

**19.** Write a short description of the motion of a real object for which FIGURE EX.1.19 would be a realistic position-versus-time graph.

An elevator brings its occupants up 100 meters before stopping to let them off. It then shoots up another 200 meters to the top story of the building.

**28.** Compute the following numbers, applying the significant figure rules adopted in this textbook.

a.  $33.3 \times 25.4 = \boxed{846}$

b.  $33.3 - 25.4 = \boxed{28.9}$

c.  $\sqrt{(33.3)} = \boxed{5.77}$

d.  $333.3 \div 25.4 = \boxed{13.1}$

**35.** A jetplane is cruising at 300 m/s when suddenly the pilot turns the engines up to full throttle. After traveling 4.0 km, the jet is moving with a speed of 400 m/s. What is the jet's acceleration as it speeds up?

$$\begin{aligned}\vec{a} &= \frac{\Delta v}{\Delta t} = \frac{100}{\Delta t} \\ \Delta t &= \frac{\Delta s}{\vec{v}} = \frac{4000}{350} = 11.4 \\ \vec{a} &= \frac{100}{11.4} = \boxed{8.77 \text{ m/s}^2}\end{aligned}$$

**40.** A motorist is traveling at 20 m/s. He is 60 m from a stoplight when he sees it turn yellow. His reaction time, before stepping on the brake, is 0.50 s. What steady deceleration while braking will bring him to a stop right at the light?

$$\begin{aligned}d_{sl} &= 60 - 20(0.5) = 50 \text{ m} \quad \vec{v}_0 = 20 \text{ m/s} \\ \vec{a} &= \frac{\Delta v}{\Delta t} = \frac{-20}{\Delta t} \\ \Delta t &= \frac{d_{sl}}{\vec{s}} = \frac{50}{10} = 5 \\ \vec{a} &= -\frac{20}{5} = \boxed{-4 \text{ m/s}^2}\end{aligned}$$

**43.**

