

Mini-batch gradient descent

Batch vs. mini-batch gradient descent X 843 Y 543.

Vectorization allows you to efficiently compute on m examples.

Andrew Ng

Mini-batch gradient descent stop of grabet deet veg XIII YIL. (as ifmel soo) Formal peop on X sts. Aris = Prop = Prop (1200 example) A TCO = 9 TCO (2 TCO) Compute cost $J^{\{\ell\}} = \frac{1}{1000} \stackrel{\text{def}}{=} J(y^{(i)}, y^{(i)}) + \frac{\lambda}{2.1000} \stackrel{\text{E}}{=} ||W^{(\ell)}||_F^2$. Bookprop to compart gradutes cort JEE2 (usy (XEE2)) W:= W - ddw(2), b(1) = b(1) - ddb(2) "I epoch" poss through training set.



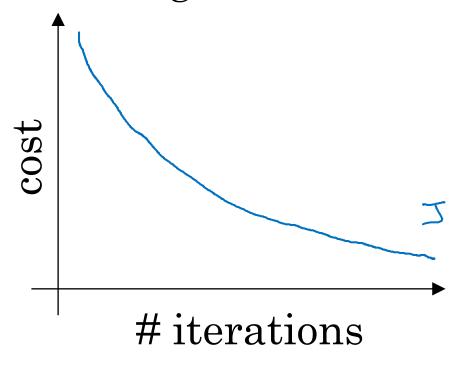
deeplearning.ai

Optimization Algorithms

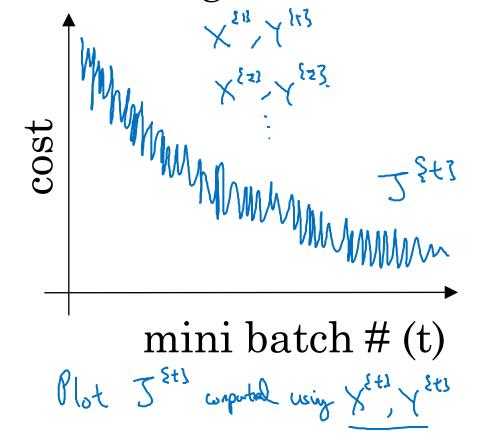
Understanding mini-batch gradient descent

Training with mini batch gradient descent

Batch gradient descent

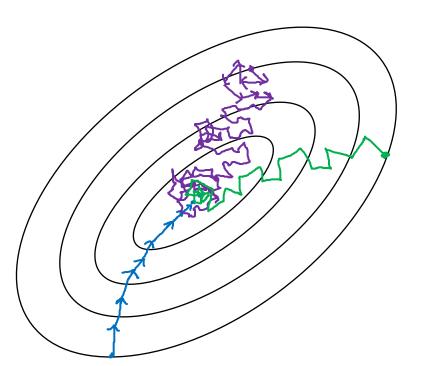


Mini-batch gradient descent



Choosing your mini-batch size

 $(X_{\xi i \hat{\gamma}}, X_{\xi i \hat{\gamma}}) = (X, X)$ > If mini-both size = m : Borth godnet desent. \rightarrow If Min=both Size=1: Stochaster ground descent. Every example is $(X^{[H]},Y^{[I]})=(K^{(I)},Y^{(I)})\dots(X^{(I)},Y^{(I)})$ Min=both, Evan excuple is it our In practice: Soreule in-between 1 aul m



Stochostic greb-t Descrt Lose speakup from vortinition

In-bother (minthotal size not to by (small) Fustest learning. · Vectorion. (N / 900) · Make propo without

Both gratient desemb (min; both size = m) Too long per iteration processing entire truly set.

Choosing your mini-batch size

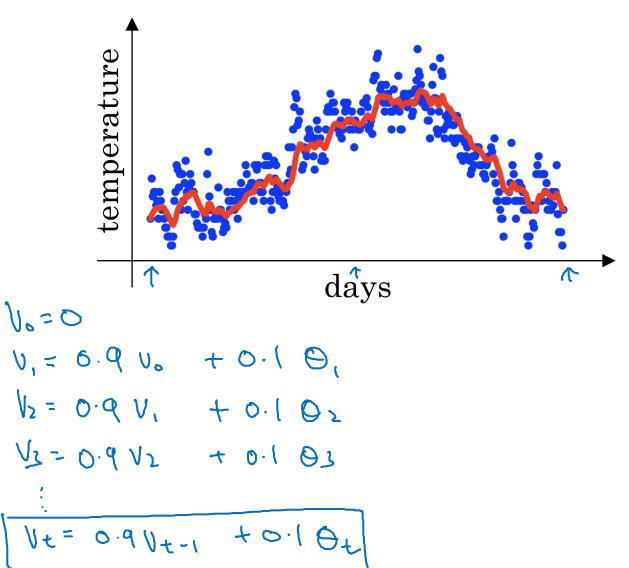
If small tray set: Use both graher descent.
(m < 2000) Typical minz-borth sizes! -> 64 , 128, 256, 512 2^{2} 2^{8} 2^{3} Make sure ministrate fit in CPU/GPU memory. X Ex Y Ex 3



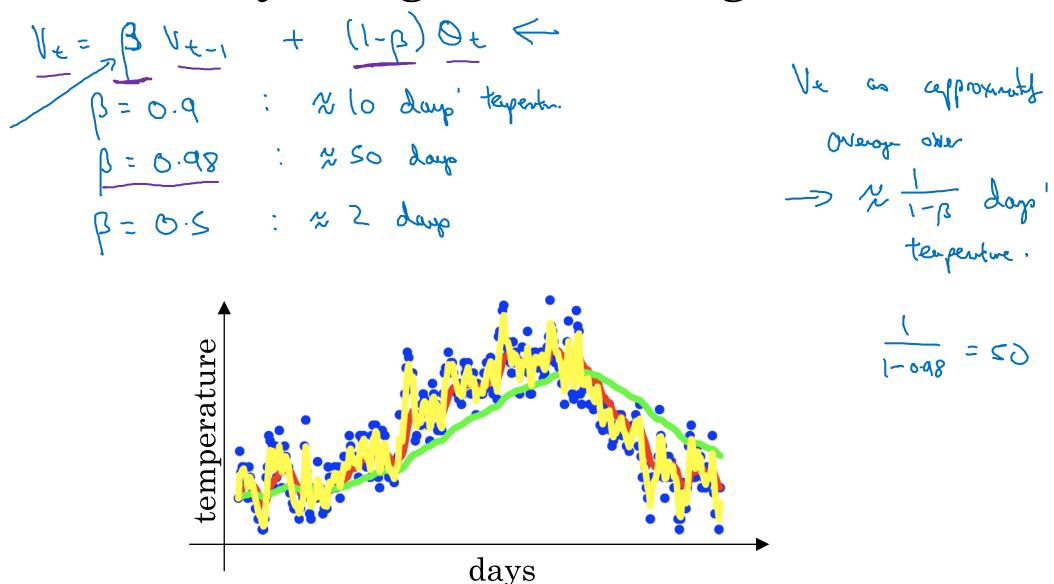
Exponentially weighted averages

Temperature in London

```
\theta_{1} = 40^{\circ}F 4^{\circ}C \leftarrow
\theta_{2} = 49^{\circ}F 4^{\circ}C
\theta_{3} = 45^{\circ}F
\vdots
\theta_{180} = 60^{\circ}F C
\vdots
\theta_{181} = 56^{\circ}F
\vdots
```



Exponentially weighted averages



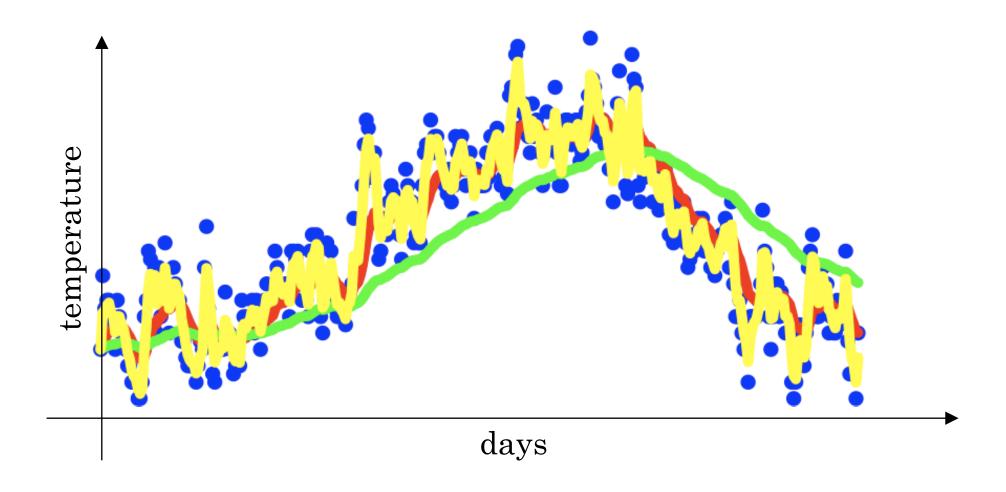


Understanding exponentially weighted averages

Exponentially weighted averages

$$v_t = \beta v_{t-1} + (1 - \beta)\theta_t$$





Exponentially weighted averages

$$v_t = \beta v_{t-1} + (1-\beta)\theta_t$$

$$v_{100} = 0.9v_{99} + 0.1\theta_{100}$$

$$v_{99} = 0.9v_{98} + 0.1\theta_{99}$$

$$v_{98} = 0.9v_{97} + 0.1\theta_{98}$$

$$\frac{1}{2} = \frac{1}{2} = \frac{1}$$

Implementing exponentially weighted averages

$$v_0 = 0$$

 $v_1 = \beta v_0 + (1 - \beta) \theta_1$
 $v_2 = \beta v_1 + (1 - \beta) \theta_2$
 $v_3 = \beta v_2 + (1 - \beta) \theta_3$

$$V_{0} := 0$$
 $V_{0} := \beta V + (1-\beta) O_{1}$
 $V_{0} := \beta V + (1-\beta) O_{2}$
 $V_{0} := \beta V + (1-\beta) O_{2}$

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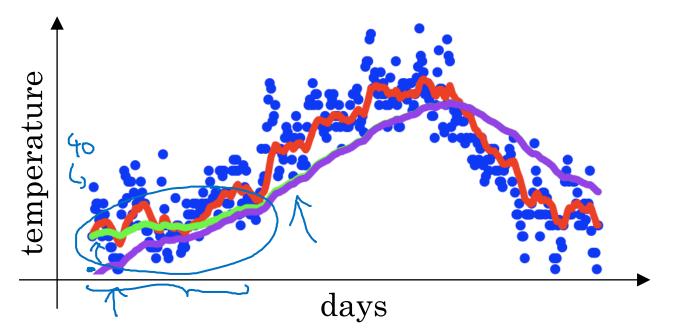


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Optimization Algorithms

Bias correction in exponentially weighted average

Bias correction



$$v_t = \beta v_{t-1} + (1 - \beta)\theta_t$$

$$v_0 = 0$$

$$v_1 = 0.98 \quad v_0 + 0.020$$

$$v_2 = 0.98 \quad v_1 + 0.020$$

$$v_1 = 0.98 \quad v_2 + 0.020$$

$$v_2 = 0.98 \quad v_1 + 0.020$$

$$v_3 = 0.01960 + 0.020$$

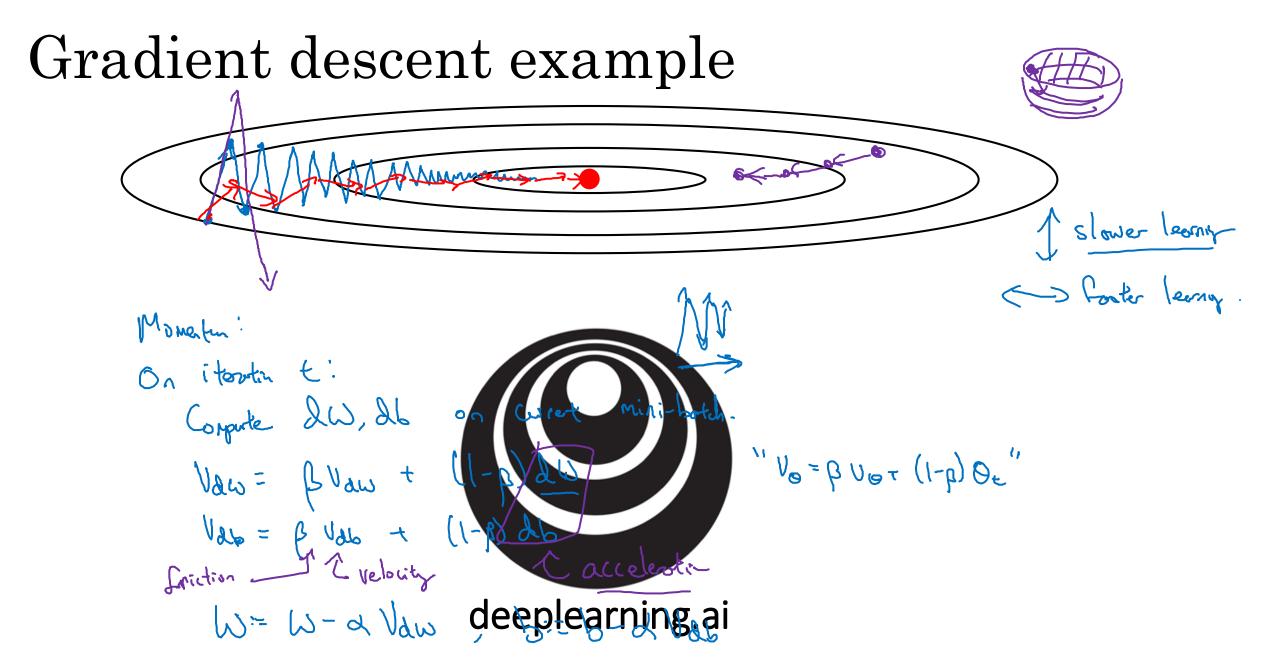
$$\frac{1-\beta^{t}}{t=2:} \quad 1-\beta^{t} = 1-(0.98)^{2} = 0.0396$$

$$\frac{1-\beta^{t}}{0.0396} = \frac{0.01960. + 0.020}{0.0396}$$

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Gradient descent with momentum



Implementation details

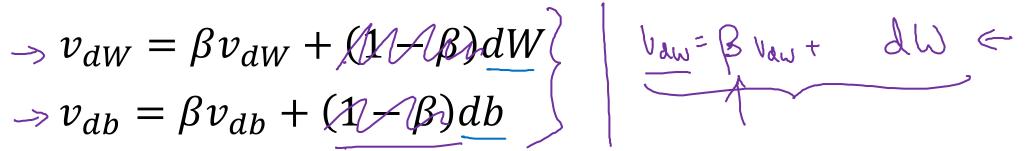
On iteration t:

Compute dW, db on the current mini-batch

$$v_{dW} = \beta v_{dW} + M \beta dW$$

$$v_{db} = \beta v_{db} + (1 - \beta)db$$

$$W = W - \alpha v_{dW}, \ b = b - \alpha v_{db}$$

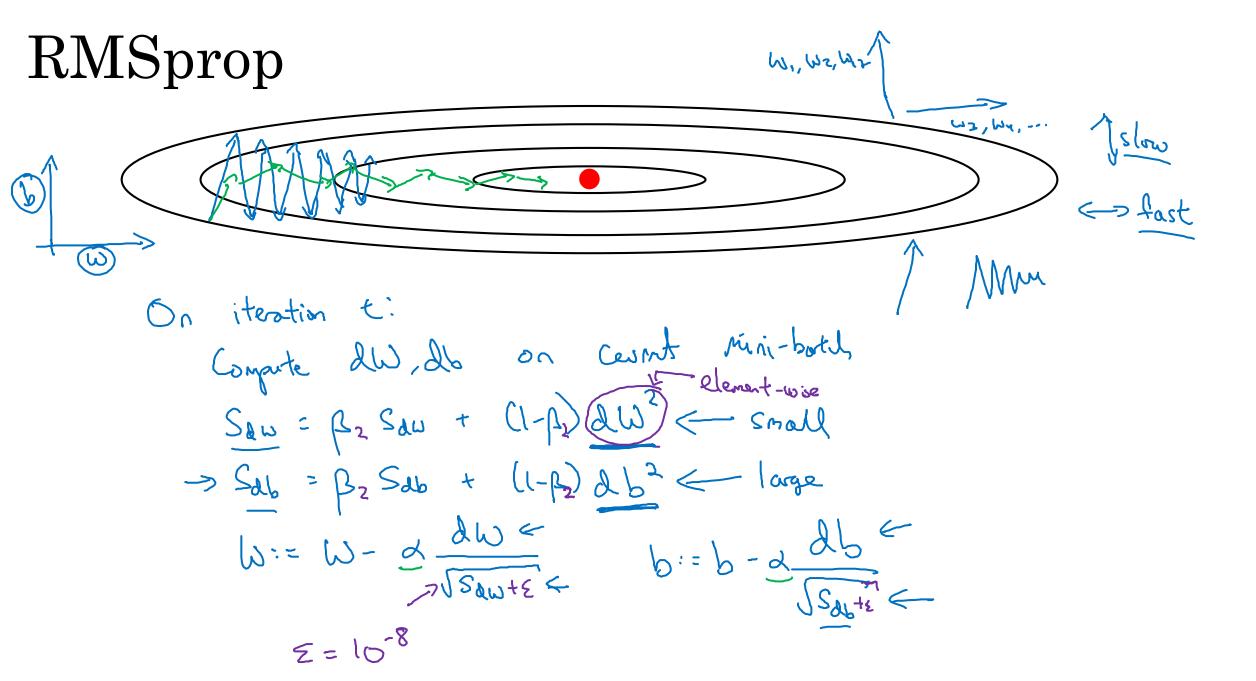


Hyperparameters:
$$\alpha, \beta$$

$$\beta = 0.9$$
Overlose on lost 100 graduits



RMSprop





Adam optimization algorithm

Adam optimization algorithm

Hyperparameters choice:

$$\rightarrow$$
 d: needs to be tune
 \rightarrow β_i : 0.9 \rightarrow (dw)
 \rightarrow β_2 : 0.999 \rightarrow (dw²)
 \rightarrow Σ : 10-8

Adam: Adaptiv moment estimation

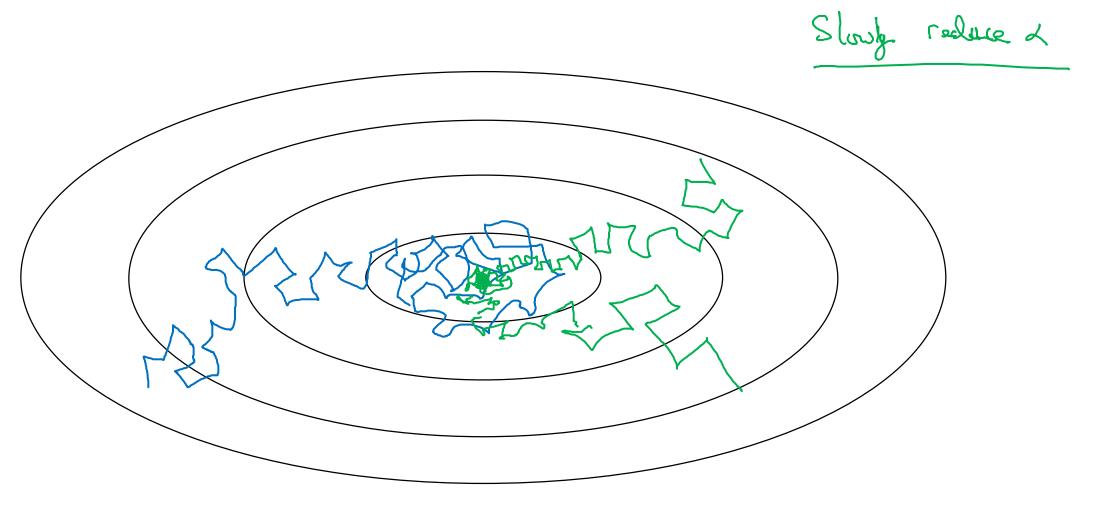


Adam Coates

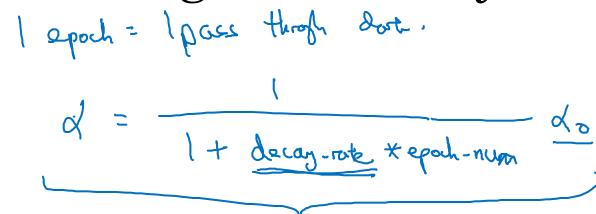


Learning rate decay

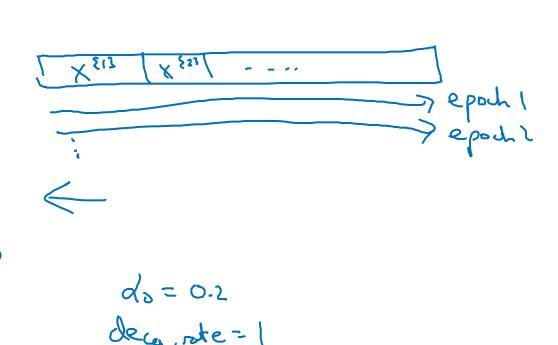
Learning rate decay

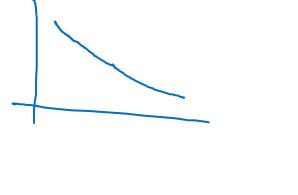


Learning rate decay

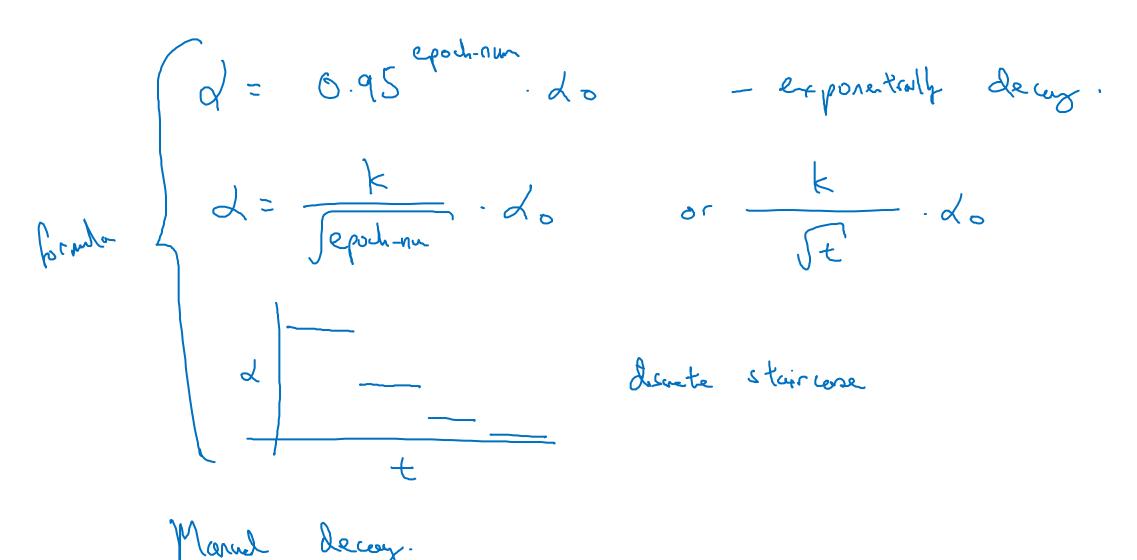


Epoch	2
	0.1
2	0.67
3	6.5
4	0.4
•	-





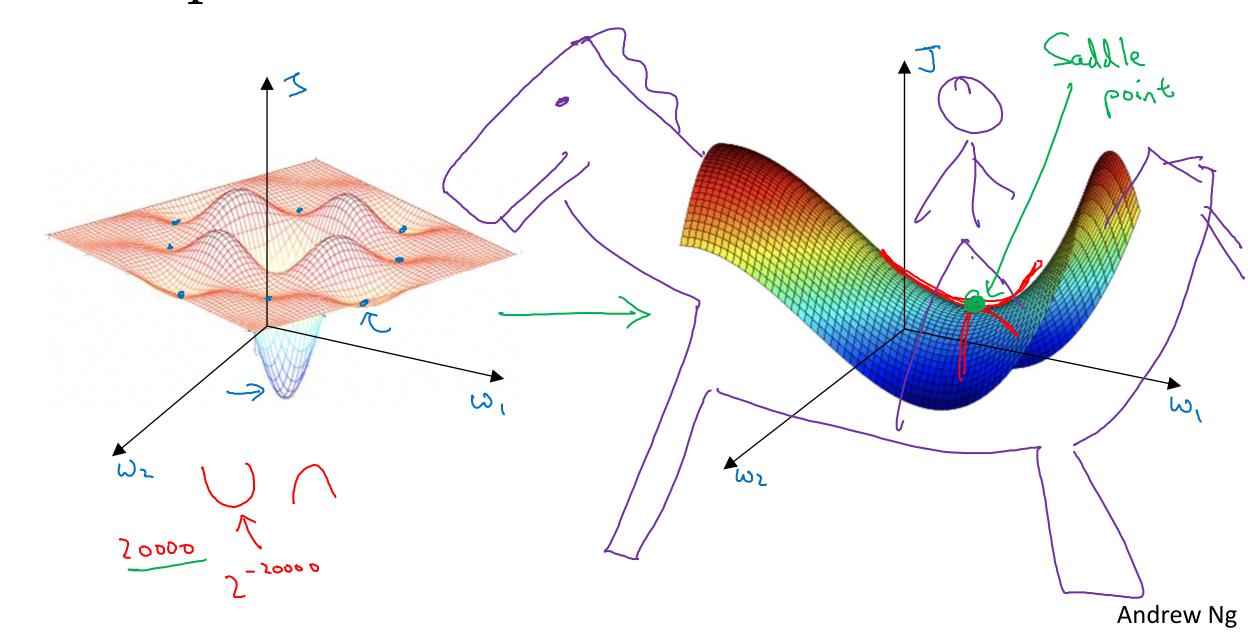
Other learning rate decay methods



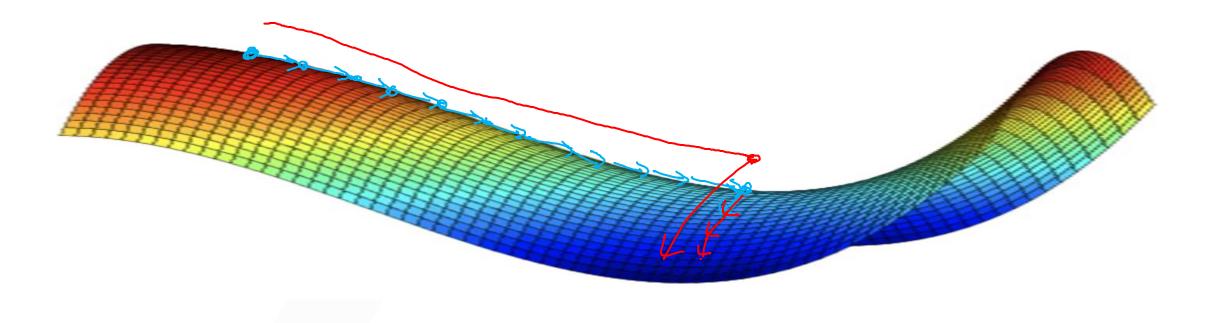


The problem of local optima

Local optima in neural networks



Problem of plateaus



- Unlikely to get stuck in a bad local optima
- Plateaus can make learning slow