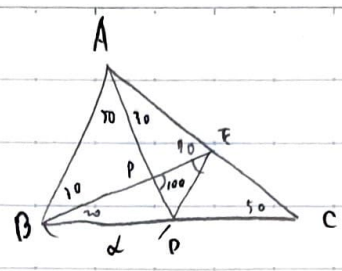


Goal: $\frac{DE}{\sin 100^\circ} = \frac{PD}{\sin 70^\circ}$

$\triangle BPD: BP = BD. (\because \angle P = \angle D)$

$\Rightarrow \frac{\alpha}{\sin 80^\circ} = \frac{PD}{\sin 20^\circ}$ $\therefore PD$ は出る.



$\angle ACB = 50^\circ$ より, $\triangle ABC: AB = AC$.

$\triangle ABD: DA = DB (\because \angle A = \angle B)$

$\Rightarrow \frac{\alpha}{\sin 50^\circ} = \frac{AB}{\sin 80^\circ}$ $\therefore AB = AC$ が"出る".

$\angle AEB = 180^\circ - 80^\circ - 30^\circ = 70^\circ$ より,

$\frac{AB}{\sin 70^\circ} = \frac{AE}{\sin 30^\circ}$ $\therefore AE$ が出る.

$CE = AC - AE$ で導出できて,

BC は $\frac{AB}{\sin 50^\circ} = \frac{BC}{\sin 80^\circ}$ より,

$DC = BC - \alpha$ で導出できる.

以上より, DE は余弦定理で導出可能.

したがって, 冒頭で示した等式より, $\angle x$ が導出できる.