Data and the plug-in principle

```
{r setup, include=FALSE} knitr::opts_chunk$set(cache=TRUE)
1
return_probs <- function(row){</pre>
row <- as.numeric(row)</pre>
product_1 <- p_v1_v11[,1][row[1]+1]* p_v2_v11[,1][row[2]+1]* p_v3_v11[,1][row[3]+1]* p_v4_v1
product_2 <- p_v1_v11[,2][row[1]+1]* p_v2_v11[,2][row[2]+1]* p_v3_v11[,2][row[3]+1]* p_v4_v1
product_3 <- p_v1_v11[,3][row[1]+1]* p_v2_v11[,3][row[2]+1]* p_v3_v11[,3][row[3]+1]* p_v4_v1
c(P_1*product_1, P_2*product_2, P_3*product_3)
}
binary_data <- read.csv('naive_bayes_binary.csv')</pre>
binary_data_train <- binary_data[1:(length(binary_data$V1)/2),]</pre>
binary_data_test <- binary_data[2501:5000,]</pre>
true_values <- binary_data_test$V11
binary_data_test <- binary_data_test[1:10]</pre>
#create tables of all variables and derive their conditional probs
table_v1_v11 <- table(binary_data_train$V1, binary_data_train$V11)</pre>
table_v2_v11 <- table(binary_data_train$V2, binary_data_train$V11)
table_v3_v11 <- table(binary_data_train$V3, binary_data_train$V11)
table_v4_v11 <- table(binary_data_train$V4, binary_data_train$V11)
table_v5_v11 <- table(binary_data_train$V5, binary_data_train$V11)</pre>
table_v6_v11 <- table(binary_data_train$V6, binary_data_train$V11)
table_v7_v11 <- table(binary_data_train$V7, binary_data_train$V11)
table_v8_v11 <- table(binary_data_train$V8, binary_data_train$V11)
table_v9_v11 <- table(binary_data_train$V9, binary_data_train$V11)</pre>
table_v10_v11 <- table(binary_data_train$V10, binary_data_train$V11)</pre>
```

```
# table_vecs <-</pre>
p_v1_v11 <- prop.table(table_v1_v11,2)</pre>
p_v2_v11 <- prop.table(table_v2_v11,2)</pre>
p_v3_v11 <- prop.table(table_v3_v11,2)</pre>
p_v4_v11 <- prop.table(table_v4_v11,2)</pre>
p_v5_v11 <- prop.table(table_v5_v11,2)</pre>
p_v6_v11 <- prop.table(table_v6_v11,2)</pre>
p_v7_v11 <- prop.table(table_v7_v11,2)</pre>
p_v8_v11 <- prop.table(table_v8_v11,2)</pre>
p_v9_v11 <- prop.table(table_v9_v11,2)</pre>
p_v10_v11 <- prop.table(table_v10_v11,2)</pre>
number_1 <- sum(binary_data_train$V11 ==1)</pre>
number 2 <- sum(binary data train$V11 ==2)</pre>
number_3 <- sum(binary_data_train$V11 ==3)</pre>
P_1 <- number_1/length(binary_data_train$V11)
P_2 <- number_2/length(binary_data_train$V11)
P_3 <- number_3/length(binary_data_train$V11)
probs_v11_numbers <- c(P_1, P_2, P_3)</pre>
results <- c()
for (i in 1:length(binary_data_test$V1)) {
    temp <- return_probs(binary_data_test[i,])</pre>
    results <- c(results, match(max(temp), temp))</pre>
}
2
a)
library('rpart')
library('rpart.plot')
student_data <- read.csv('student/student-mat.csv', sep=';')</pre>
student_data$class <- ifelse(student_data$G3 > 10,0,1)
new_dat <- student_data[1:30]</pre>
new_dat <- cbind(new_dat, student_data[34])</pre>
sample_ind <- sample(nrow(new_dat),nrow(new_dat)*0.70)</pre>
train <- new_dat[sample_ind,]</pre>
```

```
test <- new_dat[-sample_ind,]</pre>
set.seed(100)
fit <- rpart(formula = class~., data = train, method = "class", control = rpart.control(cp =
printcp(fit)
test$pred <- predict(fit, test, type = "class")</pre>
#pruning
fit_pruned <- prune(fit, cp = 0.038)</pre>
test$pred <- predict(fit_pruned, test, type = "class")</pre>
rpart.plot(fit_pruned)
b)
training error = root node error X relative error
training error = 0.47 * 0.62 = 0.2914
generalisation error = 0.47 * 0.6641 = 0.3121
c)
d)
student_data_reg <- read.csv('student/student-mat.csv', sep=';')</pre>
new_dat <- student_data[1:30]
new_dat <- cbind(new_dat, student_data[33])</pre>
sample_ind <- sample(nrow(new_dat), nrow(new_dat)*0.70)</pre>
train_reg <- new_dat[sample_ind,]</pre>
test_reg <- new_dat[-sample_ind,]</pre>
set.seed(100)
fit_reg <- rpart(formula = G3~., data = train_reg, method = "anova", control = rpart.control
printcp(fit_reg)
fit_pruned_reg <- prune(fit_reg, cp = 0.027)</pre>
rpart.plot(fit_pruned_reg)
```

4

```
a)
strange_data <- read.csv('strange_binary.csv')</pre>
set.seed(100)
fit_strange <- rpart(c~., data=strange_data, method='class', control = rpart.control(cp = 0)
plot(fit_strange)
fit_strange
printcp(fit_strange)
           CP nsplit rel error xerror
# 1 0.0572917
                   0 1.00000 1.0000 0.10308
# 2 0.0312500
                    3 0.82812 1.0938 0.10540
# 3 0.0156250
                    4 0.79688 1.1094 0.10574
                    5 0.78125 1.1094 0.10574
# 4 0.0078125
# 5 0.0000000
                    9 0.75000 1.0781 0.10504
fit_pruned_strange <- prune(fit_strange, cp = 0.0312)</pre>
plot(fit_pruned_strange)
strange_predict <- predict(fit_pruned_strange, strange_data, type='class')</pre>
score <- mean(strange_predict == strange_data$c)</pre>
printcp(fit_pruned_strange)
The error on the test set will be different from that of training error. As you
can see for the given tree, cp=0.00781 looks the most optimal parameter with
the least validation error. Here the validation is much more than training error.
So it cannot be said that training and test will be the same for this tree.
```

6

```
classification_data <- read.csv('classification_accuracy.csv')</pre>
```

wins_decision_tree <- sum(classification_data\$decision_tree > classification_data\$svm) + sum
wins_svm <- sum(classification_data\$svm > classification_data\$decision_tree) + sum(classification_data\$naive_bayes <- sum(classification_data\$naive_bayes > classification_data\$svm) + sum(classification_data\$svm)

loss_decision_tree <- sum(classification_data\$decision_tree < classification_data\$svm) + sum
loss_svm <- sum(classification_data\$svm < classification_data\$decision_tree) + sum(classification_data\$svm) + sum(classification_data\$svm) + sum(classification_data\$svm) + sum(classification_data\$svm)</pre>

draw_decision_tree <- sum(classification_data\$decision_tree == classification_data\$svm) + sudraw_svm <- sum(classification_data\$svm == classification_data\$decision_tree) + sum(classification_data\$naive_bayes <- sum(classification_data\$naive_bayes == classification_data\$svm) + sum(classification_data\$svm)</pre>