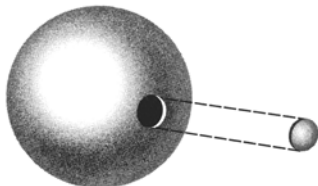


SNU Physics 2016 Spring Semester Physics 2: Problem Set #2

- Consider the following geometrical shapes in which a point charge q is situated.
 - charge q at the center of a cube with edge length of a . Express the electric flux through its faces.
 - charge q at the center of the base of a pyramid (four equilateral triangles and a square base of side length a). Express the electric flux emerging from one of the equilateral triangles.
 - Consider the following uniformly charged (σ) objects with an empty small hole of radius r .
 - infinite sheet: Express \mathbf{E} at point P which lies on a line perpendicular to the sheet and intersects the center of the circular hole.
 - spherical shell: Express \mathbf{E} at the center of the empty hole (see image on the right).
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- Consider two oppositely charged (σ and $-\sigma$) strips (both with width b and negligible thickness).
 - Express \mathbf{E} due to one of the strips at a point on the same plane as the strip distance x from it (assume length of the strip $\gg b$).
 - Show that the force (per unit height) between the two strips can be expressed as $F/l = \sigma^2 b (\ln 2) / \pi \epsilon_0$.
 - Consider a ring of radius R , which is uniformly positively charged with a line charge density of λ . A particle of charge $+q$ and mass m is free to move in the same plane as the ring. Initially, it is at the center of the ring. Then, it is moved by a small distance r from the center. Show that the particle undergoes a simple harmonic oscillation and express its frequency. (Hint: find $U(r)$ for small r . Then, the force (restoring) is $F = -\frac{dU}{dr}$)
 - Consider a very long cylinder with radius b which is uniformly charged with Q and an equally long rod with radius a which is uniformly charged with $-Q$. And, $b > a$.
 - Express \mathbf{E} as a function of distance r from the central axis along the length of the cylinder (without the rod)
 - Now, the rod is inserted into the cylinder so central axis of the rod and cylinder overlap. Express \mathbf{E} as a function of distance r from the common central axis of the rod and cylinder.
 - How much work was done to insert the rod into the cylinder? List various ways that this value can be calculated.
 - Consider a spherical thick shell
 - Charge Q is uniformly distributed throughout its volume with an inner radius of R_1 and an outer radius of R_2 . Express \mathbf{E} as function of r , for $0 \leq r \leq \infty$.
 - For $R_2 = 2R_1$, Find V at the center of the shell.
 - Consider a square sheet with a uniform charge density σ . With $V = 0$ for infinite distance from the square, V_o denotes the potential at the center of the square and V_I at the corners. Find the ratio V_o/V_I .
 - Consider a uniformly charged (σ) disk with radius a . Express the potential at a point which is at the rim (edge) of the disk.
 - The capacitance of two conducting parallel plates separated by distance s is given as C . What is the capacitance if a third plate is inserted between the two plates and the two original plates are connected by a wire?
 - A capacitor consists of three concentric spherical shells with radii R , $2R$, $3R$. The inner and outer shells are connected by a wire so that they are at the same potential. Initially the three shells are neutral.
 - Then, the middle shell is charged (i.e., by a battery) with $-Q$. What are the charges on the inner and outer shell?
 - What is the capacitance of the system?