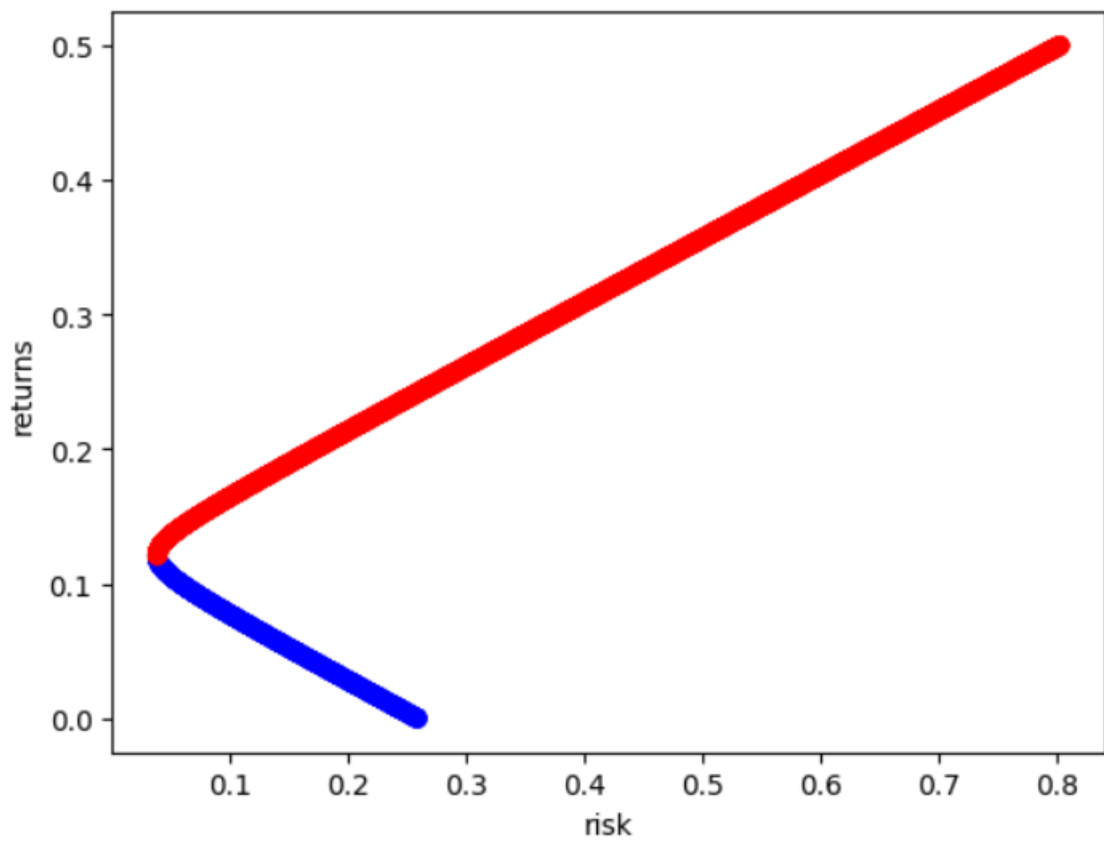


1)
a)



b)

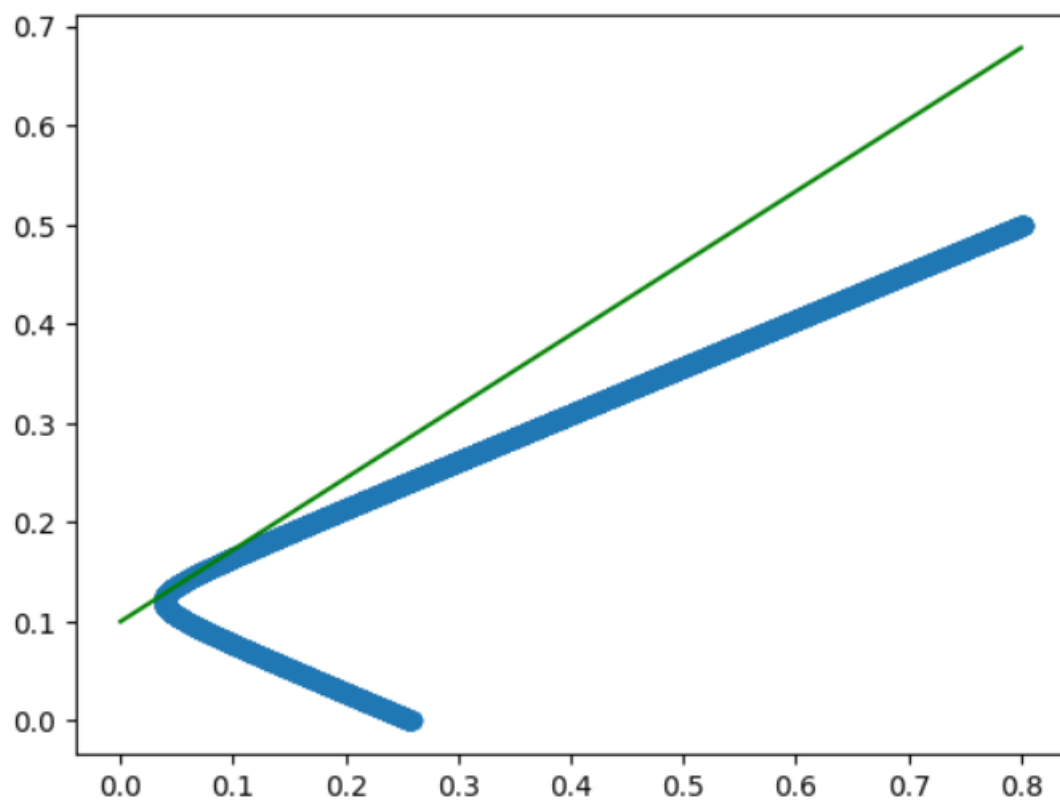
index	returns	risk	weights			
0	0	0.25879	[2.55045872 -0.44954128 -1.10091743]			
1	0.0001	0.258581	[2.54902752 -0.44897248 -1.10005505]			
2	0.0002	0.258372	[2.54759633 -0.44840367 -1.09919266]			
3	0.0003	0.258163	[2.54616514 -0.44783486 -1.09833028]			
4	0.0004	0.257954	[2.54473394 -0.44726606 -1.09746789]			
5	0.0005	0.257745	[2.54330275 -0.44669725 -1.0966055]			
6	0.0006	0.257536	[2.54187156 -0.44612844 -1.09574312]			
7	0.0007	0.257326	[2.54044037 -0.44555963 -1.09488073]			
8	0.0008	0.257117	[2.53900917 -0.44499083 -1.09401835]			
9	0.0009	0.256908	[2.53757798 -0.44442202 -1.09315596]			

c)two returns are possible:0.0524 and 0.1896

d)

`[-0.02568807 0.57431193 0.45137615]`

e)



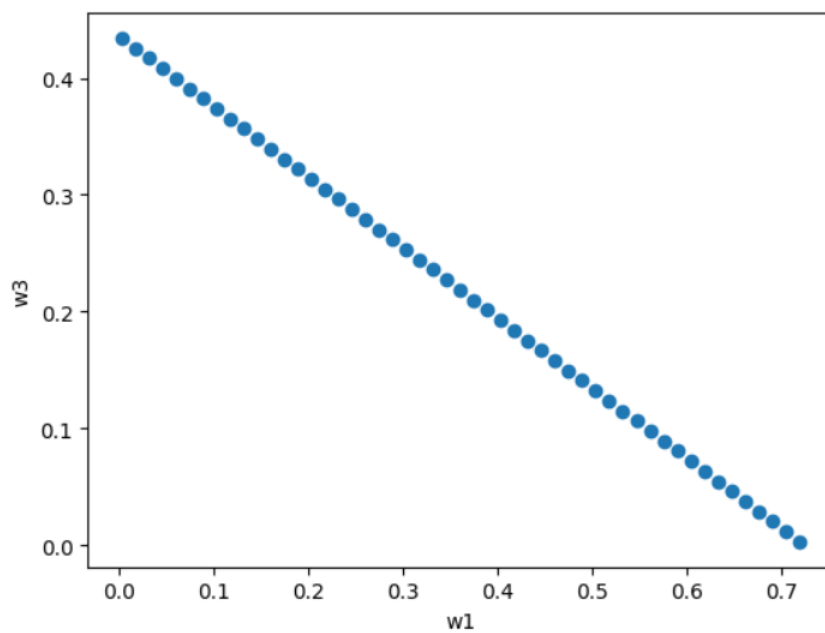
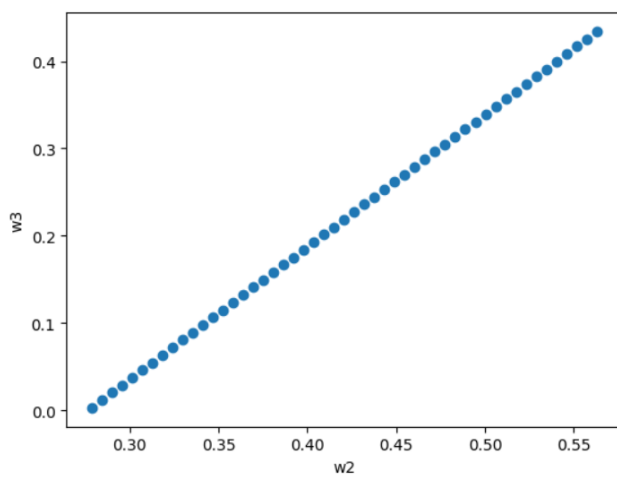
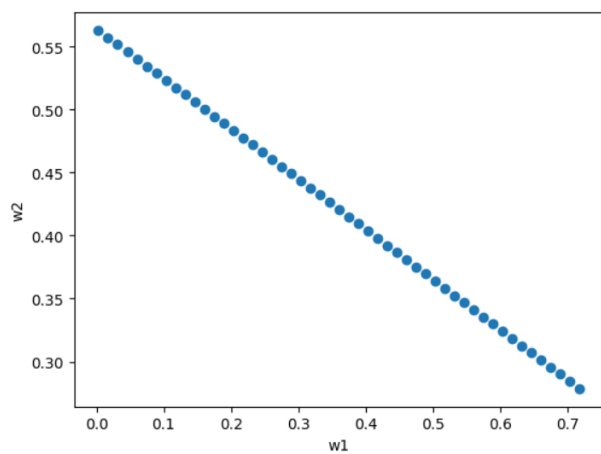
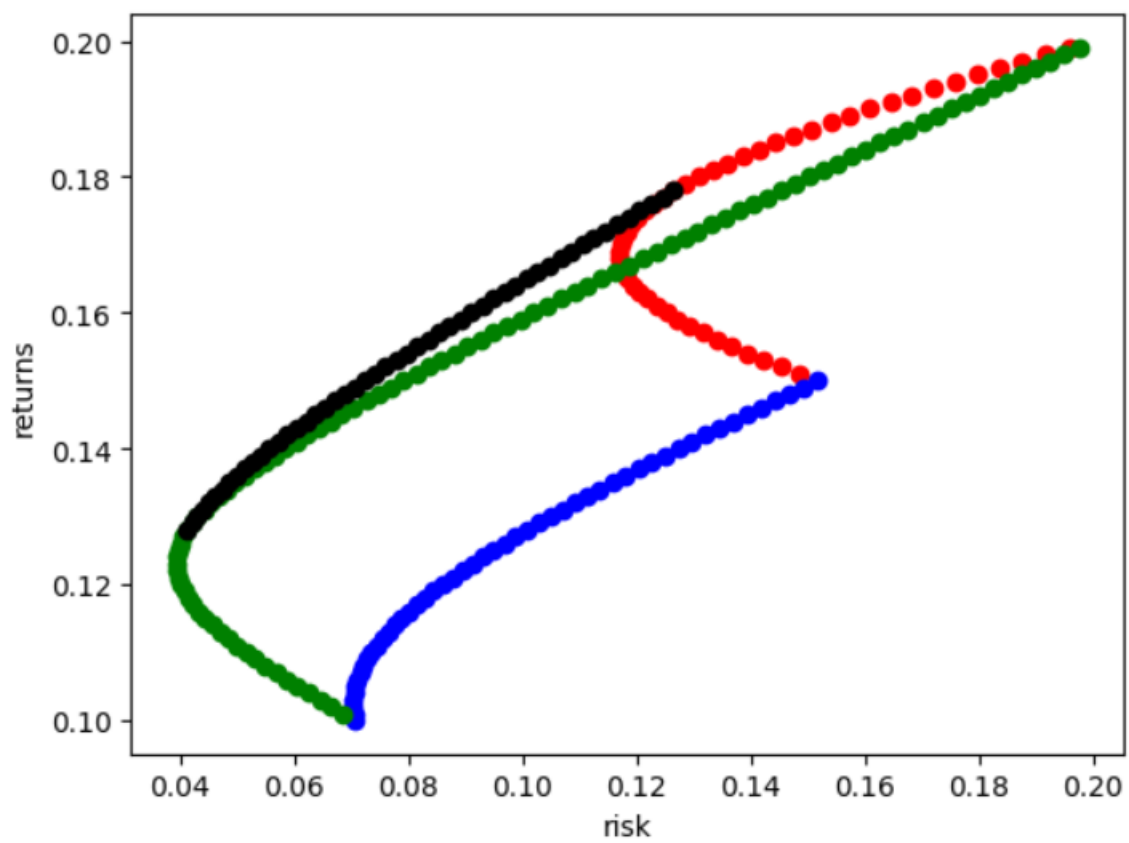
market portfolio:[0.0508,0.1367]

f)

```
For 10%  
riskfree:(the first weight is that of riskfree)  
return[0.17226494] weights: [array([-0.96806658]), array([1.16853953, 0.64577185, 0.1537552 ])]
```

```
For 25%  
riskfree:(the first weight is that of riskfree)  
return[0.28066236] weights: [array([-3.92016644]), array([2.92134883, 1.61442961, 0.384388 ])]
```

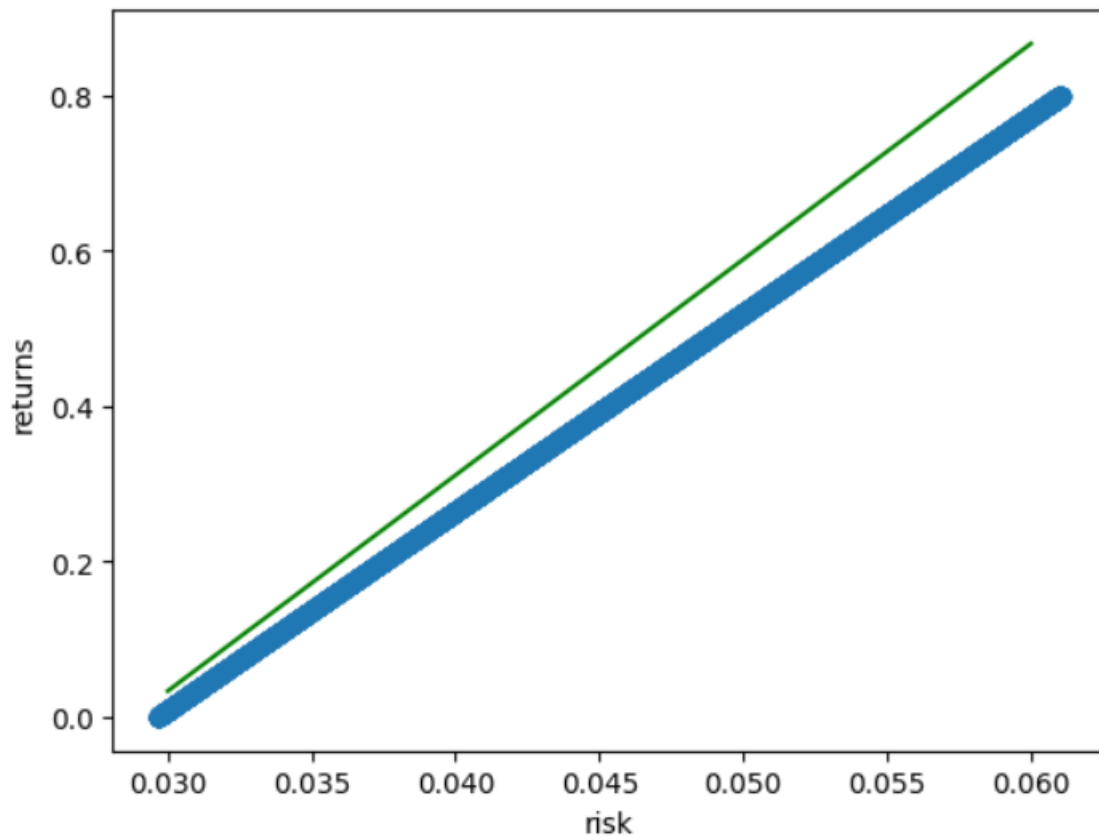
2)



The equations are:
 $w_2 = -0.40 \cdot w_1 + 0.56$
 $w_3 = 1.52 \cdot w_2 - 0.42$
 $w_3 = -0.60 \cdot w_1 + 0.44$

3)a)c) the green line is the CAPM line
the blue line is min variance portfolio curve (it almost seems like a line because the small covariance values of the data extracted)

I had to take risk free return rate (μ_{rf}) to be -0.8 in the whole duration.



b)

```
Market portfolio:  
[[0.01324613], [-0.4320321]]
```

d) $\mu = (\mu_M - \mu_{rf})\beta + \mu_{rf}$
Here
 $\mu_M = -0.432$
 $\sigma_M = 0.0132$

