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Errata: A Quantum Computation Workbook

September 9, 2022

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Postulates of Quantum Mechanics

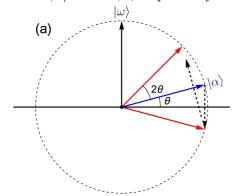
Problem 1.10 (a), p. 30 The words "first" and "second" in the statements must be exchanged (p_2 should also be replaced with p_1 to be consistent with the rest subquestions). The correct statement should read as

What is the probability p_0 to find the *second* qubit in $|0\rangle$ (regardless of the *first* qubit)? Similarly, what is the probability p_1 to find the *second* qubit in the state $|1\rangle$?

Quantum Algorithms

Fig. 4.4b "... with respect to ω ..." \rightarrow "... with respect to $|v\rangle$..."

Fig. 4.5a $\theta, \theta/2 \to 2\theta, \theta$, respectively. Here is the correct figure for Fig. 4.5a:



Below Eq. (4.64) on page 161 "... performing the transformation \hat{U} repeatedly depending on the value y on the native register." \rightarrow "... performing the transformation \hat{U} repeatedly depending on value x on the native register."

Problem 4.1 (a) "Classically (...), ..." \rightarrow "Show that classically (...), ...".

Quantum Decoherence

- Section 5.1 In several places, "Zender" must be corrected to "Zehnder".
- Section 5.1, p.191, the last line "In the blue arm, photon passes through ..." \rightarrow "In the red arm, photon passes through ...".
- Section 5.1, p.194, below Eq. (5.6) "Whence the photon detection probabilities ..." \rightarrow "Hence the photon detection probabilities...".
- Section 5.3, p.216, line 8 "...probabilities $\mathcal{F}_m(\hat{\rho})$ " must reads as "...probabilities $\operatorname{Tr} \mathcal{F}_m(\hat{\rho})$ ".
- Section 5.4, Eq. (5.99) It should read as

$$\hat{G} = \frac{1}{2} \sum_{\mu > 0} \hat{L}^{\dagger}_{\mu} \hat{L}_{\mu} \,.$$

Section 5.4, Eq. (5.147) It should read as

$$\frac{d\hat{\rho}}{dt} = \cdots$$
.

- Section 5.5, the first sentence, p. 234 "..., who close (or different) ..." \rightarrow "..., how close (or different) ...".
- Section 5.5.2, p. 236, just below Eq. (5.164) "... the canonical norm associate with ..." \rightarrow "... the canonical norm associated with ...".
- Section 5.5.2, p. 237, just below Eq. (5.177) "... traceless Hermitian operators (a_0) ..." \rightarrow "... traceless Hermitian operators $(a_0 = 0)$...".
- Section 5.5.3, p. 244, the first line "associate with a POVM ..." \rightarrow "associated with a POVM ...".
- Section 5.5.4, p. 247, below Eq. (5.209) "... of two vectors normalized vectors ..." \rightarrow "... of two normalized vectors ...".

Section 5.5.4, p. 248, below Eq. (5.215) "... to note that $\hat{\rho}$ as two eigenvalues ..." \rightarrow "... to note that $\hat{\rho}$ has two eigenvalues ...".

Problem 5.4, p. 252, Eq.(5.234) $\gamma_1
ightarrow \gamma_\phi$

Quantum Error-Correction Codes

Section 6.3.4, p. 288. Eq. (6.75)

$$\hat{U}(|0\rangle \otimes |\alpha\rangle) = |0\rangle \otimes |\alpha_0\rangle + |1\rangle \otimes \hat{A} |\alpha_1\rangle = \cdots$$

must be changed to

$$\hat{U}(|0\rangle \otimes |\alpha\rangle) = |0\rangle \otimes |\alpha_0\rangle + |1\rangle \otimes \hat{A} |\alpha_0\rangle = \cdots.$$

Section 6.4, p. 298, above Eq. (6.101) "whence" \rightarrow "hence".

Appendix A

Linear Algebra

Appendix A.1.2, p. 351, above Eq. (A.5) "Whence u is orthogonal ..." \rightarrow "Hence u is orthogonal ...".

Appendix A.4.1, p. 364, above Eq. (A.55) "Whence, $\hat{A} \geq 0$." \rightarrow "Hence, $\hat{A} \geq 0$."

Appendix B

Superoperators

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Appendix B.2.3 between Eqs. (B.30) and (B.31) \{v_j\} \to \{|v_j\rangle\} and |w_k\rangle \to \{|w_k\rangle\}
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Eq. (B.56) $|\Psi\rangle\langle\Psi|$ should be replaced by $|\Phi\rangle\langle\Phi|$.

Appendix B.4, p. 393, the second last line "Whence, transposition ..." \rightarrow "Hence, transposition ...".

Appendix F

Solutions

Problem 6.7, p. 422, the display equation between (F.58) and (F.59) \hat{W} must be replaced with \hat{P}''' , i.e.,

$$\cdots (\hat{Z} \otimes \hat{W}) \cdots \rightarrow \cdots (\hat{Z} \otimes \hat{P}''') \cdots$$