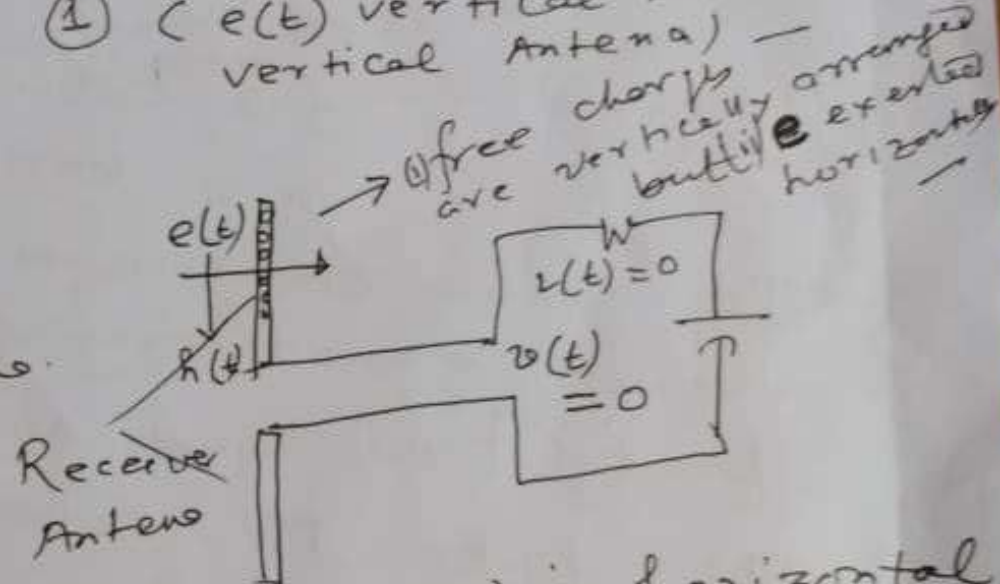
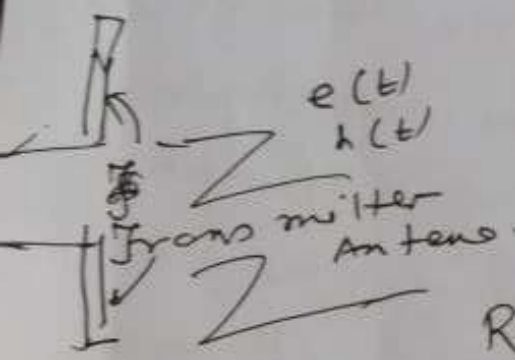


Case 1
① $e(t)$ vertical to the vertical Antenna



Case - 2 $e(t)$ is horizontal to the vertical antenna.

②

③ Adjustment of Receiving Antennas is required by rotation.

④

Page-2 /

④ Electromagnetic wave equation.

$$\vec{E}(t, x) = E \sin\left(2\pi f t + \frac{2\pi}{\lambda} x\right)$$

$$\vec{H}(t, x) = H \sin\left(2\pi f t + \frac{2\pi}{\lambda} x\right)$$

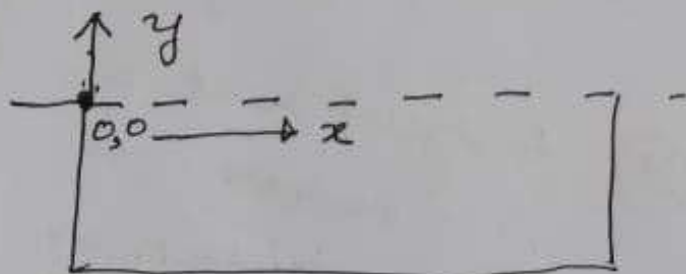
E = Amplitude of E field
 H = " " H field.

f = cyclic frequency

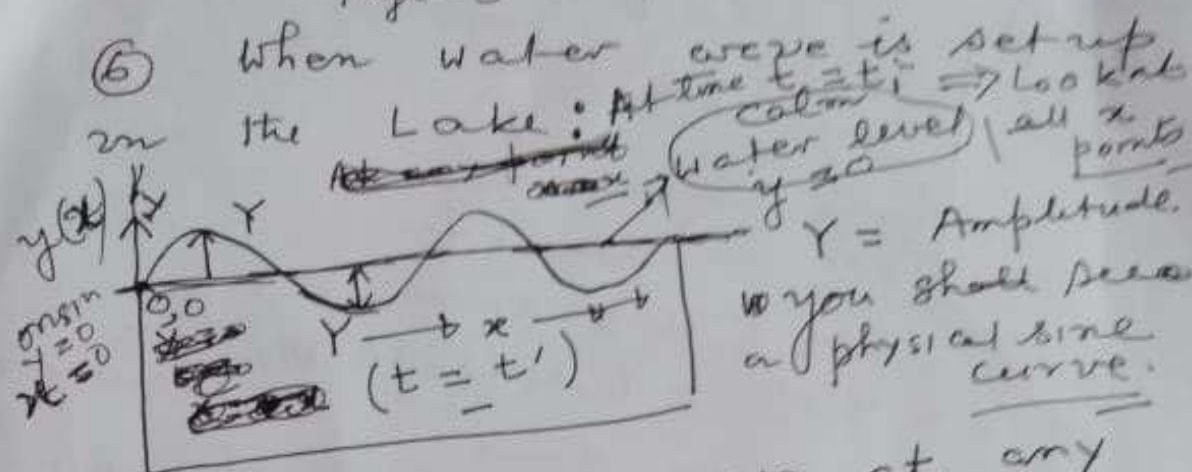
λ = wave length. —

To understand and derive above equation as a function of t (time) and x (space) let us take the example of ~~wave~~ water wave of a Lake.

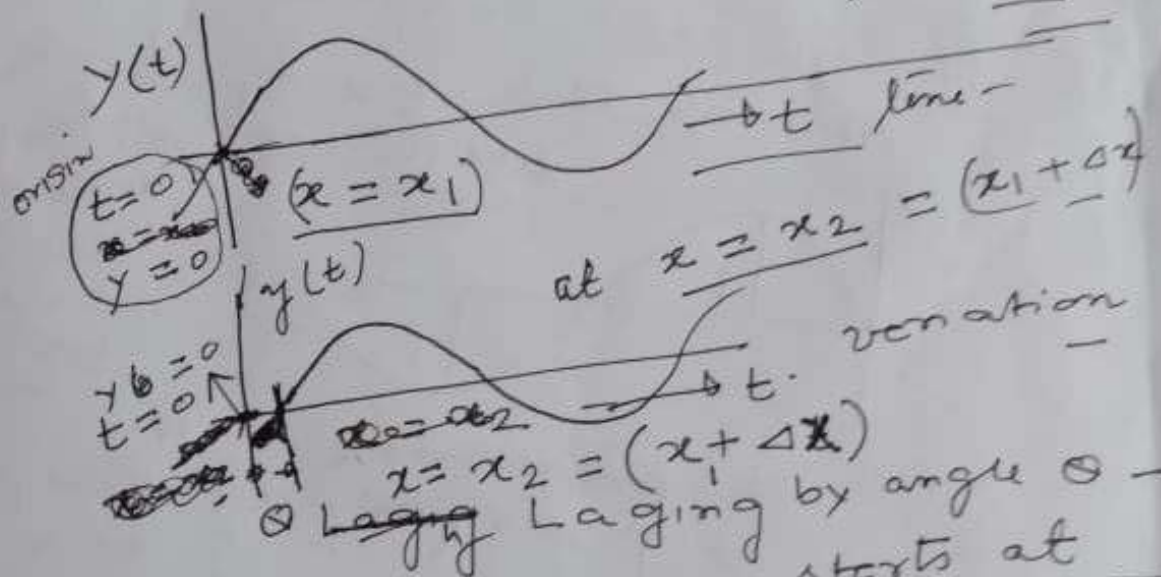
⑤ Calm Lake



At any x $y(x) = 0$



⑦ Look at The wave at any x point $x = x_1$ where wave starts. Look at the time variation



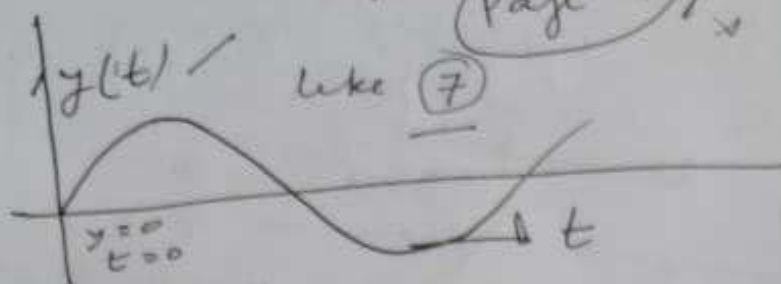
So here the wave starts at θ angle letter. $2\pi \Rightarrow T$

$x = x_3, x_4, x_5$ where $x_1 < x_2 < x_3 < x_4 < x_5$

Wave start at letter point of time.

We say the wave travels.

(9)

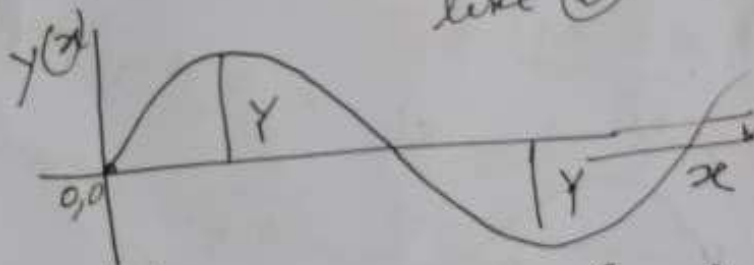


at $x = x_1 -$
 $y(t) = Y \sin(2\pi f t)$ $f = \text{cyclic frequency} = \frac{1}{T}$ (time period)
 at $x = x_2 -$
 $y(t) = Y \sin(2\pi f t - \phi)$

(10)

Now look at the variation of y w.r. to space.

At any time $t = t_1$ like (6)

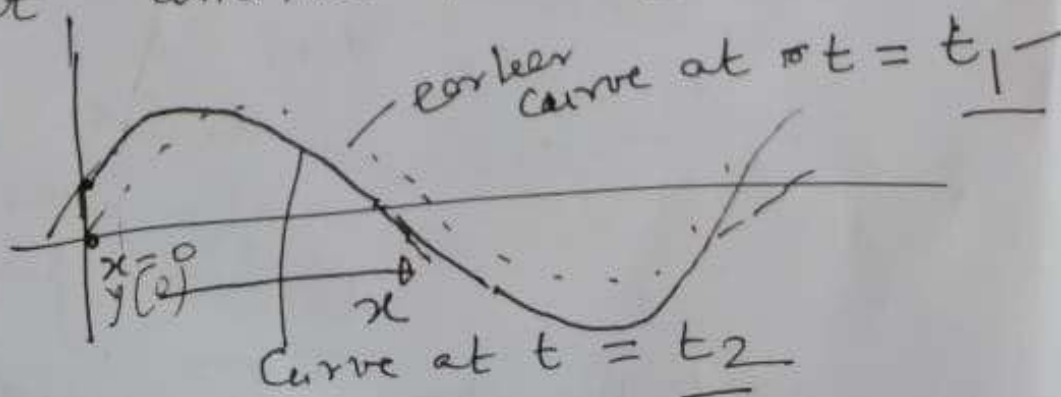


Look at all x points you will see a sine wave

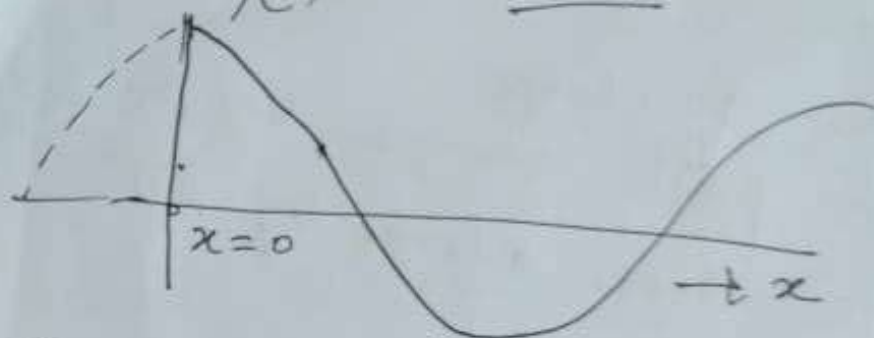
$y(x) = \cancel{Y \sin 2\pi f x}$
 $= Y \sin(\beta x)$ where β is a constant

(11)

Look at all x points at another time $t = t_2 = (t_1 + \Delta t)$

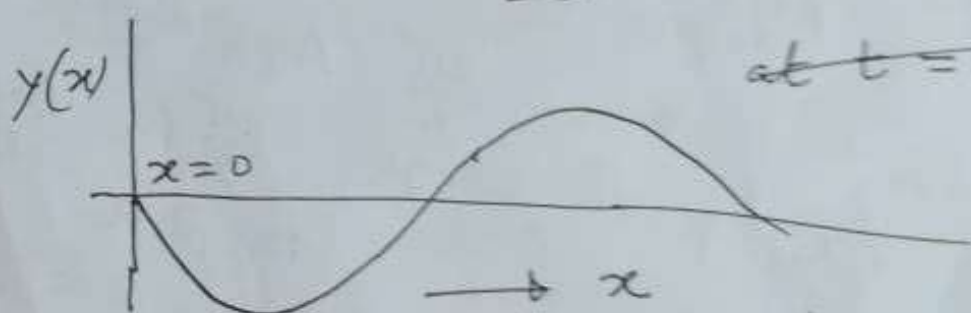


(12) at $t = (t_1 + \frac{T}{4})$ (time period)



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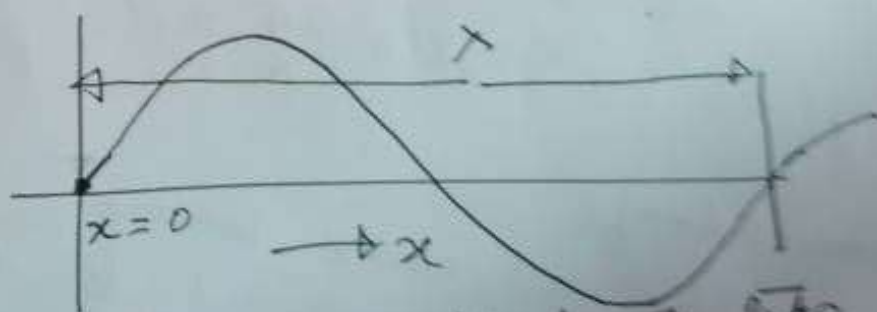
(13) at $t = (t_1 + \frac{T}{2})$



at $t = (t_1 + \frac{T}{2})$

just opposite to

(14) at $t = (t_1 + T)$



Curve will look like

at $t = t_1$

we say the wave has advanced
at length of λ in time T

(Page 6) /

path length $\lambda \rightarrow T \rightarrow 2\pi$ Angle.

In time T change
 \Downarrow path changes by λ
 The Angle change by 2π

$\lambda \xrightarrow{\text{path change}} 2\pi$ Angle change

$1 \xrightarrow{\quad} \frac{2\pi}{\lambda}$ Angle change

x path change $\frac{2\pi}{\lambda} x$ Angle change.

$$= \beta x$$

$$\text{where } \beta = \frac{2\pi}{\lambda}$$

(15) Therefore the variation of the wave w.r.t x where t is constant

$$y(x) = Y \sin \frac{2\pi}{\lambda} \cdot x.$$

~~time change~~

(16) We already know variation of the wave w.r.t t when $x = \text{constant}$

$$y(t) = Y \sin \frac{2\pi}{T} t$$

$$= Y \sin(2\pi f t)$$

Now combining: (15) and (16)

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variation w.r.t t and x
 \downarrow \downarrow
 time space

$$y(t) = y \sin \left(2\pi f t + \frac{2\pi}{\lambda} \cdot x \right)$$

where the constant $\lambda =$ wave length
 $=$ distance between two consecutive
 space points with the same ~~phase~~
 phase (both ~~phase~~ or both ~~phase~~ $y = y$)
 at a particular time $t = t$

(17) From 14 we have seen that
 the wave advances λ distance in
 time T

$$\begin{aligned} T \text{ time} & \rightarrow \lambda \text{ distance} \\ \text{velocity of wave } v & = \frac{\lambda}{T} = f \lambda \end{aligned}$$

(18) Similar manner with
 $z f = v(t)$ of transmitter Antenna.

$$is = V \sin 2\pi f t$$

$$\begin{aligned} \text{Then } \vec{e}(t) &= E \sin 2\pi f t \\ \vec{h}(t) &= H \sin 2\pi f t \end{aligned} \left. \begin{array}{l} \text{transmit} \\ \text{at Antenna} \\ \text{point } x=0 \end{array} \right\}$$

Therefore the wave equation at distance x from transmitter Antenna.

$$\vec{E}(t, x) = E \sin(2\pi ft + \frac{2\pi}{\lambda} x)$$

$$\vec{B}(t, x) = H \sin(2\pi ft + \frac{2\pi}{\lambda} x)$$

(19) Particle Mode and wave

Mode energy transfer:-

(i) Particle Mode:
A particle of mass m and velocity v has kinetic energy $E = \frac{1}{2}mv^2$

If you throw this particle to a football on water. The football start moving. Here the energy is transferred in particle mode. The particle carrying the energy actually moves.

(ii) Wave mode of energy transfer.

you stir water at the edge of the pond \Rightarrow wave set up \Rightarrow in the wave no particle moves from their mean position \Rightarrow wave reaches the ball and moves it.