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# Machine Learning Computing Tutorial 1

## Programming Preliminaries / Linear Mappings

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1. Start Jupyter by visiting the following url: <https://jupyter.org/try>. Once the page has loaded, click "Try Jupyter with Python". Then go to: 'File' → 'New Notebook' → 'Python 3'.

2. First you may want to import these libraries:

```
from pylab import *
from scipy import *
```

or

```
import pylab as pl
import scipy as sp
```

Note that you can execute cells by pressing 'shift' + 'enter'.

3. Linear Mappings

- a) Generate  $N = 100$  data points from a 2-d gaussian Distribution with mean  $[1, 2]^T$ .
- b) Plot the data as a point cloud using `plot(x(1,:), (2,:), ' .')` for MATLAB or `plot(X[0, :], X[1, :], ' .')` for Python.
- c) Create a linear mapping  $\mathbf{A}$  such that  $\mathbf{AX}$  scales the first row of  $\mathbf{X}$  by  $1/2$
- d) Plot the data again
- e) Create a linear mapping  $\mathbf{B}$  such that  $\mathbf{BAX}$  mirrors the data at the y-axis
- f) Plot the data again
- g) Create a linear mapping  $\mathbf{C}$  such that  $\mathbf{CBAX}$  permutes the y-axis and x-axis
- h) Plot the data again
- i) Create a linear mapping  $\mathbf{D}$  such that  $\mathbf{DCBAX}$  rotates the data by  $45^\circ$
- j) Plot the data again
- k) Compute  $\mathbf{E} = \mathbf{DCBA}$  and then compute  $\mathbf{EX}$
- l) Plot the data again
- m) Compute  $\mathbf{F} = \mathbf{ABCD}$  and then compute  $\mathbf{FX}$
- n) Plot the data again

## 4. Loading numeric data in ASCII format

Download an example text file from the moodle. The file is called: `handpositions.txt`  
Each row of this file contains tab-separated 2d-coordinates.

Write a function that

- a) loads the data into a d-by-N array (N is the number of data points/rows of the file)
- b) plots the 2d-coordinates as in assignment 3b.

## 5. Some basic operations on time series (Z-Scoring)

- a) Take the same data matrix as in assignment 4.
- b) Transform each row  $A[i, :]$  of that matrix such that its mean

$$\mu = 1/N \sum_{n=1}^N (A[i, :]) = 0 \tag{1}$$

is zero and its standard deviation  $\sigma$  is 1

$$\sigma = \sqrt{1/N \sum_{n=1}^N (A[i, :] - \mu)^2} = 1. \tag{2}$$

- c) Plot the data again as in assignment 4.

It is good programming practice to *include some comments inside your code*. If you haven't done it, please take the time to do it now. It will help you understand what is happening within your code, anytime you have another look at it.