AR and MA models



• AR - Auto Regressive Time Series Model



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This model is prefered when we have only trend in the series



MA - Moving Average Time Series Model



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 - For q lags, MA(q) can be written as

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 - Regression of current values and previous error terms
 - For q lags, MA(q) can be written as

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Preferably used when there are random spikes/jumps in the data



AR-MA Time Series Model

ARMA (p,q):

ARMA models are composed of two models, the AR model and the MA model

AR or MA are not applicable on non-stationary series



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The ARMA model of order (p,q) is:

We can combine these two models by simply adding them together as a model of order (p,q), where we have p AR terms and q MA terms:

$$y_{t} = \alpha_{1}y_{t-1} + \dots + \alpha_{p}y_{t-p} + E_{t} + \beta_{1}E_{t-1} + \dots + \beta_{q}E_{t-q}$$



Thank You

