

## ▪ Support Vector Machine

Support vector machines are simply classifiers that are used to draw a line that best separates different classes of data. Larger dimensions “hyperplane” and the objective is to find a hyperplane which helps us to increase the margin between the classes.

The use of kernel functions allows the user to apply a classifier to data that have no obvious fixed-dimensional vector space representation.

It works on the principle of the margin from the support vectors which are called as ‘hyperplane’.

## ▪ Support Vector

Support vectors are the data points that lie closest to the decision surface (or hyperplane) .

## ▪ Difference between One-vs-One and One-vs-All method

The difference is the number of classifiers you have to learn, which strongly correlates with the decision boundary they create.

One vs all strategy involves training a single classifier per class, with the samples of that class as positive samples and all other samples as negatives. This strategy requires the base classifiers to produce a real-valued confidence score for its decision, rather than just a class label; discrete class labels alone can lead to ambiguities, where multiple classes are predicted for a single sample.

In pseudocode, the training algorithm for an OvA learner constructed from a binary classification learner  $L$  is as follows:

Inputs:

- $L$ , a learner (training algorithm for binary classifiers)
- samples  $X$
- labels  $y$  where  $y_i \in \{1, \dots, K\}$  is the label for the sample  $X_i$

Output:

- a list of classifiers  $f_k$  for  $k \in \{1, \dots, K\}$

Procedure:

- For each  $k$  in  $\{1, \dots, K\}$ 
  - Construct a new label vector  $z$  where  $z_i = 1$  if  $y_i = k$  and  $z_i = 0$  otherwise
  - Apply  $L$  to  $X, z$  to obtain  $f_k$

Making decisions means applying all classifiers to an unseen sample  $x$  and predicting the label  $k$  for which the corresponding classifier reports the highest confidence score:

In the one-vs.-one (OvO) reduction, one trains  $K(K-1)/2$  binary classifiers for a  $K$ -way multiclass problem; each receives the samples of a pair of classes from the original training set, and must learn to distinguish these two classes. At prediction time, a voting scheme is applied: all  $K(K-1)/2$  classifiers are applied to an unseen sample and the class that got the highest number of "+1" predictions gets predicted by the combined classifier.

#### ▪ Dependencies

<https://pypi.org/project/mlxtend/>- mlxtend package

<https://pypi.org/project/graphviz/>- Graphviz

#### ▪ Criteria for selecting the two attributes.

For selection of the attributes we are implanting chi square test. chi-squared test assumes that a null hypothesis and an another hypothesis. If its less than 0.05 then we reject the hypothesis as null hypothesis

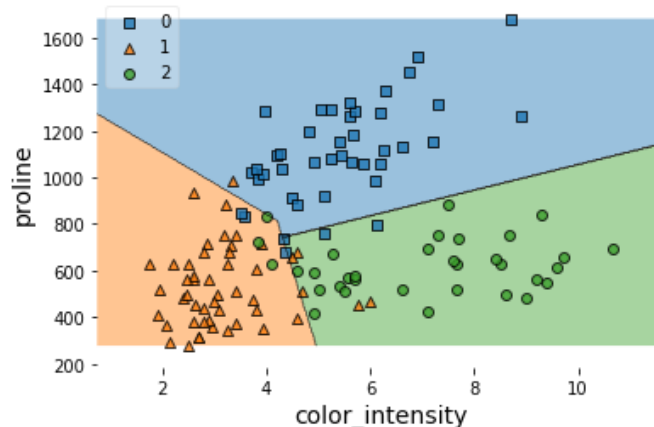
#### ▪ SVM- Linear :

They are supervised learning models with associated learning algorithms that analyze data used for classification and regression analysis. Given a set of training examples, each marked as belonging to one or the other of two categories, an SVM training algorithm builds a model that assigns new examples to one category or the other, making it a non-probabilistic binary linear classifier (although methods such as Platt scaling exist to use SVM in a probabilistic classification setting). An SVM model is a representation of

the examples as points in space, mapped so that the examples of the separate categories are divided by a clear gap that is as wide as possible. New examples are then mapped into that same space and predicted to belong to a category based on which side of the gap they fall.

### 2D projection

support vector machines Decision Region Boundary using linear kernel function

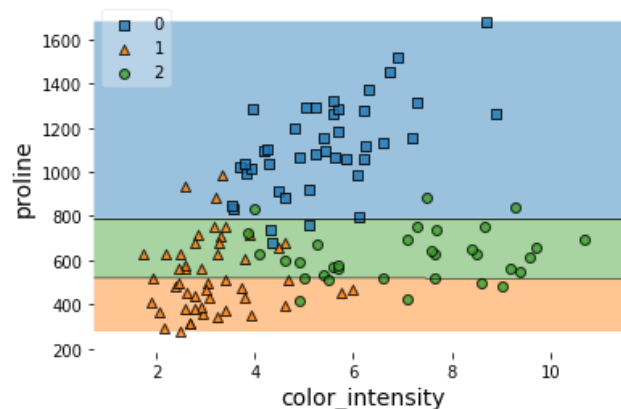


### ■ SVM Non-Linear( Round Bassein Function)

Perform binary classification using non-linear SVC with RBF kernel. The target to predict is a XOR of the inputs.

### 2DProjection

support vector machines Decision Region Boundary using non-linear kernel function

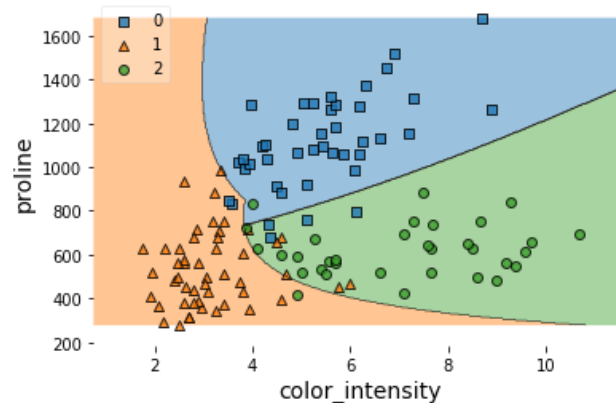


### ■ SVM- Polynomial (Degree-3)

The **polynomial kernel** is a [kernel function](#) commonly used with [support vector machines](#) (SVMs) and other [kernelized](#) models, that represents the similarity of vectors (training samples) in a feature space over polynomials of the original variables, allowing learning of non-linear models.

### 2D- Projection

support vector machines Decision Region Boundary using polynomial kernel function



#### ▪ Observation:

Linear support vector machine gives higher precision, fscore and recall values than the non linear RBF and polynomial.

The gamma parameter defines how far the influence of a single training example reaches, with low values meaning 'far' and high values meaning 'close'. Where as high gamma means the points close to plausible line are considered in calculation.

In-General SVMs are great for:

- Small to medium data sets perform only.
- When the data set has more noise i.e. overlapping more of data, SVM is very bad in terms of handling it.
- It is quite memory efficient and also extremely fast prediction.

An important point to note is that the SVM doesn't directly provide probability estimates, these are calculated using an expensive cross-validation in sklearn implementation.

### ▪ **References**

<http://scikit-learn.org/stable/modules/generated/sklearn.svm.SVC.html>

<https://rasbt.github.io/mlxtend/>

<http://scikit-learn.org/stable/modules/svm.html>

[https://en.wikipedia.org/wiki/Support vector machine](https://en.wikipedia.org/wiki/Support_vector_machine)

[https://en.wikipedia.org/wiki/Polynomial kernel](https://en.wikipedia.org/wiki/Polynomial_kernel)