

LINEAR SEARCH

Linear S(a, n, val).

STEP 1 → [Initialize] Set flag = 0

STEP 2 → Initialize Set i = 0

STEP 3 → Repeat Step 4 while $i < n$

STEP 4 → If $a[i] < val$
Set flag = 1

Point "value present"

go to step 6.

[end of if]

Set $i = i + 1$

[end of loop]

STEP 5 → If flag = 0

Point "value not present",

[end of if]

STEP 6 → EXIT

Binary Search.

Binary S(a, lowerBound, upperBound, val)

STEP I \rightarrow [Initialize] set start = lower Bound
set end = upper Bound

STEP II \rightarrow Repeat Step III and IV while start <= end

STEP III \rightarrow SET mid = (start + end) / 2

STEP IV \rightarrow If a[mid] = val

set pos = val

print pos

go to step 6

else if a[mid] > value

set end = mid - 1

else

Set start = mid + 1

[end of if]

[end of loop]

STEP V \rightarrow If pos = -1

print "value not present"

[end of if]

STEP VI \rightarrow

SELECTION SORT

Selection Sort.

STEP I \rightarrow set $i = 0$, swap = 0.

STEP II \rightarrow for $i < n-1$.

swap++

$s = a[i]$

pos = i°

for ($j = i+1$ till $j < n$)

if $a[j] < s$

$s = a[j]$

pos = j°

[end of if].

temp = $a[i]$

$a[i] = a[pos]$

$a[pos] = temp$

Step 3 \Rightarrow print array.

Step 4 \Rightarrow print swap

Step 5 \Rightarrow exit

INSERTION SORT

Insections (a, n)

Step 1: set $i = 1$

Step 2: for $i < n$

$\text{temp} = a[i^0];$

$j = i - 1;$

while $\text{temp} < a[j]$ and $j \geq 0$

$a[j+1] = a[j]$

$j = j - 1;$
[end of while]

$a[j+1] = \text{temp}$
 $i++;$

[end of for].

Step 3: Print array

Step 4: Exit.

MERGE SORT

Merge $S[arr, l, m, r]$

STEP I \rightarrow set $n_1 = m-l+1, n_2 = r-m$

STEP II \rightarrow set $l[n_1], r[n_2]$

STEP III \rightarrow for $i=0, j=0$ till $i < n_1 \& j < n_2$

$$l[i] = arr[l+i]$$

$$r[j] = arr[m+1+j]$$

$$i = i+1, j = j+1$$

STEP IV \rightarrow set $i=0, j=0, k=l$

STEP V \rightarrow while $i < n_1 \& j < n_2$

if $l[i] \leq r[j]$
 $arr[k] = l[i]$

$i++$

[end of if]

else $arr[k] = r[j]$

$j++$

[end of else]

$k++$

[end while]

STEP VI \rightarrow while $i < n_1$,

$arr[k] = l[i]$

$i++, j++$

[end while]

STEP 7 \Rightarrow while $j < n_2$

$arr[k] = arr[j]$

$j++$, $k++$

[end while]

STEP 8 \Rightarrow exit

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EXPONENTIAL SORT

Exponential S(a, n, key)

STEP I → set flag = 0

STEP II → if $a[0] == \text{key}$.

print ("Present")

go to step 8

[end of if].

STEP III → set range = 1

STEP IV → while range < n and $a[\text{range}] <= \text{key}$.

range = range * 2

[end of while].

STEP V → let $l = \text{range}/2$, $h = \min(\text{range}, n - 1)$

STEP VI → while $n > 1$

mid = $(h+l)/2$

if $a[\text{mid}] == \text{key}$

flag = 1

[end of if].

else if $a[\text{mid}] > \text{key}$

$h = \text{mid} - 1$;

else if $a[\text{mid}] < \text{key}$

$l = \text{mid} + 1$

[end of while]

STEP 7 → if flag = 1, print ("Present")

STEP 8 → EXIT

BREADTH FIRST SEARCH

BFS

Step 1 \Rightarrow set status 1 (ready state) for each node in G.

STEP 2 \Rightarrow Enqueue the starting node A and set its status = 2 (waiting state)

STEP 3 \Rightarrow repeat steps 4 & 5 until queue is empty.

STEP 4 \Rightarrow Dequeue a node N . Process it and set status = 3.

STEP 5 \Rightarrow Enqueue all neighbours of N that are in ready state where (status=1) & set their status = 2

(end of loop)

STEP 6 \Rightarrow Exit.

DEPTH FIRST SEARCH

DFS

STEP I → set status = 1 for each node in G.

STEP II → Push starting node A on stack and set its status = 2

STEP III → repeat step 4 and 5 until stack is empty.

STEP IV → Pop the top node N.

Process it and set its status = 3.

STEP V → Put on stack all the neighbours of N that are in ready state and set their status 2.
[end of loop]

STEP VI → Exit

KRUSKAL's Algorithm

Kruskal (E, cost, n, t)

STEP 1 → construct a heap of edge cost using heapify

STEP 2 → for $i = 1$ to n do $\text{parent}[i] = -1$

$i = 0$, $\text{min cost} = 0.0$

STEP 3 → while ($i < n-1$) and (heap not empty) do

delete a mincost edge (u, v) from the heap
and reheapify using adjust

$j = \text{find}(u)$, $k = \text{find}(v)$

if $j \neq k$
 $i = i + 1$

$\text{dt}[i, 1] = u$

$\text{dt}[i, 2] = v$

STEP 4 → $\text{min cost} = \text{min cost} + \text{cost}[u, v]$

$\text{union}(j, k)$

[end if]

[end while].

STEP 5 → if $i \neq n-1$

print "No Spanning Tree"

else

return mincost

STEP 6 → Exit

PRIMS ALGORITHM

Prims (G, src)

for each vertex u bt. g. vertices)

u.key = ∞

u.parent = null

src.key = 0

Q = minHeap(g.vertices)

while $|Q| \neq \emptyset$

u = extractMin(Q)

for each vertex 'v' adjacent to u

if bt s and $u(u,v) < u.key$

v.parent = u

v.key = $u(u,v)$

Exit.

DIJKSTRA'S ALGORITHM

Dijkstra (G, S)

for each vertex V in G

$dist[V] = \text{infinite}$

$prev[V] = \text{NULL}$

if $V \neq S$, add V to priority queue Q

$dist[S] = 0$

while Q is not empty.

$u = \text{extract min from } Q$

for each unvisited neighbour v of u

$\text{tempDist} = dist[u] + \text{edge weight}[u, v]$

if $\text{tempDist} < dist[v]$

$dist[v] = \text{tempDist}$

$prev[v] = u$

return $dist[], prev[]$.

BELLMAN FORD ALGORITHM

$\text{Bellman Ford}(G, s)$

for each vertex N in G

$\text{dist}[N] = \text{unfinite}$

$\text{prev}[N] = \text{NULL}$

$\text{dist}[s] = 0$

for each vertex N in G

for each edge (M, N) in G ,

$\text{tempDist} = \text{dist}[M] + \text{edge wt}(M, N)$

if ($\text{tempDist} < \text{dist}[N]$)

$\text{dist}[N] = \text{temp Dist}$

$\text{prev}[N] = M$

for each edge (M, N) in G

if $\text{dist}[M] + \text{edge } (M, N) < \text{dist}[N]$

error: negative cycle exists

return $\text{dist}[J], \text{prev}[J]$.

FLOYD WARSHALL

Floyd Warshall (cost, A, n).

//cost [$i^o = n, l = n$] is cost adjacency matrix of a graph with n vertices

STEP 1 \Rightarrow for $i^o = 0$ to n

do for $j^o = 1$ to n

do $a[i^o, j^o] = \text{cost}[i^o, j^o]$

STEP 2 \Rightarrow for $k = 1$ to n

do for $i = 1$ to n

do $A[i, j] = \min(A[i][j],$
 $A[i][k] + A[k][j])$

STEP 3 \Rightarrow EXIT.

HUFFMAN ENCODING

Huffman Coding (string)

STEP I → Define a node with character, frequency left and right child of node for huffman tree.

STEP II → Create a list frequency to store frequency of each character, initially all are 0.

STEP III → for each character c in the string do, increase the frequency for character ch in frequency list.

STEP IV → for all type of character ch do, if the freq. of ch is non-zero then, add ch and its frequency as a node of priority queue Q .

STEP V → while Q is not empty do, remove item from Q and assign it to left child of node.

o remove item from Q and assign to right child of node.

o traverse the node to find the assigned code.

STEP VI → Exit

ACTIVITY SELECTION

Activity Selection (start[], end[], size).

STEP 1 → Sort all activities according to their end time.

STEP 2 → Select the first activity and note the end time call it as end time.

STEP 3 → Now, iterate through rest of the activities
for each currentActivity

if startTime of currentActivity > end-time
Select current Activity
update endTime = end Time of current activity

else

ignore the current activity

[end for]

STEP 4 ⇒ EXIT.

Job Sequencing

Job sequencing (d_i, j^o, n)

STEP 1 : $d[0] = J[0] = 0$

STEP 2 : $J[1] = 1$
 $k = 1$

STEP 3 : for $i = 2$ to n .

do $\tau = k$

while ($(d[J[\tau]] > d[i])$ and
 $d[J[k]] \neq \tau$)

do $\tau = \tau - 1$;

if ($(d[J[\tau]] \leq d[i])$ and $(d[i] > \tau)$)

then for $a = k$ to $(\tau + 1)$ step -1

do $J[a+1] = J[a]$

$J[\tau + 1] = i$

$k = k + 1$

[if ends]

[for ends].

STEP 4 : END

FRACTIONAL Knapsack

Greedy knapsack (m, n)

STEP 1 \Rightarrow for $i=1$ to n
do $x[i] = 0.0$ // initialize x

STEP 2 \Rightarrow $u = m$.

STEP 3 \Rightarrow for $i=1$ to n
do if $w[i] > u$
break.
 $x[i] = 1.0$
 $u - w[i]$

STEP 4 \Rightarrow if ($i <= n$)
 $x[i] = u/w[i]$

STEP 5 \Rightarrow exit

SUBSET SUM

SubsetSum(n , sum, arr[\cdot])

STEP I \rightarrow if sum = 0
return true.

STEP II \rightarrow if $n \geq 0$
return false

STEP III \rightarrow if ($\text{arr}[n-1] > \text{sum}$)
return subset($n-1, \text{sum}$)

STEP IV \rightarrow else
return subset($n-1, \text{sum}$) ||
subset($n-1, \text{sum} - \text{arr}[n-1]$);