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- **Example 2: (revisited)** Consider the problem with
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 $-x + y \leq 1,$
 $x \geq 0, y \geq 0.$

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is not following the representation theorem.