

Saving for a Rainy Day: Experimental Evidence on Prize Linked Saving and Financial Shocks

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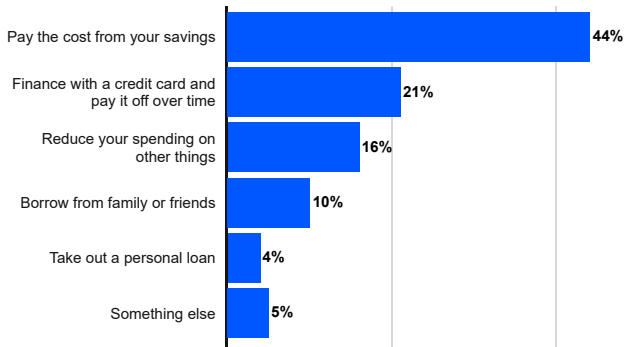
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TENNESSEE
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Motivation

We asked: Which of the following best describes how you would deal with a major unexpected expense, such as \$1,000 for an emergency room visit or car repair?



Source: Bankrate survey, December 15-17, 2023

Background: Prize Linked Savings (PLS)

- Dollars saved in PLS become entries in a drawing
 - Probability(Win) is (almost) a linear function of your deposit
- PLS is a “no-lose lottery;” principal is never at risk

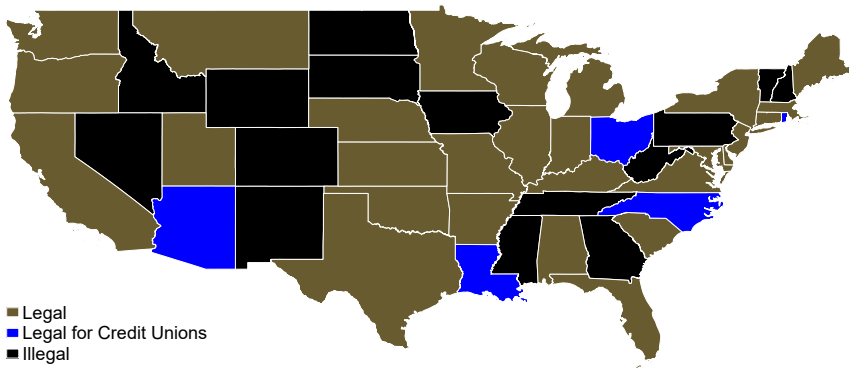
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 - Premium Bonds, £25 “tickets” for a £1m prize
- Still illegal in some US states
 - Fear of state lottery revenue cannibalization

PLS Legality



If PLS is “dominated,” why is it popular?

- Agents have short planning horizons



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If PLS is “dominated,” why is it popular?

- Agents have short planning horizons
- Agents over-estimate the probability of winning
- Agents directly gain utility from the gamble



What do we already know about PLS?

- People prefer PLS to standard saving even if the return is lower
- Effect is strongest among poor households
- Access to PLS increases total savings
 - Atalay et al. (2014), Filiz-Ozbay et al. (2015), Dizon & Lybbert (2021), Jindapon et al. (2022), Gertler et al. (2023)

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- Saving increases stability but decreases consumption
- PLS can increase savings, but does this increase welfare?
- ... under what conditions?

Research Question

What is the dynamic welfare impact of PLSAs on consumers who face unexpected financial shocks?

Preview of Results

- Subjects have sufficiently short horizons such that PLSAs increase welfare by preventing under-saving
- PLS access causes 17.9% improvement in optimal behavior

Policy Implications

- PLS could move consumers closer to optimal consumption paths
- Vulnerable households better prepared for unexpected expenses
- Relatively cheap method of incentivizing saving

Why an Experiment?

- Jappelli and Pistaferri (2010) on observational data: “The lesson of the literature is that identifying episodes of genuine exogenous and unanticipated income changes is difficult.”
- Observational data uses weather, layoffs, disabling injuries, etc. to measure financial shocks

Why an Experiment?

- Jappelli and Pistaferri (2010) on observational data: “The lesson of the literature is that identifying episodes of genuine exogenous and unanticipated income changes is difficult.”
- Observational data uses weather, layoffs, disabling injuries, etc. to measure financial shocks
- Complete portfolio allocation is difficult to observe
- Experiment allows for precise choice of parameters

Contribution

- I use a controlled laboratory setting to measure the dynamic *welfare effects* of access to a PLSA.

1 Experimental Design

2 Empirical Analysis

3 Results

4 Conclusion

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Experimental Design

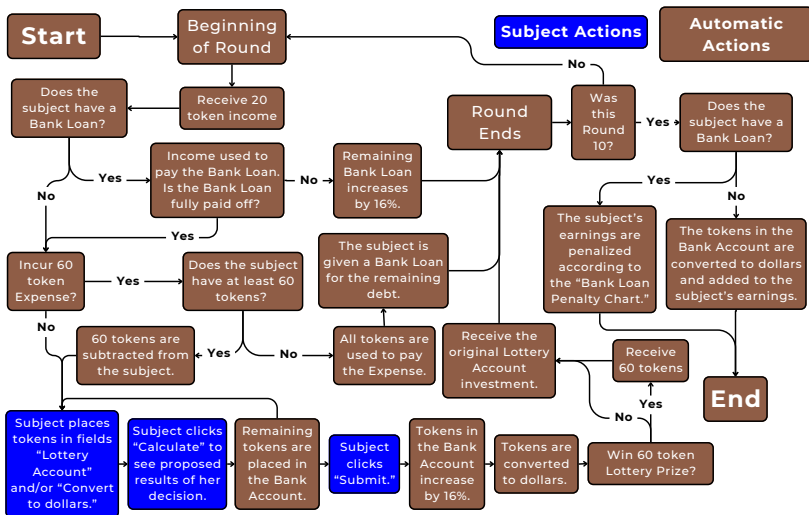
- Agent receives 20 tokens of income, and can choose to:
 - **consume** by converting tokens to cash at a decreasing rate (asymptotic at \$3), or
 - **save** tokens at 16% until the next period, or
 - **save** tokens in a PLS with a prize
- Saving 20 tokens in PLS gives a 5.3% chance of winning.
- 10% chance of incurring a 60-token expense
- 10 periods, played twice

Decreasing Returns to Consumption

Tokens	Dollars
10	\$ 0.29
20	\$ 0.54
30	\$ 0.78
40	\$ 0.99
50	\$ 1.18
60	\$ 1.35
70	\$ 1.51
80	\$ 1.65
90	\$ 1.78
100	\$ 1.90

Tokens	Dollars
110	\$ 2.00
120	\$ 2.10
130	\$ 2.18
140	\$ 2.26
150	\$ 2.33
160	\$ 2.39
170	\$ 2.45
180	\$ 2.50
190	\$ 2.55
200	\$ 2.59

Tokens	Dollars
210	\$ 2.63
220	\$ 2.67
230	\$ 2.70
240	\$ 2.73
250	\$ 2.75
260	\$ 2.78
270	\$ 2.80
280	\$ 2.82
290	\$ 2.83
300	\$ 2.85



Round

1

Remaining time: 29

Instructions: Your task is to allocate your tokens.

You can place your tokens in the **Lottery Account** and **convert tokens to dollars**.

Any tokens you do not use will be saved in your **Bank Account** until the next round and earn 16% interest.

Remember, the only way to earn real money in this experiment is by converting your tokens into dollars.

Starting
Balance

20

=

Bank
Account

0

+

Lottery
Account

+

Convert to
dollars

-- > \$

0.00

|

|

V

0

+

|

|

V

0

+

60 tokens
Lottery
Chance: %

-

60 tokens
Expense
Chance: 10%

=

Bank
Account with
16% InterestLottery
Account

0.00

Ending
Balance

Calculate

Submit

Round	1	2	3	4	5	6	7	8	9	10	Total
Earnings	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00

Round

1

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Starting Balance		Bank Account		Lottery Account		Convert to dollars		
20	=	5	+	10	+	5	-- > \$	0.15
		V		V				
		6	+	10	+	60 tokens Lottery Chance: %	-	60 tokens Expense Chance: 10%
		Bank Account with 16% Interest		Lottery Account		2.67	=	Ending Balance

Calculate
Submit

Round	1	2	3	4	5	6	7	8	9	10	Total
Earnings	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00

Round

1

Results

Starting
Balance

20

=

Bank
Account

5

+

Lottery
Account

10

+

Convert to
dollars

5

-- > \$

0.15

|
|
V

6

+

|
|
V

10

+

No Lottery-
60 tokens

-

No Expense-
60 tokens

=

16

Bank
Account with
16% InterestLottery
AccountEnding
Balance

Continue

Round	1	2	3	4	5	6	7	8	9	10	Total
Earnings	\$0.15	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.15

Round

3

Remaining time: 16

Results

Starting
Balance

56

=

Bank
Account

0

+

Lottery
Account

40

+

Convert to
dollars

16

-- > \$

0.44

|
|
V

0

+

|
|
V

40

+

No Lottery-
60 tokens

-

Expense
60
tokens

=

-20

Bank
Account with
16% InterestLottery
AccountEnding
Balance

Continue

Round	1	2	3	4	5	6	7	8	9	10	Total
Earnings	\$0.15	\$0.00	\$0.44	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.59

Round

10

Remaining time: 17

Results

Starting
Balance

48

=

Bank
Account

0

+

Lottery
Account

48

+

Convert to
dollars

0

-- > \$

0.00

|

|

V

0

+

|

|

V

48

+

Winner!
Lottery
60
tokens

-

No Expense-
60 tokens

=

108

Bank
Account with
16% Interest

Lottery
Account

Ending
Balance

Continue

Round	1	2	3	4	5	6	7	8	9	10	Total
Earnings	\$0.15	\$0.00	\$0.44	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.00	\$0.59

Treatments

Treatment	PLSA Prize
1	No PLSA Offered, "No Prize"
2	6x(Income), "High Prize"
3	3x(Income), "Low Prize"

Session Type	Treatments	# Participants
No Prize/High Prize	1 & 2	56
No Prize/Low Prize	1 & 3	52
High Prize/Low Prize	2 & 3	49
Total		157

What does it mean to over-consume?

- Solve the model with backward induction for $c^*(a_{it})$, the optimal consumption choice given the subject i 's assets in period t

What does it mean to over-consume?

- Solve the model with backward induction for $c^*(a_{it})$, the optimal consumption choice given the subject i 's assets in period t
- Calculate the gap between **optimal** and **observed** consumption:

$$\text{Error}_{it} = c_{it}^{\text{observed}} - c^*(a_{it})$$

What does it mean to over-consume?

- Calculate Marginal Propensity to Consume (MPC)

$$\frac{\text{Error}_{it}}{a_{it}} = \frac{c_{it}^{\text{observed}} - c^*(a_{it})}{a_{it}} = \text{MPC}_{it}^{\text{observed}} - \text{MPC}_{it}^* = \text{MPC}_{it}^{\text{error}}$$

- $\text{MPC}_{it}^{\text{error}} \in [-1, 1]$ is the fraction of assets the subject either over (+) or under (-) consumed in period t

Data

	Mean	St. Dev.	Min.	Max
Assets	88.34	95.59	-294	680
Standard Savings	57.62	85.19	-294	624
PLSA Savings	20.82	58.43	0	680
Tokens Consumed	9.92	26.81	0	455
Dev. from Optimal Cons.	-9.06	42.68	-311	232
Abs. MPC Error	0.21	0.25	0	1
Expense Incurred	0.09	0.29	0	1
Female	0.52	0.50	0	1
N	3140			

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Empirical Analysis

$$\underbrace{|\text{MPC}_{ist}^{\text{error}}|}_{\substack{\text{abs. value} \\ \text{deviation} \\ \text{from} \\ \text{optimality}}} = \alpha + \underbrace{\beta * \text{Treat}_{it}}_{\substack{=1 \\ \text{if PLS} \\ \text{offered}}} + \underbrace{\delta * \text{Second}_s}_{\substack{=1 \\ \text{if played} \\ \text{second} \\ \text{in session}}} + \underbrace{\tau_t}_{\substack{\text{period} \\ \text{FE}}} + \underbrace{u_{it}}_{\substack{\text{error} \\ \text{corr. w/in} \\ \text{subjects}}}$$

- β is coefficient of interest
 - $\beta < 0 \implies$ PLS causes shift towards more optimal behavior

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What is the treatment effect on optimality? (Unit: |MPC|)

PLSA	-0.0443*** (0.0160)	-0.0451*** (0.0159)		
Second		-0.0264** (0.0125)		-0.0265** (0.0126)
High			-0.0347* (0.0182)	-0.0354* (0.0180)
Low			-0.0543*** (0.0177)	-0.0552*** (0.0176)
Constant	0.2383*** (0.0157)	0.2520*** (0.0167)	0.2383*** (0.0157)	0.2521*** (0.0167)
N	3140	3140	3140	3140

What is the treatment effect on earnings? (Unit: \$)

PLSA	-0.5718***	-0.5817***		
	(0.1887)	(0.1870)		
Second		-0.3504*		-0.3529*
		(0.1846)		(0.1840)
High			-0.3889*	-0.3971*
			(0.2168)	(0.2147)
Low			-0.7620***	-0.7738***
			(0.2345)	(0.2333)
Constant	4.1667***	4.3483***	4.1667***	4.3496***
	(0.1518)	(0.1778)	(0.1519)	(0.1777)

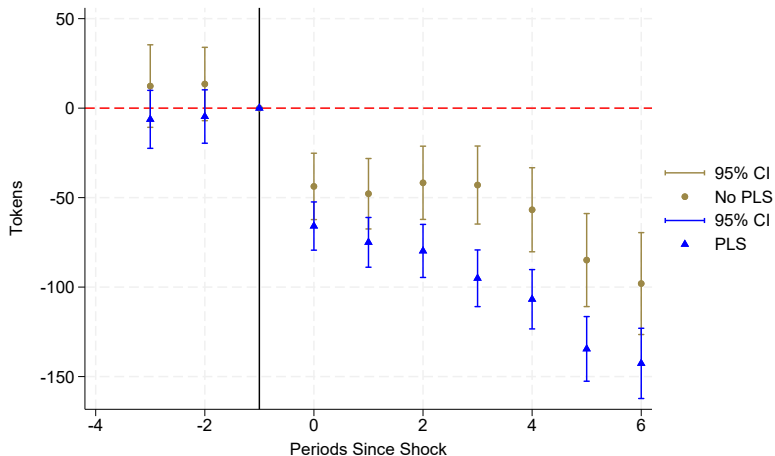
What is the treatment effect on assets when shocked?

(Unit: Tokens)

PLSA	-22.9917	
	(14.4109)	
High		-17.0181
		(17.7770)
Low		-28.3136*
		(15.7658)
Constant	52.4773***	52.4773***
	(11.2578)	(11.2770)
N	296	296

What is the treatment effect on assets when shocked?

(Unit: Tokens)



What is the treatment effect on Prob(Borrow) when shocked? (Unit: Prob(Borrow))

PLSA	0.1014	
	(0.0750)	
High		0.0264
		(0.0918)
Low		0.1682**
		(0.0814)
Constant	0.3409***	0.3409***
	(0.0577)	(0.0578)
N	296	296

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Conclusion

PLS causes:

- 17.9% shift towards the optimal consumption path
- 9.1% - 17.8% decrease in earnings depending on prize size
- significant decrease in available assets following a shock
- increase in the probability of borrowing following a shock

Next Steps

- Individual horizon estimation
- Subjective probability weighting
- Welfare comparisons