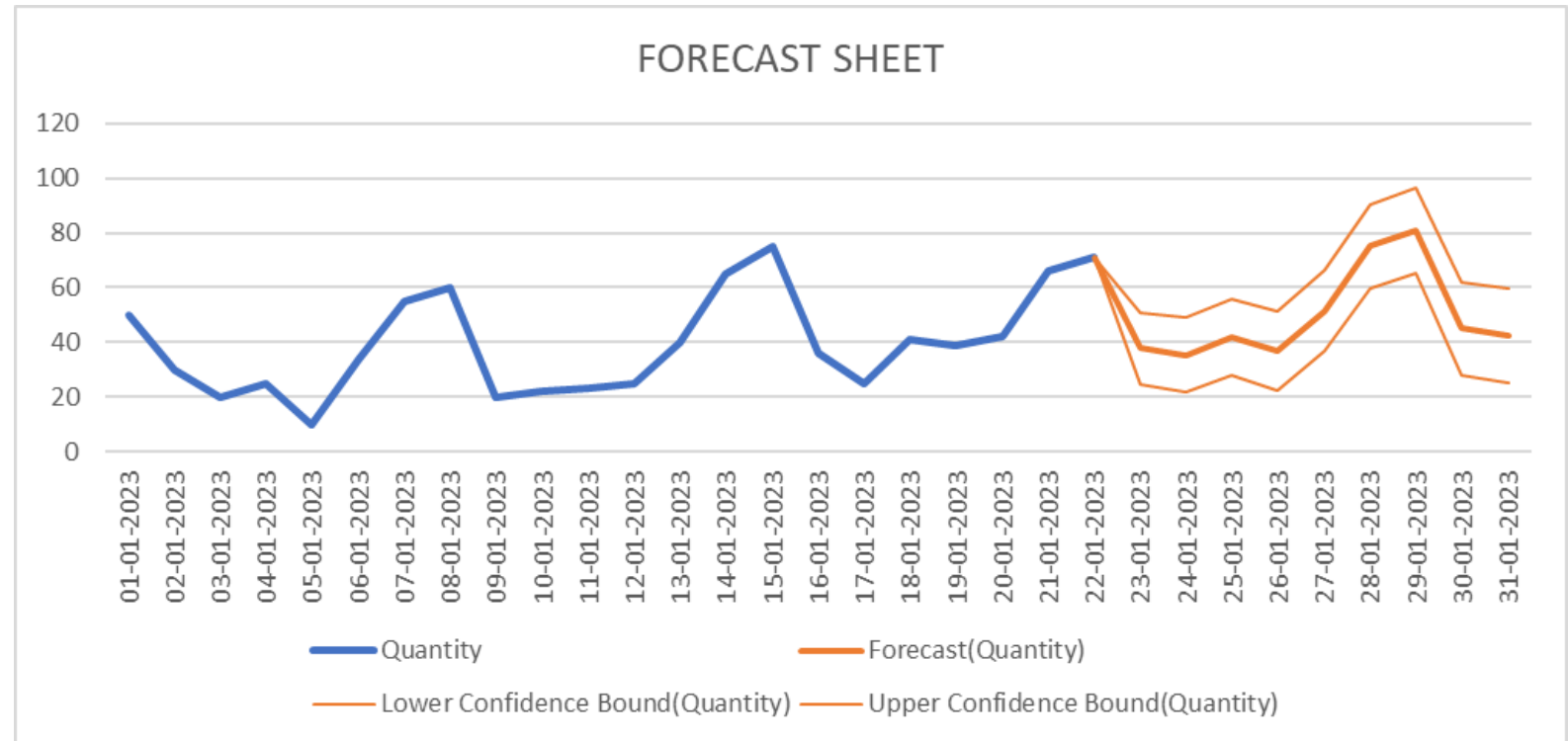


Time Series Forecasting

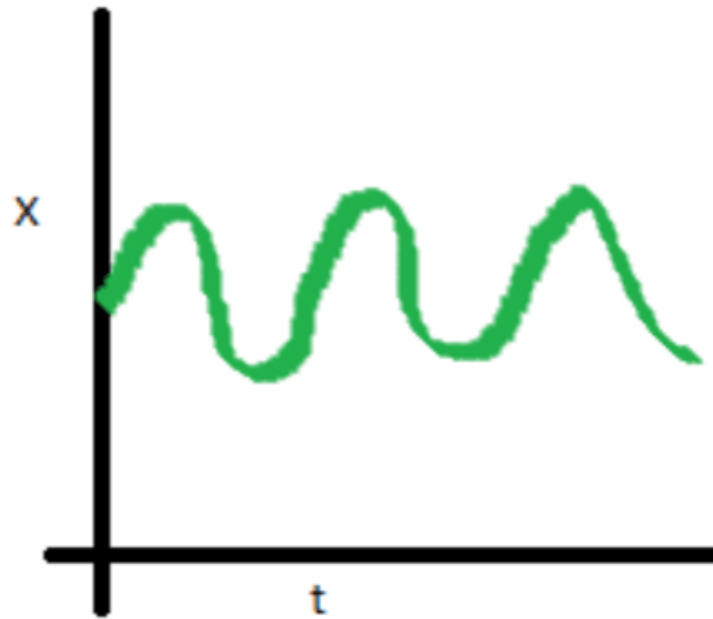
UTKARSH GAIKWAD

WHAT WILL BE MY DEMAND OF ALOO TIKKI FOR NEXT DAYS ?

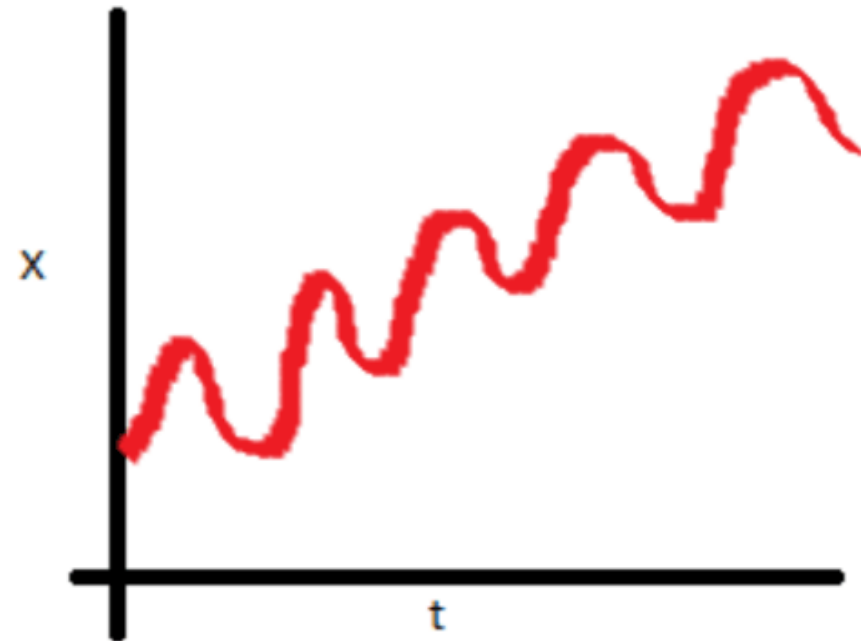
Date	Quantity
01-01-2023	50
02-01-2023	30
03-01-2023	20
04-01-2023	25
05-01-2023	10
06-01-2023	34
07-01-2023	55
08-01-2023	60
09-01-2023	20
10-01-2023	22
11-01-2023	23
12-01-2023	25
13-01-2023	40
14-01-2023	65
15-01-2023	75
16-01-2023	36
17-01-2023	25
18-01-2023	41
19-01-2023	39
20-01-2023	42
21-01-2023	66
22-01-2023	71



Stationary vs Non Stationary time series

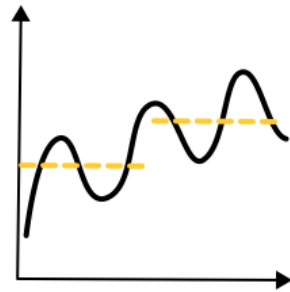


Stationary series

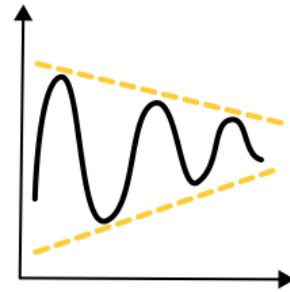


Non-Stationary series

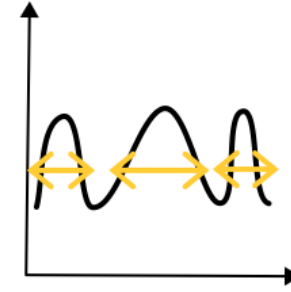
Rules for a stationary time series



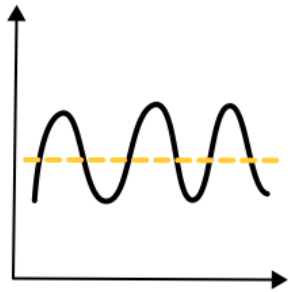
Mean dependent on time



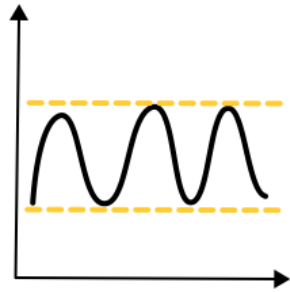
Variance dependent on time



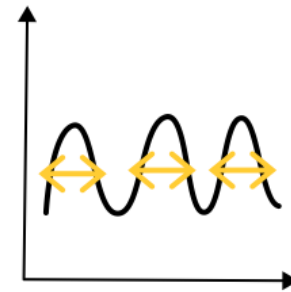
Covariance dependent on time



Mean independent on time

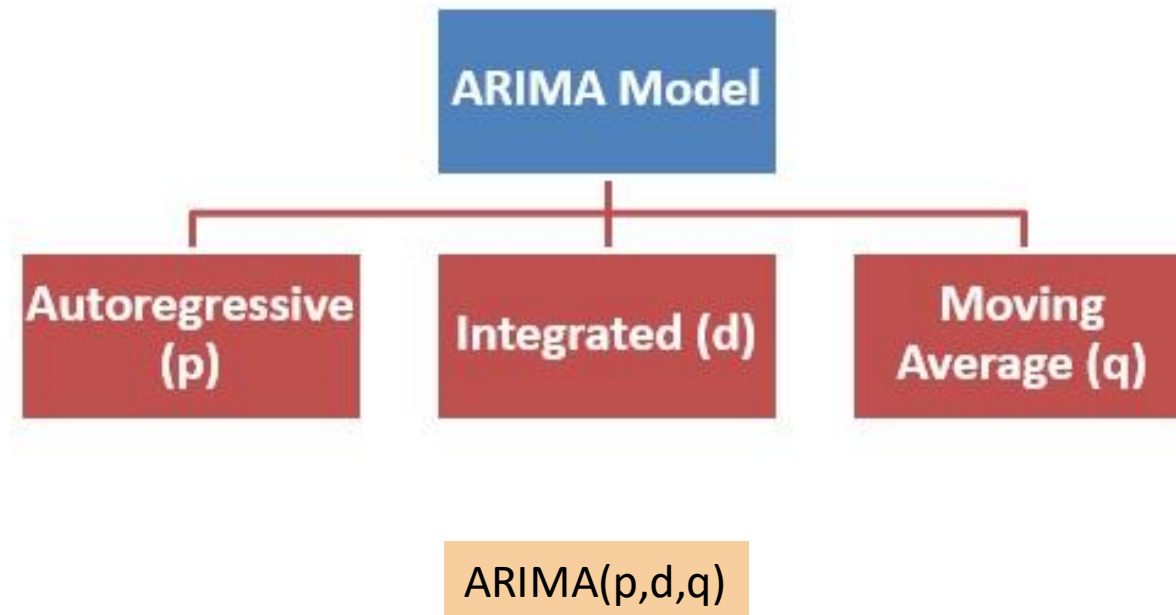


Variance independent on time



Covariance independent on time

Models for Time Series



Equation for ARIMA

$$\hat{y}_t = \underbrace{\mu}_{\text{Constant}} + \underbrace{\phi_1 y_{t-1} + \dots + \phi_p y_{t-p}}_{\text{AR terms (lagged values of } y)} - \underbrace{\theta_1 e_{t-1} \dots - \theta_q e_{t-q}}_{\text{MA terms (lagged errors)}}$$

θ = moving average parameters of order q ,

Φ = autoregressive parameters of order p ,

\hat{y}_t = prediction estimates at time t ,

y_{t-p} = lagged values of y , and

e = error term.

ARIMA Equation (Difference)

$$y_t^{(d)} = c + \varepsilon_t + \underbrace{\phi_1 y_{t-1}^{(d)} + \phi_2 y_{t-2}^{(d)} + \dots + \phi_p y_{t-p}^{(d)}}_{\text{Auto-Regressive}} + \underbrace{\theta_1 \varepsilon_{t-1} + \theta_2 \varepsilon_{t-2} + \dots + \theta_q \varepsilon_{t-q}}_{\text{Moving Average}}$$

Integrated

Thank you

UTKARSH GAIKWAD