

```
diary on
format compact
%Johnny Li
%EEL3135 Fall 2018
%Lab 7 Part 1
```

```
%1.1
```

```
%Create a one-second-long glottal source signal, containing 7 nonzero
%harmonics, with fundamental frequency 150Hz.
```

```
%Given Frequency
```

```
f=150;
```

```
%Sampling rate
```

```
fs=7*f*2;
```

```
%Time Interval, 1 second long
```

```
tt=0:1/fs:1
```

```
%Storage/Initial value
```

```
glottal=0;
```

```
%Loop 7 harmonics
```

```
for i=1:7
```

```
    %Function
```

```
    glottal=cos(2*pi*f*tt*i)+glottal;
```

```
end
```

```
%Quesiton: What is the minimum sampling frequency necessary to avoid
%aliasing?
```

```
%The minimum sampling frequency necessary to avoid aliasing is 2 times the
%highest frequency of the system which is the seventh harmonic, given by
%7*150Hz, therefore the minimum sampling frequency =2*7*150=2100 Hz.
```

```
%1.2
```

```
%Write a function, name it glottal_key_to_note, and use a sampling
```

```
%frequency of 8000 Hz.
```

```
type glottal_key_to_note
```

```
function xx = glottal_key_to_note(keynum, dur)
```

```
%GLOTTAL_KEY_TO_NOTE Function created for lab7.1.
```

```
%Takes in a key number anda duration, to produce a glottal source signal of
%given duration with fundamental frequency corresponding to the desired %
%note.
```

```
%{
```

```
    KEY_TO_NOTE: Produce a sinusoidal waveform corresponding to a given
    piano key number.
```

```
    Input Args:
```

```
        X: amplitud (default = 1)
```

```
        keynum: number of the note on piano keyboard
```

```
        dur: duration of the note (in seconds)
```

```
    Output:
```

```
        xx: sinusoidal waveform of the note
```

```
%}
```

```
%Code Taken from key to note
```

```
%Smample frequency
```

```

fs = 8000;
%Time interval
tt = 0:(1/fs):dur-1/fs;
%Given frequency function
freq = 220*2^((keynum-49)/12);

%Storage/Initial value
xx=zeros(size(tt));
%Loop 7 harmonics
for i=1:7
    %Sinusoidal function
    xx = real(exp(i*j*2*pi*freq*tt))+xx;
end

end

%1.3

%Use glottal_key_to_note to write a script that plays mary.
type play_maryg

%Plays a series of notes from mary.
%Code taken from lab 3.
%Script based on given instruction 1.3.

%Code given
% -----play_mary.m----- %
mary.keys = [44 42 40 42 44 44 44 42 42 42 44 47 47];

%Notes: C D E F G
%Key #40 is middle-C

mary.durations = 0.25 * ones(1,length(mary.keys));
fs = 8000; % 11025 Hz also works
xx= zeros(1, sum(mary.durations)*fs);

n1 = 1;
for kk = 1:length(mary.keys)
    keynum = mary.keys(kk);

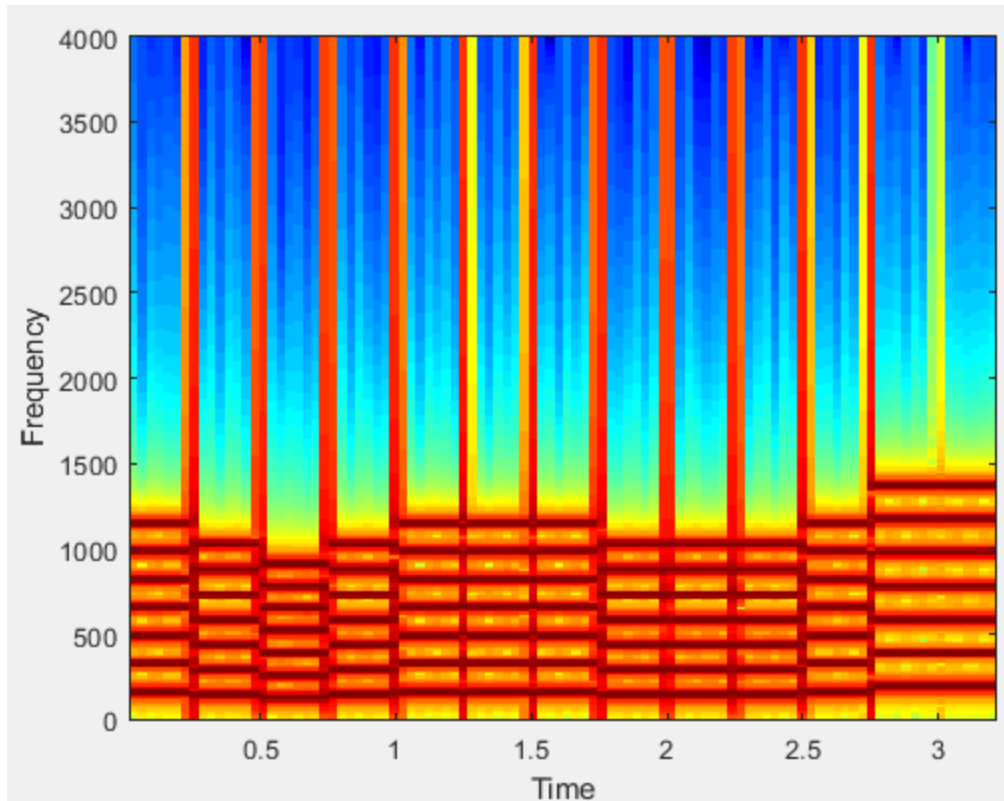
    %Tone function
    tone = glottal_key_to_note(keynum,mary.durations(kk));

    n2 = n1 + length(tone) - 1;
    xx(n1:n2) = xx(n1:n2) + tone;
    n1 = n2 + 1;
end

%Create autofile
audiowrite('play_maryg.wav',xx,fs);

%Plot the frequency-time spectrogram of Mary.
specgram(xx,512,fs)

```



%1.4

%Now, use your glottal_key_to_note to synthesize Bach Fugue from Lab 3.
type play_bachg

%Plays a series of notes from bach fugue.
%Code taken from lab 3.
%Script based on given instruction 1.4.

%Load bach fugue
%load bach_fugue.mat;

%Code take from play__song

%Frequency
fs = 8000;
%Beat per minute->beats per second->second per beats->second per pulse
%Given Code
beats_per_minute = 120;
beats_per_second = beats_per_minute / 60;
seconds_per_beat = 1 / beats_per_second;
%spp = seconds_per_beat / 4;
%seconds per pulse, theVoices is measured in pulses with 4 pulses per beat

%Set spp to 0.15 for better fugue
spp=0.15;

%Length of voices

```

numV=length(theVoices);
%Length of notes
numN=length(theVoices(numV).noteNumbers);
%Final start pulse
fsp=theVoices(numV).startPulses(numN);
%Final durations
fd=theVoices(numV).durations(numN);

%Get Max value in theVoices
M=0;
for a=1:numV
    for b=1:length(theVoices(a).durations)
        d=theVoices(a).durations(b);
        st=theVoices(a).startPulses(b);
        if M<(d+st)
            M=d+st+1;
        end
    end
end

%Longest value in better
song = zeros(1,ceil(M*spp*fs));
%Create a vector of zeros with length equal to the total number of samples
%in the entire song

%Then add in the notes
for i = 1:length(theVoices)
    for j = 1:length(theVoices(i).noteNumbers)
        note =
glottal_key_to_note(theVoices(i).noteNumbers(j),theVoices(i).durations(j)*spp
);
        %Create sinusoid of correct length to represent a single note
        locstart = theVoices(i).startPulses(j)*spp*fs;
        %Index of where note starts
        locend = locstart+length(note)-1;
        %Index of where note ends
        song(locstart:locend) = song(locstart:locend) + note;
    end
end
%For clipping
song=song/(max(abs(song)));
end
%Create autofile
audiowrite('bach_fugueg.wav',song,fs);

```

%1.5

%Question: Where in the complex plane can zeros and poles be placed to have
 %the strongest influence on the magnitude response of the filter?
 %When the zeros are placed closer to the unit circle and the poles are
 %place closer to the origin, this has the strongest influence on the
 %magnitude response of the filter.

%1.6

Johnny Li
 11/2/25
 P.3

Lab 7 Part 1

1.6) $y[n] = x[n] + 2y[n-1]$
 $y(z) = x(z) + 2z^{-1}y(z) \Rightarrow y(z) - 2z^{-1}y(z) = x(z)$
 $y(z)(1 - 2z^{-1}) = x(z)$
 $H(z) = \frac{y(z)}{x(z)} = \frac{1}{1 - 2z^{-1}} \cdot \frac{z}{z} = \frac{z}{z - 2}$

poles: $z = 2$
 zeros: $z = 0$

$a^n u[n] = \frac{1}{1 - az^{-1}} \quad \therefore \frac{1}{1 - 2z^{-1}} \neq \boxed{2^n u[n]} \text{ impulse response}$

%Question: What are the poles and zeros of this filter?
 %The pole is $z=2$ while the zero is $z=0$ of this filter.
 %Work done by hand.

%Question: What is this filter's impulse response?
 %The filter's impulse response is equal to $(2^n)u[n]$.
 %Work done by hand.

%1.7.1

%Table of the zeros location in normalized radian frequency.
 %Done by hand.

1.7.1) zeros: $f = 1000, \approx 2100, 3500$
 $\omega = \frac{2\pi f}{fs} = \frac{2\pi f}{8000} = \frac{\pi f}{4000}$

zeros	positive conjugate	negative conjugate
1000	$\frac{\pi}{4}$	$-\frac{\pi}{4}$
2100	$\frac{21\pi}{40}$	$-\frac{21\pi}{40}$
3500	$\frac{7\pi}{8}$	$-\frac{7\pi}{8}$

$\therefore e^{j\frac{\pi}{4}}, e^{-j\frac{\pi}{4}}, e^{j\frac{21\pi}{40}}, e^{-j\frac{21\pi}{40}}, e^{j\frac{7\pi}{8}}, e^{-j\frac{7\pi}{8}}$

%1.7.2

%Create an FIR filter with six nontrivial zeros that matches the following
%magnitude response.

$H(z) = (z - 0.25\pi)(z - 0.525\pi)(z - 0.875\pi)$

%Question: What are the filter coefficients b and a?

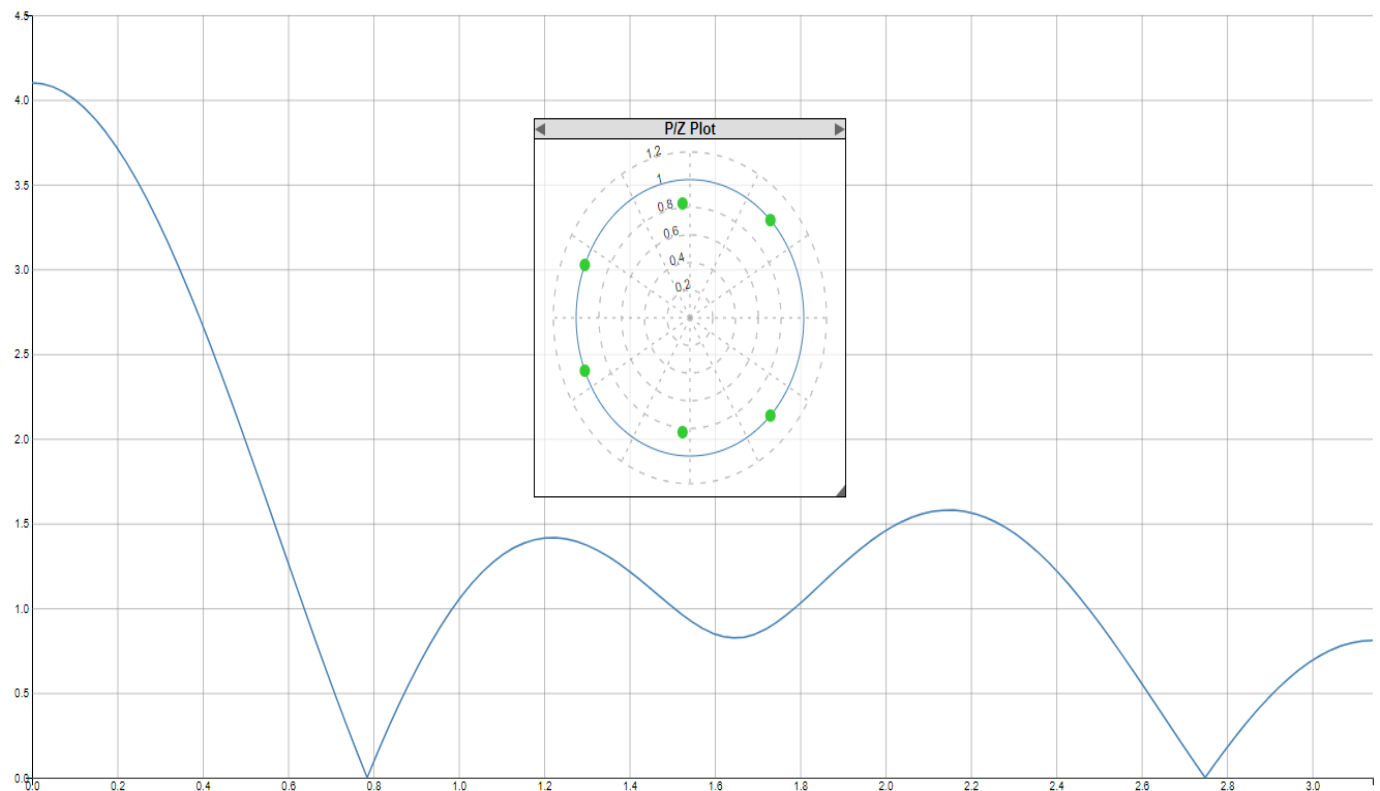
%The filter coefficients are:

B = [1, 0.61536, 0.20421, 0.64225, 0.62603, 0.50200, 0.73851]

A = [1]

%1.7.3

%Submit a screenshot of your GUI.



%1.7.4

%Filter a glottal source signal, with fundamental frequency 150Hz and
%sampling frequency 8000Hz, through the eh filter.

%Code Taken from 1.7.1, generate source signal.

%Given Frequency

f=150;

%Sampling rate

fs=7*f*2;

%Time Interval, 1 second long

tt=0:1/fs:1;

```

%Storage/Initial value
glottal=0;
%Loop 7 harmonics
for i=1:7
    %Function
    glottal=cos(2*pi*f*tt*i)+glottal;
end

%Filter coefficients from GUI
B = [1, 0.61536, 0.20421, 0.64225, 0.62603, 0.50200, 0.73851];
A = (1);
%Given Frequency
fs=8000;

%Filter
eh= filter(B,A,glottal);

%For clipping
eh=eh/(max(abs(eh)));

%Create autofile
audiowrite('eh.wav',glottal,8000);

```