

# 人工智慧作業報告簡報

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Performance Effectiveness of Multimedia Information Search Using the Epsilon-Greedy Algorithm 使用 Epsilon-Greedy 演算法進行多媒體資訊搜尋的效能表現 (研究者想知道 Epsilon-Greedy 演算法在此運用會不會比較棒)

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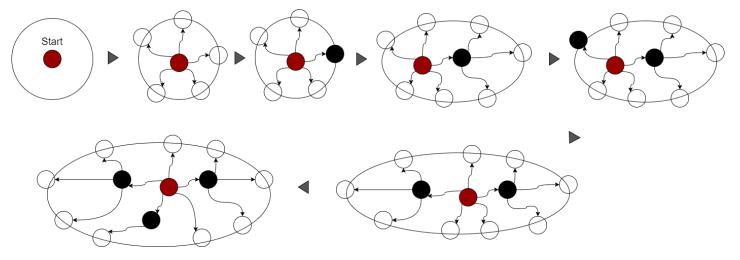


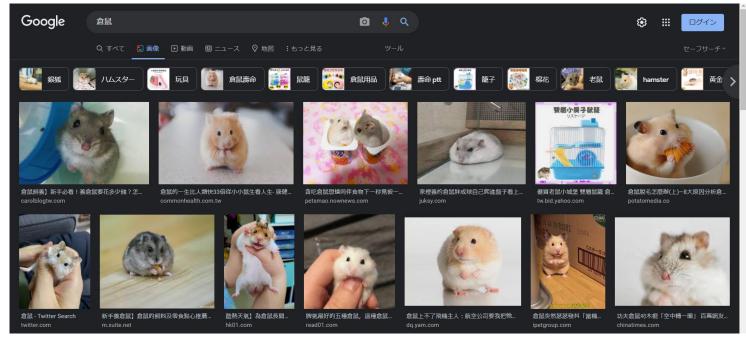


貪婪演算法來處理多媒體搜尋的問題,也就是所謂的多媒體資訊檢索 (MIR; multimedia information retrieval)。

研究團隊想要的解決 過往都用手工作業的 問題 ...

同時也想找出搜尋系 統中不容易找到的對 象。





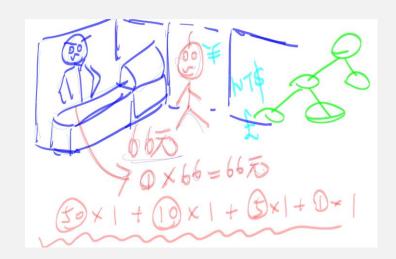


# 生活上,我們 Greedy 演算法會用到的 ...

### 超商找錢

O: 50元x1+10元x1+5 元x1+1元x1

X: 1元 x 66 = 66元







C++ 進行實踐

```
Windows PowerShell
(base) PS D:\USERDATA\Desktop\t> g++ -o owo owo.cpp
(base) PS D:\USERDATA\Desktop\t> ./owo
1567
1567=1000*1 500*1 50*1 10*1 5*1 1*2
```

```
D:\USERDATA\Desktop\t\owo.cpp - Sublime Text (UNREGISTERED)
File Edit Selection Find View Goto Tools Project Preferences Help
     owo.cpp
       #include<iostream>
       using namespace std;
       int main()
           int cash[8];
           cash[0] = 2000;
           cash[1] = 1000;
           cash[2] = 500;
           cash[3] = 100;
           cash[4] = 50;
 12
           cash[5] = 10;
           cash[6] = 5;
           cash[7] = 1;
           int n, i;
           while( cin >> n )
               cout << n << "=";</pre>
               for(i = 0; i <= 7; i++)
                    if(n >= cash[i])
                        cout << cash[i] << "*" << n/cash[i] << " ";</pre>
                        n = n%cash[i];
               cout << endl;</pre>
           return 0;
```



# 生活上,我們 Epsilon-Greedy 演算法會用到的 ...

### 留學顧問諮詢

也就是所謂多臂吃角子老虎問題 ...

學生來了不用指定顧問,由演算法来决定哪位顧問進行諮詢:

步驟 1: 學生 user = 1...T 逐一過來

步驟 2: 給學生推薦顧問,學生接受則留下(reward=1),拒絕則離開(reward=0)

步驟 3: 記錄選擇接受的學生總數 total\_reward += reward

#### 當學生到來時:

Epsilon-greedy 的機率來選擇探索 (Exploration),从 N 個顧問中隨機選擇(Epsilon/N)一個讓學生被諮詢,根據學生回饋好顧問的機率是 { q1, q2, q3, ... qN}

以 1 - Epsilon 的機率選擇利用 (Exploitation), 從 N 個顧問 { q1, q2, q3, ... qN} 中選擇機率最好的顧問推薦給學生。



# Python 進行實踐

```
Windows PowerShell
                          (base) PS D:\USERDATA\Desktop\test-code\epsilon-greedy> python .\eps-greedy.py
   eps-greedy.py
                                        VUSERDATA\Desktop\test-code\epsilon-greedy\
    import numpy as np
    T = 10000 # 學生數量 T
    N = 20 # 顧問數 N
    true rewards = np.random.uniform( low = 0, high = 1, size = N) # 被評好顧問的機率
    estimated rewards = np.zeros(N)
    number of trials = np.zeros(N)
    total reward = 0
    def alpha greedy( N, alpha = 0.1):
        item = 0
        if np.random.random() < alpha:</pre>
           item = np.random.randint( low = 0, high = N)
        else:
12
           item = np.argmax(estimated rewards)
        reward = np.random.binomial( n = 1, p = true rewards[item])
14
        return item, reward
15
    for t in range(1, T): # T個學生逐一進入中心諮詢
       # 從 N 個顧問中推薦一位,reward = 1 表示學生接受,reward = 0 表示學拒絕並離開。
       item, reward = alpha greedy(N)
18
       total reward += reward # 一共有多少學生接受(也就是願意請顧問申請學校)
       # 更新成功機率
21
       number of trials[item] += 1
       estimated rewards[item] = ((number of trials[item] - 1) * estimated rewards[item] + reward) / number of trials[item]
    print("total reward=" + str(total reward))
25
```



#### Framework 框架

## Epsilon-Greedy Algorithm Epsilon 貪婪演算法

提出 EGSE-A & EGSE-B 兩個變體

+ The initial indexing 搜尋系統中的初值索引

> 過去搜尋的對象是根據索引分數 排名,初始值大的就會主導呈現 的結果...

即當給定的隨機對象 Z 已包含在先前的 M-list



**EGSE-A** 

可以被重新選擇



**EGSE-B** 

將被排除

**兩者代表對容錯與效率的重視** 



#### Framework 框架

研究團隊在 Reinforcement Learning 框架下,使用Epsilon-Greedy 演算法進行研究。

**Algorithm 1 EGSE-A**: Search Space Exploration with Constant Probability

**Require:** epsilon E, length of result list M, query max counter C

- 1: Initialize terminating condition  $\Delta \leftarrow False$ ,
- 2: Initialize query counter  $\Theta \leftarrow 0$ ,
- 3: Initialize exploration proportion  $R \leftarrow E \times M$ ,
- 4: Initialize exploitation proportion  $K \leftarrow (1 E) \times M$ ,
- 5: while  $\Delta ==$  False do
- 6: Retrieve and parse new user query Q
- 7: Determine  $S_1 = \{O_i \mid \text{objects with the highest relevant scores}\}_{i=1}^k$ , where  $|S_1| = K$
- 8: Determine  $S_2 = \{O_j \mid O_j \in S_1^{\complement}\}_{j=1}^R$ , where  $|S_2| = R$
- 9: Present M-list :=  $S_1 \cup S_2$  to user
- 10: Capture object click information from user
- 11: Increment the score of clicked objects
- 12:  $\Theta \leftarrow \Theta + 1$
- 13: if  $\Theta == C$  then
- 14:  $\Delta \leftarrow True$

Algorithm 2 EGSE-B: Search Space Exploration with Variable Probability

**Require:** epsilon E, length of result list *M*, query max counter *C* 

- 1: Initialize terminating condition  $\Delta \leftarrow False$ ,
- 2: Initialize query counter  $\Theta \leftarrow 0$ ,
- 3: Initialize exploration proportion  $R \leftarrow E \times M$ ,
- 4: Initialize exploitation proportion  $K \leftarrow (1 E) \times M$ ,
- 5: Initialize previously presented M-list for Query  $Q_i$  as  $S_i \leftarrow \emptyset$ , for all possible i
- 6: while  $\Delta ==$  False do
- 7: Retrieve and parse new user query  $Q_i$
- 8: Determine  $S_1 = \{O_l \mid \text{objects with the highest relevant scores}\}_{l=1}^k$ , where  $|S_1| = K$
- 9: if  $|(S_1 \cup S_i)^{\complement}| \geq R$  then
- 0: Determine  $S_2 = \{O_j \mid O_j \in (S_1 \cup S_i)^{\complement}\}_{j=1}^R$ , where  $|S_2| = R$
- 11: else
- 12: Determine  $S_2 = (S_1 \cup S_i)^{\complement}$ , where  $|S_2| = |(S_1 \cup S_i)^{\complement}|$
- 13: Present M-list :=  $S_1 \cup S_2$  for query  $Q_i$  to user
- 14:  $S_i \leftarrow S_i \cup S_1 \cup S_2$
- 15: Capture object click information from user
- 16: Increment the score of clicked objects
- 17:  $\Theta \leftarrow \Theta + 1$
- 18: if  $\Theta == C$  or  $(S_1 \cup S_i)^{\complement} == \emptyset$  then
- 19:  $\Delta \leftarrow True$



#### Intuition 直觉



當中的 RIV 為相關索 引值初始化 測試的每張圖像屬於分為四類各 25 % : 三角鋼琴 - grand piano、立 式鋼琴 - upright piano、古典吉他 - classical guitar、豎琴 - harp

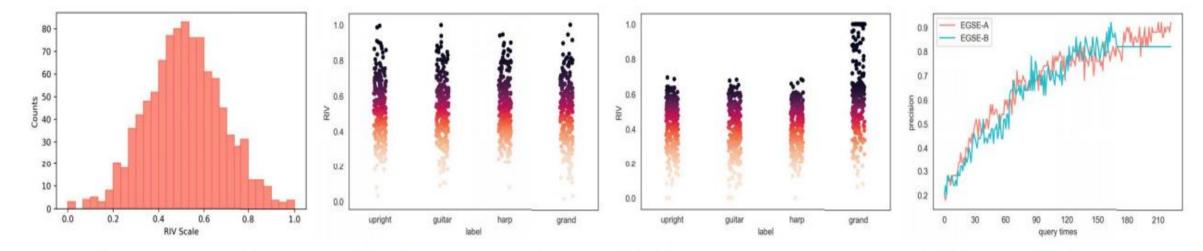


Fig. 3. Distribution of Initial RIV Scores. Fig. 4. Distribution of Initial RIV Scores for Each Category (EGSE-B). Fig. 5. Distribution of RIV Scores for Each Category When Hidden Object X is Discovered (EGSE-B). Fig. 6. Evolution of Query Precisions against Query Times.

Settings:  $N = 1000, M = 50, \epsilon = 0.1$ .

EGSE-B 初始 RIV

找到隱藏對象的 RIV 分數分布 *查詢的精確度隨* 時間越來越好

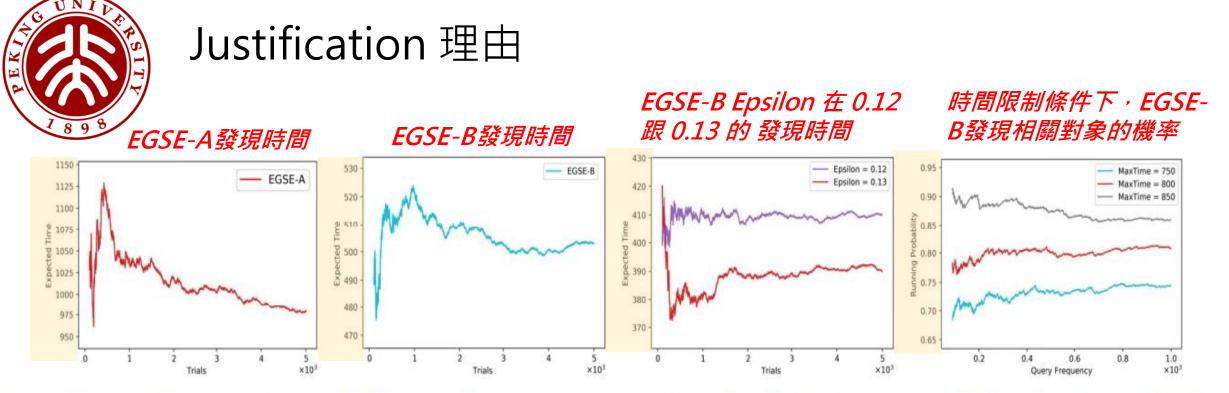


Fig. 7. Expected Discovery Time of EGSE-A. Fig. 8. Expected Discovery Time of EGSE-B. Settings: N = 10000, M = 100,  $\epsilon = 0.1$ . Fig. 9. Expected Discovery Time of EGSE-B with  $\epsilon = \{0.12, 0.13\}$ . Fig. 10. Probability of Discovering the Most Relevant Object in EGSE-B with Time Constraints.



### Result 结果

#### 三角鋼琴 - grand piano



Fig. 1. Sample Images from Dataset (Size = 50). Fig. 2. Final Returned M-list using EGSE-A. Settings:  $N = 1000, M = 50, \epsilon = 0.1$ .



#### Reference

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