s_{μ} . $R = \cap R_{p_{\alpha}}$ as I.

Obviously if F consists of minimal primes only, the above four conditions define a GKD i.e. Semirigid Domains are another generalization of Krull domains.

In Chapter 3, we consider the factorization of an arbitrary non zero non unit in an HCF domain of Krull type and
use this study to define <u>Unique Representation Domains</u>.

Chapter 4, is mainly concerned with the study of ideal
transforms in a GKD and a part of it consists of extensions

of results proved in [15].

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