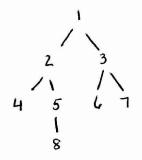
CS 385 Test 2 Review

1			
6	ra	ph	15
17.00	N 65.53		_

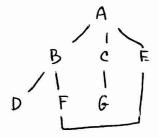
				1,2
•	Matrix	List	Matrix	200
BFS	0(121)	0 (1/11/161)	-	1→2
DFS	0(120)	0(14181)	List	$2 \rightarrow 1$

BFS



1, 2, 3, 4, 5, 6, 7, 8

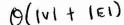
Starts at root. Explores all neighbor nodes before moving to the next level.

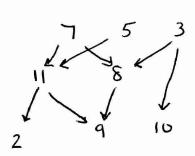


A, B, D, F, E, C, G

Starts at root Gues as far down as possible before retroining its steps

Topological Sat O(IVI + IEI)





Order: 3, 5, 7, 8, 11, 2, 9, 10

Use A priority Queue. A node is complete when it's in degree is O.

```
Lomuto Partition
                                   Partitions an array around a privat
   Lomuto Partition (A[1....])
    P - A[1]
   S+ 1
   for i ← l+1 · to r do:
        if A[A] < p
            S+ S+1;
             Swap (A(s), A[i])
 Swap (A[1], A[s])
  return s
Quick Sort
                                                        Partition
                                         2. T(1/2) + O(n)
    Quick Sort (A[1...(])
        if 1 < r
                                             So a=2
           St partition (A(l., ?)
                                                 6 = 2
                                                 1 = 1
           Quick Sort (A(1.5-1])
           Quick Sort (A(stl. (7))
                                              2 = 2
                                             O(n logn)
Merge Sort
         Merge Sort (A, lo, hi)
                                                           for K + lo to hi
             if lochi
                                                                 A[k] = scratch[k]
                 mid = (lothi) /2
                 mergesort (A, lo, mid)
                                                                 O(nlogn)
                 mergesort (A, midH, hi)
                  (=lo
                  H: mid H
                  for k + lo + hi
                       do if ( <= mid and ( H> hit or A[L] <= A[H])
```

then scratch[k] = A[i]

H+21

clse scratch (K) = A(H)

Master Theorem

$$T(n) = a \cdot T(^n/b) + \Omega(n)$$
 where $f(b) \in O(n^d) d \ge 0$

if $a < b^d$ $T(n) \in O(n^d)$
 $a = b^d$ $T(n) \in O(n^d \log n)$
 $a > b^d$ $T(n) \in O(n^d \log b^a)$

a = # of recursive calls made
b = how much that n is broken down in recursive call
f(n) = complexity of the rest of the code

Binary Search Tree

Internal Node > Node with children

Leaf > Node w/ no children

Max Width > Max fitted # of nodes in most filled level

Height - Longest # A edges from root to leaf

Pre Order Root LRt In Order LRootRt Post Order LRt Root

Binary Reflected Gray Code

BRGC(n)

if n=1 make list L containing bit strings D and I in this order

clse generate list LI of bit strings of size n-1 by BGRC(n-1)

copy list LI to L2 in reversed order

add D in front of each bit string in LI

add I in front of each bit string in L2

append L2 to LI to get list i

ceture L