

Final review

Course Assessment

<https://web.stevens.edu/assess/>

Administrivia

- Final exam (25% of final grade)
 - BOTH CS442 and CPE442 students
 - 9:30am – 12noon, Saturday, Dec 17, B-118.

Covered Topics

- Database ER diagram design
- Relational Model
- Relational Algebra
- SQL
- Functional dependencies and Schema refinement
- Database security

Materials to Read

- If you have sufficient time, read all related chapters in textbook
- Otherwise, read all course slides on Moodle
- Re-study your assignments (and TA's comments)

Question Formats

- TRUE/FALSE questions
- Short explanation questions
- Other questions similar to midterm exam and assignments

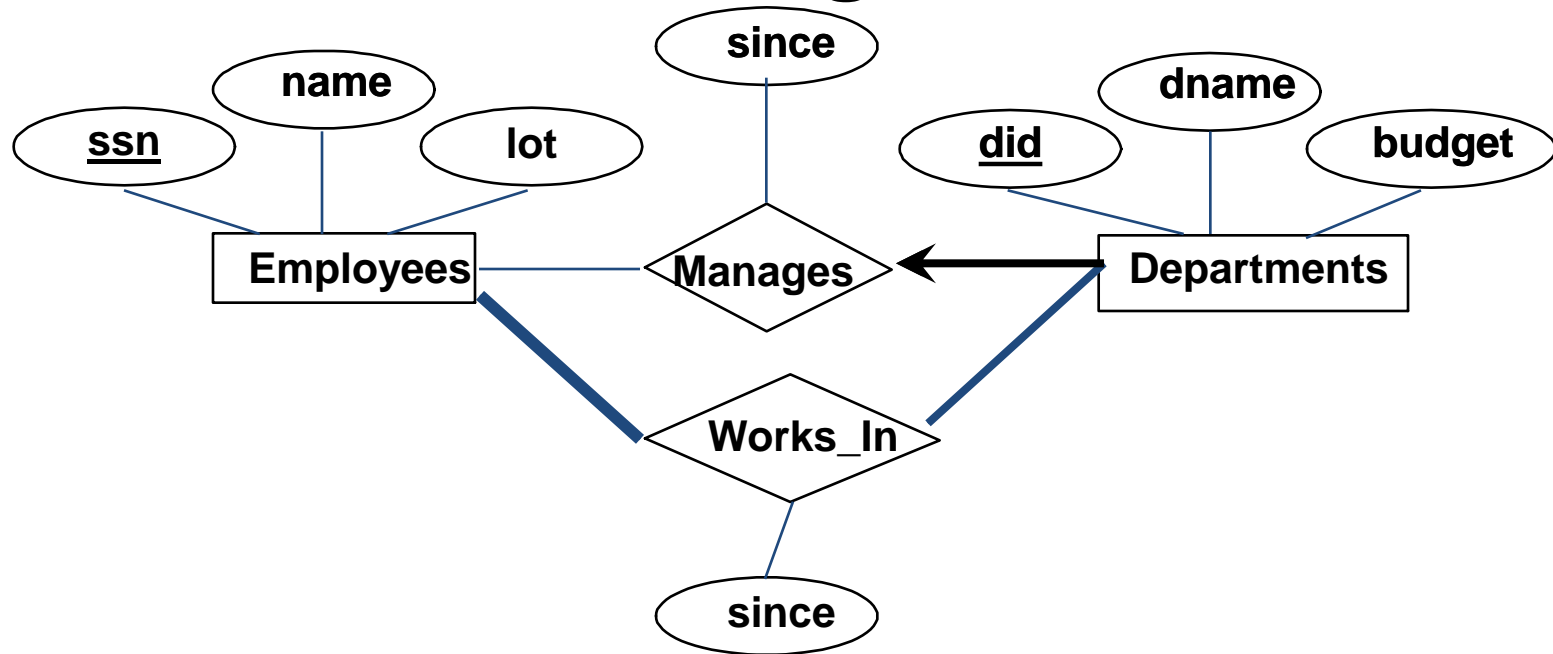
Course Overview

- Database design
- Relational model
- Relational algebra
- SQL
- Functional dependency and schema refinement

Database Design

- Entities & entity sets
 - Entities: Real-world object, distinguishable from other objects. An entity is described using a set of attributes.
 - Entity set: A collection of similar entities.
- Relations & relation sets
 - Relations: Association among two or more entities.
 - Relation set: Collection of similar relationships.

E-R Diagrams



- **Rectangles** represent entity sets.
- **Diamonds** represent relationship sets.
- **Lines** link attributes to entity sets and entity sets to relationship sets.
- **Ellipses** represent attributes
- **Underline** indicates primary key attributes
- **Arrow** indicates 1-to-many relationship (leaving the m side, point to the 1 side)
- **Bold line** indicates total participation relationship

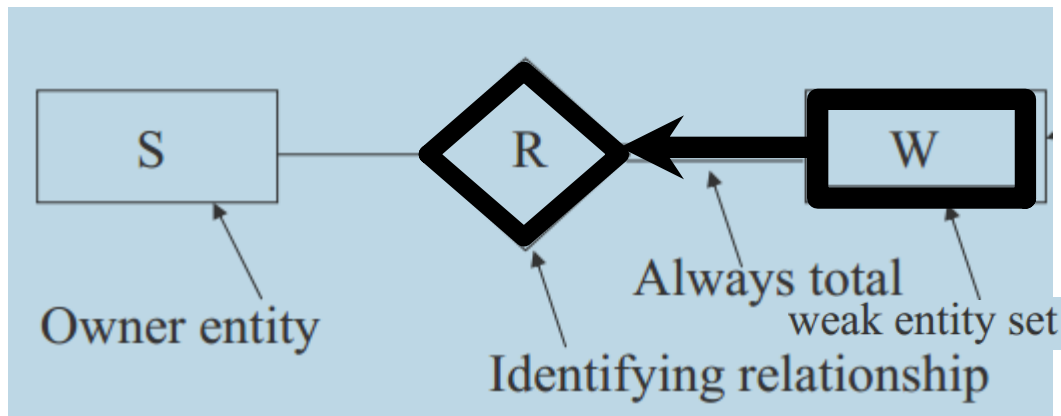
Cardinality Constraints in E-R Diagram

- Between a relationship set and an entity set
- 4 types:
 - One-to-one (1:1)
 - One-to-many (1:n)
 - Many-to-one (n:1)
 - Many-to-many (m:n)

How to represent these relationships in E-R diagram?

Participation Constraints & Weak Entities

- Participation constraint: Total/partial participation
- Weak entity: An entity set that does not have a primary key
 - A *weak entity* can be identified uniquely only by considering the primary key of another (*owner, or identifier*) entity.



ISA & Aggregation

- ISA: One entity type ISA subtype of another
 - *Inheritance* - Attributes of supertype apply to subtype.
 - *overlap/covering* for ISA hierarchies.
- Aggregation: Allows us to treat a relationship set as an entity set for purposes of participation in (other) relationships.

ER Design Choices

- Design choices:
 - Should a concept be modeled as an entity or an attribute?
 - Should a concept be modeled as an entity or a relationship?
 - Identifying relationships: Binary or ternary?

Relational Model

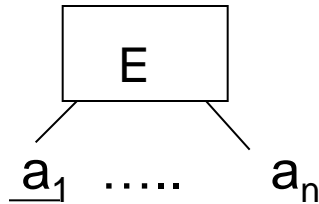
- *Relational database*: a set of *relations*.
- *Relation*: made up of 2 parts:
 - *Schema* : specifies the name and *attributes* of relation
 - *Instance* : a *table*, with rows and columns.

E/R to Relations

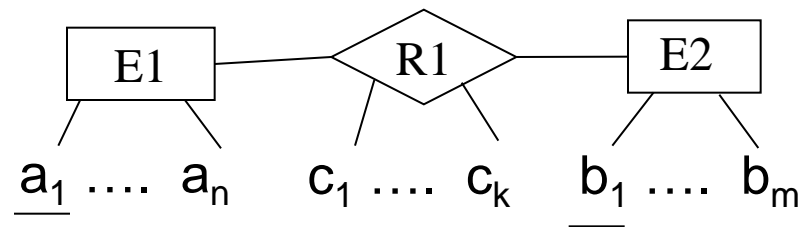
E/R diagram

Relational schema, e.g.

account=(bname, acct_no, bal)



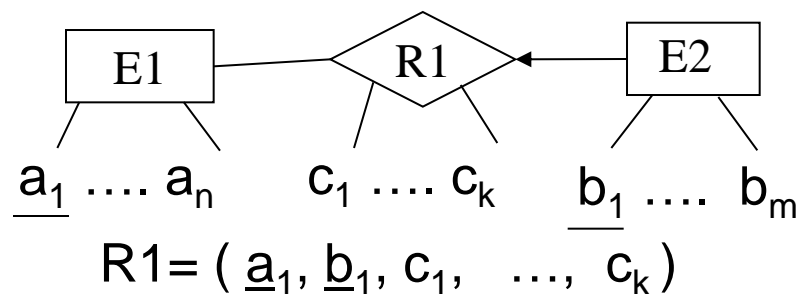
$E = (\underline{a_1}, \dots, a_n)$



$R1 = (\underline{a_1}, \underline{b_1}, c_1, \dots, c_k)$

More on relationships

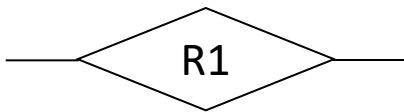
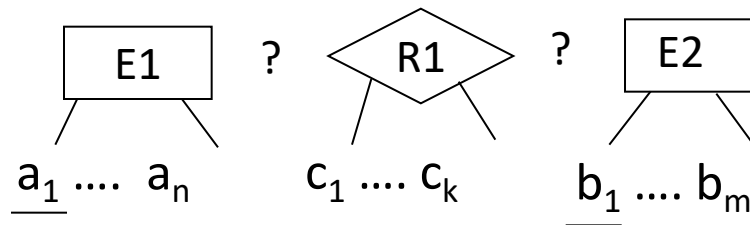
- What about:



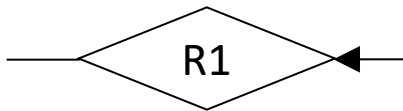
- Could have :

- put b_1 as the key for R1, it is also the key for $E2 = (b_1, \dots, b_m)$
- Usual strategy:
 - ignore R1
 - Add a_1, c_1, \dots, c_k to E2 instead, i.e.
 - $E2 = (\underline{b_1}, \dots, b_m, a_1, c_1, \dots, c_k)$

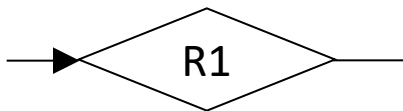
More



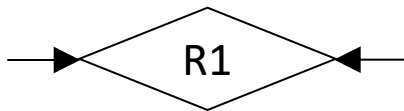
$E1 = (\underline{a_1}, \dots, a_n)$ $E2 = (\underline{b_1}, \dots, b_m)$
 $R1 = (\underline{a_1}, \underline{b_1}, c_1, \dots, c_k)$



$E1 = (\underline{a_1}, \dots, a_n)$
 $E2 = (\underline{b_1}, \dots, b_m, a_1, c_1, \dots, c_k)$



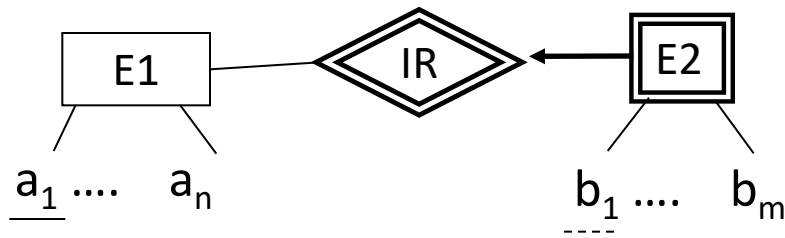
$E1 = (\underline{a_1}, \dots, a_n, b_1, c_1, \dots, c_k)$
 $E2 = (\underline{b_1}, \dots, b_m,)$



Treat as n:1 or 1:m

E/R to Relational

- Weak entity sets



$$E1 = (\underline{a_1}, \dots, a_n)$$

$$E2 = (\underline{a_1}, \underline{b_1}, \dots, b_m)$$

Defining a Relation Schema in SQL

- Create table
 - CREATE TABLE <name> (<field> <domain>, ...)
- Insert tuples into table
 - INSERT INTO <name> (<field names>) VALUES (<field values>)
- Delete tuples from table
 - DELETE FROM <name> WHERE <condition>
- Update tuples
 - UPDATE <name>
SET <field name1> = value1, ... <field name n> = value n
WHERE <condition>

Integrity Constraints

- Integrity constraints (ICs): conditions specified on database schema/data
- Types of ICs
 - Domain constraints: (e.g., age of students must be at least 18)
 - Keys
 - Foreign keys
 - **How to enforce keys and foreign keys in SQL?**

Relational Algebra

- Selection (σ) Selects a subset of *rows* from relation (horizontal).
- Projection (π) Retains only wanted *columns* from relation (vertical).
- Cross-product (\times) Allows us to combine two relations.
- Set-difference ($-$) Tuples in r1, but not in r2.
- Union (\cup) Tuples in r1 and/or in r2.

Compound Operators

- Joins (\bowtie) : compound operators involving cross product, selection, and (sometimes) projection.
 - Natural join, conditional join.
- Division (/): Useful for expressing “for all” queries like:
Find sids of sailors who have reserved all boats.

SQL

- A simple SQL query has the form:

SELECT A_1, A_2, \dots, A_n
FROM r_1, r_2, \dots, r_m
WHERE P

- A_i represents an attribute
- r_i represents a relation
- P is a predicate

Nested SQL Query

- A select-from-where query that has another select-from-where query embedded within it.
 - The embedded query is called a *subquery*
 - The subquery can be nested too
 - The subquery appears within the WHERE clause
 - Can sometimes appear in the FROM clause

Aggregate Operators

- Significant extension of relational algebra.
- Operators:
 - COUNT (*)
 - COUNT ([DISTINCT] A)
 - SUM ([DISTINCT] A)
 - AVG ([DISTINCT] A)
 - MAX (A)
 - MIN (A)

Queries With GROUP BY and HAVING

```
SELECT      [DISTINCT] target-list  
FROM        relation-list  
WHERE       qualification  
GROUP BY    grouping-list  
HAVING      group-qualification
```

- Use the HAVING clause with the GROUP BY clause to restrict which group-rows are returned in the result set

Schema Refinement

- A functional dependency $X \rightarrow Y$ means
Given any two tuples in r , if the X values are the same, then the Y values must also be the same. (but not vice versa)
- FD Inference: new FDs can be implied by old FDS
 - Armstrong's Axioms (see FD tutorial slides for more examples)

Normal Forms

- Types: 1st, 2nd, 3rd, Boyce-Codd
- 1st \supset 2nd \supset 3rd \supset Boyce-Codd \supset ...

Boyce-Codd Normal Form (BCNF)

- BCNF: requires that the only FDs are the key constraints
- 3NF: requires that for all FD $X \rightarrow A$ in F^+
 - It is a key constraint (i.e., x is a superkey), OR
 - A is part of some candidate key (not superkey!) for R .

Decomposition into BCNF

Consider relation R with FDs F .

- First, make sure all FDs in F contain only single attribute on RHS
 - This is always doable, for example, if you have $AB \rightarrow CD$, spit it into $AB \rightarrow C$ and $AB \rightarrow D$);
- Next, repeat:
 - For all $X \rightarrow Y$ (in F) violates BCNF, decompose R into $R - Y$ and XY (guaranteed to be loss-less).
- See lecture slides (including the tutorial slides) for more details

Decomposition into 3NF

Consider relation R with FDs F . Let F' be the **minimal cover** of F . Let $R_1 \dots R_n$ be a lossless-join decomposition of R w.r.t. F' (can be obtained by BCNF decomposition).

- (1) Identify the dependencies N in F' that is not preserved by $\{R_1, \dots R_n\}$
 - (2) For each $X \rightarrow A$ in N , create a relation schema XA and add it to $\{R_1 \dots R_n\}$
- See lecture slides (including the tutorial slides) for more details