

# Schreier domain

An [integral domain](#)  $D$  is a [pre-Schreier domain](#) if every non-zero element of  $D$  is primal. If in [addition](#)  $D$  is [integrally closed](#), then  $D$  is called a *Schreier domain*.

## Remarks.

1. Every [irreducible element](#) of a pre-Schreier domain is prime.
2. A [gcd domain](#) is a Schreier domain (a proof of this can be found here (<http://planetmath.org/ProofThatAGcdDomainIsIntegrallyClosed>)).

<b>Title</b>	Schreier domain
<b>Canonical name</b>	SchreierDomain
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<b>Entry type</b>	Definition
<b>Classification</b>	msc 13G05
<b>Synonym</b>	pre-Schreier
<b>Defines</b>	pre-Schreier domain

