

聚类——FCM的matlab程序

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在[聚类——FCM](#)文章中已介绍了FCM算法的理论知识，现在用matlab进行实现。

1.matlab程序

FCM_main.m

```
function [ave_acc_FCM,max_acc_FCM,min_acc_FCM,ave_iter_FCM,ave_run_time]=FCM_main(X,real_label,K)
%输入K:聚的类，max_iter是最大迭代次数
%输出ave_acc_FCM: 迭代max_iter次之后的平均准确度
t0=cputime;
s=0;
s_l=0;
max_iter=20; %重复max_iter次
accuracy=zeros(max_iter,1);
iter_FCM_t=zeros(max_iter,1);
%对data做最大-最小归一化处理
% [data_num,~]=size(data);
% X=(data-ones(data_num,1)*min(data))./(ones(data_num,1)*(max(data)-min(data)));
for i=1:max_iter
    [label_l,~,iter_FCM]=My_FCM(X,K);
    iter_FCM_t(i)=iter_FCM;
    accuracy(i)=succeed(real_label,K,label_l);
    s=s+accuracy(i);
    s_l=s_l+iter_FCM_t(i);
    fprintf(' 第 %2d 次, FCM的迭代次数为: %2d, 准确度为: %.8f\n', i, iter_FCM_t(i), accuracy(i));
end
ave_iter_FCM=s_l/max_iter;
ave_acc_FCM=s/max_iter;
max_acc_FCM=max(accuracy);
min_acc_FCM=min(accuracy);
run_time=cputime-t0;
ave_run_time=run_time/max_iter;
```

My_FCM.m

```

function [label_l,para_miu_new,iter]=My_FCM(X,K)
%输入K: 聚类数
%输出: label_l:聚的类, para_miu_new:模糊聚类中心  $\mu$ , responsivity:模糊隶属度
format long
eps=1e-4; %定义迭代终止条件的eps
alpha=2; %模糊加权指数, [1,+无穷)
T=100; %最大迭代次数
fitness=zeros(T,1);
[X_num,X_dim]=size(X);
count=zeros(X_num,1); %统计distant中每一行为0的个数
%-----
%随机初始化K个聚类中心
rand_array=randperm(X_num); %产生1~X_num之间整数的随机排列
para_miu=X(rand_array(1:K),:); %随机排列取前K个数, 在X矩阵中取这K行作为初始聚类中心
responsivity=zeros(X_num,K);
R_up=zeros(X_num,K);
%-----
% FCM算法
for t=1:T
    %欧氏距离, 计算  $(X-\text{para\_miu})^2 = X^2 + \text{para\_miu}^2 - 2*\text{para\_miu}*X'$ , 矩阵大小为X_num*K
    distant=(sum(X.*X,2))*ones(1,K)+ones(X_num,1)*(sum(para_miu.*para_miu,2))'-2*X*para_miu';
    %更新隶属度矩阵X_num*K
    for i=1:X_num
        count(i)=sum(distant(i,:)==0);
        if count(i)>0
            for k=1:K
                if distant(i,k)==0
                    responsivity(i,k)=1./count(i);
                else
                    responsivity(i,k)=0;
                end
            end
        else
            R_up(i,:)=distant(i,:).^(-1/(alpha-1)); %隶属度矩阵的分子部分
            responsivity(i,:)= R_up(i,:)./sum( R_up(i,:),2);
        end
    end
    %目标函数值
    fitness(t)=sum(sum(distant.*(responsivity.^(alpha))));
    %更新聚类中心K*X_dim
    miu_up=(responsivity'.^(alpha))*X; % $\mu$ 的分子部分
    para_miu=miu_up./((sum(responsivity.^(alpha)))'*ones(1,X_dim));
    if t>1
        if abs(fitness(t)-fitness(t-1))<eps
            break;
        end
    end
end

```

```

end
para_miu_new=para_miu;
iter=t; %实际迭代次数
[~,label_1]=max(responsivity,[],2);

```

succeed.m

```

function accuracy=succeed(real_label,K,id)
%输入K: 聚的类, id: 训练后的聚类结果, N*1的矩阵
N=size(id,1); %样本个数
p=perms(1:K); %全排列矩阵
p_col=size(p,1); %全排列的行数
new_label=zeros(N,p_col); %聚类结果的所有可能取值, N*p_col
num=zeros(1,p_col); %与真实聚类结果一样的个数
%将训练结果全排列为N*p_col的矩阵, 每一列为一种可能性
for i=1:N
    for j=1:p_col
        for k=1:K
            if id(i)==k
                new_label(i,j)=p(j,k); %iris数据库, 1 2 3
            end
        end
    end
end
%与真实结果比对, 计算精确度
for j=1:p_col
    for i=1:N
        if new_label(i,j)==real_label(i)
            num(j)=num(j)+1;
        end
    end
end
accuracy=max(num)/N;

```

2.在UCI数据库的iris上的运行结果

```

>> data_load=dlmread('E:\My matlab\database\iris.data');data=data_load(:,1:4);real_label=data_load(:,5);
>> [ave_acc_FCM,max_acc_FCM,min_acc_FCM,ave_iter_FCM,ave_run_time]=FCM_main(data,real_label,3)
第 1 次, FCM的迭代次数为: 33, 准确度为: 0.89333333
第 2 次, FCM的迭代次数为: 41, 准确度为: 0.89333333
第 3 次, FCM的迭代次数为: 14, 准确度为: 0.89333333
第 4 次, FCM的迭代次数为: 13, 准确度为: 0.89333333
第 5 次, FCM的迭代次数为: 16, 准确度为: 0.89333333
第 6 次, FCM的迭代次数为: 10, 准确度为: 0.89333333
第 7 次, FCM的迭代次数为: 21, 准确度为: 0.89333333

```

第 8 次, FCM的迭代次数为: 46, 准确度为: 0.89333333
第 9 次, FCM的迭代次数为: 19, 准确度为: 0.89333333
第 10 次, FCM的迭代次数为: 18, 准确度为: 0.89333333
第 11 次, FCM的迭代次数为: 17, 准确度为: 0.89333333
第 12 次, FCM的迭代次数为: 38, 准确度为: 0.89333333
第 13 次, FCM的迭代次数为: 37, 准确度为: 0.89333333
第 14 次, FCM的迭代次数为: 11, 准确度为: 0.89333333
第 15 次, FCM的迭代次数为: 22, 准确度为: 0.89333333
第 16 次, FCM的迭代次数为: 17, 准确度为: 0.89333333
第 17 次, FCM的迭代次数为: 13, 准确度为: 0.89333333
第 18 次, FCM的迭代次数为: 8, 准确度为: 0.89333333
第 19 次, FCM的迭代次数为: 13, 准确度为: 0.89333333
第 20 次, FCM的迭代次数为: 20, 准确度为: 0.89333333

```
ave_acc_FCM =  
0.8933333333333333
```

```
max_acc_FCM =  
0.8933333333333333
```

```
min_acc_FCM =  
0.8933333333333333
```

```
ave_iter_FCM =  
21.350000000000001
```

```
ave_run_time =  
0.0359375000000000
```

3. iris.data

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