With scikit learn

```
In [3]: # Step 1: Import packages, functions, and classes
        import numpy as np
        from sklearn.linear_model import LogisticRegression
        from sklearn.metrics import classification_report, confusion_matrix
        # Step 2: Get data
        x = np.arange(10).reshape(-1, 1)
        y = np.array([0, 1, 0, 0, 1, 1, 1, 1, 1, 1])
        # Step 3: Create a model and train it
        model = LogisticRegression(solver='liblinear', C=10.0, random_state=0)
        model.fit(x, y)
        # Step 4: Evaluate the model
        p_pred = model.predict_proba(x)
        y_pred = model.predict(x)
        score_ = model.score(x, y)
        conf m = confusion matrix(y, y pred)
        report = classification_report(y, y_pred)
In [4]: print('x:', x, sep='\n')
        x:
        [[0]]
         [1]
         [2]
         [3]
         [4]
         [5]
         [6]
         [7]
         [8]
         [9]]
In [5]: print('y:', y, sep='\n', end='\n\n')
        [0 1 0 0 1 1 1 1 1 1]
```

```
In [6]:
         print('intercept:', model.intercept_)
         print('coef:', model.coef_, end='\n\n')
         print('p_pred:', p_pred, sep='\n', end='\n\n')
         intercept: [-1.51632619]
         coef: [[0.703457]]
         p pred:
         [[0.81999686 0.18000314]
          [0.69272057 0.30727943]
          [0.52732579 0.47267421]
          [0.35570732 0.64429268]
          [0.21458576 0.78541424]
          [0.11910229 0.88089771]
          [0.06271329 0.93728671]
          [0.03205032 0.96794968]
          [0.0161218 0.9838782]
          [0.00804372 0.99195628]]
 In [7]: |print('y_pred:', y_pred, end='\n\n')
         y pred: [0 0 0 1 1 1 1 1 1]
 In [9]: |print('score_:', score_, end='\n\n')
         print('conf_m:', conf_m, sep='\n', end='\n\n')
         score_: 0.8
         conf_m:
         [[2 1]
          [1 6]]
In [11]: print('report:', report, sep='\n')
         report:
                       precision
                                     recall f1-score
                                                        support
                             0.67
                                       0.67
                                                 0.67
                                                               3
                                       0.86
                                                               7
                    1
                             0.86
                                                 0.86
             accuracy
                                                 0.80
                                                              10
            macro avg
                            0.76
                                       0.76
                                                 0.76
                                                              10
                                       0.80
                                                 0.80
                                                              10
         weighted avg
                            0.80
```

With stats models

```
In [12]: # Step 1: Import Packages
import numpy as np
import statsmodels.api as sm
```

```
In [14]: # Step 2: Get Data
         x = np.arange(10).reshape(-1, 1)
         y = np.array([0, 1, 0, 0, 1, 1, 1, 1, 1, 1])
         x = sm.add_constant(x)
         х, у
         # The first column of x corresponds to the intercept b_0.
         # The second column contains the original values of x.
Out[14]: (array([[1., 0.],
                 [1., 1.],
                 [1., 2.],
                 [1., 3.],
                 [1., 4.],
                 [1., 5.],
                 [1., 6.],
                 [1., 7.],
                 [1., 8.],
                 [1., 9.]]),
          array([0, 1, 0, 0, 1, 1, 1, 1, 1, 1]))
In [16]: # Step 3: Create a Model and Train It
         #Note that the first argument here is y, followed by x.
         model = sm.Logit(y, x)
         result = model.fit(method='newton')
         Optimization terminated successfully.
                  Current function value: 0.350471
                  Iterations 7
In [17]: # obtain the values of b_0 and b_1 respectively with .params:
         result.params
Out[17]: array([-1.972805 , 0.82240094])
In [18]: # Step 4: Evaluate the Model
         result.predict(x)
Out[18]: array([0.12208792, 0.24041529, 0.41872657, 0.62114189, 0.78864861,
                0.89465521, 0.95080891, 0.97777369, 0.99011108, 0.99563083])
In [19]: (result.predict(x) >= 0.5).astype(int)
         # array contains the predicted output values
Out[19]: array([0, 0, 0, 1, 1, 1, 1, 1, 1])
In [21]: # obtain the confusion matrix with .pred_table():
         result.pred_table()
Out[21]: array([[2., 1.],
                [1., 6.]])
```

```
In [23]:
            # .summary() and .summary2() get output data that you might find
            # useful in some circumstances:
            result.summary()
Out[23]:
            Logit Regression Results
                Dep. Variable:
                                             y No. Observations:
                                                                      10
                      Model:
                                         Logit
                                                    Df Residuals:
                                                                       8
                     Method:
                                          MLE
                                                       Df Model:
                                                                       1
                       Date: Wed, 21 Sep 2022
                                                  Pseudo R-squ.:
                                                                  0.4263
                       Time:
                                      11:37:26
                                                  Log-Likelihood:
                                                                  -3.5047
                  converged:
                                          True
                                                         LL-Null:
                                                                  -6.1086
             Covariance Type:
                                     nonrobust
                                                    LLR p-value: 0.02248
                                         z P>|z| [0.025 0.975]
                      coef std err
             const -1.9728
                             1.737
                                    -1.136 0.256
                                                  -5.377
                    0.8224
                             0.528
                                     1.557 0.119 -0.213
In [24]:
            result.summary2()
Out[24]:
                                           Logit Pseudo R-squared:
                         Model:
                                                                        0.426
             Dependent Variable:
                                                               AIC:
                                                                      11.0094
                          Date: 2022-09-21 11:37
                                                               BIC:
                                                                      11.6146
               No. Observations:
                                             10
                                                     Log-Likelihood:
                                                                      -3.5047
                      Df Model:
                                                            LL-Null:
                                                                      -6.1086
                                              1
                  Df Residuals:
                                              8
                                                       LLR p-value: 0.022485
                    Converged:
                                         1.0000
                                                                       1.0000
                                                             Scale:
                  No. Iterations:
                                         7.0000
                      Coef. Std.Err.
                                               P>|z|
                                                      [0.025 0.975]
             const -1.9728 1.7366 -1.1360 0.2560 -5.3765 1.4309
```

1.5572 0.1194 -0.2127 1.8575

In []:

0.8224

х1

0.5281