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% Matlab Code for Series RLC Circuit modeling..
% Praviraj PG (pravirajpg@gmail.com) - Rev 0, 19-Sep-2019
% Solve using ODE45 function with the State-Space Model

function ppgrlcckt

    T = 0.1;           % Simulation Time..
    x0 = [0; 0];       % Initial Conditions

    % Call MATLAB/Octave ODE45 for Solving..
    % A State-Space model of Series RLC Circuit is implemented inside
    % the function "RLCcktfcn" below
    tspan = [0, T];
    [t, x] = ode45(@RLCcktfcn(t,x), tspan, x0);

    % Plot Current thru Inductor & Voltage across Capacitor
    Ii = x(:,1);       Vc = x(:,2);

    subplot(2,1,1); plot(t, Vc, 'r', 'linewidth',0.75); grid on;
    title('Series RLC Circuit - Voltage Across Capacitor');
    xlabel('Time (sec)'); ylabel('Voltage (V)');

    subplot(2,1,2); plot(t, Ii, 'r', 'linewidth',0.75); grid on;
    title('Series RLC Circuit - Current thru Inductor');
    xlabel('Time (sec)'); ylabel('Current (A)');
end

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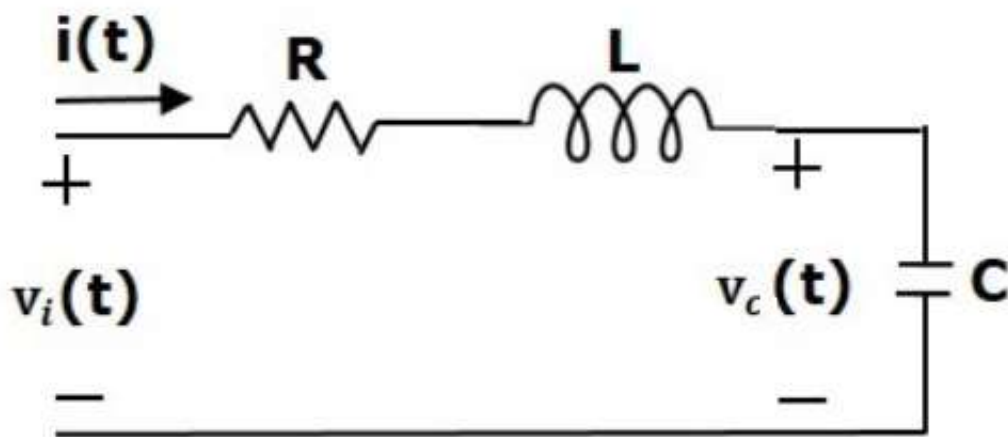
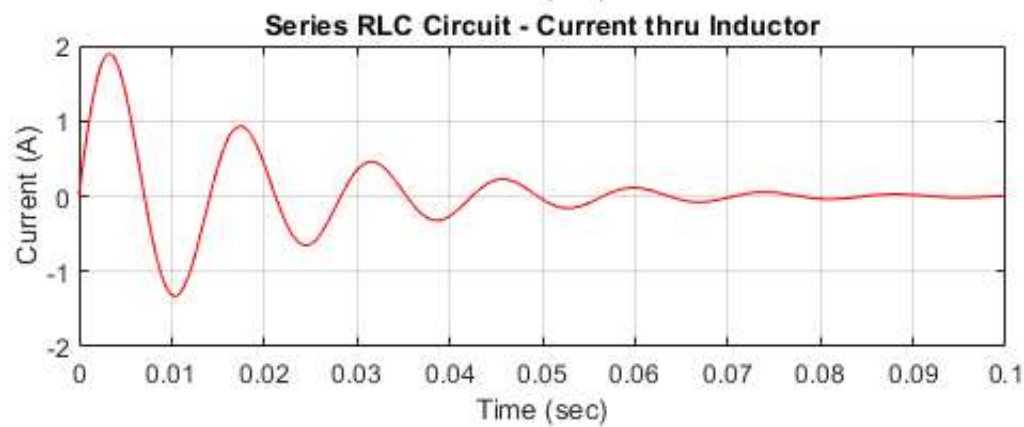
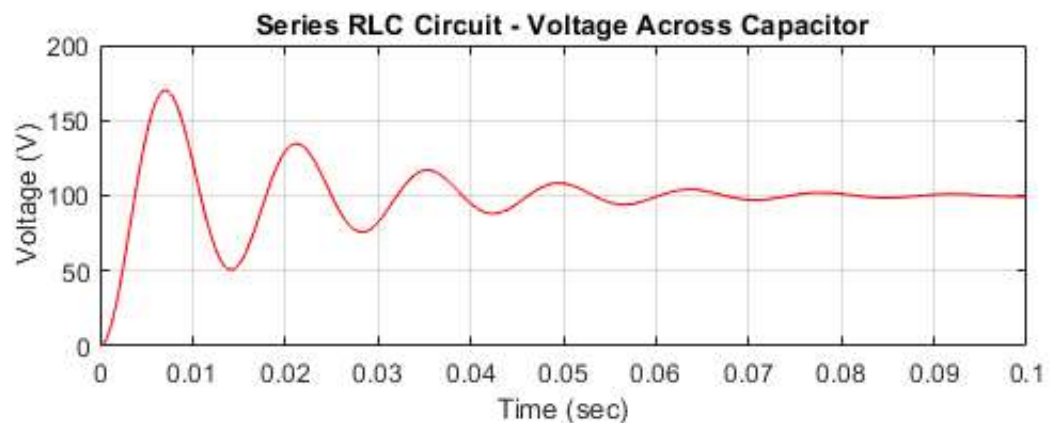
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% Model Series RLC Circuit function..
function y = RLCcktfcn(t,x)
    R = 10;           % Resistance (Series RL Branch), Ohms..
    L = 100e-3;       % Inductance (Series RL Branch), H..
    C = 50e-6;        % Capacitor (Series RLC Branch), F
    Vi = 100;         % Input Voltage

    % RLC Circuit Dynamic - State-Space Model..
    %  $y(1) = \frac{d}{dt}(I_i)$ ;     $y(2) = \frac{d}{dt}(V_c)$ ;
    %
    y = [-R/L, -1/L; 1/C, 0]*x + [1/L; 0]*Vi;
end

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$$\dot{\mathbf{X}} = \begin{bmatrix} \frac{di(t)}{dt} \\ \frac{dv_c(t)}{dt} \end{bmatrix} = \begin{bmatrix} -\frac{R}{L} & -\frac{1}{L} \\ \frac{1}{C} & 0 \end{bmatrix} \begin{bmatrix} i(t) \\ v_c(t) \end{bmatrix} + \begin{bmatrix} \frac{1}{L} \\ 0 \end{bmatrix} [v_i(t)]$$