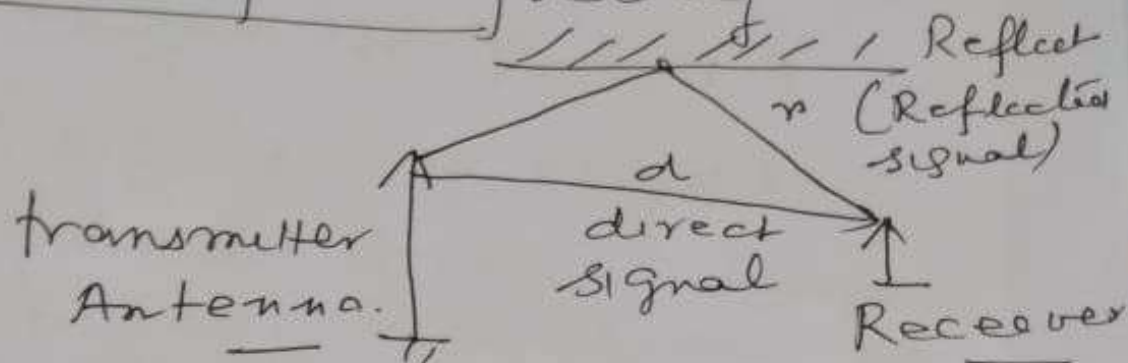


Page - 1
 Q.1. Multipath fading



Distance travelled by direct signal

Distance travelled by Reflected signal

$$e(t, x) = E \sin(2\pi ft + \frac{2\pi}{\lambda} x)$$

$$e_d(t, d) = E \sin(2\pi ft + \frac{2\pi}{\lambda} d)$$

$$e_r(t, r) = E \sin(2\pi ft + \frac{2\pi}{\lambda} r)$$

effective signal at the receiver

$$e_e = e_d(t, d) + e_r(t, r) \\ = E \sin(2\pi ft + \frac{2\pi}{\lambda} d) + E \sin(2\pi ft + \frac{2\pi}{\lambda} r)$$

(v) Case-I
 Let $r = d + \lambda$

$$e_e = E \sin(2\pi ft + \frac{2\pi}{\lambda} d) + E \sin(2\pi ft + \frac{2\pi}{\lambda} (d + \lambda))$$

$$= E \sin(2\pi ft + \frac{2\pi}{\lambda}d + 2\pi)$$

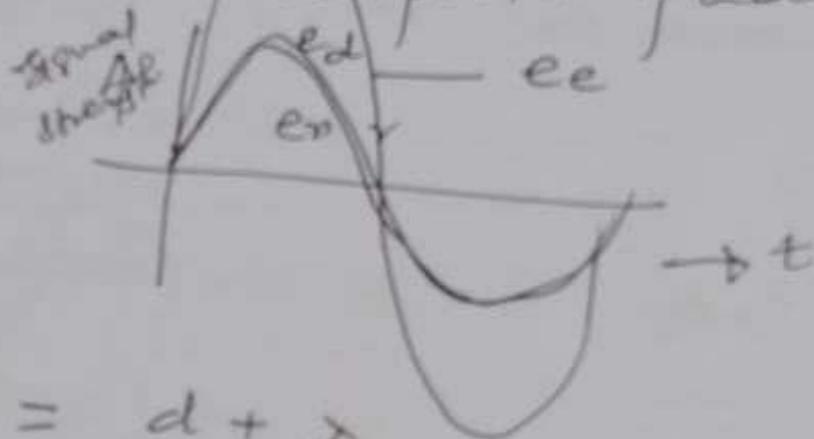
~~$$E \sin(2\pi ft)$$~~

Page-2

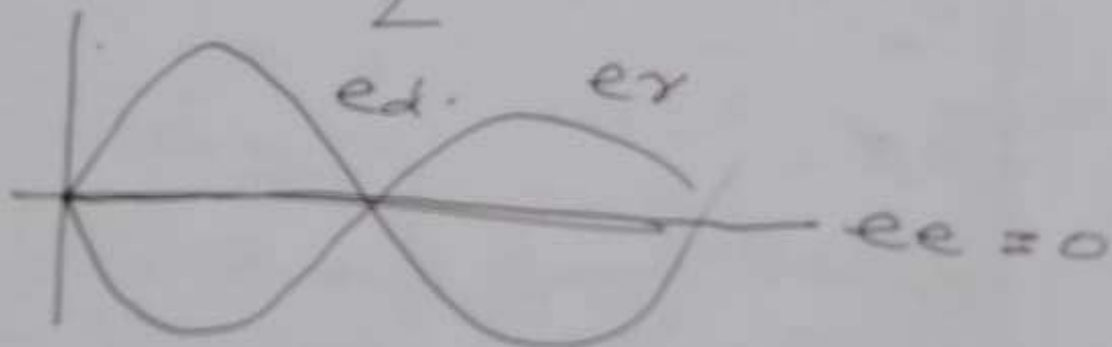
$$= E \sin(2\pi ft + \frac{2\pi}{\lambda}d) + E \sin(2\pi ft + \frac{2\pi}{\lambda}d + 2\pi)$$

$$= 2E \sin(2\pi ft + \frac{2\pi}{\lambda}d)$$

Signal strength double due to constructive interference
 \Rightarrow No multipath fading.



(vii) $d = d + \frac{\lambda}{2}$



Full fading.

Full Multipath fading

$$e_d = E \sin(2\pi ft + \frac{2\pi}{\lambda}d)$$

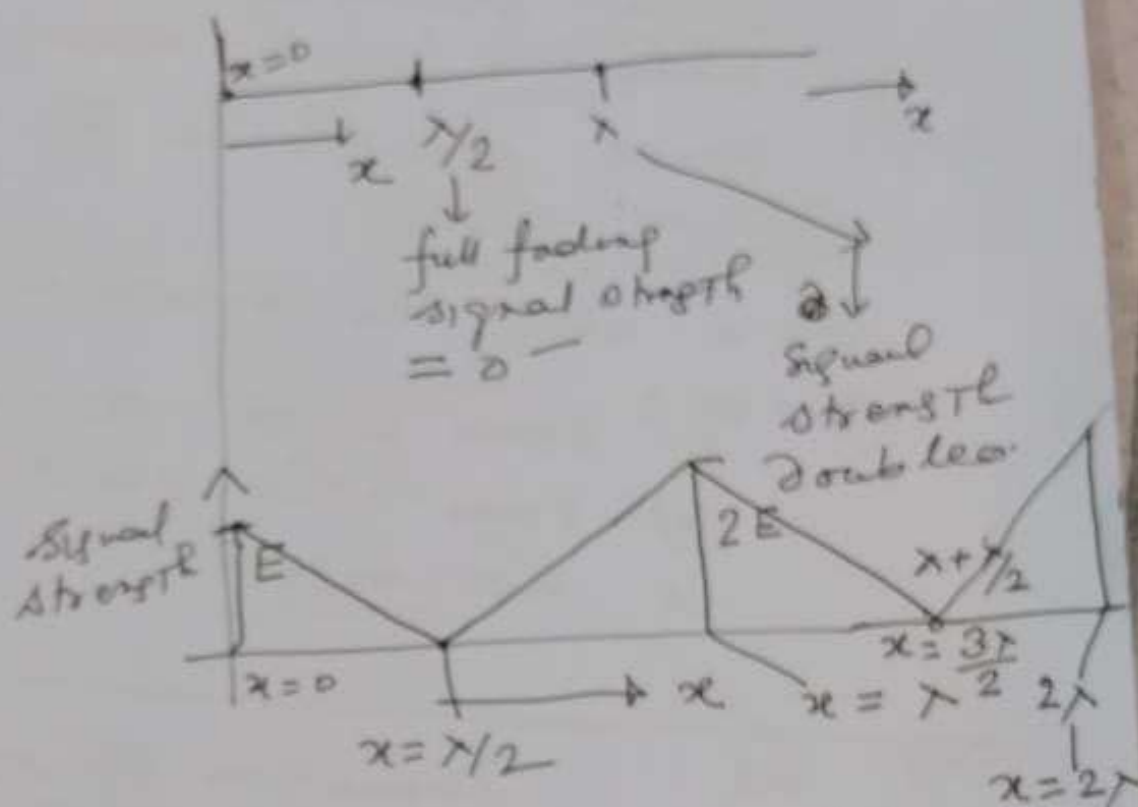
$$e_r = E \sin(2\pi ft + \frac{2\pi}{\lambda}d + \pi) = -E \sin(2\pi ft + \frac{2\pi}{\lambda}d)$$

$$e_e = e_d + e_r = 0$$

Page 3

(vii)

$$r = d + z$$



(viii)

If a person talks while

Moving towards x direction →

at $x = \frac{\lambda}{2}$ signal = 0 ⇒ Call drop.

(b) $\frac{\lambda}{2} < x \leq \lambda$ ⇒ signal strength increasing
⇒ better conversation

(c) $\lambda < x \leq \frac{3\lambda}{2}$

⇒ Again signal strength decreases.

(ix) Signal strength varies in a congested areas (with building, mountains) while a person moves.)

(ix) signal strength in the Basement of an house:

Here also the signal strength varies:

- (a) Some point there is signal
- (b) Some other point there is no signal

1. Definition of signal

— A time varying physical

(a) Quantity ~~the~~ using which data is transmitted ^{from} one computer to another computer using Communication

(b) Medium

(i) Physical Quantity: (i) Voltage/current (Electrical signal)

(ii) ~~Twisted pair~~

EM wave (ii) Light Intensity (Optical signal)

(iii) ~~E and H field~~

- (b) Medium
- Twisted pair - (signal is electrical)
 - Coaxial cable (signal is electrical)
 - optical fibre (signal is light)
 - space (signal is electromagnetic)

(2)

signals

Analog

↓ $s(t)$
signal varies continuously

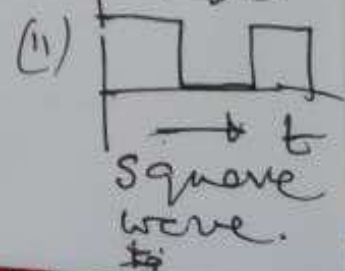
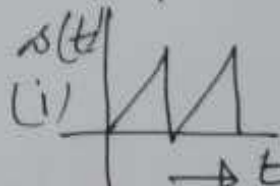


signal → t
if $s(t)$ is continuous function

with time \Rightarrow Analog signal
Examples: sine function

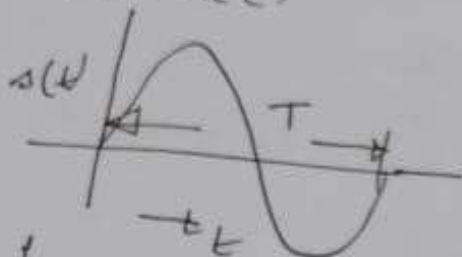
Discrete

if $s(t)$ is a Non continuous function of time



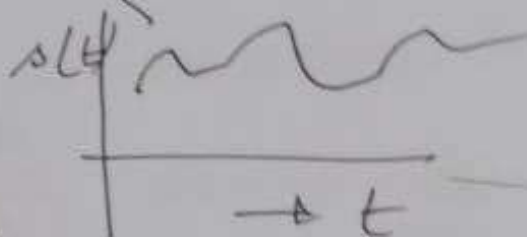
Analog signal Page 6

① sine ()
cosine ()



- pure Analog signal
with single frequency
 $f = \frac{1}{T}$

②



⇒ Composite
Analog signal
with many
frequency -
consisting
of
many sine
waves:

f_H = Highest

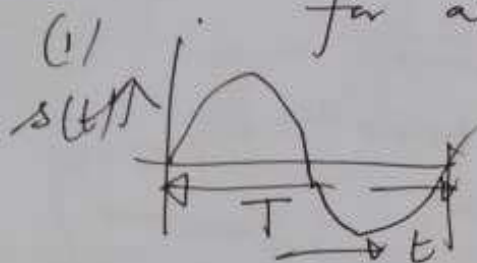
f_L ⇒ Lowest
frequency

$$\underline{BW = f_H - f_L}$$

Page-7
Analog signal

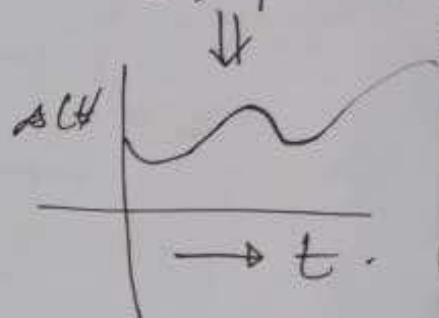
periodic

If there exist
constant T such
that $s(t) = s(t+T)$
for all t .



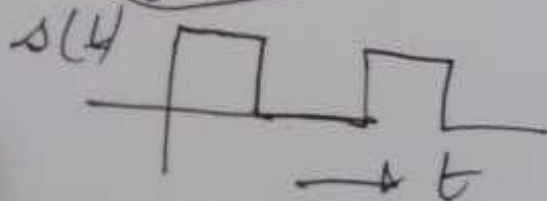
Non periodic

if
 $s(t) \neq s(t+T)$

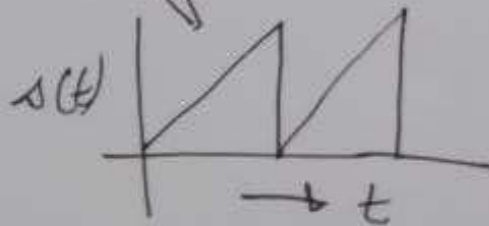


Discrete signal — see Page-5

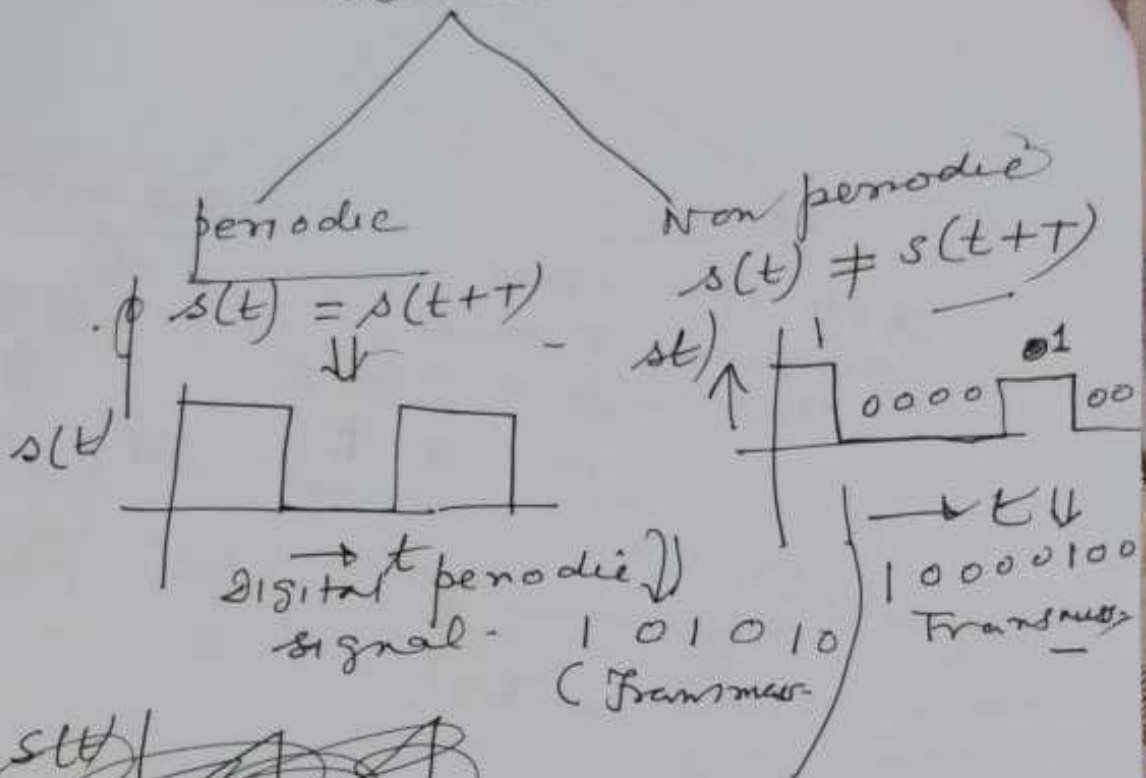
Digital signal



saw tooth



Digital page 8 Discrete signal

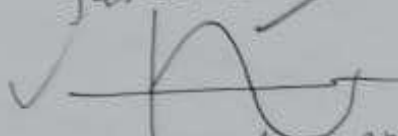


~~s(t)~~
~~graph~~
~~sawtooth periodic signal~~

Page-9
Periodic signal

Analog

① signal function



90% if only one sine wave \Rightarrow NO

pure analog signal
 $s(t) = s(t+T)$
only one frequency $f = \frac{1}{T}$

② square wave



$s(t) = s(t+T)$

Fourier Analysis:

if Any function $s(t) = s(t+T)$
then it can be analysed by

fourier series: - α -

$$s(t) = \frac{c}{2} + \sum_{n=1}^{\infty} A_n \sin(2\pi n f t)$$

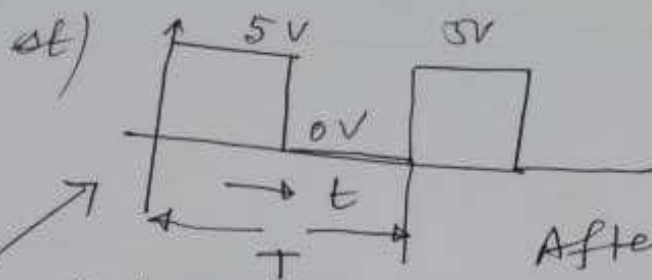
$$f = \frac{1}{T}$$

$$+ \sum_{n=1}^{\infty} B_n \cos(2\pi n f t)$$

$$\downarrow$$

$$B_n \cos(2\pi n f t)$$

$2f_c = 10V$ $5V$ (10)



After Fourier Analysis.

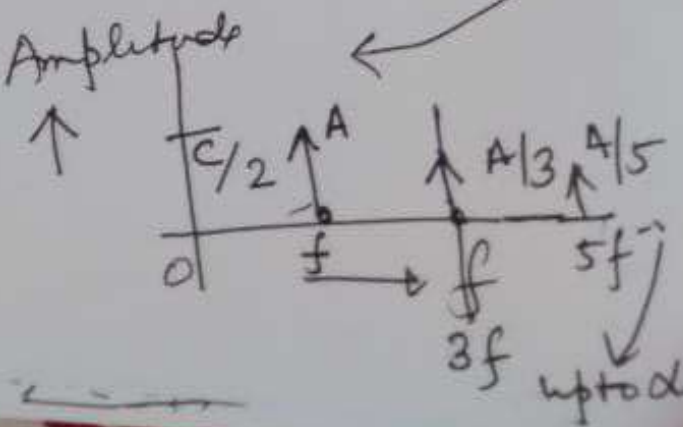
$$s(t) = \frac{5}{2} + A \sin 2\pi f t + \frac{A}{3} \sin 2\pi 3f t + \frac{A}{5} \sin 2\pi (5f t)$$



signal Representation

Time Domain

Frequency Domain



Page - 11

$$BW = f_c - 0 = f_c$$

(Absolute)

$$BW_{\text{effective}} = f_c - 0 = f_c$$

cut off frequency

$$= (nf - 0)$$

$= nf$ value of n depends on Applications

If we want $n = 10$ for cut-off frequency

$$A_n = \frac{1}{10} A$$

(Amplitude of cut-off frequency) $= \frac{1}{10}$ of amplitude of fundamental frequency (f)

Then

$$BW_{\text{effective}} = 10f$$

$$f = \frac{1}{T} \Rightarrow \text{fundamental frequency}$$