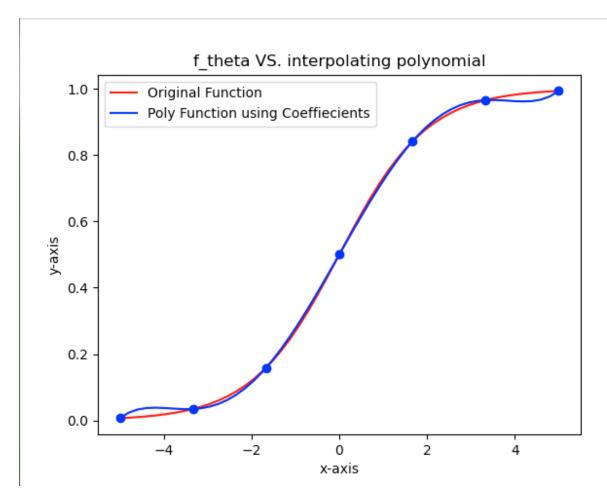
Numerical Computing - CSCI 3656--001 Homework 7 10/22/21 Kai Handelman

Part 1-4 (Results with Theta = 1)

1.

	theta value it and Output	
x	f(x)	
-5	0.00669285	Ţ,
-3.33333	0.0344452	[
-1.66667	0.158869	[
0	0.5	[
1.66667	0.841131	[
3.33333	0.965555	[
5	0.993307	[

2.



This is a good approximation. Though not perfectly aligned, it is clear that for all 7 original points the interpolated function follows through. The biggest concern would be the ends where the Polynomial function starts to seem independent from the original function, however, we know that's a given if the sample points are equally distributed in an interval.

3.

4.

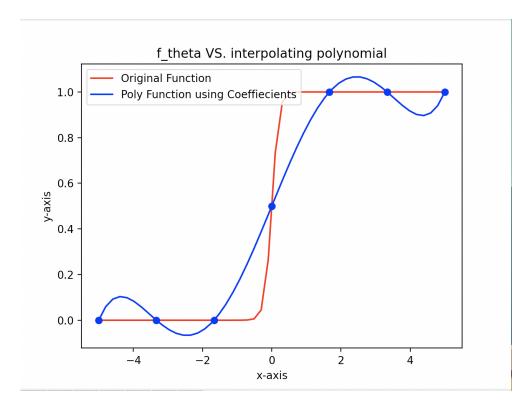
Maximum Error: 2.289837666290253

Part 5:

1.

2.





Compared to when theta was 1, the approximation for theta = 10 fits a lot less with the actual function. This is due to how the steep-ness of with x approaches 0 is a lot more extreme in this case. This makes the interpolation never see the actual slope since only one point is in the range of the slope.

3.

```
The Mean for Part 3: 0.5
The Standard Deviation for Part 3: 0.4899989875597514

Maximum Error: 6.310146146742918e+19
```

(base) kai@Kais-MacBook-Pro-2 Hw7 % ■

It is quite evident that the error increase by a huge margin when comparing theta = 1 vs theta = 10. This change can also be seen in the graphs where theta = 1 closely follows the original function why theta = 10 doesn't. As a result, we can conclude that the quality of the polynomial drastically dropped when theta when from 1 -> 10.

Code:

```
import numpy as np
import numpy.linalg as ln
from tabulate import tabulate
import matplotlib.pyplot as plt
def makePlot(fun,c,trueData):
  x = np.linspace(-5, 5)
  np.polyval
  cF = np.polyval(np.flip(c),x)
  plt.legend(loc="upper left")
def main(theta):
```

```
f = lambda x : 1/(1+np.exp(-theta*x))
  tData = np.linspace(-5,5,num=7)
range(len(trueTable))]
  c = ln.solve(a,b)
range(len(c))],headers="firstrow",tablefmt='grid') + "\n")
  nX = np.linspace(-5, 5, num=101)
```

```
temp = np.abs(nY[i][0] - nCF[i][0])/np.abs(nY[i][0])
          err = temp
main(1)
#Part 5
main(10)
```