

Sipna College of Engineering & Technology, Amravati.
Department of Computer Science & Engineering
Session 2022-2023

Branch :- Computer Sci. & Engg.

Subject :-Block Chain Fundamentals Lab manual

Teacher Manual

Class :- Final Year

Sem :- VII

PRACTICAL NO 2

AIM: To Understand and create a Diffie-Hellman Algorithm

S/W REQUIRED: Python

Diffie-Hellman algorithm

The Diffie-Hellman algorithm is being used to establish a shared secret that can be used for secret communications while exchanging data over a public network using the elliptic curve to generate points and get the secret key using the parameters.

For the sake of simplicity and practical implementation of the algorithm, we will consider only 4 variables, one prime P and G (a primitive root of P) and two private values a and b.

P and G are both publicly available numbers. Users (say Alice and Bob) pick private values a and b and they generate a key and exchange it publicly. The opposite person receives the key and that generates a secret key, after which they have the same secret key to encrypt.

Step by Step Explanation

Alice	Bob
Public Keys available = P, G	Public Keys available = P, G
Private Key Selected = a	Private Key Selected = b
Key generated = $x = G^a \text{ mod } P$	Key generated = $y = G^b \text{ mod } P$
Exchange of generated keys takes place	
Key received = y	key received = x
Generated Secret Key = $K_a = y^a \text{ mod } P$	Generated Secret Key = $K_b = x^b \text{ mod } P$
Algebraically, it can be shown that	

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Alice	Bob
$K_a = K_b$	
Users now have a symmetric secret key to encrypt	

Example:

Step 1: Alice and Bob get public numbers $P = 23$, $G = 9$

Step 2: Alice selected a private key $a = 4$ and
Bob selected a private key $b = 3$

Step 3: Alice and Bob compute public values
Alice: $x = (9^4 \bmod 23) = (6561 \bmod 23) = 6$
Bob: $y = (9^3 \bmod 23) = (729 \bmod 23) = 16$

Step 4: Alice and Bob exchange public numbers

Step 5: Alice receives public key $y = 16$ and
Bob receives public key $x = 6$

Step 6: Alice and Bob compute symmetric keys
Alice: $k_a = y^a \bmod p = 6^{16} \bmod 23 = 9$
Bob: $k_b = x^b \bmod p = 6^3 \bmod 23 = 9$

Step 7: 9 is the shared secret.

Implementation:

```
from random import randint
```

```
if __name__ == '__main__':
```

```
    # Both the persons will be agreed upon the
    # public keys G and P
    # A prime number P is taken
    P = 23
```

```
    # A primitive root for P, G is taken
    G = 9
```

```
    print("The Value of P is :%d"%(P))
    print("The Value of G is :%d"%(G))
```

```
    # Alice will choose the private key a
    a = 4
```

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```
print('The Private Key a for Alice is :%d'%(a))

# gets the generated key
x = int(pow(G,a,P))

# Bob will choose the private key b
b = 3
print('The Private Key b for Bob is :%d'%(b))

# gets the generated key
y = int(pow(G,b,P))

# Secret key for Alice
ka = int(pow(y,a,P))

# Secret key for Bob
kb = int(pow(x,b,P))

print('Secret key for the Alice is : %d'%(ka))
print('Secret Key for the Bob is : %d'%(kb))
```

Output:

```
The value of P : 23
The value of G : 9

The private key a for Alice : 4
The private key b for Bob : 3

Secret key for the Alice is : 9
Secret Key for the Bob is : 9
```

CONCLUSION: Thus we have studied and implemented a Diffie-Hellman Algorithm.