

# Exploration into Dominant Colours

required libraries

```
In [1]: # pip install opencv-python  
# pip install sklearn
```

```
In [2]: import cv2  
import numpy as np  
import matplotlib.pyplot as plt  
from sklearn.cluster import KMeans  
import os  
import sys  
  
%matplotlib inline
```

## Pre-Processing

```
In [3]: img_path = 'test.jpg'

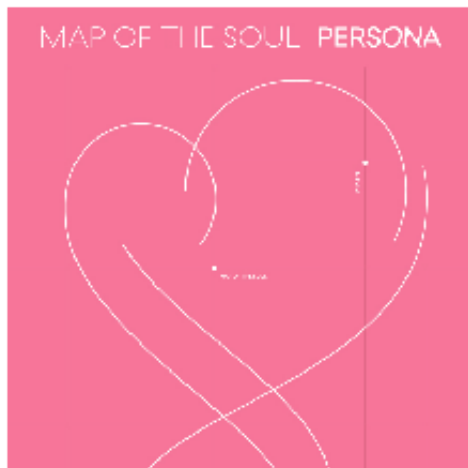
img = cv2.imread(img_path)
img = cv2.cvtColor(img, cv2.COLOR_BGR2RGB)

plt.axis("off")
plt.imshow(img)
img_shape = img.shape
print('dimensions of image:', img.shape)

# might want to resize particularly large image to save on processing
# https://www.tutorialkart.com/opencv/python/opencv-python-resize-image/

# dimension reduction
img = img.reshape(img.shape[0]*img.shape[1], 3)
print('dimensions of flattened image:', img.shape)
```

```
dimensions of image: (638, 640, 3)
dimensions of flattened image: (408320, 3)
```



## Getting k dominant colours from image

```
In [4]: # set number of dominant colours to get (k)
k = 2

km = KMeans(n_clusters=k) #cluster number
km.fit(img)
# print(km.cluster_centers_)

# clusters are the dominant colours kmeans derived## Getting k domi
## Getting k dominant colours from image
# convert floats to int cos RGB values need to be int
colours = [c.astype("uint8").tolist() for c in km.cluster_centers_]
colours
```

```
Out[4]: [[246, 117, 153], [253, 234, 239]]
```

## Displaying Dominant Colours

As a horizontal bar with squares of each colour

```
In [5]: bar = np.zeros((50, (50*k), 3), dtype="uint8")

for c in range(0, len(colours)):
    bar[:, c*50:50*(c+1)] = colours[c]

plt.axis("off")
plt.imshow(bar)
plt.show()
```



Show dominant colours in a bar relative to each other

Code adapted from [Finding Dominant Colour on an Image](https://code.likeagirl.io/finding-dominant-colour-on-an-image-b4e075f98097)  
(<https://code.likeagirl.io/finding-dominant-colour-on-an-image-b4e075f98097>)

```
In [6]: num_labels = np.arange(0, len(np.unique(km.labels_)) + 1)
(hist, _) = np.histogram(km.labels_, bins=num_labels)
hist = hist.astype("float")
hist /= hist.sum()
# print(hist)

bar = np.zeros((50, 300, 3), dtype="uint8")
startX = 0

for (percent, color) in zip(hist, km.cluster_centers_):
    # plot the relative percentage of each cluster
    endX = startX + (percent * 300)
    cv2.rectangle(bar, (int(startX), 0), (int(endX), 50), color.astype(
startX = endX

plt.axis("off")
plt.imshow(bar)
plt.show()
```

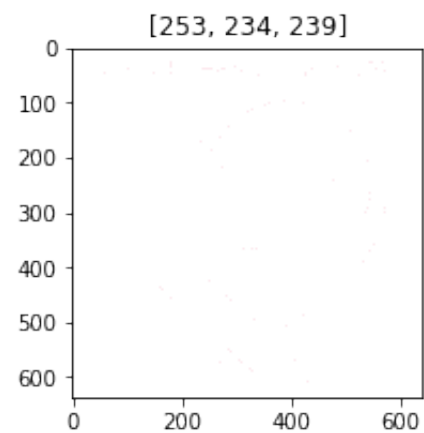
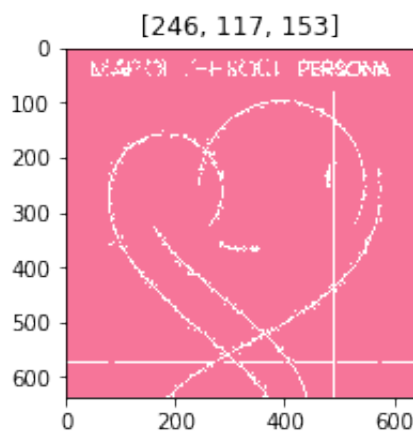


Display where the top 3 colours appear in the picture

```
In [7]: image = cv2.imread(img_path)
image = cv2.cvtColor(image, cv2.COLOR_BGR2RGB)

fig, axs = plt.subplots(1, k, figsize=(10, 3))

for ax, colour in zip(axs, colours):
    dis = np.zeros(image.shape, dtype='uint8')
    dis[:, :] = [255, 255, 255]
    locs = np.where(image == colour)
    r = locs[0]
    c = locs[1]
    dis[r, c] = colour
    ax.imshow(dis)
    ax.set_title(colour)
```



## Determining k (number of clusters)

### 1. Elbow Method

The inflexion point is the ideal k (number of clusters)

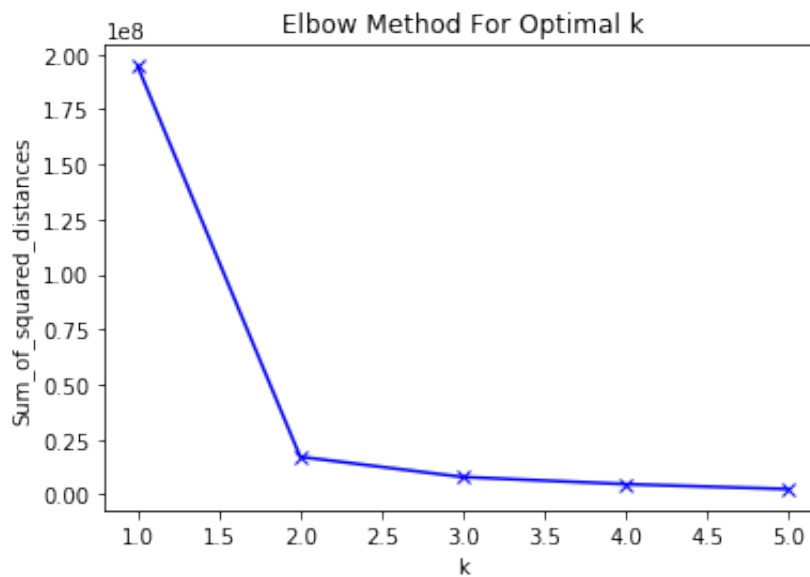
```
In [8]: Sum_of_squared_distances = []

# set range from 1 to 5
K = range(1,6)
for k in K:
    km = KMeans(n_clusters=k)
    km = km.fit(img)
    Sum_of_squared_distances.append(km.inertia_)

Sum_of_squared_distances
```

```
Out[8]: [194624434.9568451,
         17094607.792900644,
         7907316.230975548,
         4681954.77159543,
         2428433.4368034485]
```

```
In [9]: plt.plot(K, Sum_of_squared_distances, 'bx-')
plt.xlabel('k')
plt.ylabel('Sum_of_squared_distances')
plt.title('Elbow Method For Optimal k')
plt.show()
```



## 2. Silhouette Coefficient

- measure of how similar an object is to its own cluster (cohesion) compared to other clusters (separation)
- Measure has range [-1, 1]
  - near +1: sample far away from neighbouring samples
  - 0: sample on / very close to decision boundary between 2 neighbouring clusters
  - -ve: samples might have been assigned to the wrong cluster

## References

- [Selecting the number of clusters with silhouette analysis on KMeans clustering \(https://scikit-learn.org/stable/auto\\_examples/cluster/plot\\_kmeans\\_silhouette\\_analysis.html\)](https://scikit-learn.org/stable/auto_examples/cluster/plot_kmeans_silhouette_analysis.html)

```
In [10]: import sklearn

# set range from 2 to 5 (cannot have 1 cluster cos silhouette score
K = range(2,6)
sil_scores = list()

# use 1% of original image (to save time)
sample_size_to_test = int(img.shape[0]*0.01)
print('sample size:', sample_size_to_test)

for k in K:
    km = KMeans(n_clusters=k)
    # km.fit(img)
    labels = km.fit_predict(img)
    # print(labels)
    sil_sc = sklearn.metrics.silhouette_score(img, labels, sample_s
    sil_scores.append(sil_sc)
    print('K =', k, ', silhouette score =', sil_sc)

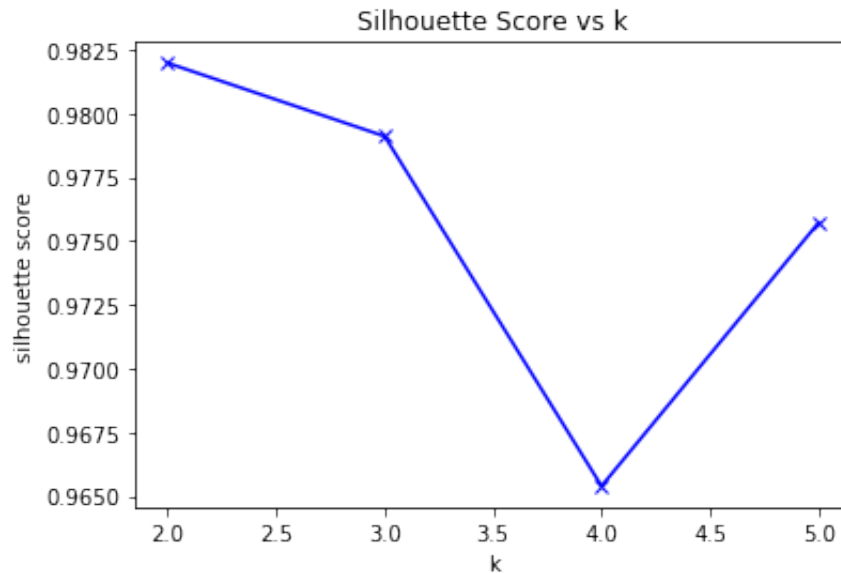
sil_scores

sample size: 4083
K = 2 , silhouette score = 0.9819779276712046
K = 3 , silhouette score = 0.9791070221268937
K = 4 , silhouette score = 0.965393646537505
K = 5 , silhouette score = 0.9757161756476114

Out[10]: [0.9819779276712046, 0.9791070221268937, 0.965393646537505, 0.9757
161756476114]
```

```
In [11]: plt.plot(K, sil_scores, 'bx-')
plt.xlabel('k')
plt.ylabel('silhouette score')
plt.title('Silhouette Score vs k')
plt.show()

Optimal_NumberOf_Components = K[sil_scores.index(max(sil_scores))]
print ("Optimal number of components:", Optimal_NumberOf_Components)
```



Optimal number of components: 2

In [ ]: