



# **Python: Lists, Tuples, Time Complexity**



# Python Lists



## Key Aspects:

- Sequence of items.
- Enclosed within **square brackets []**.
- Can store values of different data types.
- Variables can store references to lists.
- Their internal structure is similar to a grid, where each element is referred to using an **index**, an integer that starts at 0 for the first item and increases by 1 for each subsequent item in the list.
- They can contain **nested lists** (lists within lists).

## Indices:



Starts  
at 0

Lists are  
**MUTABLE**

## Access Items:

```
>>> a = [1, 2, 3]
>>> a[0]
1
>>> |
```

<listVar>[<index>]

## Change Items:

```
>>> a = [1, 2, 3]
>>> a[0] = 5
>>> a
[5, 2, 3]
```

New Value

u



# Python Tuples



## Key Aspects:

- Sequence of items.
- Enclosed within **parentheses ()**.
- Can store values of different data types.
- Variables can store references to tuples.
- Their internal structure is similar to a grid, where each element is referred to using an **index**, an integer that starts at 0 for the first item and increases by 1 for each subsequent item in the tuple.
- They can contain **nested tuples** (tuples within tuples).

## Indices:

(1, 2, 3)

[0] [1] [2]

Starts  
at 0

Tuples are  
**IMMUTABLE**

## Access Items:

```
>>> a = (1, 2, 3)
>>> a[0]
1
>>> |
```

<tupleVar>[<index>]

## Change Items:

```
>>> a = (1, 2, 3)
>>> a[0] = 5
Traceback (most recent call last):
  File "<pyshell#12>", line 1, in <module>
    a[0] = 5
TypeError: 'tuple' object does not support item assignment
```

Error

u



# Algorithmic Time Complexity

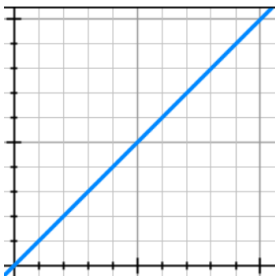


## Key Aspects:

- Indication of the efficiency of algorithms.
- Execution time varies when the size of the input varies.
- Some algorithms handle large inputs much more efficiently than others (faster).
- To denote the execution time, we can analyze the best-case, the average-case, and the worst-case scenario.
- **Big O notation** is used to denote the upper bound of the execution time of an algorithm as the size of the input grows.
- Big O Time Complexities:

<b>Constant:</b> $O(1)$	<b>Logarithmic:</b> $O(\log(n))$	<b>Linear:</b> $O(n)$
<b>Log-linear:</b> $O(n\log(n))$	<b>Polynomial:</b> $O(n^c)$	<b>Exponential:</b> $O(c^n)$

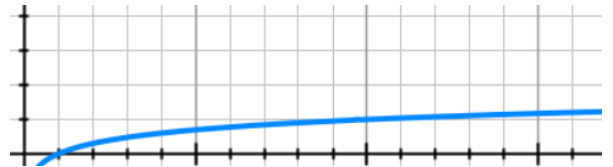
## Orders of Growth:



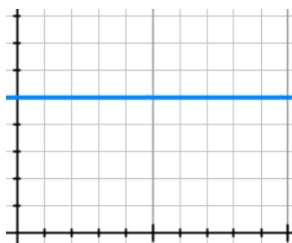
Linear



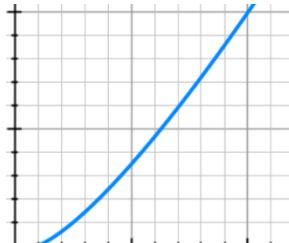
Quadratic



Logarithmic



Constant



$n\log(n)$



Exponential

