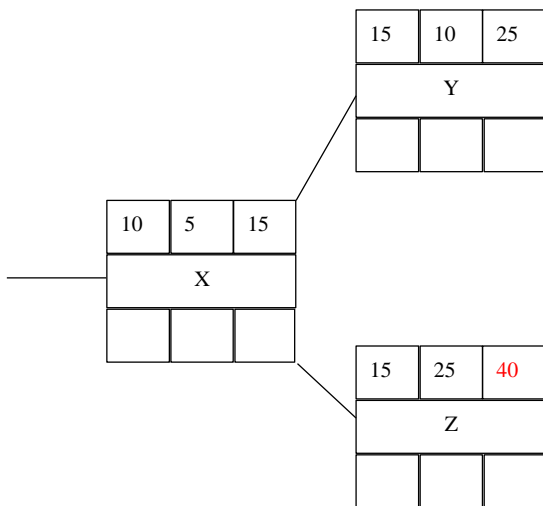


# NETWORK ANALYSIS TUTORIAL

ES	D	EF
X		
LS	F	LF

ES = Earliest Start  
D = Duration  
EF = Earliest Finish  
LS = Latest Start  
F = Float  
LF = Latest Finish

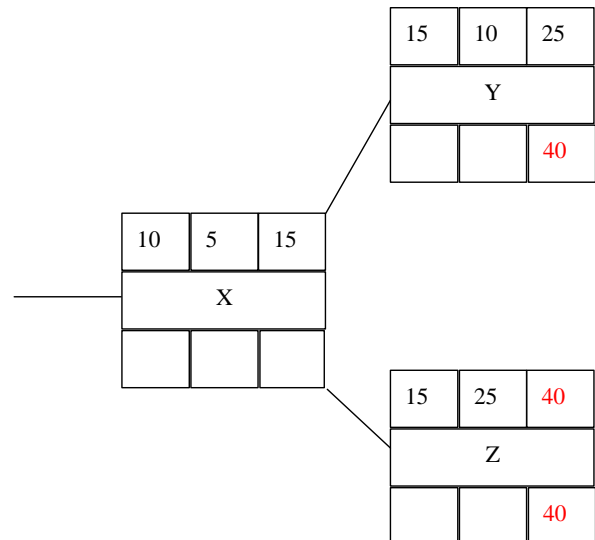


Let's say our project must finish as soon as possible and we have this segment of a network chart.

Problem: To fill in the bottom line of X, Y and Z

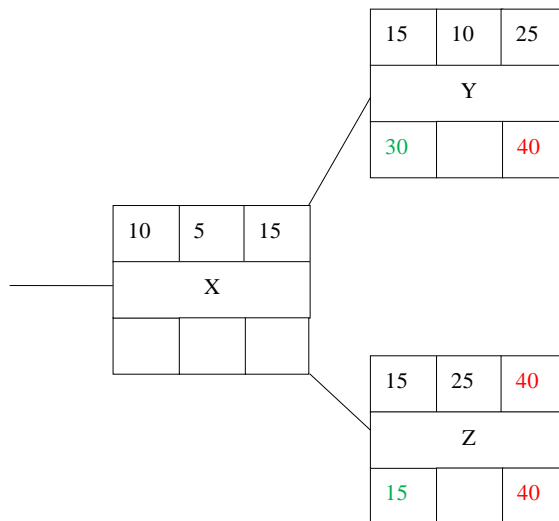
Start at the right and work to the left...

1. We said the project must finish as soon as possible. It must therefore finish on day **40**, which is the latest Earliest Finish in the network.
2. That means that the Latest Finish for tasks Y and Z will be **40** as well.

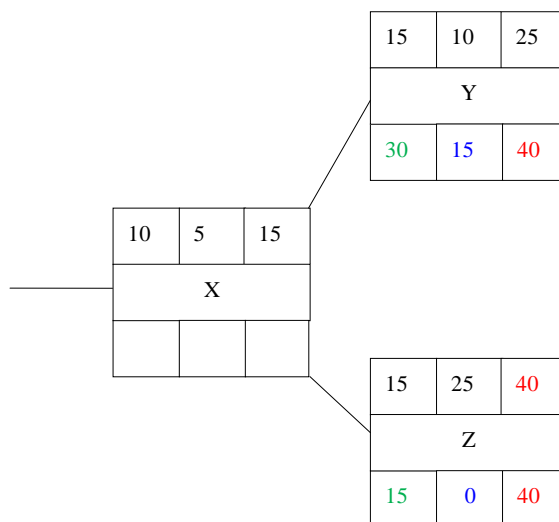


Now working back...

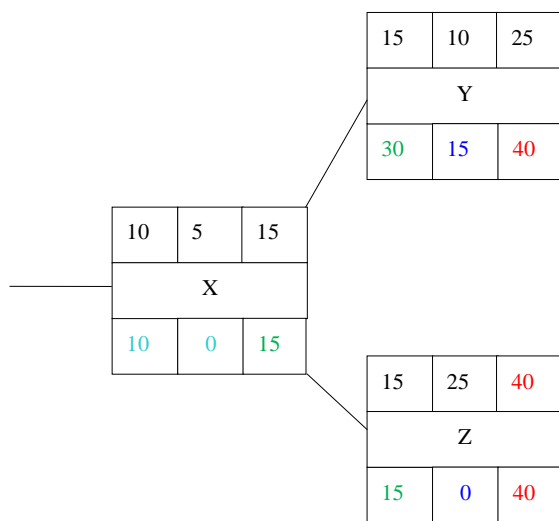
- For the Latest Start, just subtract the Duration from the Latest Finish. For Y,  $LS = 40 - 10 = 30$ ; for Z,  $LS = 40 - 25 = 15$ .



- Float time (F) will be the difference between EF and LF. In other words how much time you have to spare for that task. For Y,  $F = 40 - 25 = 15$ . For Z,  $F = 40 - 40 = 0$ .



- Let us consider Task X next. X must finish in time for Y **and** Z to start by their Latest Start times. So, the Latest Finish for X is day 15. Otherwise Z would be delayed! More formally  $LF = \text{earliest } LS \text{ of succeeding tasks in the network}$ .
- The rest of X is straightforward.  $LS = 15 - 5 = 10$ .  $F = 15 - 15 = 0$



- The Critical Path is made up of tasks that have no spare time: their Float = 0. In this case the Critical Path is X – Z.