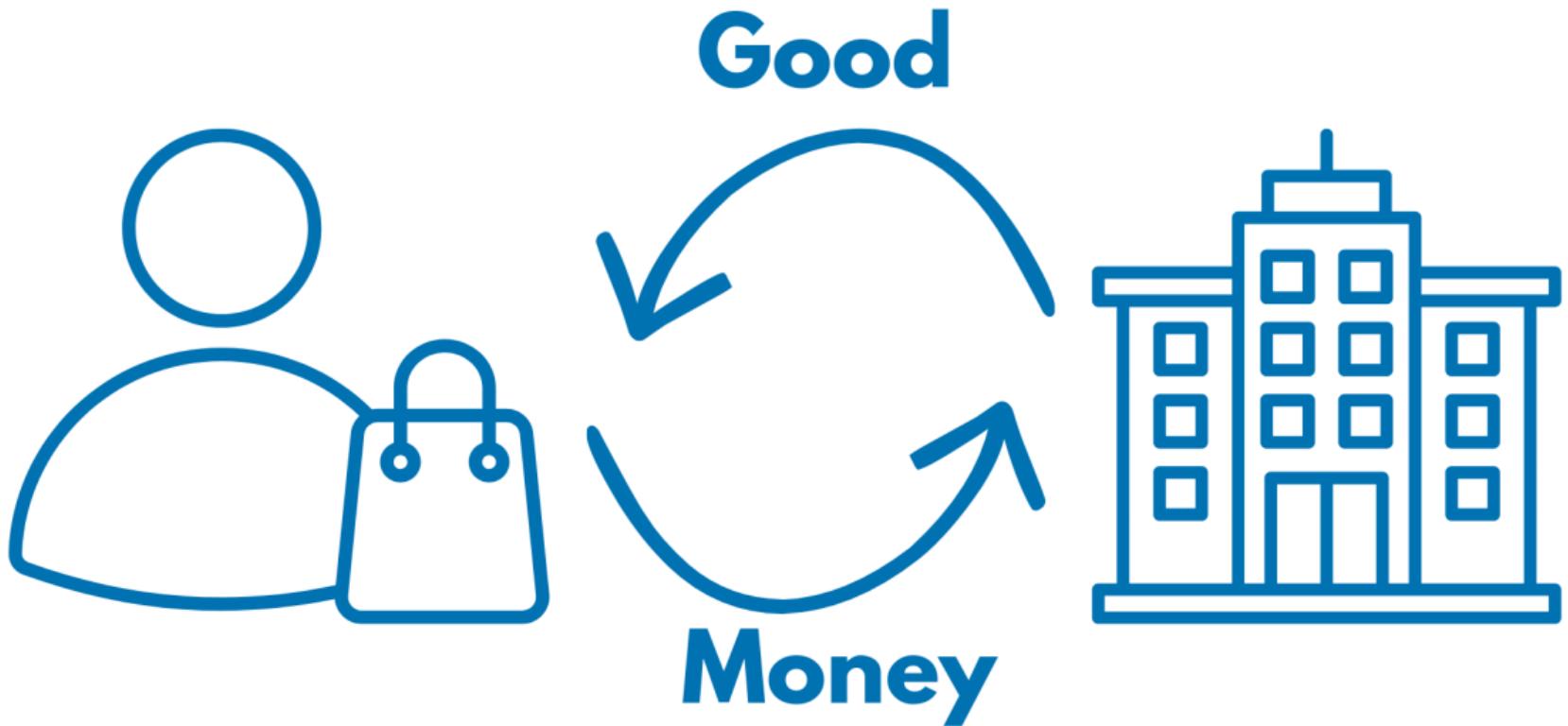
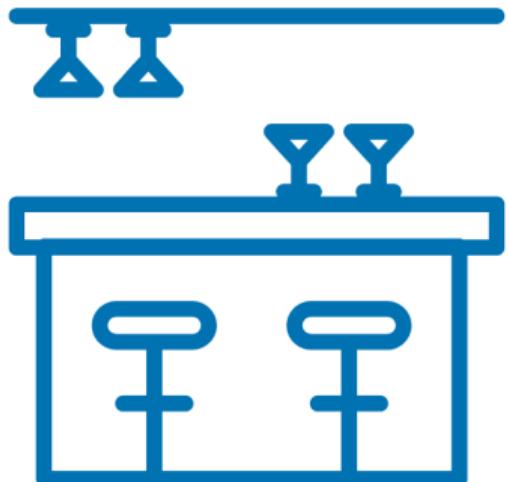
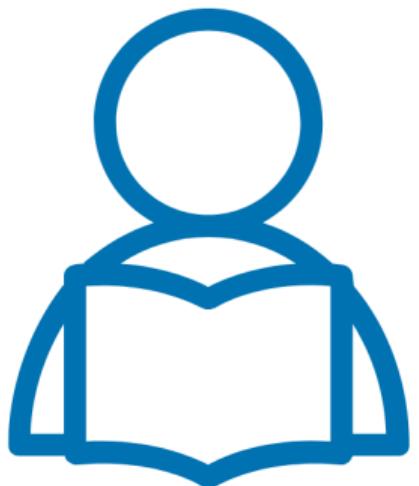
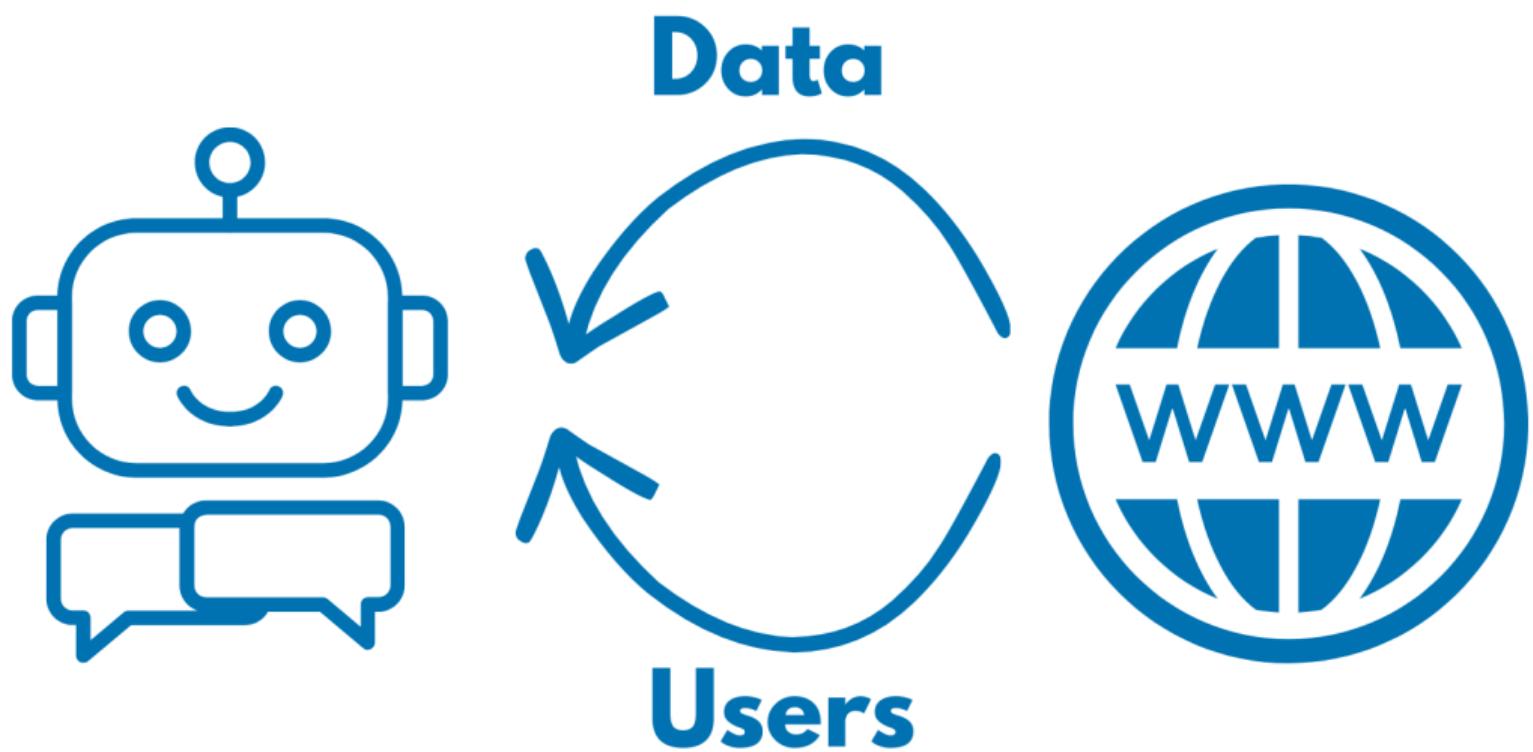


Will AI change the internet?



Beer





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- ▶ **Preview:** Gen AI makes things worse but not always.

► Gen AI's Impact Online

Burtch, Lee, and Chen 2024; Rio-Chanona, Laurentsyeva, and Wachs 2023; Reeves, Yin, and Simperl 2025; Shan and Qiu 2025; Lyu et al. 2025; Zhao and Berman 2025; Koren et al. 2026

Contribution: Structured, comprehensive and credible evidence of Gen AI's impact both on supply and demand.

► Discrete Choice & Monopolistic competition

Melitz 2003; Krugman et al. 1980; Train 2009 and many many many more

Contribution: Novel literature application to a new field: Online market with interest of AI.

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- ▶ Search for information online.
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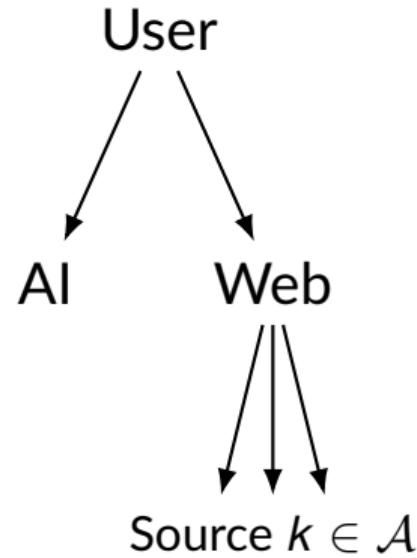
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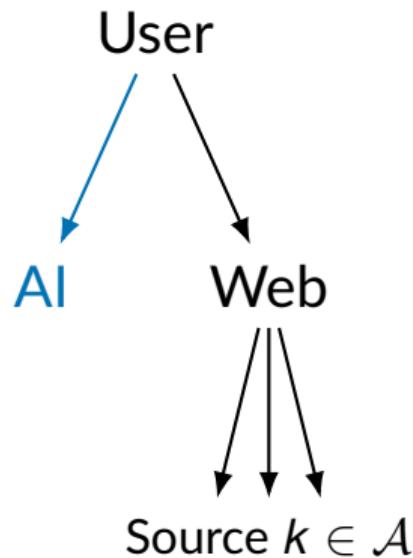
Gen AI

- ▶ Aggregates information available online.
- ▶ Alternative to the Web.
- ▶ Decreases costs for providers.

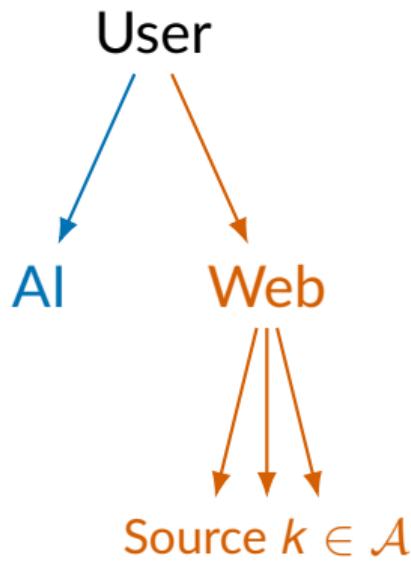


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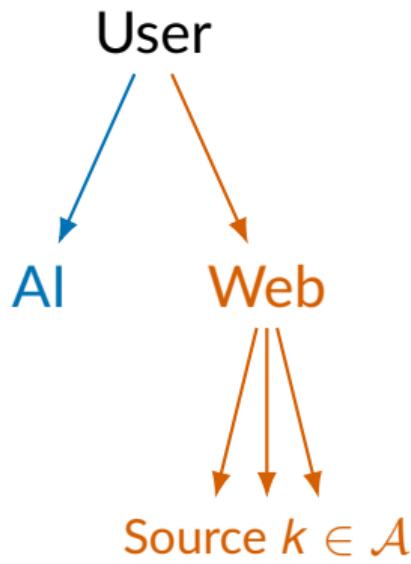


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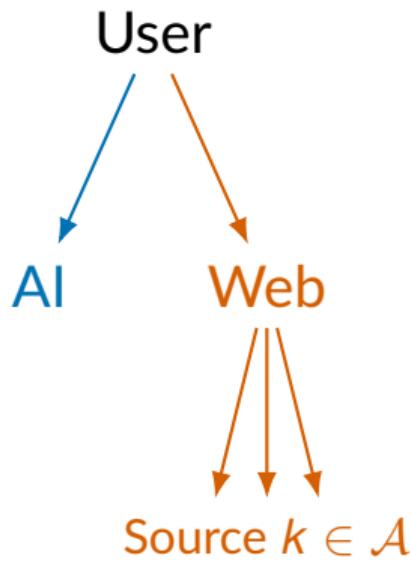


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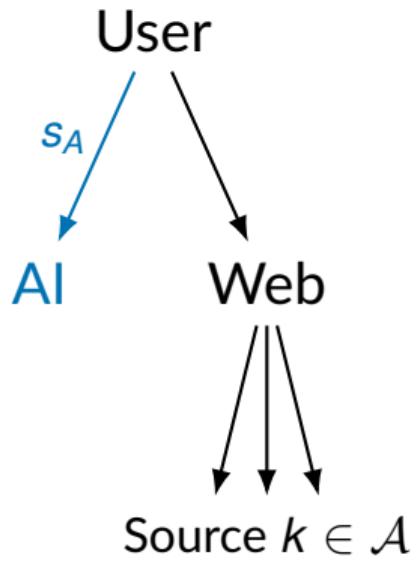
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- ▶ AI aggregates the information available on the web, with efficiency ϕ

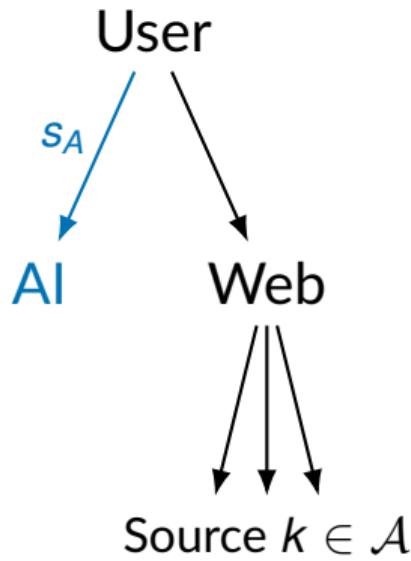
$$Q_A = \phi \left(\sum_k Q_k^{1/\theta} \right)^\theta$$

- ▶ The shares of users that go to:
 - ▶ AI



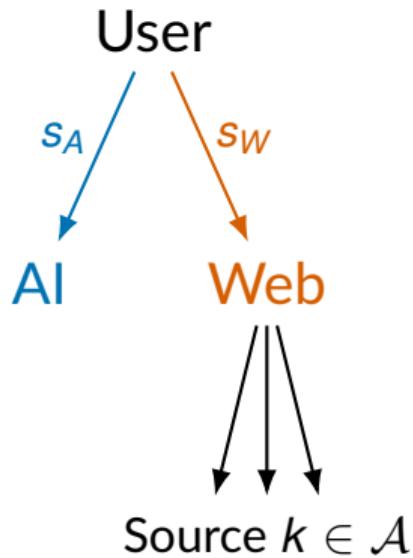
$$s_A = \frac{\phi}{\delta_w + \phi}$$

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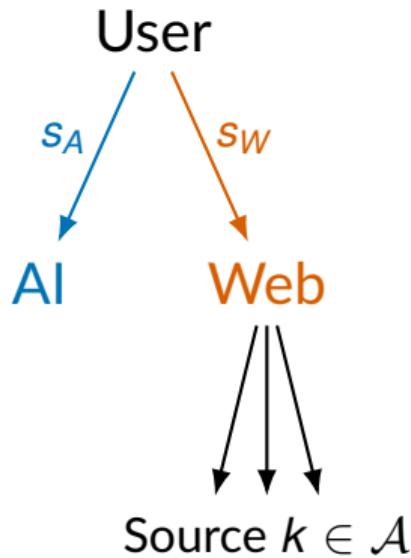


$$s_A = \frac{\phi}{\delta_w + \phi}, \quad \uparrow \phi \text{ and } \downarrow \delta_w.$$

- ▶ Web

$$s_W = \frac{\delta_w}{\delta_w + \phi}$$

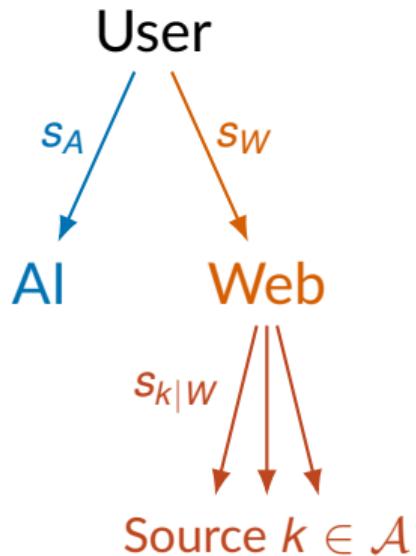
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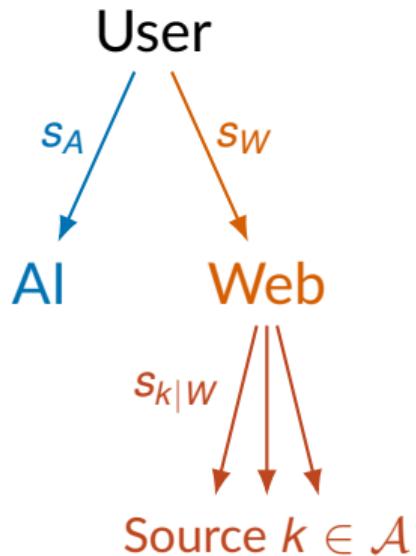
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$$s_{k|W} = \frac{Q_k^{1/\theta}}{\sum_j Q_j^{1/\theta}}$$



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Supply of information:

- ▶ **increases**↑ because AI decreases the cost of provision (η).
- ▶ **decreases**↓ because AI steals the consumers, thus there is less incentive to produce (ϕ).

- We care about the quality that is consumed by the users:

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$$\begin{aligned}\tilde{Q} &= s_A Q_A + s_W \sum_{j \in A} s_{k|W} Q_k \\ &= \frac{Q_0}{\delta_W + \phi} \left[\frac{\delta_W(\gamma - 1/\theta)}{\gamma - 1/\theta - 1} + \phi^2 \left(\frac{r\delta_W}{F(1-\eta)(\delta_W + \phi)} \right)^\theta \right]\end{aligned}$$