

Assignments

This page will contain all the assignments you submit for the class.

Instructions for all assignments

I want you to submit your assignment as a PDF, so I can keep a record of what the code looked like that day. I also want you to include your answers on your personal GitHub website. This will be good practice for editing your website and it will help you produce something you can keep after the class is over.

1. Download the Assignment1.Rmd file from Canvas. You can use this as a template for writing your answers. It's the same as what you can see on my website in the Assignments tab. Once we're done with this I'll edit the text on the website to include the solutions.
2. On RStudio, open a new R script in RStudio (File > New File > R Script). This is where you can test out your R code. You'll write your R commands and draw plots here.
3. Once you have finalized your code, copy and paste your results into this template (Assignment 1.Rmd). For example, if you produced a plot as the solution to one of the problems, you can copy and paste the R code in R markdown by using the ```{r} ``` command. Answer the questions in full sentences and Save.
4. Produce a PDF file with your answers. To do this, knit to PDF (use Knit button at the top of RStudio), locate the PDF file in your docs folder (it's in the same folder as the Rproj), and submit that on on Canvas in Assignment 1.
5. Build Website, go to GitHub desktop, commit and push. Now your solutions should be on your website as well.

Assignment 1

Problem 1

Install the datasets package on the console below using `install.packages("datasets")`. Now load the library.

```
#install.packages("datasets")
library(datasets)
```

```
USArrests
```

```
##           Murder  Assault  UrbanPop  Rape
## Alabama      13.2     236       58 21.2
## Alaska       10.0     263       48 44.5
## Arizona       8.1     294       80 31.0
## Arkansas      8.8     190       50 19.5
```

## California	9.0	276	91 40.6
## Colorado	7.9	204	78 38.7
## Connecticut	3.3	110	77 11.1
## Delaware	5.9	238	72 15.8
## Florida	15.4	335	80 31.9
## Georgia	17.4	211	60 25.8
## Hawaii	5.3	46	83 20.2
## Idaho	2.6	120	54 14.2
## Illinois	10.4	249	83 24.0
## Indiana	7.2	113	65 21.0
## Iowa	2.2	56	57 11.3
## Kansas	6.0	115	66 18.0
## Kentucky	9.7	109	52 16.3
## Louisiana	15.4	249	66 22.2
## Maine	2.1	83	51 7.8
## Maryland	11.3	300	67 27.8
## Massachusetts	4.4	149	85 16.3
## Michigan	12.1	255	74 35.1
## Minnesota	2.7	72	66 14.9
## Mississippi	16.1	259	44 17.1
## Missouri	9.0	178	70 28.2
## Montana	6.0	109	53 16.4
## Nebraska	4.3	102	62 16.5
## Nevada	12.2	252	81 46.0
## New Hampshire	2.1	57	56 9.5
## New Jersey	7.4	159	89 18.8
## New Mexico	11.4	285	70 32.1
## New York	11.1	254	86 26.1
## North Carolina	13.0	337	45 16.1
## North Dakota	0.8	45	44 7.3
## Ohio	7.3	120	75 21.4
## Oklahoma	6.6	151	68 20.0
## Oregon	4.9	159	67 29.3
## Pennsylvania	6.3	106	72 14.9
## Rhode Island	3.4	174	87 8.3
## South Carolina	14.4	279	48 22.5
## South Dakota	3.8	86	45 12.8
## Tennessee	13.2	188	59 26.9
## Texas	12.7	201	80 25.5
## Utah	3.2	120	80 22.9
## Vermont	2.2	48	32 11.2
## Virginia	8.5	156	63 20.7
## Washington	4.0	145	73 26.2
## West Virginia	5.7	81	39 9.3
## Wisconsin	2.6	53	66 10.8
## Wyoming	6.8	161	60 15.6

Load the USArrests dataset and rename it `dat`. Note that this dataset comes with R, in the package `datasets`, so there's no need to load data from your computer. Why is it useful to rename the dataset?

It is useful to renamed USArrests to `dat.us` because it is easier to write and it is good practice to rewrite data for yourself so you can create your own data which can be replicated by another person if they use the original data.

```
dat.us <- USArrests
```

```
head(dat.us)
```

```
##           Murder Assault UrbanPop Rape
## Alabama      13.2     236       58 21.2
## Alaska       10.0     263       48 44.5
## Arizona       8.1     294       80 31.0
## Arkansas      8.8     190       50 19.5
## California    9.0     276       91 40.6
## Colorado      7.9     204       78 38.7
```

Problem 2

Use this command to make the state names into a new variable called State.

```
dat.us$state <- tolower(rownames(USArrests))
```

This dataset has the state names as row names, so we just want to make them into a new variable. We also make them all lower case, because that will help us draw a map later - the map function requires the states to be lower case.

List the variables contained in the dataset `USArrests`.

```
names(dat.us)
```

```
## [1] "Murder"  "Assault" "UrbanPop" "Rape"    "state"
```

Answer: The four variables are Murder, Assault, UrbanPop, Rape.

Problem 3

What type of variable (from the DVB chapter) is `Murder`?

Answer: Murder is a quantitative variable.

What R Type of variable is it?

Answer: Murder is numeric.

Problem 4

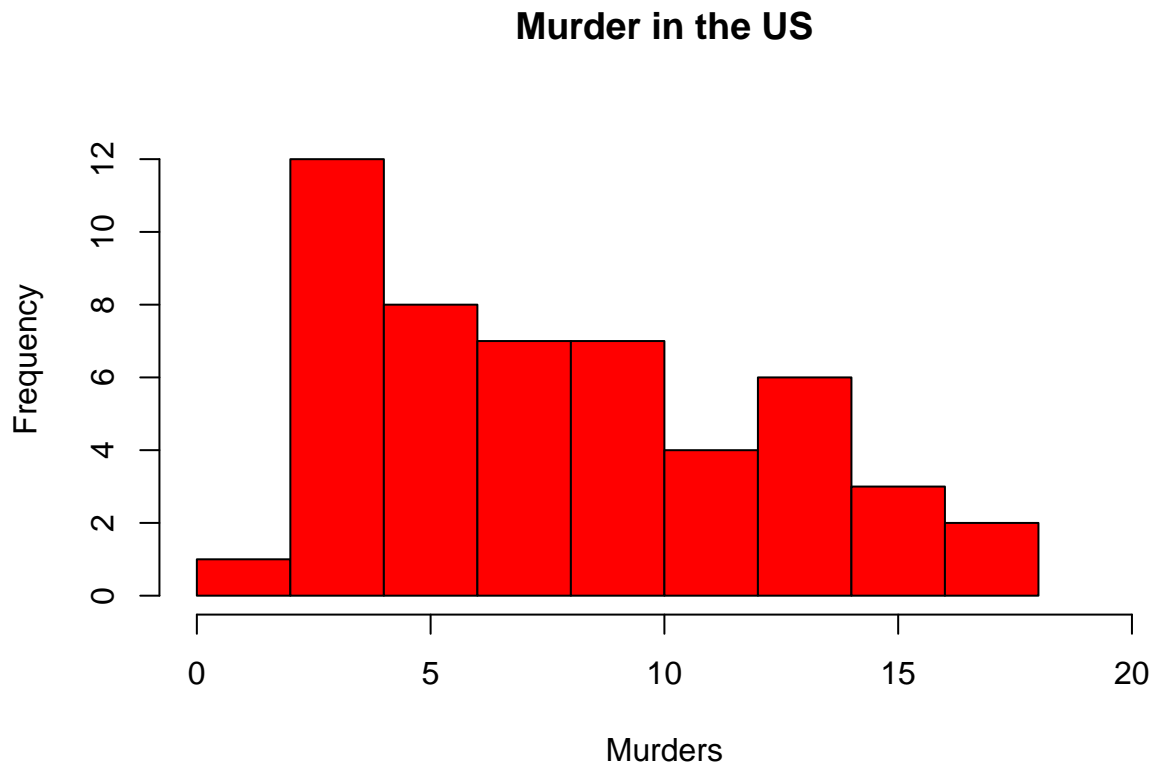
What information is contained in this dataset, in general? What do the numbers mean?

Answer: The dataset contains the data of murder, assault, rape and urbanpop from all 50 US states. The numbers represent the frequency of arrests for one of the four variables in a state during the time frame that the data was collected.

Problem 5

Draw a histogram of `Murder` with proper labels and title.

```
hist(dat.us$Murder, xlab= "Murders", ylab="Frequency", main= "Murder in the US", xlim=(c(0, 20)), ylim=
```



Problem 6

Please summarize **Murder** quantitatively. What are its mean and median? What is the difference between mean and median? What is a quartile, and why do you think R gives you the 1st Qu. and 3rd Qu.?

```
summary(dat.us$Murder)
```

```
##      Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
##    0.800   4.075   7.250   7.788  11.250  17.400
```

Answer: The mean for Murder is 7.788 and the median is 7.250. The mean is the amount that each subject would have if all of the values were added together and evenly distributed. If all 50 states had the same frequency of arrests for murders then it would be 7.788. The median is the middle value where exactly 50% of the values fall either above or below it. In the US, 50% of states have an arrest for murder frequency above 7.250 and the other 50% is below that. The median is highly robust because it is not greatly affected by outliers. The mean is the most common measure of central tendency but it is not robust because it will change based on the skewness of the distribution. A quartile indicates an interval that contains 25% or a quarter of the data. The first quartile for “Murder” is 4.075 which means that 25% of the “Murder” data falls below 4.075 and the 3rd quartile is 11.250 which means that 25% of US states have a frequency of arrests for murder that is higher than 11.250. R gives you the 1st and 3rd quartile because those values are useful in determining the interquartile range (IQR). The IQR is the central half which means that 50% of the data falls within the 1st and 3rd quartile. In a box plot, values 1.5 IQRs above or below the tails are considered outliers.

Problem 7

Repeat the same steps you followed for **Murder**, for the variables **Assault** and **Rape**. Now plot all three histograms together. You can do this by using the command `par(mfrow=c(3,1))` and then plotting each of the three.

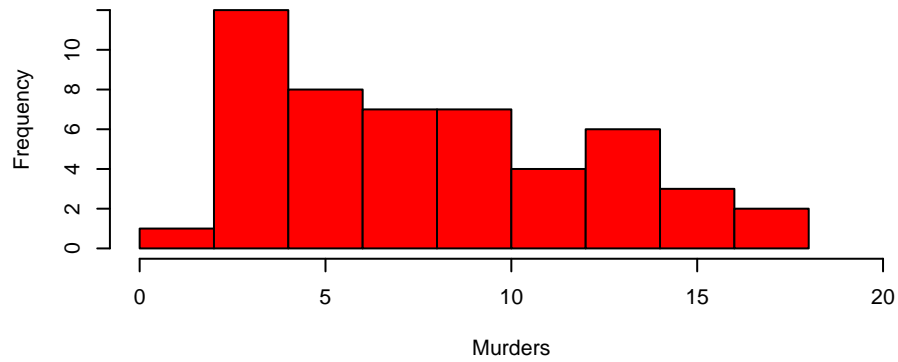
```
par(mfrow=c(3,1))

hist(dat.us$Murder, xlab= "Murders", ylab="Frequency", main= "Murder in the US", xlim=c(0, 20)), ylim=

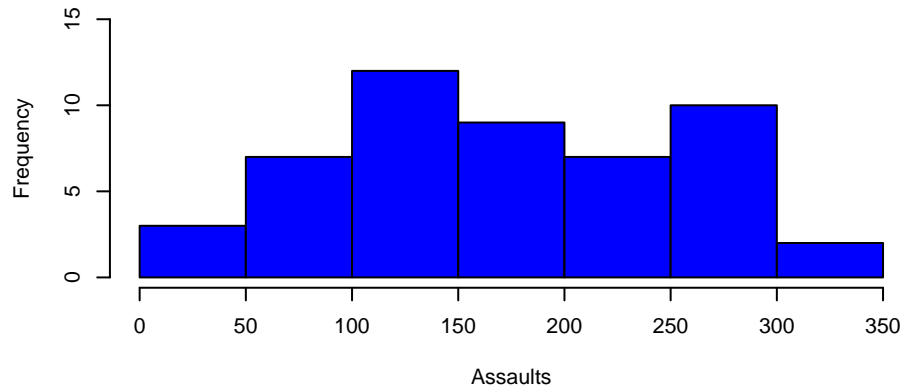
hist(dat.us$Assault, xlab= "Assaults", ylab="Frequency", main= "Assault in the US", xlim=c(0, 350)), y

hist(dat.us$Rape, xlab= "Rapes", ylab="Frequency", main= "Rape in the US", xlim=c(0, 50)), ylim=c(0, 1
```

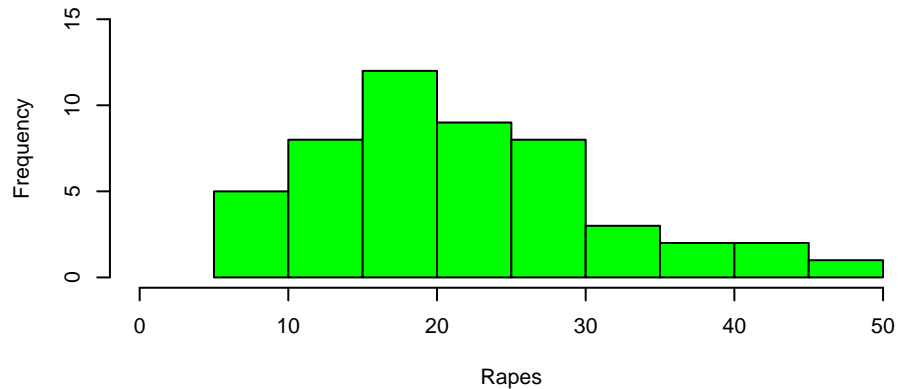
Murder in the US



Assault in the US



Rape in the US



What does the command `par` do, in your own words (you can look this up by asking R `?par`)?

Answer: Command `par` is used to set parameters. The `mfrow` input allows you to create an array to plot multiple graphs on one window. The command `par(mfrow=c(3,1))` allows three graphs to be plotted in three rows.

What can you learn from plotting the histograms together?

Answer: When the histograms are plotted together it is easier to compare the skewness and spread of each plot. You can see where each histogram has its peaks and outliers.

Problem 8

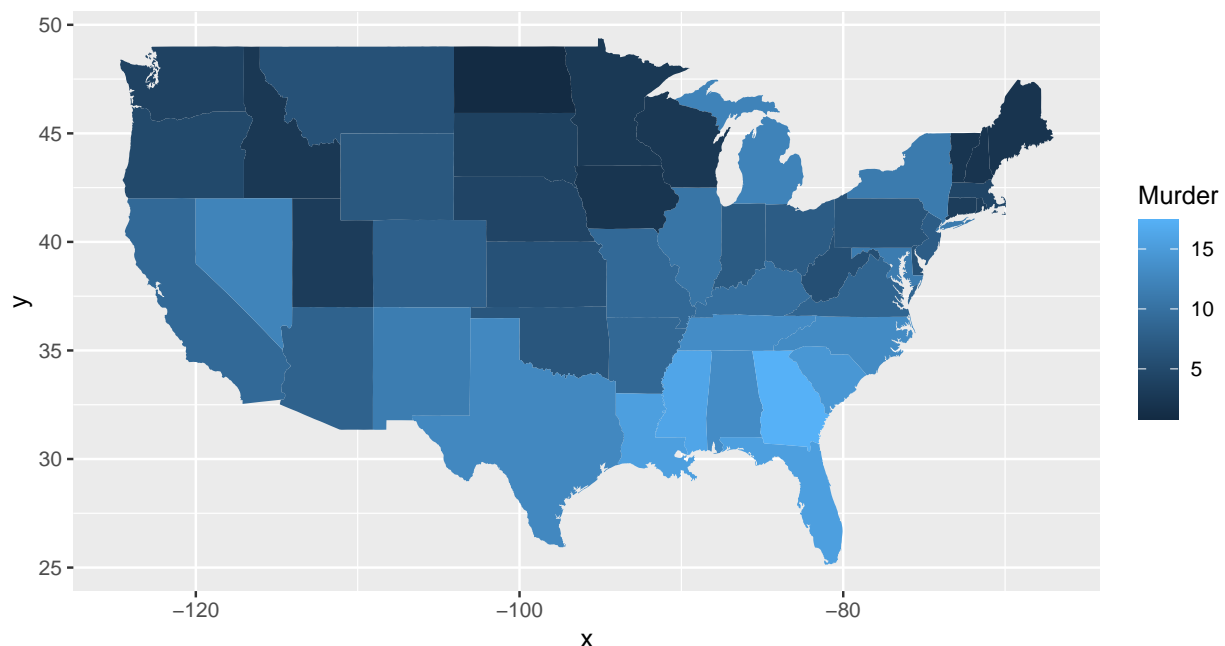
In the console below (not in text), type `install.packages("maps")` and press Enter, and then type `install.packages("ggplot2")` and press Enter. This will install the packages so you can load the libraries.

Run this code:

```
#install.packages("maps")
#install.packages("ggplot2")

library(maps)
library(ggplot2)

ggplot(dat.us, aes(map_id=state, fill=Murder)) +
  geom_map(map=map_data("state")) +
  expand_limits(x=map_data("state")$long, y=map_data("state")$lat)
```



What does this code do? Explain what each line is doing.

Answer: The lines `library('maps')` and `library('ggplot2')` are pulling from the packages that were installed. The line `ggplot(dat.us, aes(map_id=state, fill=Murder))` is creating a ggplot with the `USArrests` dataset. The plot is set with an aesthetic of a map with the US states. Each state is filled in with its respective murder arrest data. The line `geom_map(map=map_data("state"))` contains the map coordinates for each US state. The last line `'expand_limits(x=map_data("state")$long, y = map_data("state")$lat)'` ensures that the limits of the plot include a single value for all plots. The x and y axis of this plot contains the value of "state" from the map data. The x axis is longitude and the y axis is latitude. Together this code creates a

map of the US with each state filled in with its value for murder arrests. The darker blue indicates that the murder arrest frequency is 5 and below and the light blue indicates that it is 15 and above.

Assignment 2

Problem 1

```
dat <- read.csv(file = 'dat.nsduh.small.1.csv')
```

```
head(dat)
```

```
##   mjage cigage iralcage age2 sexatract speakengl irsex
## 1    14     50      14  16         1         1      1
## 2    11     14       5  13         2         1      2
## 3    12     35      12  15         2         1      2
## 4    16     18      18  14         1         1      1
## 5    14     16      14  16         4         1      1
## 6    12     16      18  15         4         1      2
```

```
names(dat)
```

```
## [1] "mjage"      "cigage"     "iralcage"   "age2"       "sexatract"  "speakengl"
## [7] "irsex"
```

```
dim(dat)
```

```
## [1] 171  7
```

What are the dimensions of the dataset?

Answer: The data has 7 columns for the 7 variables (mjage, cigage, iralcage, age2, sexatract, speakengl and irsex). There are 171 observations in the data.

Problem 2

Describe the variables in the dataset.

Answer: There are 7 variables in the dataset. *mjage* represents the age when the participants first used marijuana or hashish. *Cigage* represents the age when the participants first started smoking cigarettes everyday. *Iralcage* is the age when participants first tried alcohol. *Age2* is the final edited age of the participants. *Irsex* represents the gender of participants. *Sexattract* is the sexual attraction of the participants. *Speakeng* represents how well the participant speaks english.

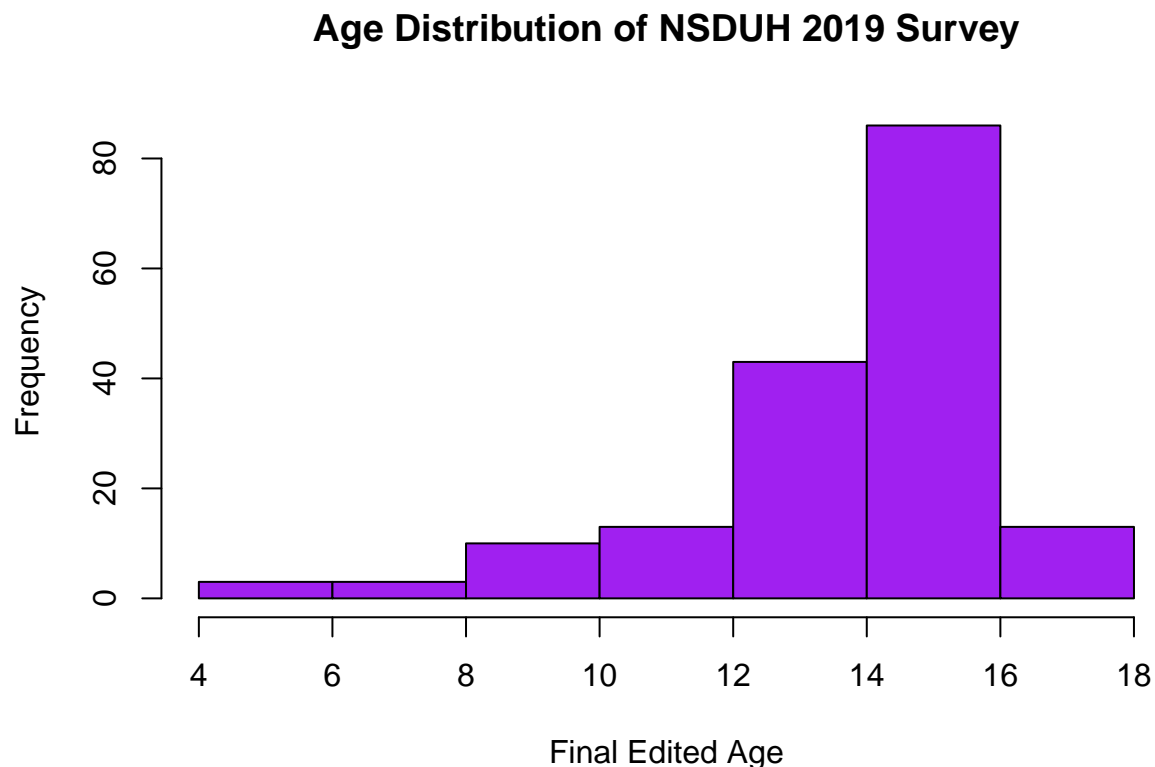
What is this dataset about? Who collected the data, what kind of sample is it, and what was the purpose of generating the data?

Answer: This dataset is a small sample from the 2019 survey from the National Survey of Drug Use and Health about drug use in the 50 states and the District of Columbia in the United States. The survey was directed by the Substance Abuse and Mental Health Services Administration and it was conducted by RTI International. The survey is used to determine which populations and geographic areas have particular substance use problems so federal resources can be used effectively.

Problem 3: Age and gender

What is the age distribution of the sample like? Make sure you read the codebook to know what the variable values mean.

```
hist(dat$age2, xlab= "Final Edited Age", main= "Age Distribution of NSDUH 2019 Survey", col="purple")
```



*Answer:*The age distribution is negatively skewed because the bulk of the data is in the upper range with thin tails in the lower range. This shows that most of the respondents of the survey were 25 years old to greater than 65 years old. This age variable is categorical because the numbers represent categories of age for example 12 indicates that the respondent is 24 or 25 years old.

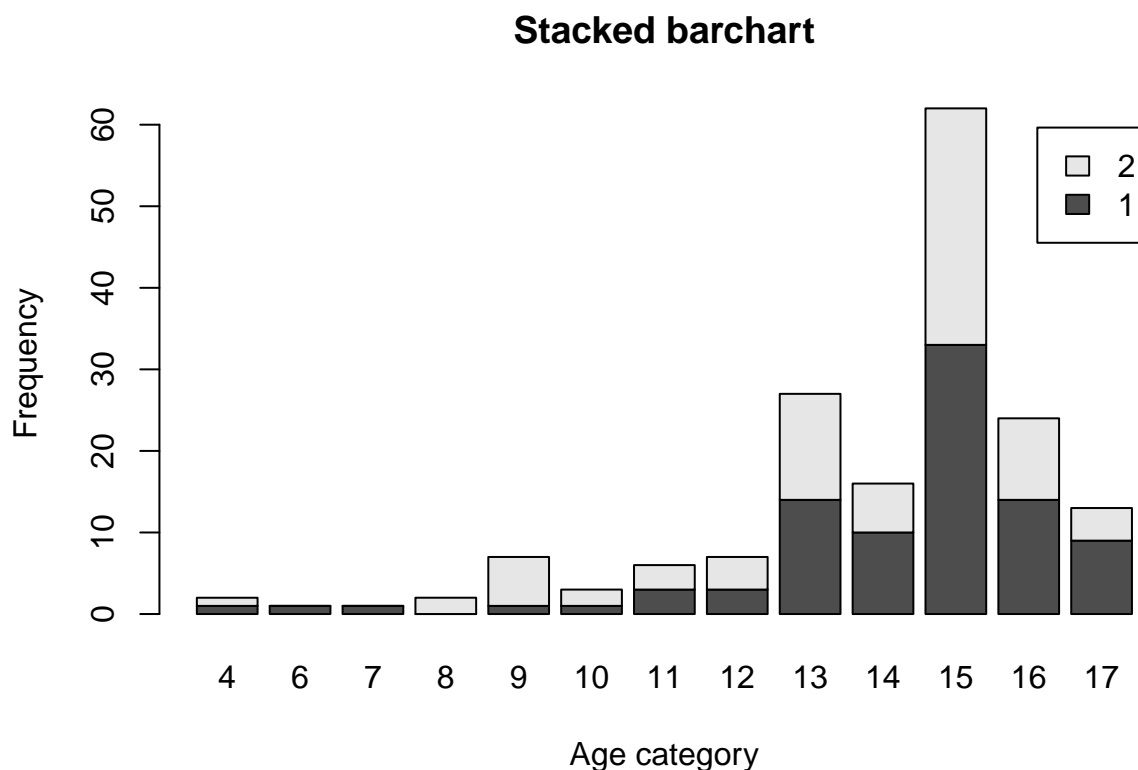
Do you think this age distribution representative of the US population? Why or why not?

*Answer:*I do not think this age distribution is representative of the US population because while the households chosen for the survey are randomly selected, only one person per household can respond to the survey and the interviews are completed online and not every person in the US has access to a computer or internet. There is also a money incentive to complete the survey. It is possible that more middle aged people responded to the survey.

Is the sample balanced in terms of gender? If not, are there more females or males?

Use this code to draw a stacked bar plot to view the relationship between sex and age. What can you conclude from this plot?

```
tab.agesex <- table(dat$irsex, dat$age2)
barplot(tab.agesex,
        main = "Stacked barchart",
        xlab = "Age category", ylab = "Frequency",
        legend.text = rownames(tab.agesex),
        beside = FALSE)
```



*Answer:*The sample is not fully balanced in terms of gender. There are more females with 52.28% of respondents being female and 47.72% being male.

Answer: From this plot, we can determine that the relationship between sex and age is fairly even. For the largest age group, the gender distribution appears to be almost equal. However, for the lower age groups there appears to be more female respondents and for the higher age distributions there appears to be more male respondents.

Problem 4: Substance use

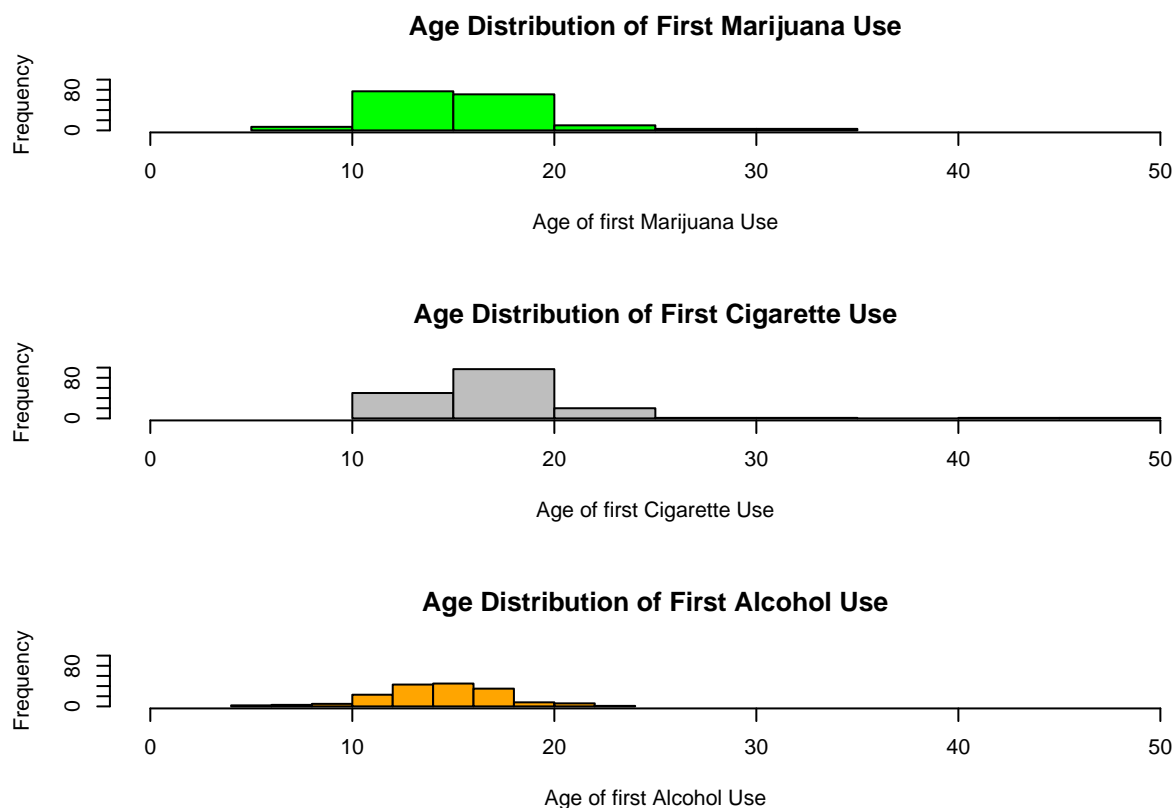
For which of the three substances included in the dataset (marijuana, alcohol, and cigarettes) do individuals tend to use the substance earlier?

```
par(mfrow=c(3,1))

hist(dat$mjage, col="green", xlab= "Age of first Marijuana Use", main= "Age Distribution of First Marijuana Use")

hist(dat$cigage, col="grey", xlab= "Age of first Cigarette Use", main= "Age Distribution of First Cigarette Use")

hist(dat$iralcage, col="orange", xlab= "Age of first Alcohol Use", main= "Age Distribution of First Alcohol Use")
```

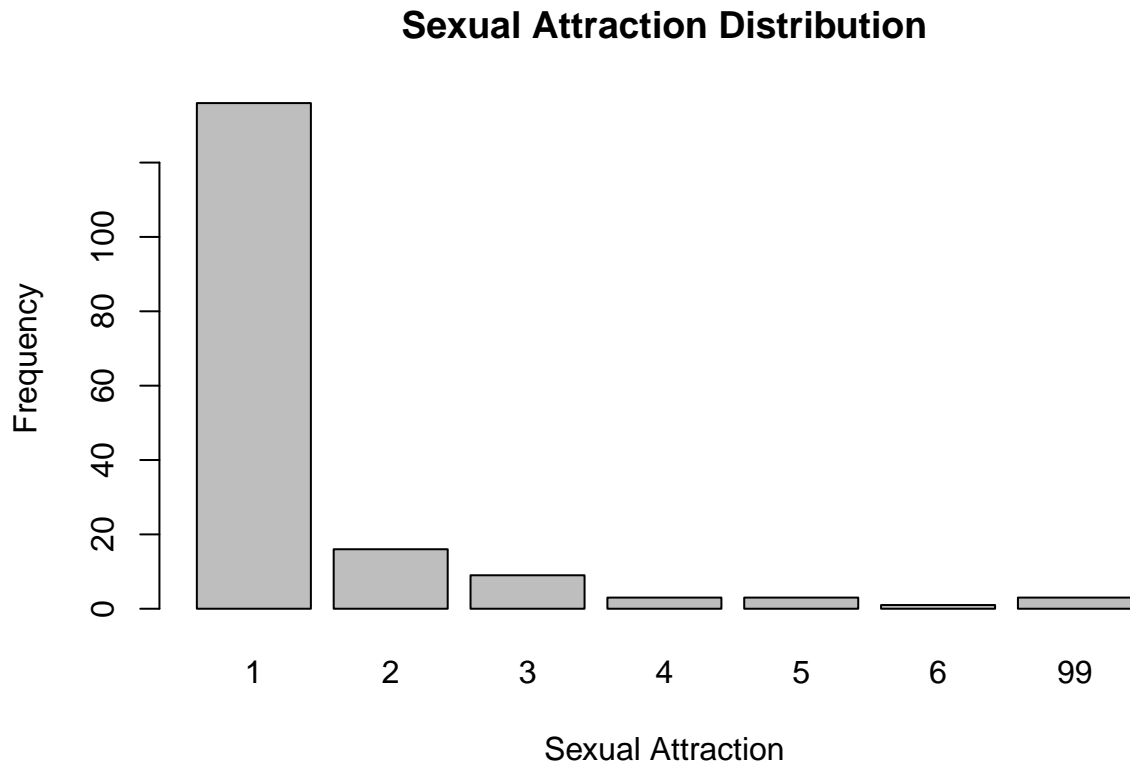


Answer: Individuals tend to first start using marijuana and alcohol at a much younger age than cigarettes but individuals tend to first start using alcohol earliest.

Problem 5: Sexual attraction

What does the distribution of sexual attraction look like? Is this what you expected?

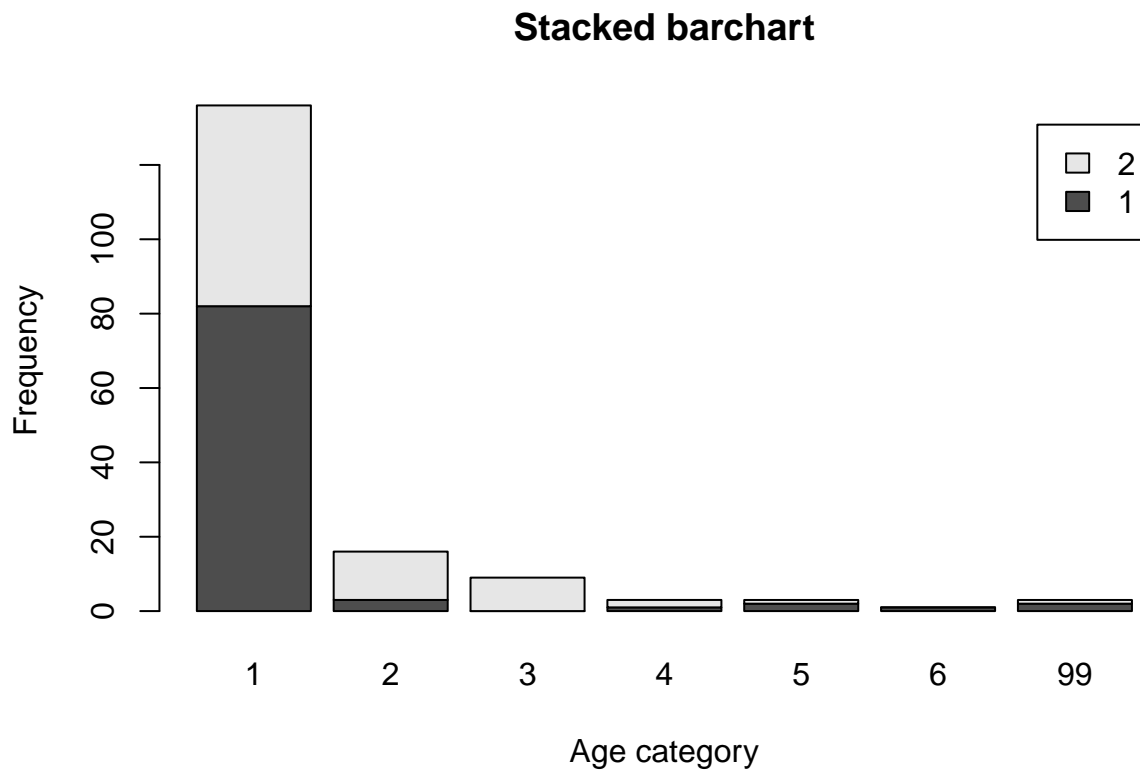
```
tab.sexatract <- table(dat$sexatract)
barplot(tab.sexatract, main= "Sexual Attraction Distribution", xlab= "Sexual Attraction", ylab= "Frequency")
```



Answer: Most participants are only attracted to the opposite sex. This is expected because respondents might not have felt comfortable answering this question unless they were only attracted to the same sex since there is stigma for different sexual attractions. The “99” category is significant because a large portion of respondents (23.87%) skipped this question which could indicate that people were not comfortable answering this question.

What is the distribution of sexual attraction by gender?

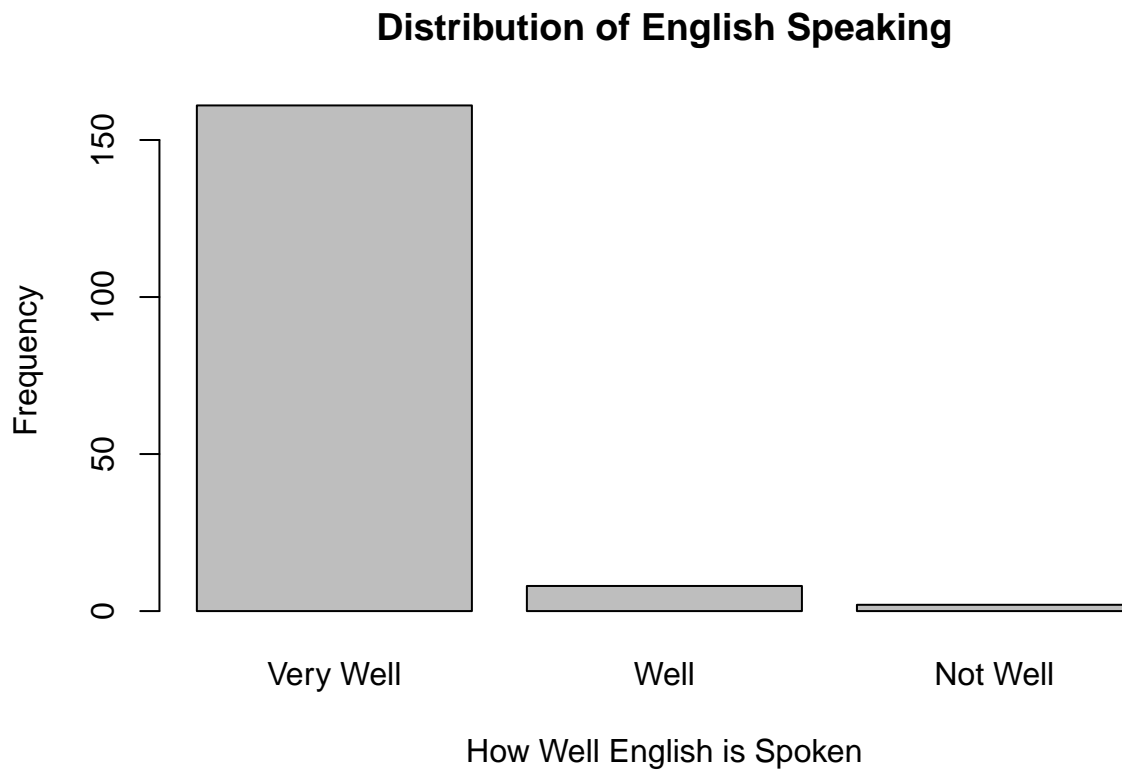
```
tab.sexatractsex <- table(dat$irsex, dat$sexatract)
barplot(tab.sexatractsex,
        main = "Stacked barchart",
        xlab = "Age category", ylab = "Frequency",
        legend.text = rownames(tab.sexatractsex),
        beside = FALSE)
```



Problem 6: English speaking

What does the distribution of English speaking look like in the sample? Is this what you might expect for a random sample of the US population?

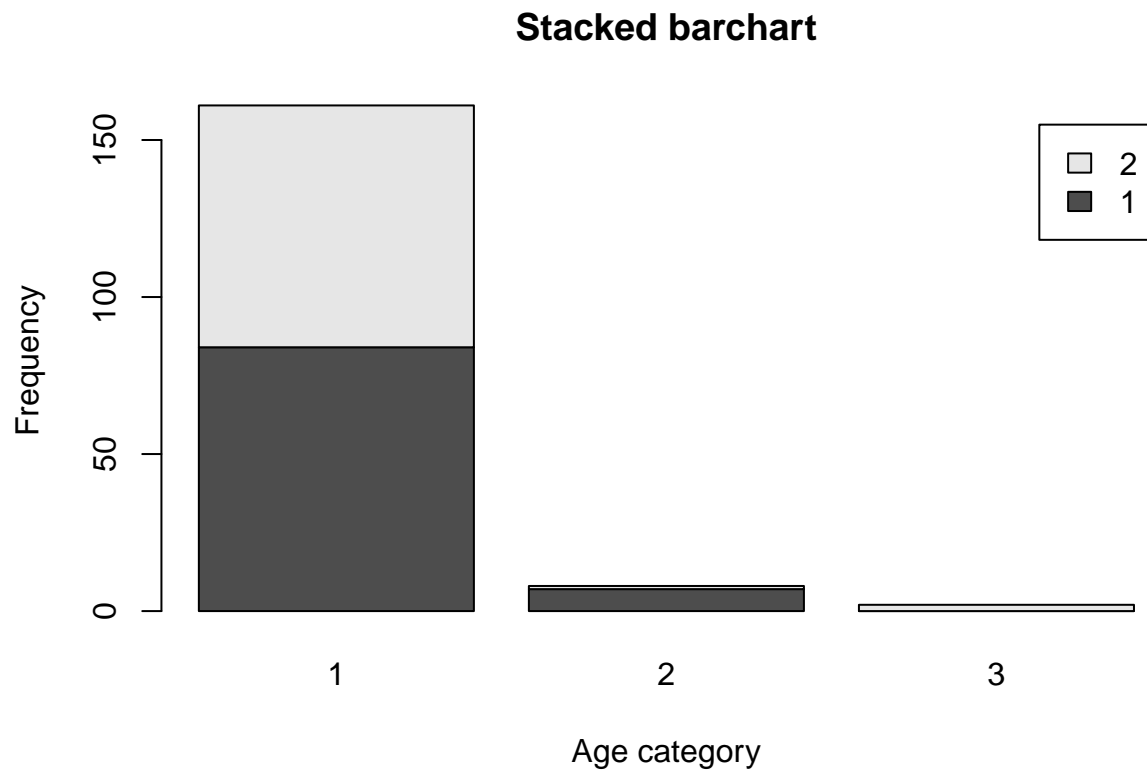
```
tab.speakeng <- table(dat$speakengl)
barplot(tab.speakeng, xlab= "How Well English is Spoken", ylab= "Frequency", names.arg = c("Very Well",
```



Answer: Most of the participants speak English very well which is expected because for the most part the US is an English speaking country. It might have been hard for non-English speakers to engage with the survey if interpreters or different language options were not available.

Are there more English speaker females or males?

```
tab.speakengsex <- table(dat$irsex, dat$speakengl)
barplot(tab.speakengsex,
        main = "Stacked barchart",
        xlab = "Age category", ylab = "Frequency",
        legend.text = rownames(tab.speakengsex),
        beside = FALSE)
```



Answer: There appears to be an equal amount of English speaking females and males.

Exam 1

Load the data into an R data frame.

```
#read.csv(file = 'fatal-police-shootings-data.csv')  
dat <- read.csv(file = 'fatal-police-shootings-data.csv')  
  
head(dat)
```

```
##   id          name      date manner_of_death   armed age gender race
## 1  3      Tim Elliot 2015-01-02         shot      gun  53      M    A
## 2  4  Lewis Lee Lembke 2015-01-02         shot      gun  47      M    W
## 3  5 John Paul Quintero 2015-01-03 shot and Tasered  unarmed  23      M    H
## 4  8   Matthew Hoffman 2015-01-04         shot toy weapon  32      M    W
## 5  9 Michael Rodriguez 2015-01-04         shot  nail gun  39      M    H
## 6 11 Kenneth Joe Brown 2015-01-04         shot      gun  18      M    W
##           city state signs_of_mental_illness threat_level      flee
## 1      Shelton   WA              True      attack Not fleeing
## 2       Aloha    OR              False      attack Not fleeing
## 3      Wichita   KS              False      other Not fleeing
## 4 San Francisco  CA              True      attack Not fleeing
## 5        Evans   CO              False      attack Not fleeing
## 6      Guthrie   OK              False      attack Not fleeing
## body_camera longitude latitude is_geocoding_exact
## 1      False  -123.122    47.247              True
## 2      False  -122.892    45.487              True
## 3      False   -97.281    37.695              True
## 4      False  -122.422    37.763              True
## 5      False  -104.692    40.384              True
## 6      False   -97.423    35.877              True
```

Problem 1

- Describe the dataset. This is the source: <https://github.com/washingtonpost/data-police-shootings> . Write two sentences (max.) about this.

This dataset contains the data of fatal police shootings of civilians in 2015. The data was collected from the Washington Post using local news reports, law enforcement websites, social media and independent databases.

- How many observations are there in the data frame?

```
dim(dat)
```

```
## [1] 6594  17
```

There are 6594 rows (observations) in the dataset with 17 columns.

- Look at the names of the variables in the data frame. Describe what “body_camera”, “flee”, and “armed” represent, according to the codebook. Again, only write one sentence (max) per variable.

```
names(dat)
```

```
## [1] "id"          "name"
## [3] "date"        "manner_of_death"
## [5] "armed"       "age"
## [7] "gender"      "race"
## [9] "city"        "state"
## [11] "signs_of_mental_illness" "threat_level"
## [13] "flee"        "body_camera"
## [15] "longitude"   "latitude"
## [17] "is_geocoding_exact"
```


The variable “body_camera indicates that the police officer was wearing a body camera and may have recorded some parts of the incident. The variable”flee” means that the victim was moving away from the officers. The variable “armed” means that victim had an instrument that the police believed could inflict harm.

- d. What are three weapons that you are surprised to find in the “armed” variable? Make a table of the values in “armed” to see the options.

```
table(dat$armed)
```

```
##
##
##          207          air conditioner
##          air pistol      Airsoft pistol
##          1              3
##          ax              barstool
##          24              1
##          baseball bat    baseball bat and bottle
##          20              1
## baseball bat and fireplace poker    baseball bat and knife
##          1              1
##          baton          BB gun
##          6              15
##          BB gun and vehicle    bean-bag gun
##          1              1
##          beer bottle    binoculars
##          3              1
##          blunt object    bottle
##          5              1
##          bow and arrow    box cutter
##          1              13
##          brick          car, knife and mace
##          2              1
##          carjack        chain
##          1              3
##          chain saw      chainsaw
##          2              1
##          chair          claimed to be armed
##          4              1
##          contractor's level    cordless drill
##          1              1
##          crossbow          crowbar
##          9              5
##          fireworks        flagpole
##          1              1
##          flashlight    garden tool
##          2              2
##          glass shard    grenade
##          4              1
##          gun            gun and car
##          3798          12
##          gun and knife    gun and machete
##          22              3
```

##	gun and sword	gun and vehicle
##	1	17
##	guns and explosives	hammer
##	3	18
##	hand torch	hatchet
##	1	14
##	hatchet and gun	ice pick
##	2	1
##	incendiary device	knife
##	2	955
##	knife and vehicle	lawn mower blade
##	1	2
##	machete	machete and gun
##	51	1
##	meat cleaver	metal hand tool
##	6	2
##	metal object	metal pipe
##	5	16
##	metal pole	metal rake
##	4	1
##	metal stick	microphone
##	3	1
##	motorcycle	nail gun
##	1	1
##	oar	pellet gun
##	1	3
##	pen	pepper spray
##	1	2
##	pick-axe	piece of wood
##	4	7
##	pipe	pitchfork
##	7	2
##	pole	pole and knife
##	3	2
##	railroad spikes	rock
##	1	7
##	samurai sword	scissors
##	4	9
##	screwdriver	sharp object
##	16	14
##	shovel	spear
##	7	2
##	stapler	straight edge razor
##	1	5
##	sword	Taser
##	23	34
##	tire iron	toy weapon
##	4	226
##	unarmed	undetermined
##	421	188
##	unknown weapon	vehicle
##	82	213
##	vehicle and gun	vehicle and machete
##	8	1

```
##          walking stick          wasp spray
##                1                1
##          wrench
##                1
```

I am surprised to see air conditioner, flashlight and stapler in the “armed” variable.

Problem 2

- a. Describe the age distribution of the sample. Is this what you would expect to see?

```
hist(dat$age, main= "Age Distribution of Fatal Police Shootings", xlab="Age of Victims", ylab= "Frequency")
```



The distribution of age is skewed to the right. There are some missing values in this distribution. The bulk of the victims were under the age of 40 which makes sense because younger people tend to encounter the police more since they are expected to commit more crimes.

- b. To understand the center of the age distribution, would you use a mean or a median, and why? Find the one you picked.

```
summary(dat$age)
```

```
##      Min. 1st Qu.  Median    Mean 3rd Qu.    Max.   NA's
##      6.00  27.00   35.00   37.12  45.00   91.00    308
```

Since the age distribution is not a normal bell curve then the median would be a better estimate of the center of the distribution since it is more resistant to skewness. The median of the distribution is 35 years old.

c. Describe the gender distribution of the sample. Do you find this surprising?

```
table(dat$gender)
```

```
##
##      F      M
##    3 293 6298
```

```
dat$gender.nas <- ifelse(dat$gender=="", NA, dat$gender)
table(dat$gender.nas)
```

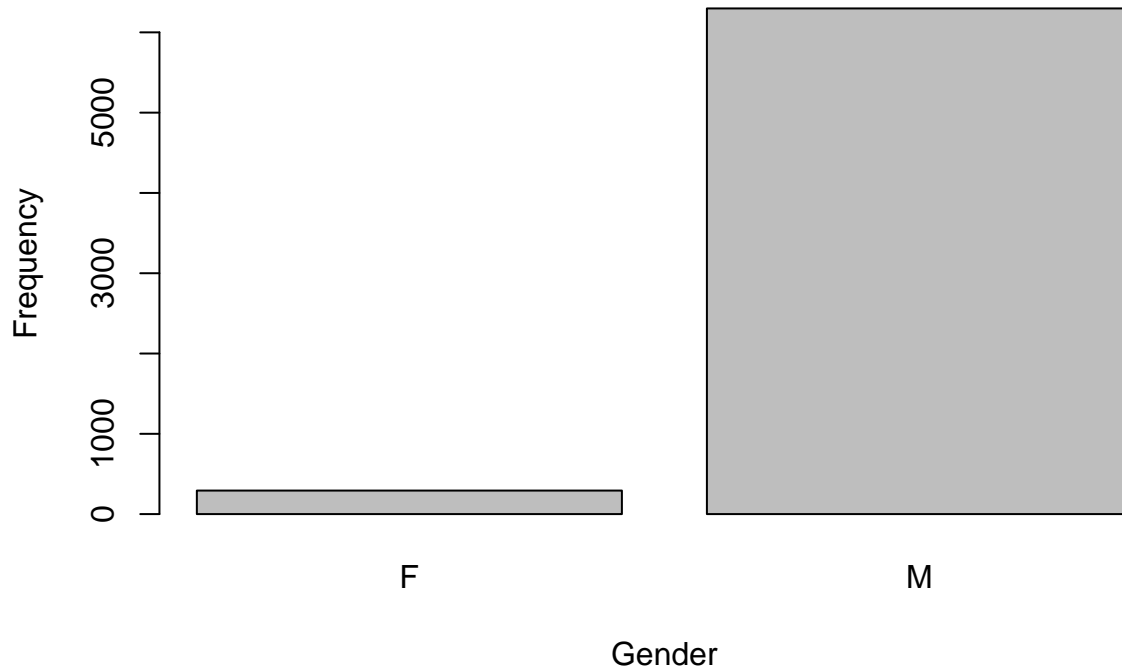
```
##
##      F      M
##   293 6298
```

```
gender.no.nas <- na.omit(dat$gender.nas)
table(gender.no.nas)
```

```
## gender.no.nas
##      F      M
##   293 6298
```

```
tab.gender <- table(gender.no.nas)
barplot(tab.gender, main= "Gender Distribution of Fatal Police Shootings", xlab= "Gender", ylab="Frequency")
```

Gender Distribution of Fatal Police Shootings



The majority of fatal police shooting victims were males. This is expected because the majority of people targeted by the police are males. Missing values were omitted from the distribution because the gender of those victims were unknown.

Problem 3

- a. How many police officers had a body camera, according to news reports? What proportion is this of all the incidents in the data? Are you surprised that it is so high or low?

```
table(dat$body_camera)
```

```
##  
## False  True  
##  5684   910
```

```
prop.table(table(dat$body_camera))
```

```
##  
##      False      True  
## 0.8619958 0.1380042
```

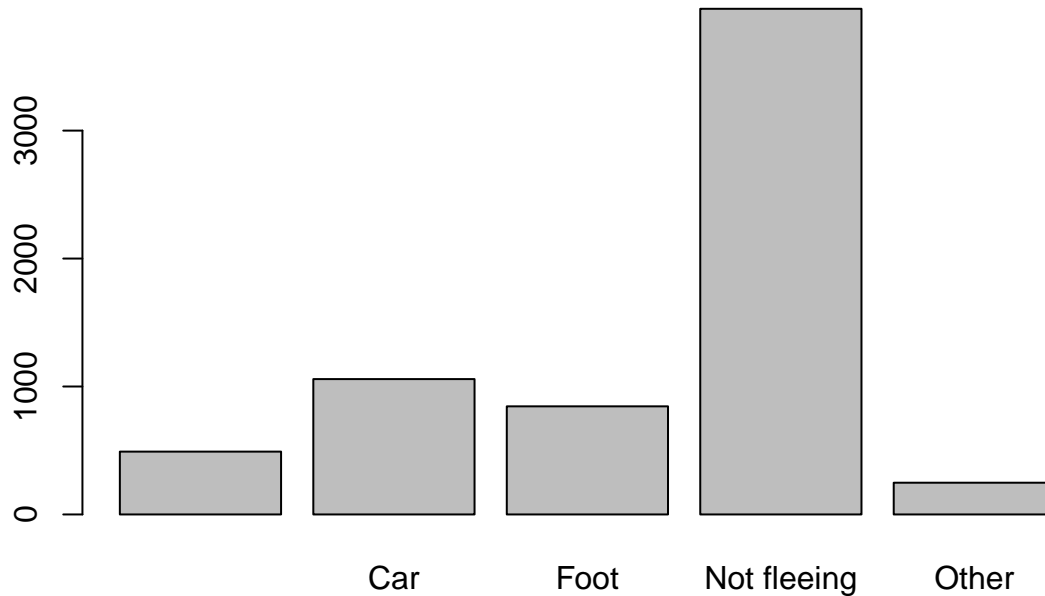
910 police officers had a body camera according to news reports. This is around 14% of all the incidents in the data. I am surprised that it is so low because I assumed that body cameras have become a norm for police stations but they are expensive and some precincts are not strict with body cameras.

b. In how many of the incidents was the victim fleeing? What proportion is this of the total number of incidents in the data? Is this what you would expect?

```
table(dat$flee)
```

```
##
##           Car      Foot Not fleeing      Other
##          491     1058       845     3952       248
```

```
barplot(table(dat$flee))
```



```
prop.table(table(dat$flee))
```

```
##
##           Car      Foot Not fleeing      Other
## 0.07446163 0.16044889 0.12814680 0.59933273 0.03760995
```

In 1903 incidents the victim was fleeing. This is about 29% of the data. This variable is a bit confusing because of the missing values and the “other” category. It is hard to get an accurate depiction of the data but this is not what I expect because in theory the police would shoot at a person that is a fleeing threat not standing still.

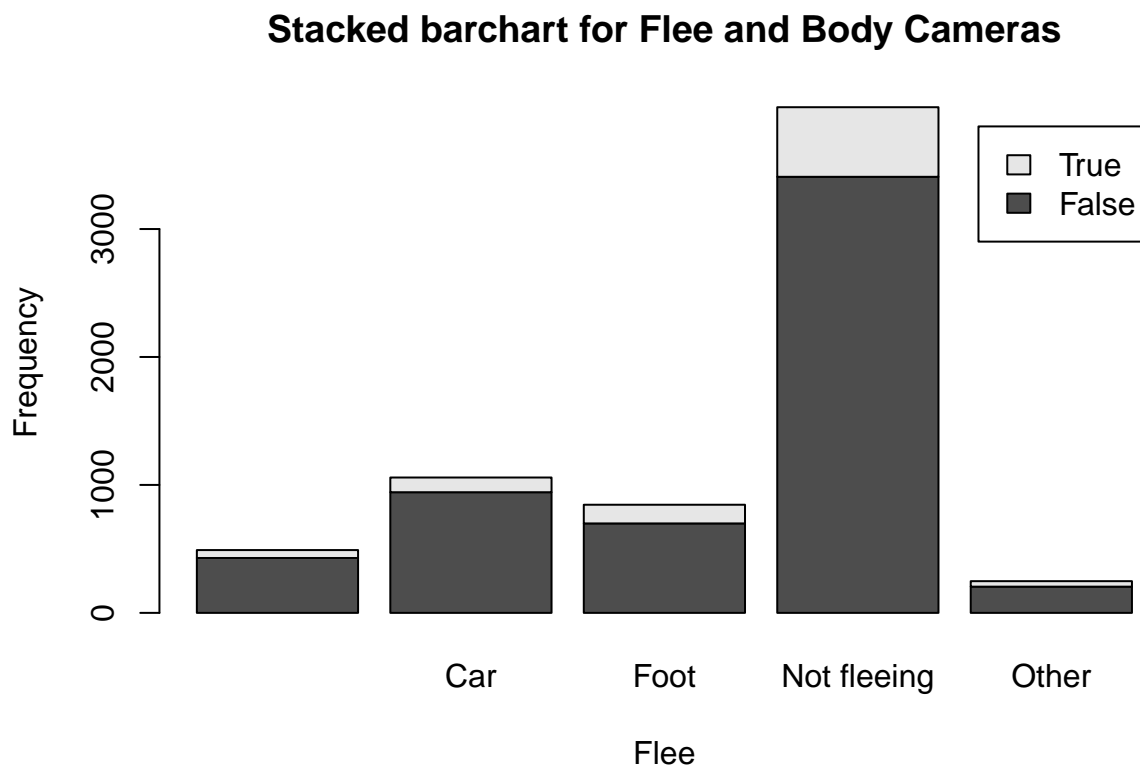
Problem 4 - Answer only one of these (a or b).

- a. Describe the relationship between the variables “body camera” and “flee” using a stacked barplot. What can you conclude from this relationship?

Hint 1: The categories along the x-axis are the options for “flee”, each bar contains information about whether the police officer had a body camera (vertically), and the height along the y-axis shows the frequency of that category).

Hint 2: Also, if you are unsure about the syntax for barplot, run ?barplot in R and see some examples at the bottom of the documentation. This is usually a good way to look up the syntax of R code. You can also Google it.

```
tab.fleecamera <- table(dat$body_camera, dat$flee)
barplot(tab.fleecamera,
        main = "Stacked barchart for Flee and Body Cameras",
        xlab = "Flee", ylab = "Frequency",
        legend.text = rownames(tab.fleecamera),)
```



For all of the categories in “flee”, the majority of police officers did not have a body camera. It appears that the largest proportion of incidents with a body camera are in the “Not fleeing” category however, the “Not fleeing” category has the most observations. Based on this plot it is hard to determine whether or not the victim was actually fleeing because there is no video evidence of the incident.

- b. Describe the relationship between age and race by using a boxplot. What can you conclude from this relationship?

Hint 1: The categories along the x-axis are the race categories and the height along the y-axis is age.

Hint 2: Also, if you are unsure about the syntax for boxplot, run ?boxplot in R and see some examples at the bottom of the documentation. This is usually a good way to look up the syntax of R code. You can also Google it.

Your answer here.

#Extra credit (10 points)

- a. What does this code tell us?

```
mydates <- as.Date(dat$date)
head(mydates)
(mydates[length(mydates)] - mydates[1])
```

This code tells us the dates of all of the incidents and how long the data was collected for by showing the time difference.

- b. On Friday, a new report was published that was described as follows by The Guardian: “More than half of US police killings are mislabelled or not reported, study finds.” Without reading this article now (due to limited time), why do you think police killings might be mislabelled or underreported?

Police killings might be mislabelled or underreported because there is no documentation of the shootings since the majority of officers involved do not have a body camera to record the incident. We have to rely on the police accounts of the incidents which could be biased since the police do not want to show that they were in the wrong. There is also no national system to report all police shootings to which is confirmed by the way that the data was collected for the Washington Post dataset.

- c. Regarding missing values in problem 4, do you see any? If so, do you think that’s all that’s missing from the data?

There is missing data for the variable “Flee”. There are two columns in the “flee” variable that could count under missing data. The first column which is actually missing values and the last column which is “other”. The “other” category is not explained so we do not know what that is reporting. There could potentially be more missing data since the majority of incidents do not have video documentation so the police officers could have lied about the fleeing nature of the victim. The category for body cameras could also have missing values if some police officers did not report whether or not they had a body camera on or they lied.

Assignment 3

This assignment is due on Canvas on Wednesday 10/27/2021 before class, at 10:15 am. Include the name of anyone with whom you collaborated at the top of the assignment.

Submit your responses as either an HTML file or a PDF file on Canvas. Also, please upload it to your website.

Save the file (found on Canvas) `crime_simple.txt` to the same folder as this file (your Rmd file for Assignment 3).

Load the data.

```
library(readr)
library(knitr)
dat.crime <- read_delim("crime_simple.txt", delim = "\t")

## Rows: 47 Columns: 14

## -- Column specification -----
## Delimiter: "\t"
## dbl (14): R, Age, S, Ed, Ex0, Ex1, LF, M, N, NW, U1, U2, W, X

##
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
```

This is a dataset from a textbook by Brian S. Everitt about crime in the US in 1960. The data originate from the Uniform Crime Report of the FBI and other government sources. The data for 47 states of the USA are given.

Here is the codebook:

R: Crime rate: # of offenses reported to police per million population

Age: The number of males of age 14-24 per 1000 population

S: Indicator variable for Southern states (0 = No, 1 = Yes)

Ed: Mean of years of schooling x 10 for persons of age 25 or older

Ex0: 1960 per capita expenditure on police by state and local government

Ex1: 1959 per capita expenditure on police by state and local government

LF: Labor force participation rate per 1000 civilian urban males age 14-24

M: The number of males per 1000 females

N: State population size in hundred thousands

NW: The number of non-whites per 1000 population

U1: Unemployment rate of urban males per 1000 of age 14-24

U2: Unemployment rate of urban males per 1000 of age 35-39

W: Median value of transferable goods and assets or family income in tens of \$

X: The number of families per 1000 earning below 1/2 the median income

We are interested in checking whether the reported crime rate (# of offenses reported to police per million population) and the average education (mean number of years of schooling for persons of age 25 or older) are related.

1. How many observations are there in the dataset? To what does each observation correspond?

```
dim(dat.crime)
```

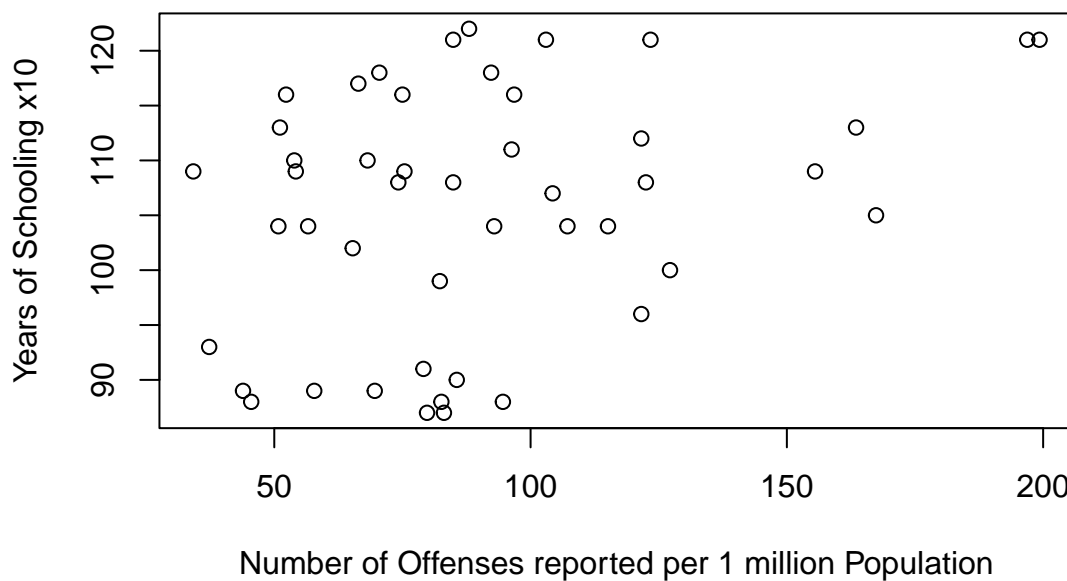
```
## [1] 47 14
```

There are 47 observations in the dataset. Each observation corresponds to one state since the data includes information from 47 out of the 50 states.

2. Draw a scatterplot of the two variables. Calculate the correlation between the two variables. Can you come up with an explanation for this relationship?

```
plot(dat.crime$R, dat.crime$Ed, main="Relationship between Reported Crime Rate and Average Education",  
     xlab="Number of Offenses reported per 1 million Population", ylab="Years of Schooling x10")
```

Relationship between Reported Crime Rate and Average Education



```
cor(dat.crime$R, dat.crime$Ed)
```

```
## [1] 0.3228349
```

When looking at the scatter plot, the two variables do not appear to be related as all the points are scattered and spread out. The reported crime rate and average education have a correlation of 0.3228349 which suggests that the two variables have a slight positive correlation. This would mean that as the number of reported offenses increases, the average years of schooling increases. Crime rates and education could have a positive correlation because states with a larger population had more citizens with more years of schooling and also more crimes. There is a possibility that people with more years of schooling were more likely to report crimes to the police.

- Regress reported crime rate (y) on average education (x) and call this linear model `crime.lm` and write the summary of the regression by using this code, which makes it look a little nicer `{r, eval=FALSE}`
`kable(summary(crime.lm)$coef, digits = 2)`.

```
crime.lm <- lm(formula = R ~ Ed, data = dat.crime)
```

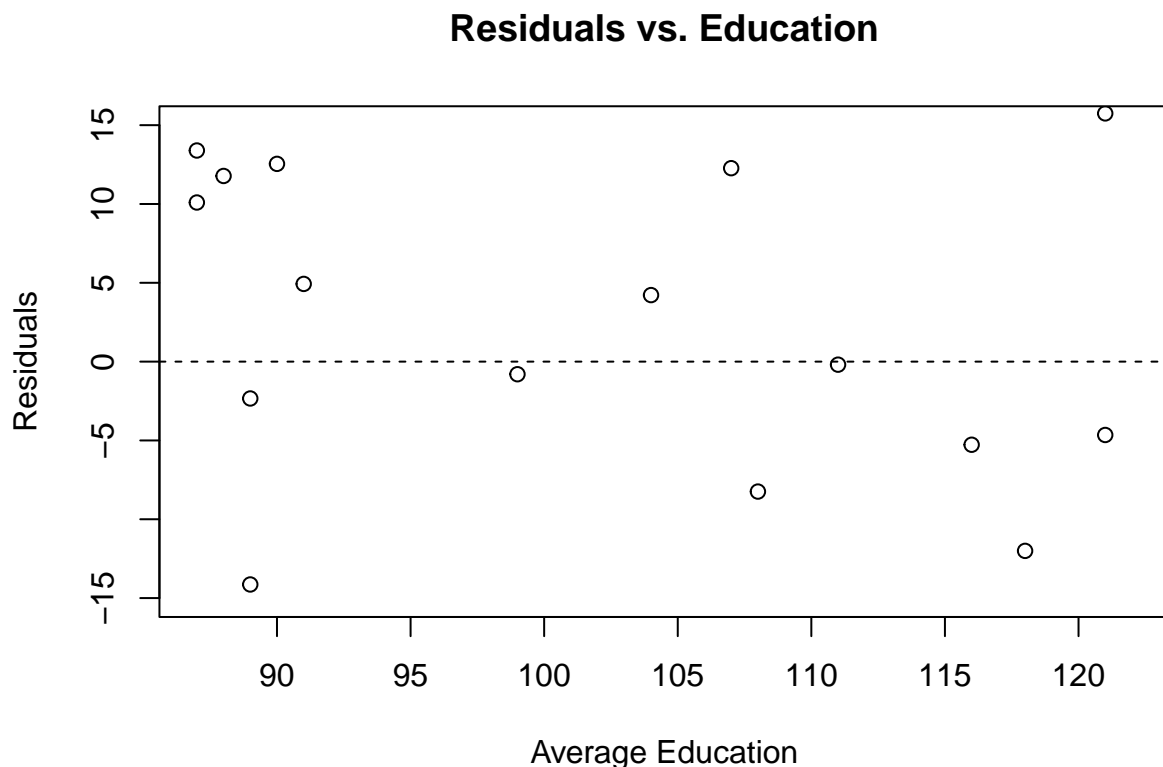
```
kable(summary(crime.lm)$coef, digits = 2)
```

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-27.40	51.81	-0.53	0.60
Ed	1.12	0.49	2.29	0.03

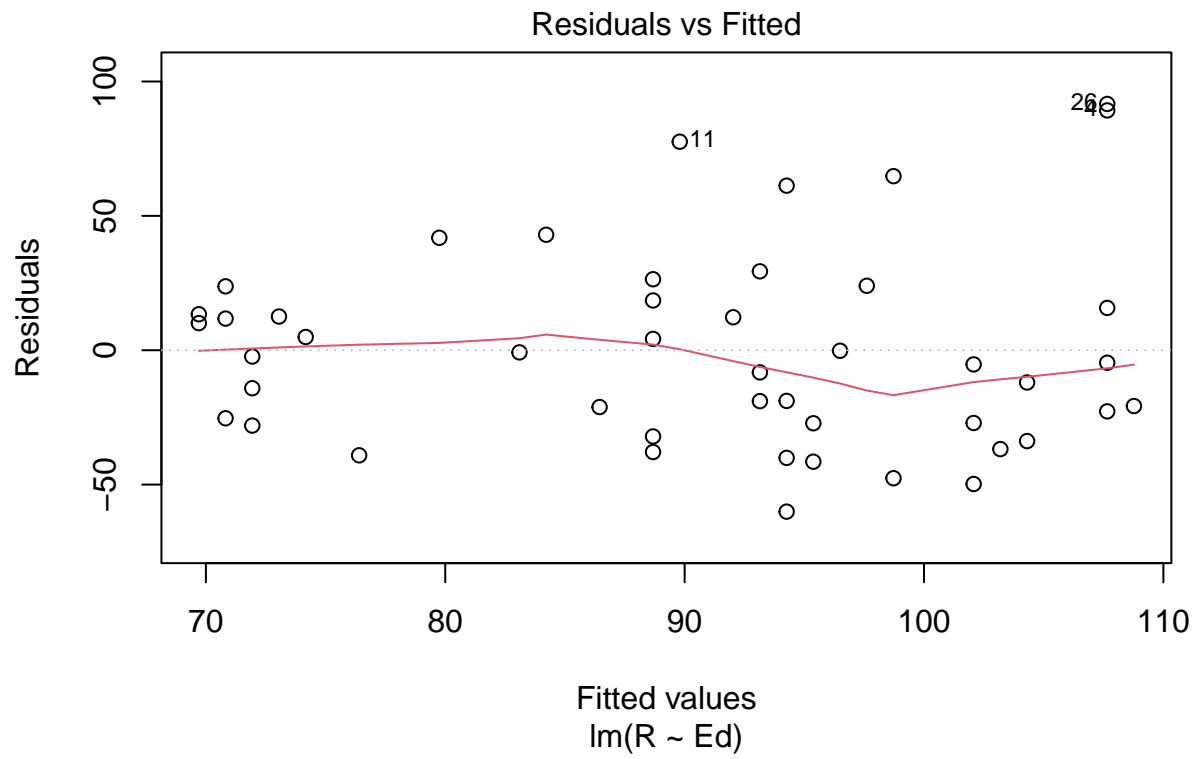
- Are the four assumptions of linear regression satisfied? To answer this, draw the relevant plots. (Write a maximum of one sentence per assumption.)

```
#for linearity assumption (looks good)
```

```
plot(dat.crime$Ed, crime.lm$residuals, ylim=c(-15,15), main="Residuals vs. Education", xlab="Average Education",  
abline(h = 0, lty="dashed"))
```



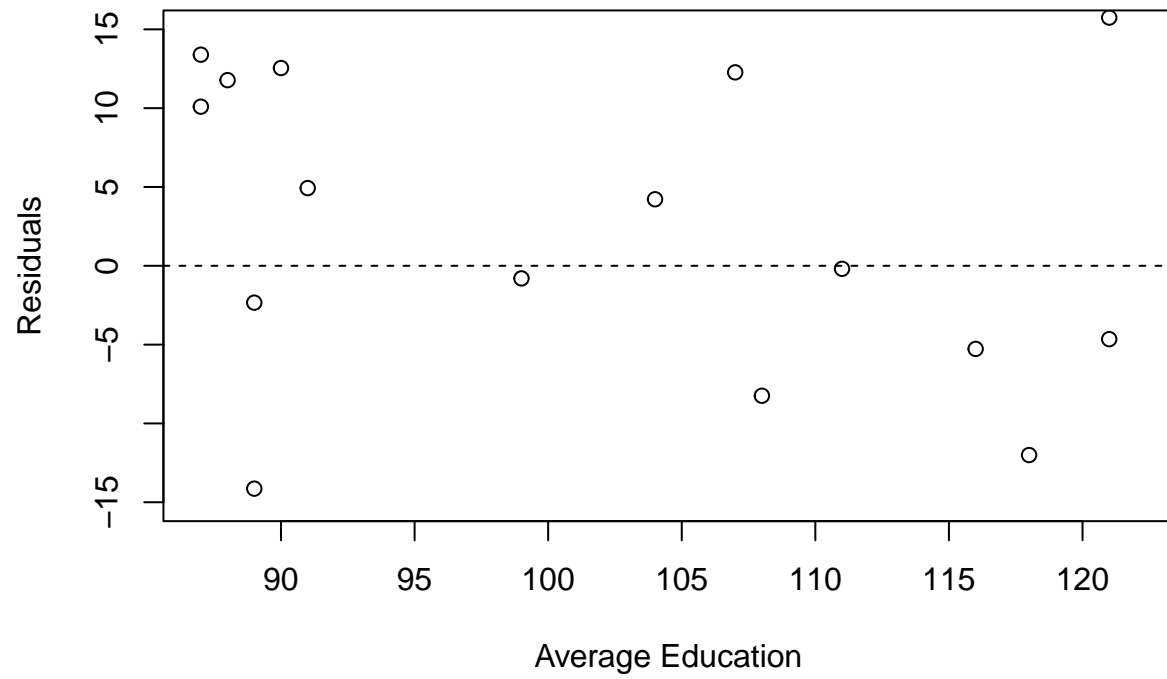
```
plot(crime.lm, which=1)
```



#For Independence Assumption

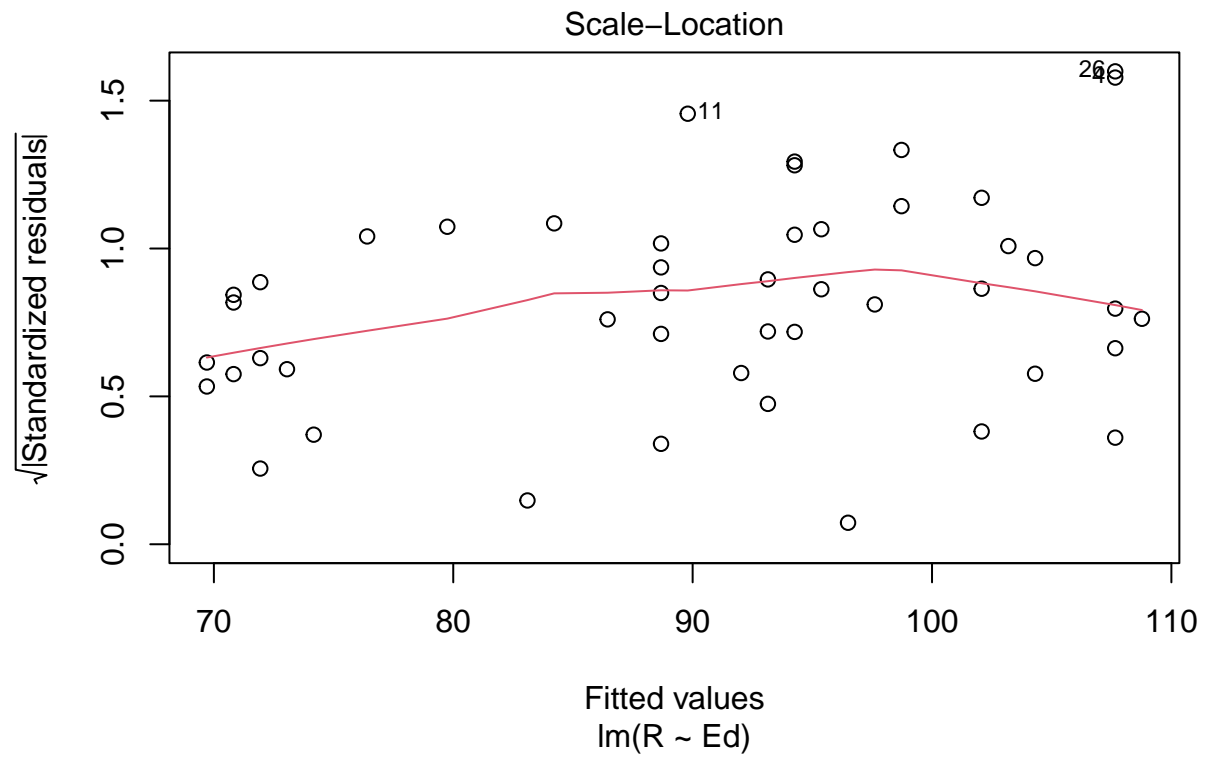
```
plot(dat.crime$Ed, crime.lm$residuals, ylim=c(-15,15), main="Residuals vs. Education", xlab="Average Ed  
abline(h = 0, lty="dashed")
```

Residuals vs. Education



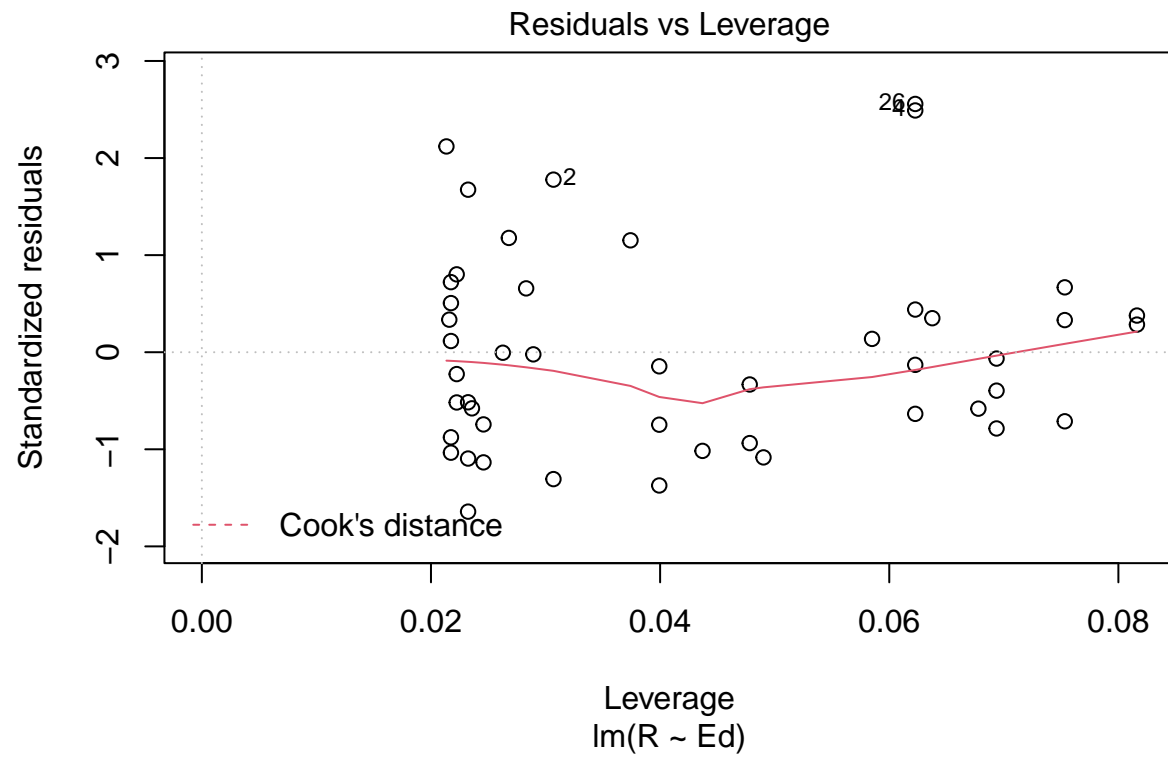
#For Homoscedasticity Assumption

```
plot(crime.lm, which=3)
```

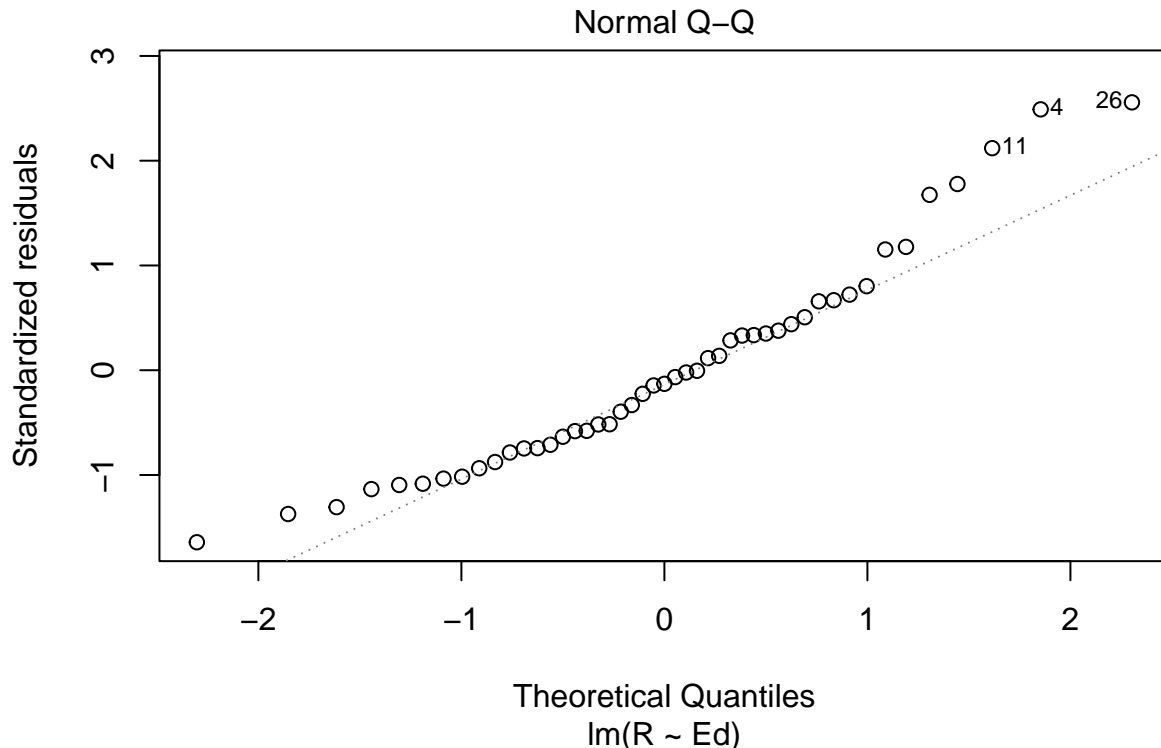


#For Normal Population

```
plot(crime.lm, which=5)
```



```
plot(crime.lm, which=2)
```



For the linearity assumption, the “Residuals vs. fitted” plot has a red line that is quite straight which would mean that there is equal variance across the range of the fitted values, so the linearity assumption is satisfied. For the independence assumption, the “Residuals vs Education” plot there does not appear to be any patterns that would indicate variable dependence and the data is not a time series so this assumption is satisfied. For the homoscedasticity assumption, the “Scale-location” plot shows a rather flat line which would mean there is constant variance among the data which means the homoscedasticity assumption is satisfied. For the normal population assumption, the “residuals vs leverage” plot does not show any outliers and the QQ plot shows that most points fall in line however, the right tail is light.

5. Is the relationship between reported crime and average education statistically significant? Report the estimated coefficient of the slope, the standard error, and the p-value. What does it mean for the relationship to be statistically significant?

The relationship between reported crime and average education is slightly statistically significant because the p-value is less than the significance level. The estimated coefficient is 1.1161 which means that for every 1 year increase in education, the crime rate goes up by 1.1161. The standard error is 0.4878 which means that the crime rate can vary by 0.4878. The p-value is 0.0269 and it is slightly significant because it has one asterisk. When a relationship is statistically significant then the null hypothesis can be rejected. This means that the relationship between the variables is not likely due to chance or luck.

6. How are reported crime and average education related? In other words, for every unit increase in average education, how does reported crime rate change (per million) per state?

When average education increases by 1 year, the reported crime rate increases by 1.1161 units.

7. Can you conclude that if individuals were to receive more education, then crime will be reported more often? Why or why not?

The conclusion that more education will lead to more reported crimes cannot be made because correlation does not imply causation. There are other factors involved in the reported crime rate such as population, age and unemployment.

Exam 2

Data description:

This dataset provides (simulated) data about 200 police departments in one year. It contains information about the funding received by the department as well as incidents of police brutality. Suppose this dataset (sim.data.csv) was collected by researchers to answer this question: **“Does having more funding in a police department lead to fewer incidents of police brutality?”**

Codebook:

- funds: How much funding the police department received in that year in millions of dollars.
- po.brut: How many incidents of police brutality were reported by the department that year.
- po.dept.code: Police department code

Problem 1: EDA

Describe the dataset and variables. Perform exploratory data analysis for the two variables of interest: funds and po.brut.

```
dat <- read.csv(file = 'sim.data.csv')
head(dat)
```

```
##   po.dept.code funds po.brut
## 1             1  48.1      23
## 2             2  81.4      10
## 3             3  41.8      25
```

```
## 4      4 61.7    19
## 5      5 86.4     8
## 6      6 51.6    22
```

```
dim(dat)
```

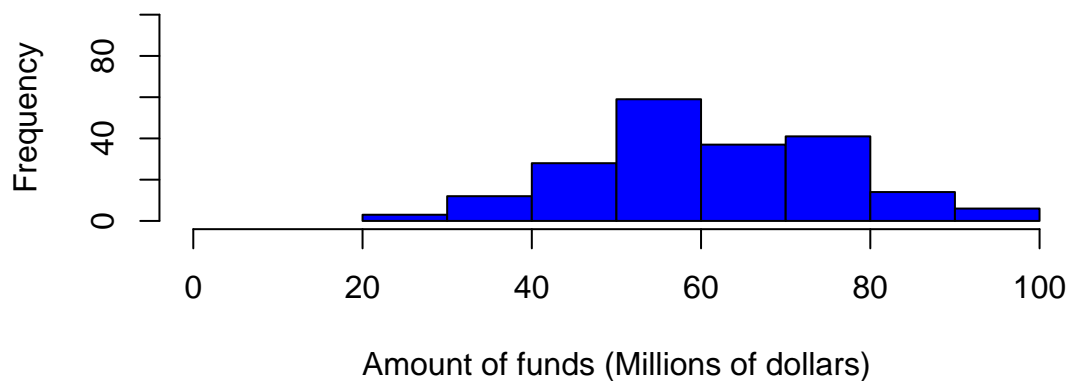
```
## [1] 200  3
```

```
par(mfrow=c(2,1))
```

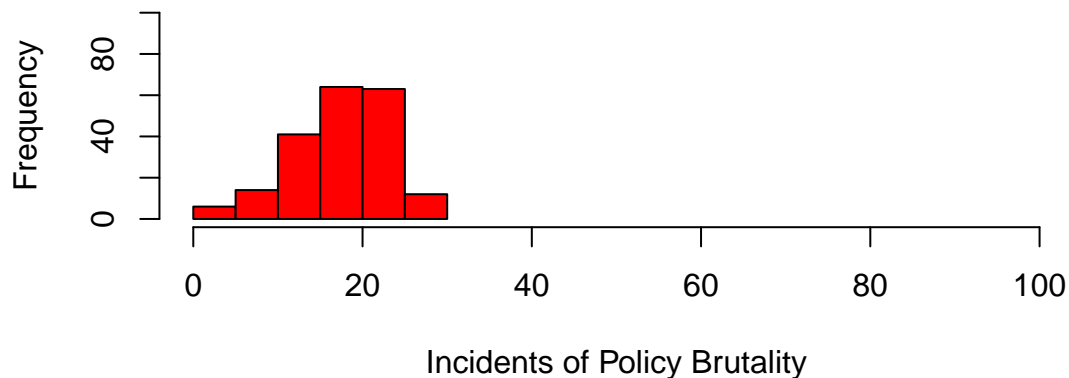
```
hist(dat$funds, main= "Distribution of Funds for Police Departments", xlab= "Amount of funds (Millions of dollars)", col= "blue", las= 1)
```

```
hist(dat$po.brut, main= "Distribution of Incidents of Police Brutality for Police Departments", xlab= "Incidents of Police Brutality", col= "red", las= 1)
```

Distribution of Funds for Police Departments



Distribution of Incidents of Police Brutality for Police Departments



The dataset contains 200 observations. Each observation corresponds to a police department. There are three columns that correspond to the three variables of police department

code, funding that each department received and incidents of police brutality for each department. The distribution for funds appears to be almost normal with a slight skew to the right. The distribution for incidents of police brutality appears to have a slight left skew with the most frequent number of incidents being around 20.

Problem 2: Linear regression

- a. Perform a simple linear regression to answer the question of interest. To do this, name your linear model “reg.output” and write the summary of the regression by using “summary(reg.output)”.

```
reg.output <- lm(formula = po.brut ~ funds, data = dat)

summary(reg.output)

##
## Call:
## lm(formula = po.brut ~ funds, data = dat)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -3.9433 -0.2233  0.2544  0.5952  1.1803
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 40.543069   0.282503  143.51  <2e-16 ***
## funds       -0.367099   0.004496  -81.64  <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.9464 on 198 degrees of freedom
## Multiple R-squared:  0.9712, Adjusted R-squared:  0.971
## F-statistic: 6666 on 1 and 198 DF, p-value: < 2.2e-16
```

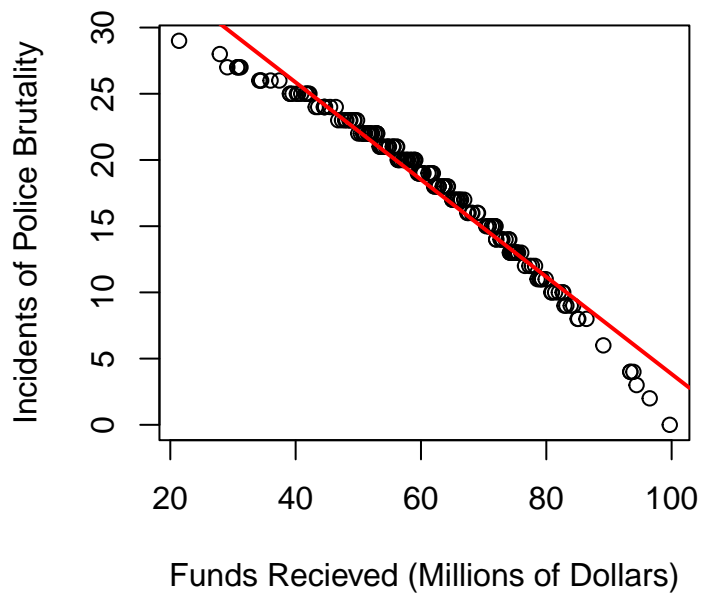
- b. Report the estimated coefficient, standard error, and p-value of the slope. Is the relationship between funds and incidents statistically significant? Explain.

The estimated coefficient is -0.367099 which means that a one million dollar increase in amount of funds is associated with a decrease of -0.367099 incidents of police brutality. The standard error is 0.004496 which means that the change in incidents of police brutality can vary by 0.004496. The p-value is < 2.2e-16 and it is statistically significant because there are three asterisks. The p-value is less than the alpha value of 0.05 which means that the relationship between funds and incidents is statistically significant and the null hypothesis can be rejected which means that the observed relationship is not due to chance.

- c. Draw a scatterplot of po.brut (y-axis) and funds (x-axis). Right below your plot command, use abline to draw the fitted regression line, like this:

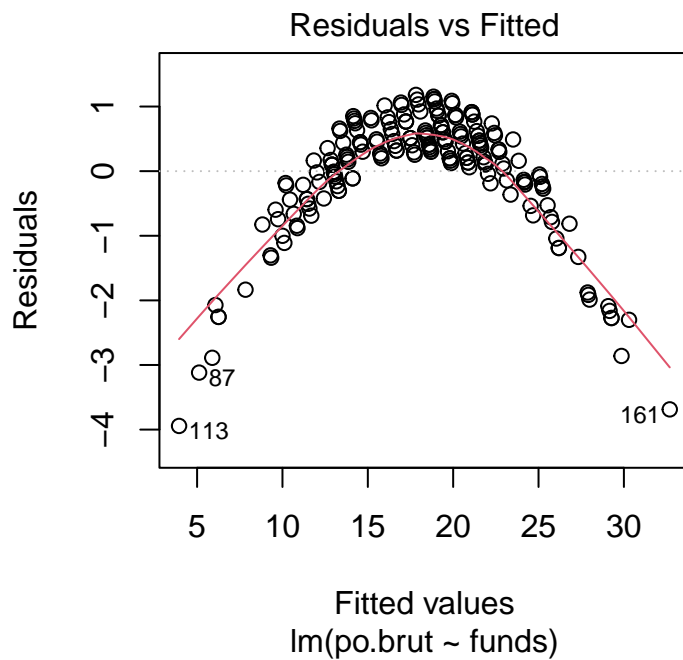
```
plot(dat$funds, dat$po.brut, main="Relationship between Funds Recieved and Incidents of Police Brutali
abline(reg.output, col = "red", lwd=2)
```

p between Funds Recieved and Incidents of



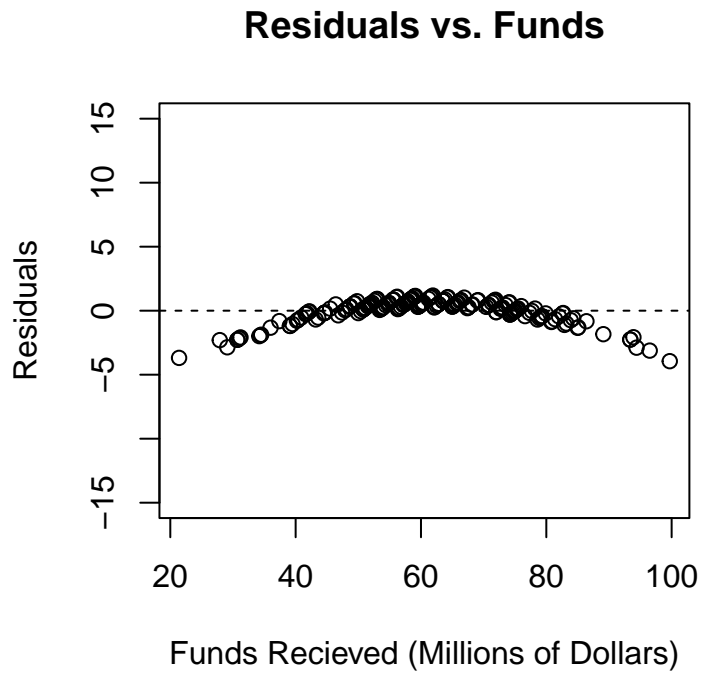
#for linearity assumption

`plot(reg.output, which=1)`



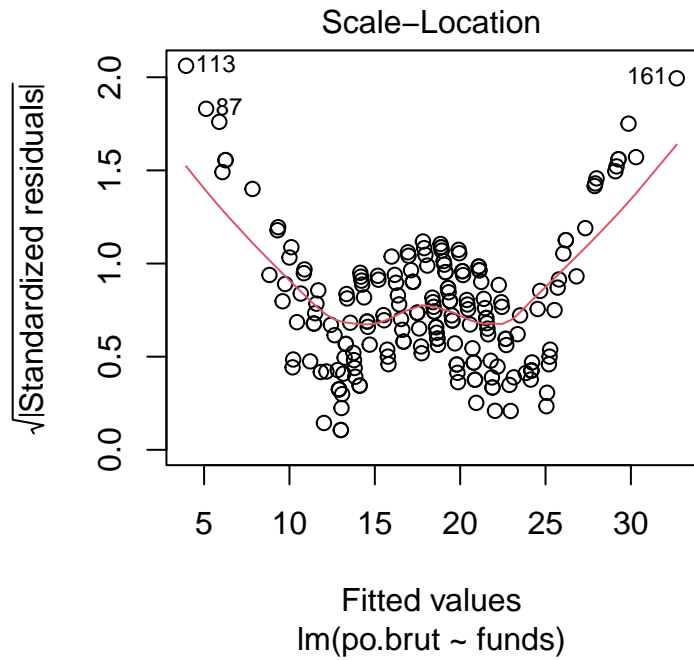
```
#For Independence Assumption
```

```
plot(dat$funds, reg.output$residuals, ylim=c(-15,15), main="Residuals vs. Funds", xlab="Funds Recieved",  
abline(h = 0, lty="dashed"))
```



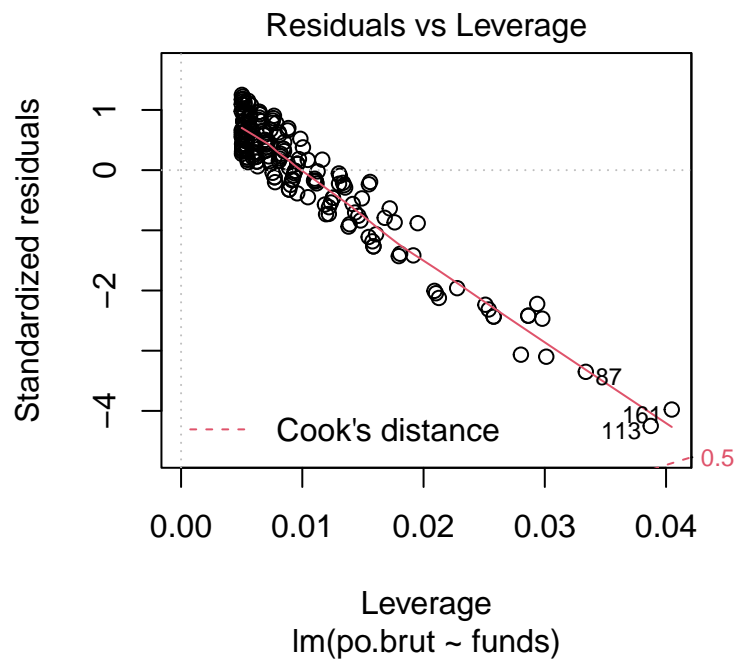
```
#For Homoscedasticity Assumption
```

```
plot(reg.output, which=3)
```

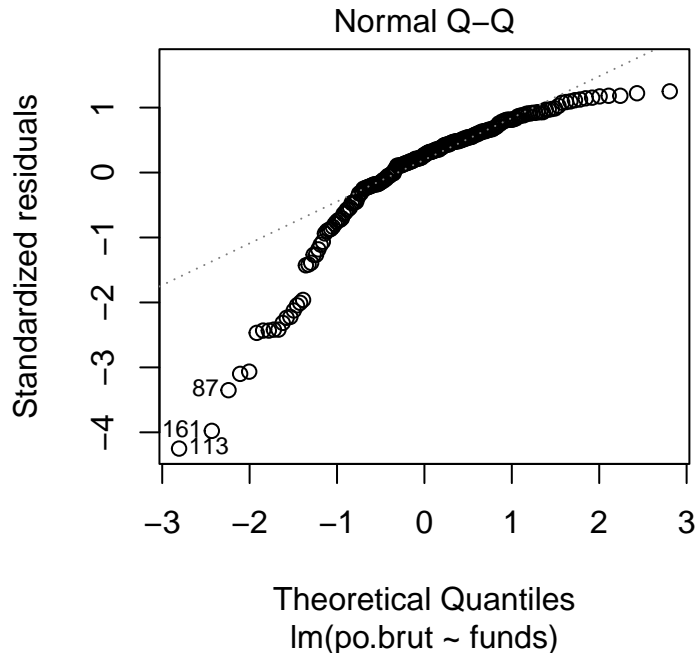


#For Normal Population

```
plot(reg.output, which=5)
```



```
plot(reg.output, which=2)
```



or why not?

Does the line look like a good fit? Why

The line looks like a good fit because most of the points fall on the line.

- d. Are the four assumptions of linear regression satisfied? To answer this, draw the relevant plots. (Write a maximum of one sentence per assumption.) If not, what might you try to do to improve this (if you had more time)?

For the linearity assumption, on the “Residuals vs Fitted” plot the points follow a pattern and there is not equal variance between them which means that linearity is not satisfied. For the independence assumption, the dataset is not a time series since the data is collected from 200 different police departments and the “Residuals vs Funds” plot does not suggest variable dependence which means the assumption is satisfied but it is hard to tell from the plot alone. For the homoscedasticity assumption, the scale-location plot does not show equal variance among the points and the line is curved which does not suggest a linear trend therefore this assumption is not satisfied. For the normal population assumption, there does not appear to be any outliers but the Q-Q plot shows that the points do not follow the line and instead curve which means that the data is left skewed and not normal so the assumption is not satisfied. To improve the data so the assumptions are satisfied, the data can be transformed with log. The log of incidents of police brutality can be taken to see if that makes the data fit the model better.

- e. Answer the question of interest based on your analysis.

When looking at the scatterplot and linear regression summary and plot, it appears that having more funding decreases incidents of police brutality. However, the linear regression model is not a good model to make a conclusion off of because all of the assumptions tested

were not satisfied. Since the assumptions were not satisfied, the linear regression model is not a good fit for the data. In order to come to a clearer conclusion about the relationship between funding and incidents of police brutality, the model needs to be transformed.

Problem 3: Data ethics

Describe the dataset. Considering our lecture on data ethics, what concerns do you have about the dataset? Once you perform your analysis to answer the question of interest using this dataset, what concerns might you have about the results?

The dataset includes observations from 200 police departments about funding received and incidents of police brutality in one year. Some concerns about the data are sampling bias since we do not know which police departments were chosen and how they were chosen. If most of the police departments come from one area then the data is not representative of the population and could be biased. We also do not know who the researchers were and who funded their study which could be another concern for bias. There is also a concern that the police departments were not accurate with their report for incidents of police brutality since that could make a police department look bad. The results from the analysis can be misleading because there is statistical significance and the R value and correlation are high so it appears that there is a relationship between funding and incidents. However, when assumptions are checked they are not satisfied which means that the model is not a good fit so conclusions should not be made using it.