

deeplearning.ai

## Setting up your ML application

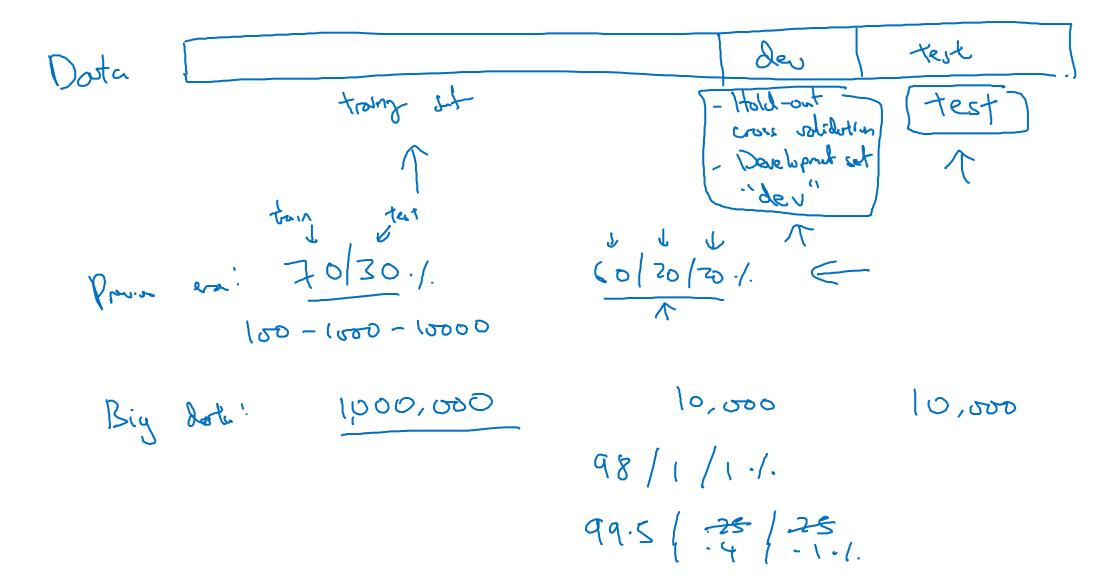
Train/dev/test sets

### Applied ML is a highly iterative process

Idea # layers # hidden units learning rates activation functions Experiment Code

NLP, Vision, Speech, Structural dorta Ads Search Security logistic ....

#### Train/dev/test sets



#### Mismatched train/test distribution

Corts

Dev/test sets: Training set: Cat pictures from Cat pictures from? users using your app webpages -> Make sure des al test come from some distibution. tran / der

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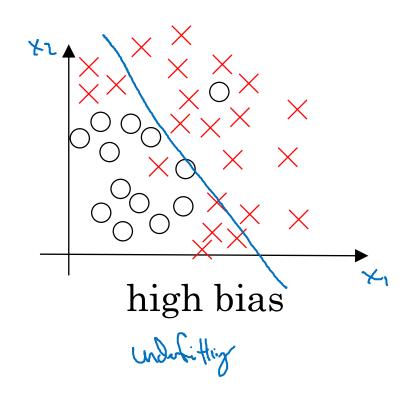
Not having a test set might be okay. (Only dev set.)

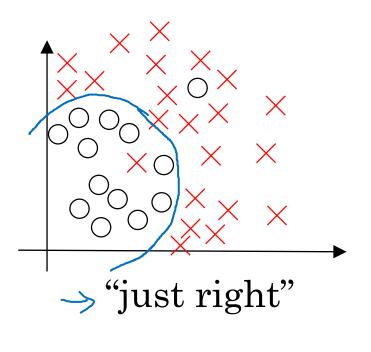


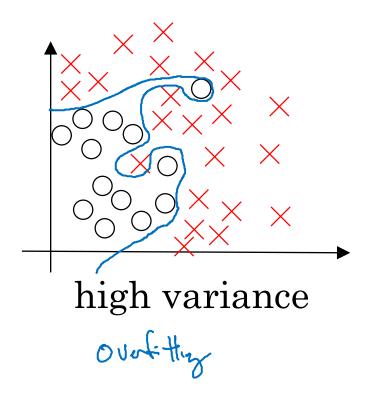
## Setting up your ML application

### Bias/Variance

#### Bias and Variance





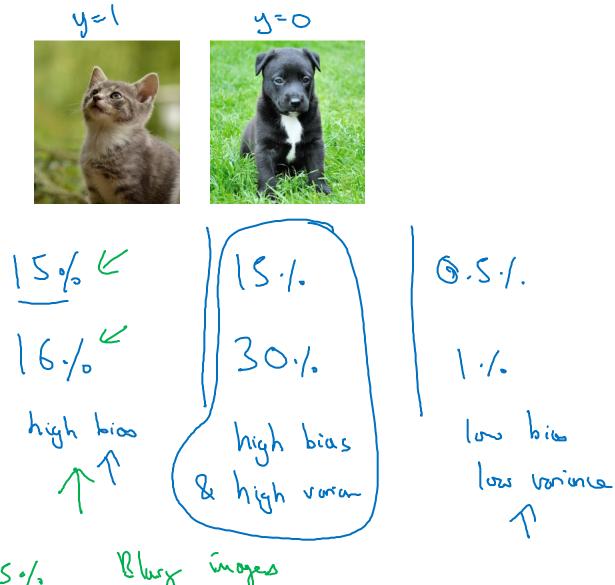


#### Bias and Variance

Train set error:

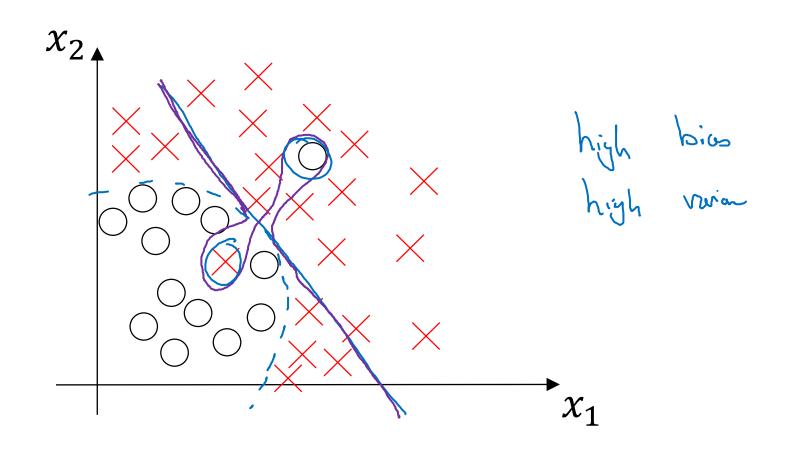
Dev set error

Cat classification



Optul (Bayes) error : 1/2 Bto 15%. Blury inages

#### High bias and high variance



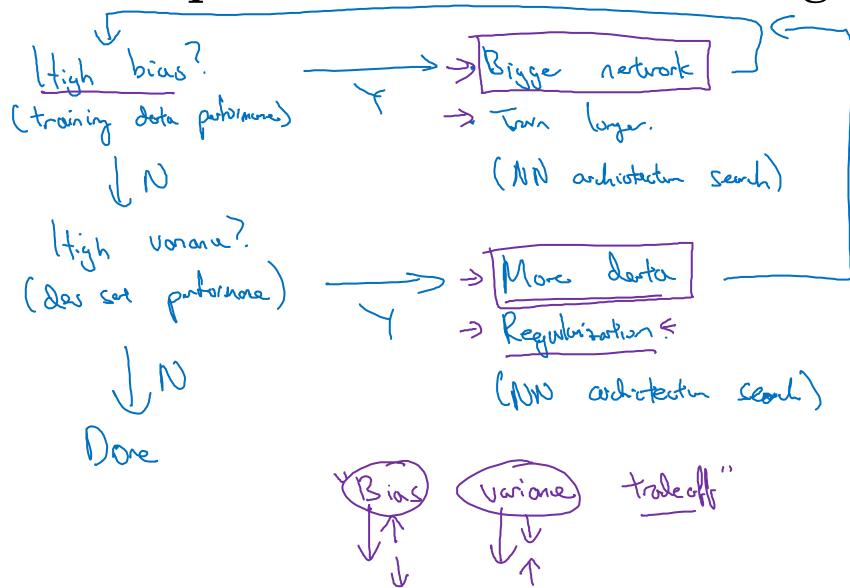


## Setting up your ML application

# Basic "recipe" for machine learning

Basic "recipe" for machine learning

Basic recipe for machine learning



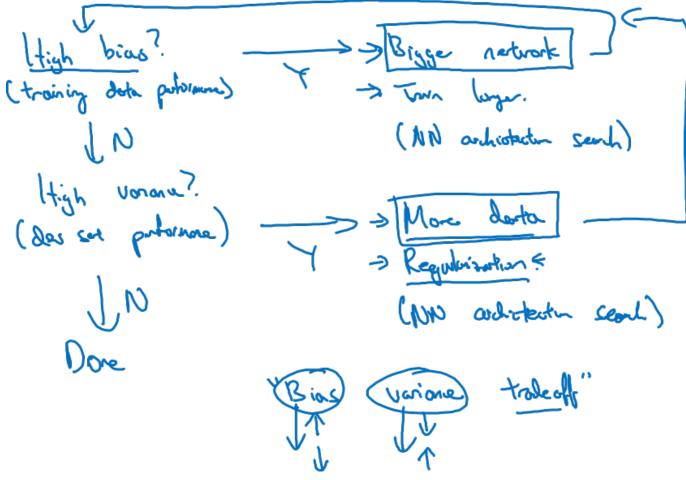


### Setting up your ML application

Basic "recipe" for machine learning

#### Basic "recipe" for machine learning

Basic recipe for machine learning



Andrew



### Regularizing your neural network

### Regularization

### Logistic regression

$$\min_{w,b} J(w,b) \qquad \qquad \omega \in \mathbb{R}^{n_{x}}, b \in \mathbb{R} \qquad = regularization \qquad parameter$$

$$J(\omega,b) = \lim_{n \to \infty} J(x_{y},y_{y}) + \lim_{n \to \infty} ||\omega||_{2}^{2} + \lim_{n \to \infty} b^{2}$$

$$\lim_{n \to \infty} J(x_{y},b) = \lim_{n \to \infty} J(x_{y},y_{y}) + \lim_{n \to \infty} ||\omega||_{2}^{2} + \lim_{n \to \infty} b^{2}$$

$$\lim_{n \to \infty} J(x_{y},b) = \lim_{n \to \infty} J(x_{y},y_{y}) + \lim_{n \to \infty} J(x_{y},y_{y}) + \lim_{n \to \infty} J(x_{y},y_{y}) = \lim_{n \to \infty} J(x$$

#### Neural network

Neural network

$$\int (\omega^{r0}, b^{r0}, ..., \omega^{r0}, b^{r0}) = \int_{\infty}^{\infty} \int_{\infty}^{\infty} \int_{\infty}^{\infty} (y^{i}, y^{i}) + \int_{\infty}^{\infty} \int_{\infty}^{\infty} ||\omega^{r0}||_{F}^{2}$$

$$||\omega^{r0}||_{F}^{2} = \sum_{i=1}^{\infty} \sum_{j=1}^{\infty} (\omega_{ij}^{i0})^{2} \qquad ||\omega^{r0}||_{E}^{2}$$

$$\frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \partial \omega^{r0}$$

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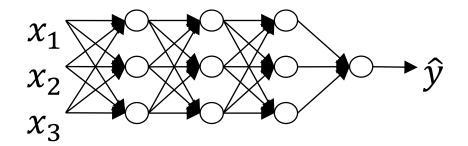
$$\frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}}$$

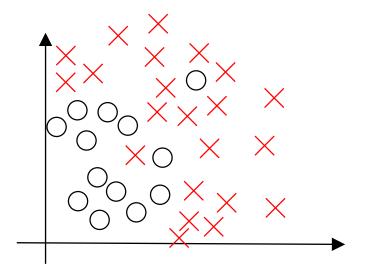
$$\frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}}$$

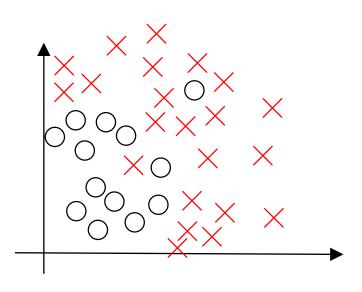
$$\frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \frac{\partial \omega^{r0}}{\partial \omega^{r0}} + \frac{\partial \omega^{r0}}{\partial \omega^{r0}}$$

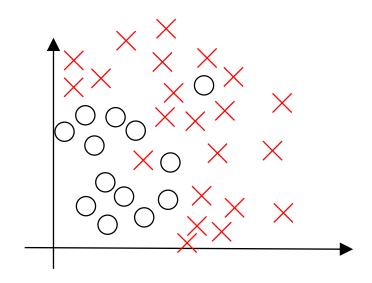
$$\frac{\partial \omega^{r0}}{\partial \omega^{r0}} = \frac{\partial \omega^{r$$

### How does regularization prevent overfitting?









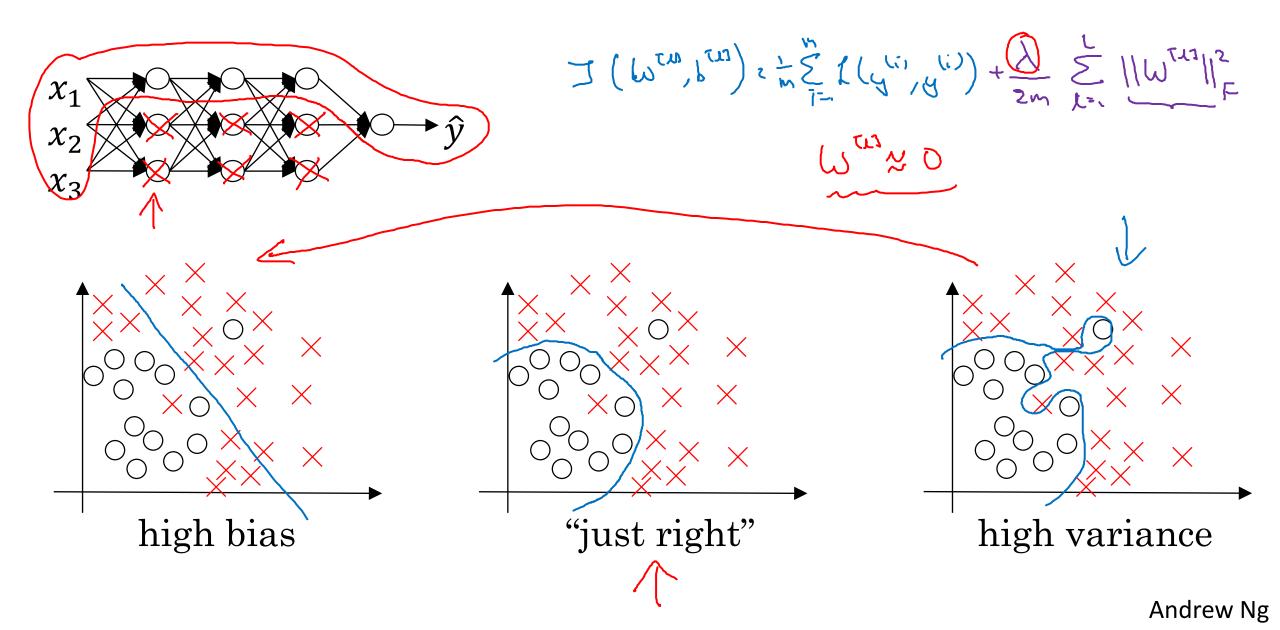
How does regularization prevent overfitting?



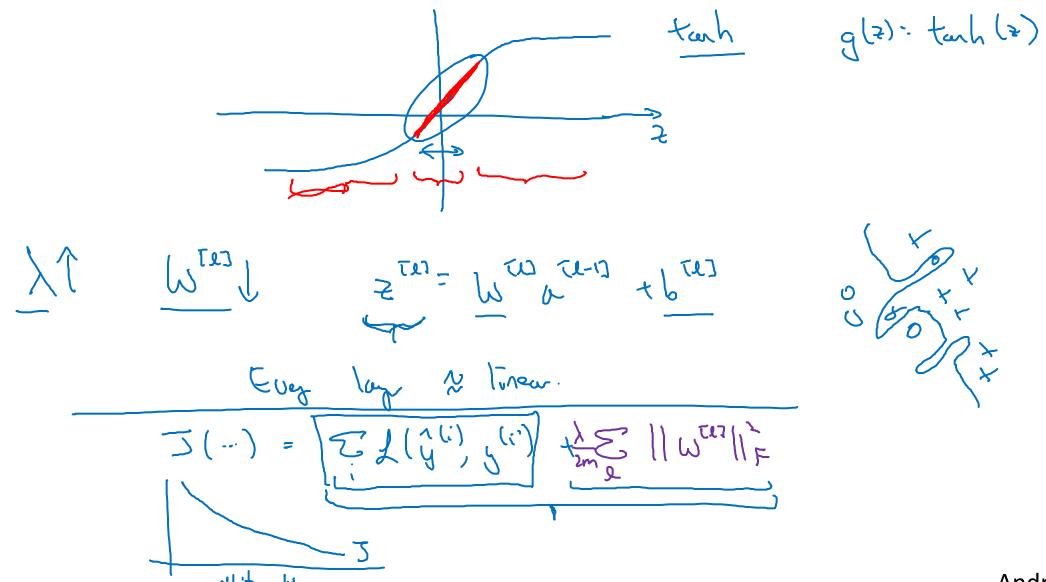
### Regularizing your neural network

Why regularization reduces overfitting

### How does regularization prevent overfitting?



### How does regularization prevent overfitting?

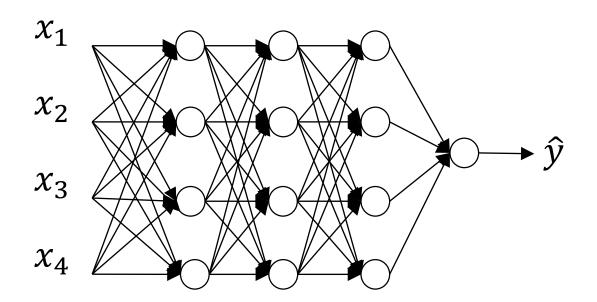




### Regularizing your neural network

# Dropout regularization

#### Dropout regularization





### Implementing dropout ("Inverted dropout")

Illustre with lay 
$$l=3$$
. teep-prob=  $0.8$ 
 $3 = np$ . random. rand (a3. shape  $70.7$ , a3. shape  $70.7$ ) < keep-prob

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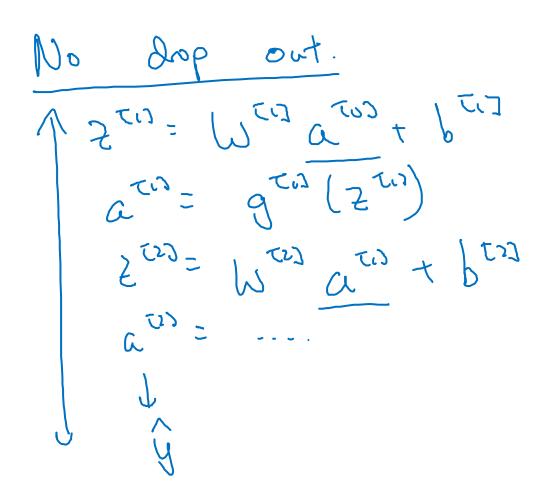
 $3 = np$ . multiply (a2, d3) | # a3 \* = d3.

 $3 = np$ . multiply (a2, d3) | # a3 \* = d3.

 $3 = np$ . multiply (a2, d3) | # a3 \* = d3.

 $3 = np$ . multiply (a2, d3) | # a3 \* =

#### Making predictions at test time



/= keap-pols

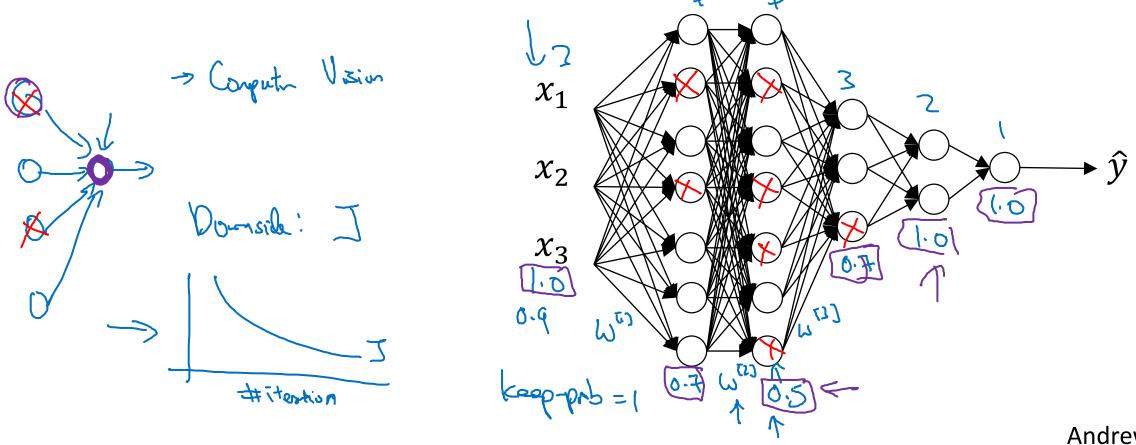


### Regularizing your neural network

# Understanding dropout

### Why does drop-out work?

Intuition: Can't rely on any one feature, so have to spread out weights. Shrink weights.

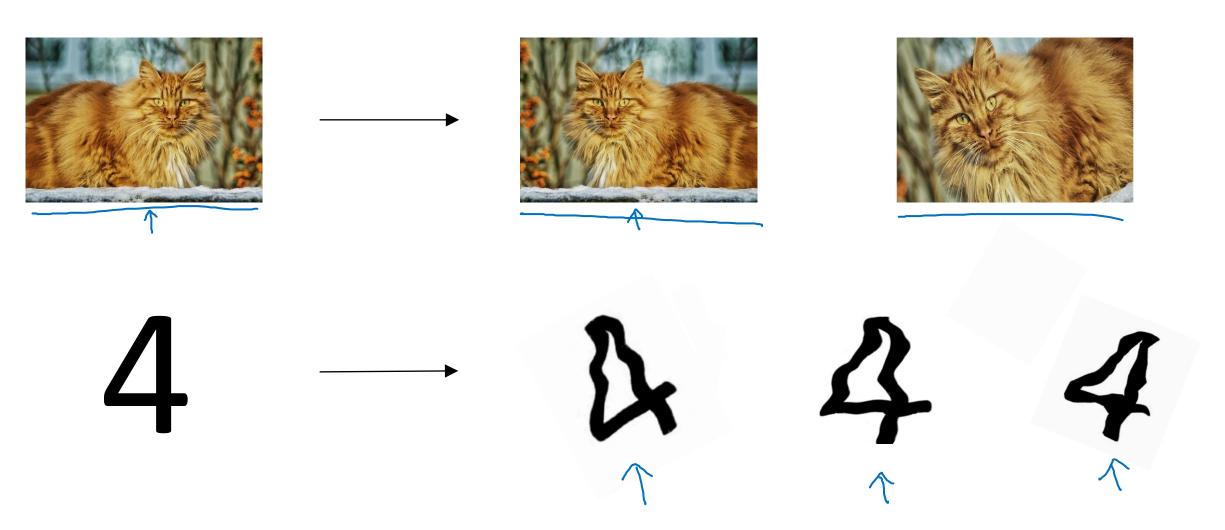


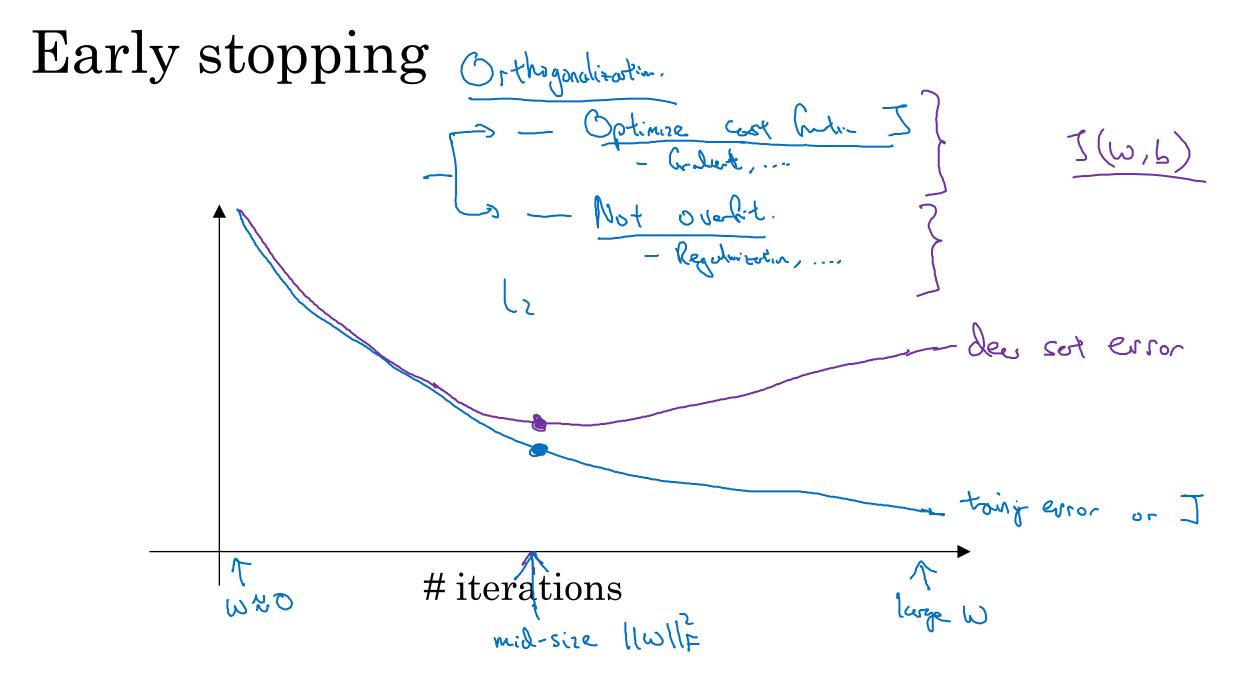


### Regularizing your neural network

# Other regularization methods

#### Data augmentation



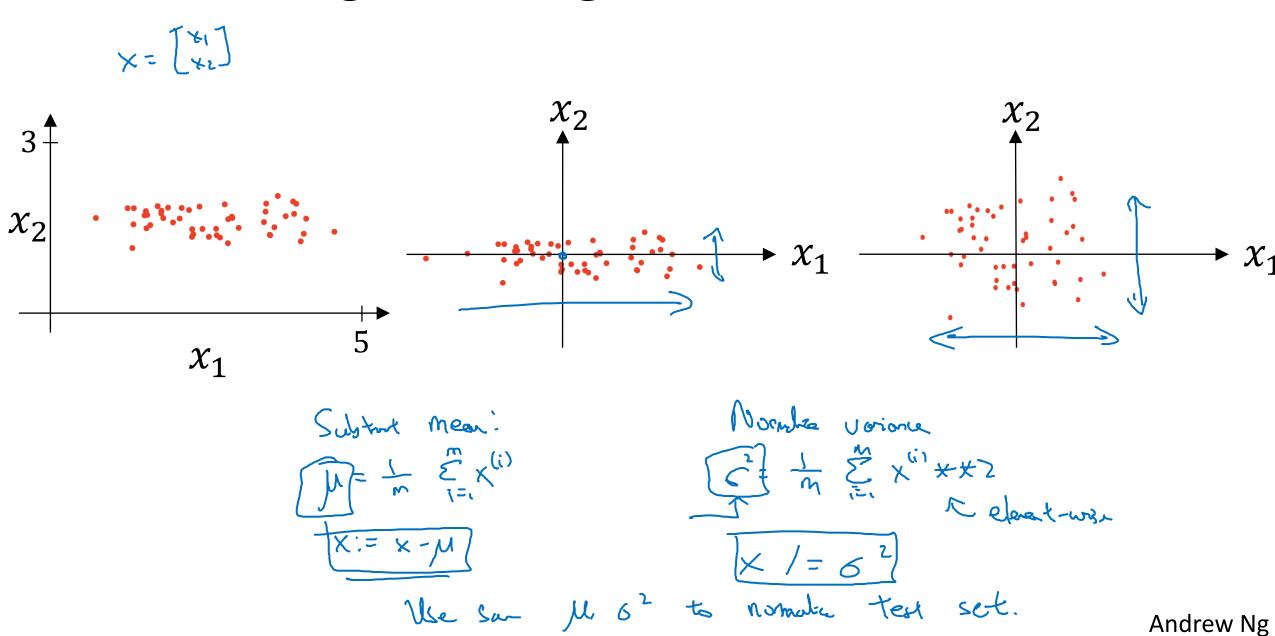




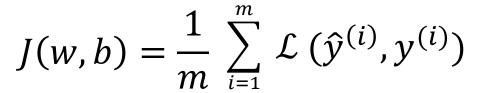
## Setting up your optimization problem

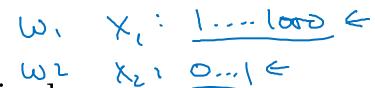
### Normalizing inputs

#### Normalizing training sets

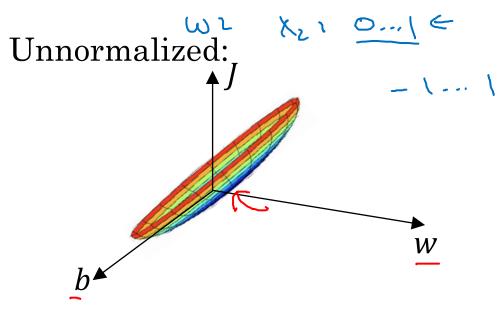


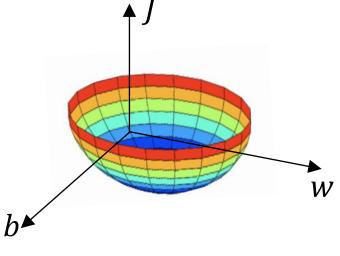
### Why normalize inputs?

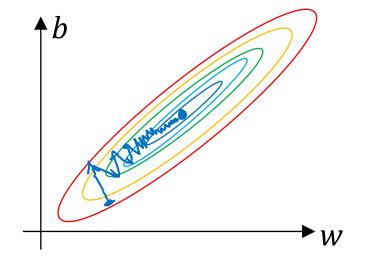




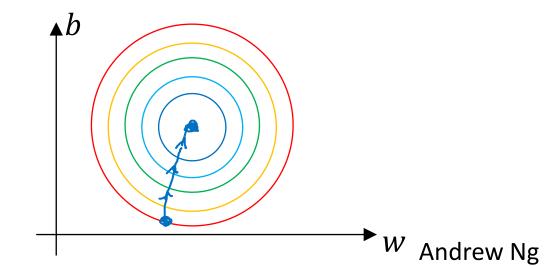








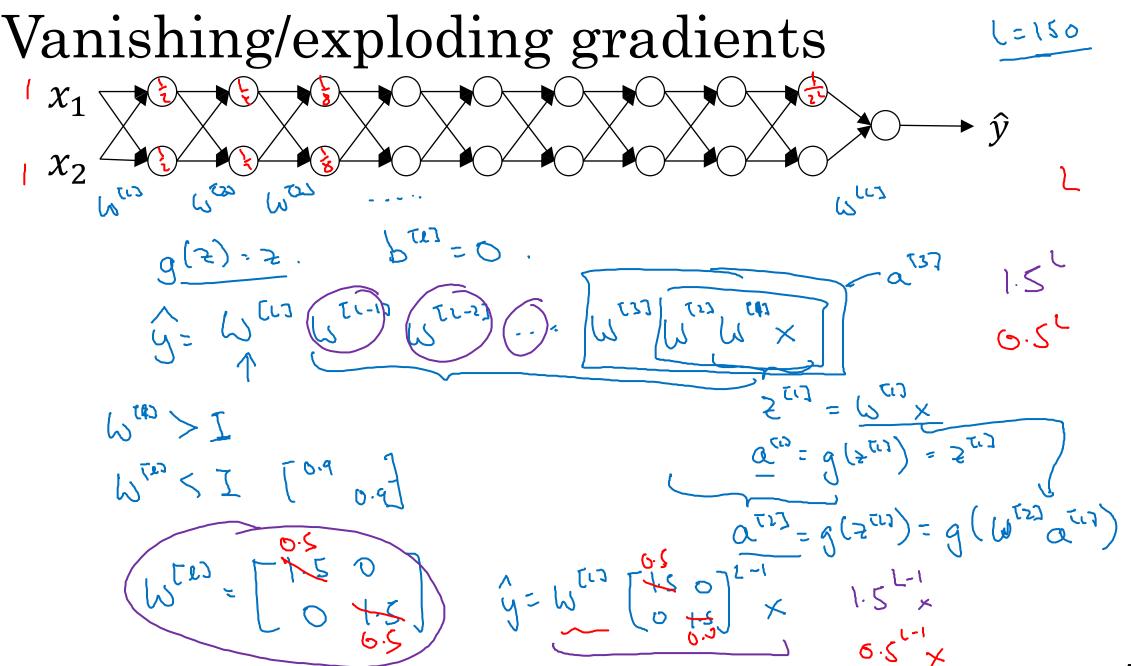
$$x_{2}: -1 - 1$$
 $x_{3}: -2$ 



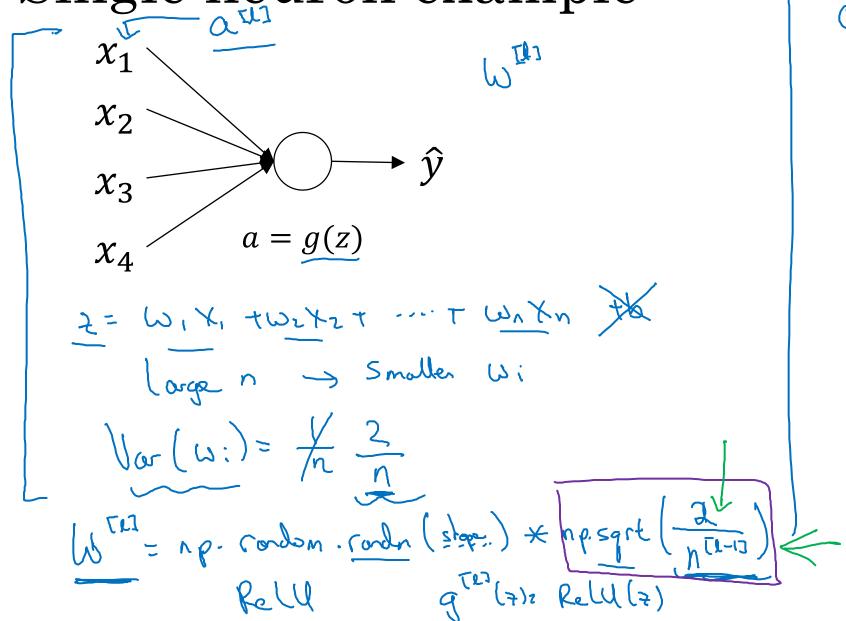


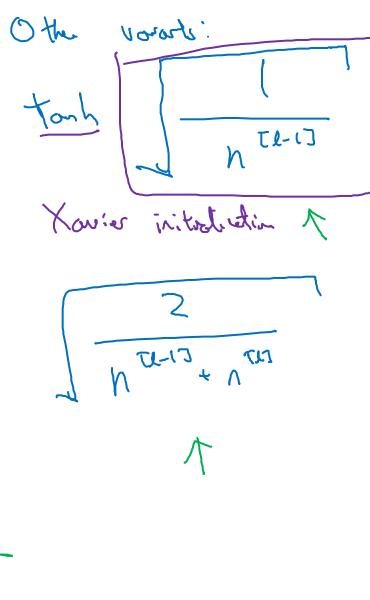
## Setting up your optimization problem

# Vanishing/exploding gradients



Single neuron example



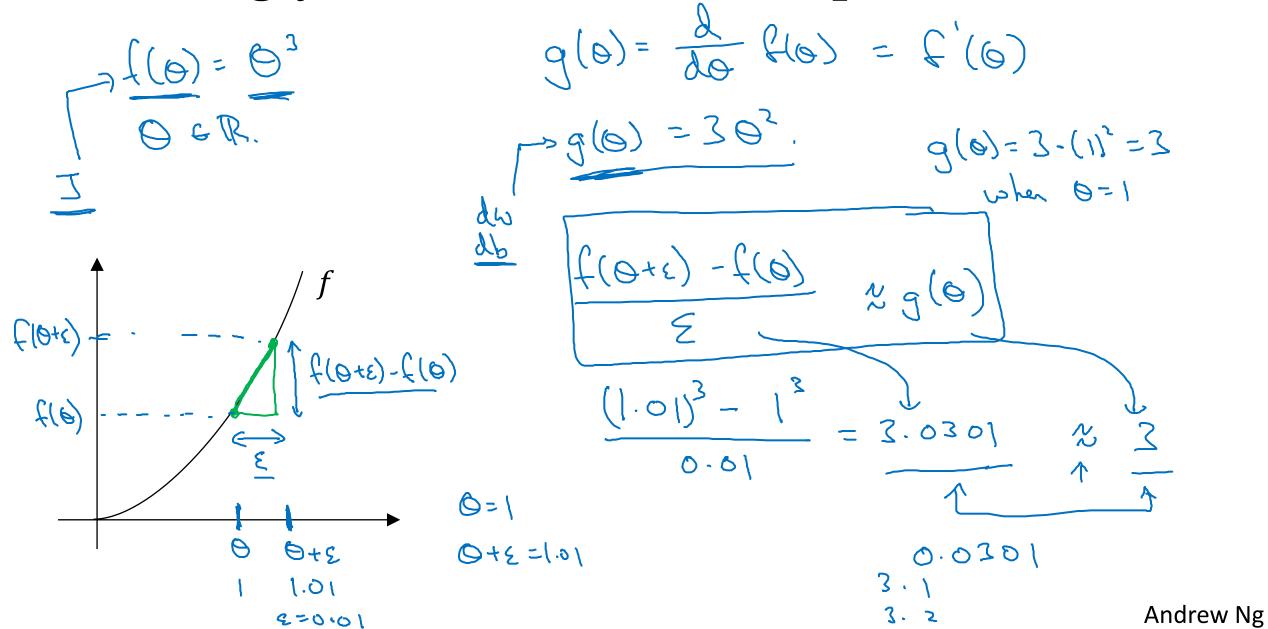




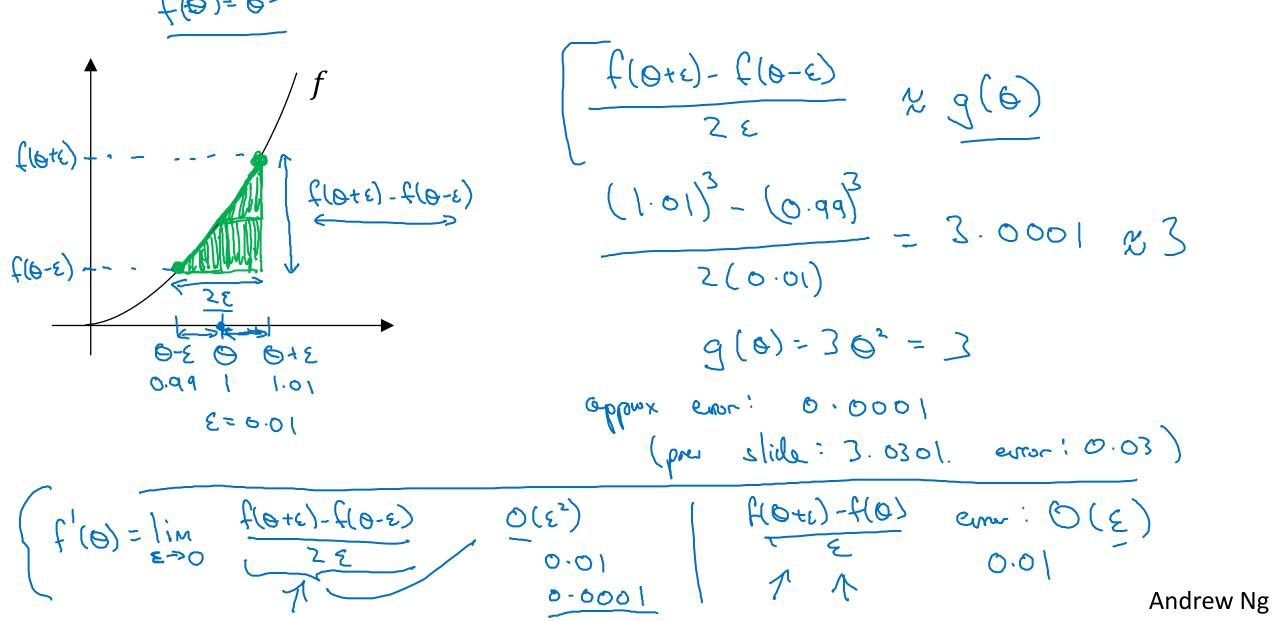
## Setting up your optimization problem

Numerical approximation of gradients

#### Checking your derivative computation



### Checking your derivative computation





## Setting up your optimization problem

### Gradient Checking

#### Gradient check for a neural network

Take  $W^{[1]}$ ,  $b^{[1]}$ , ...,  $W^{[L]}$ ,  $b^{[L]}$  and reshape into a big vector  $\theta$ .  $\mathcal{J}(\omega^{CO}, b^{CO}, \omega^{CO})^2 = \mathcal{J}(\theta)$ 

Take  $dW^{[1]}, db^{[1]}, ..., dW^{[L]}, db^{[L]}$  and reshape into a big vector  $d\theta$ .

Is do the gradet of J(0)?

### Gradient checking (Grad check)

for each 
$$\bar{c}$$
:

 $\Rightarrow \underline{Mogpar}[\bar{c}] = \underline{J(0_{1},0_{2},...,0_{1}+\epsilon_{1},...)} - \underline{J(0_{1},0_{2},...,0_{1}-\epsilon_{1},...)}$ 
 $\Rightarrow \underline{Mogpar}[\bar{c}] = \underline{JJ}$ 
 $& \underline{Mocili = 3J}$ 
 $& \underline{Mocili = 3J}$ 



## Setting up your optimization problem

## Gradient Checking implementation notes

### Gradient checking implementation notes

- Don't use in training – only to debug

- If algorithm fails grad check, look at components to try to identify bug.

- Remember regularization.

- Doesn't work with dropout.

- Run at random initialization; perhaps again after some training.

