

ECE 215 Spring 2025

**Objective 1.4:
Apparent and
Reactive Power**

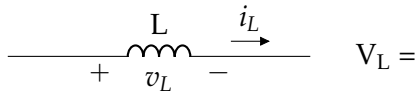


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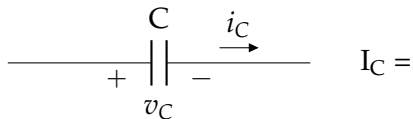
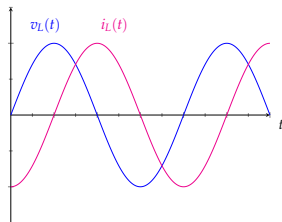
Objective 1.4

I can compute the reactive and apparent power values for an AC-powered circuit.

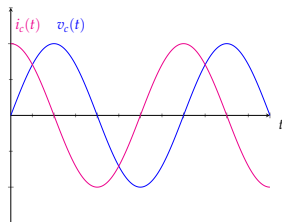
OTHER CIRCUIT ELEMENTS



$$V_L =$$



$$I_C =$$



OTHER CIRCUIT COMPONENTS

Power of L and C

- Inductors and Capacitors consume no **real power**
- The angle between voltage & current can be between and

Consequences

If V and I are **out of phase**, not all $P = V_{\text{rms}} I_{\text{rms}}$ is available as **real power**.

General Expression for Real Power

$$P = V_{\text{rms}} I_{\text{rms}} \cos \theta_v - \theta_i$$

WHERE DOES THE POWER GO?

Definition

$S \rightarrow$ Apparent Power: the power we **thought** we would get, based on V_{rms} and I_{rms} .

$$S = V_{\text{rms}} I_{\text{rms}} \rightarrow \text{units of V-A}$$

$$\Rightarrow \text{pF} = \cos \theta_v - \theta_i = \frac{P}{V_{\text{rms}} I_{\text{rms}}} = \frac{P}{S}$$

Definition

$Q \rightarrow$ Reactive Power: a quantity to account for inductive and capacitive effects in AC circuits.

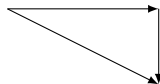
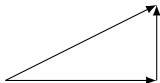
$$Q = V_{\text{rms}} I_{\text{rms}} \sin \theta_v - \theta_i \rightarrow \text{units of VAR}$$

POWER TRIANGLE

Putting it all together

$$[V_{\text{rms}}I_{\text{rms}} \cos \theta_v - \theta_i]^2 + [V_{\text{rms}}I_{\text{rms}} \sin \theta_v - \theta_i]^2 = [V_{\text{rms}}I_{\text{rms}}]^2$$

$$\Rightarrow P^2 = Q^2 = S^2$$



$Q =$

p_F is

AC POWER EXAMPLE

A compressor is hooked to a $440V_{\text{rms}}$ bus. It is rated at 4kW and has a lagging pF of 0.8 . What I_{rms} is drawn from the bus and what reactive power (Q) is consumed by the compressor?

