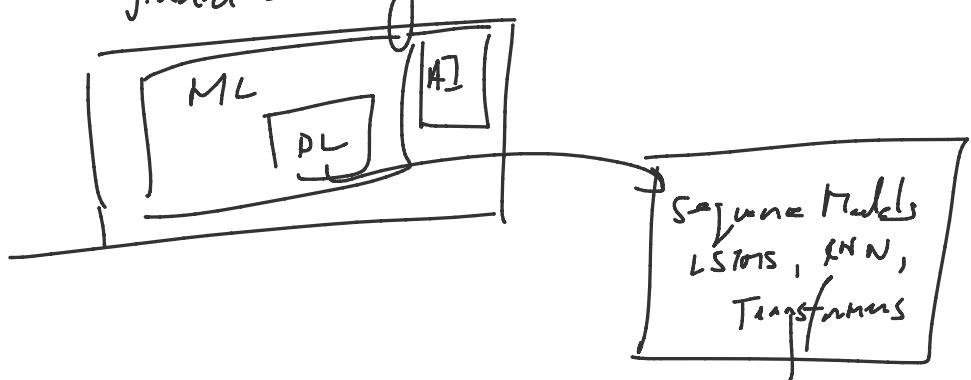
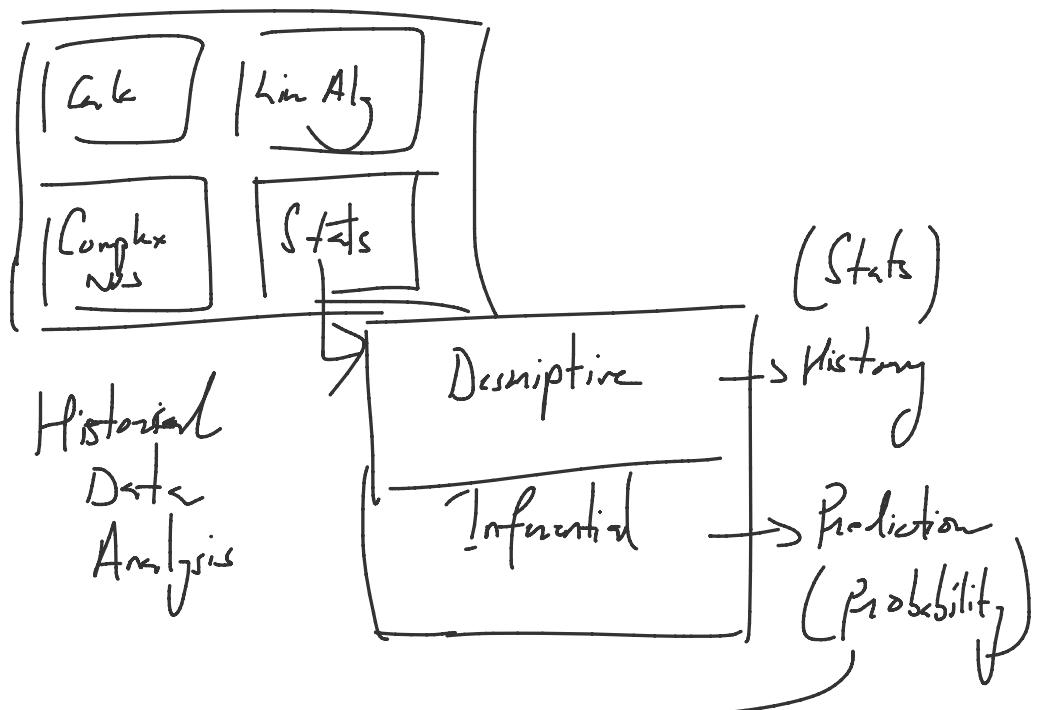


=> Models: Rev Py Implementation & sklearn) \rightarrow Py, ML

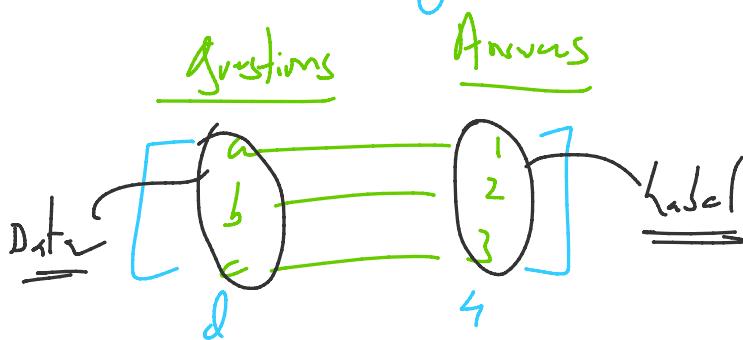
=> MVC & REST API: Web Terms \rightarrow Web Dev
Meth

=> ML:



\Rightarrow ML: Supervised

University Exam



ILM

Unsupervised

GATE, GRE, IELTS

Questions Answers

a	{ 1 }
b	{ 2 }
c	{ 3 }
(vi)	(iv)

Supervised Learning :

Regression
(Continuous)

Predict temp of day after tomorrow

26.2°C

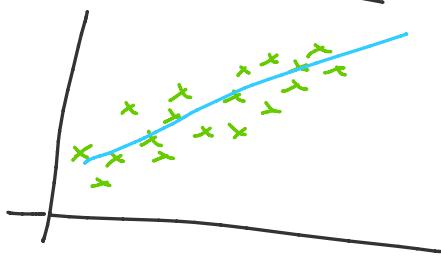
Classification
(Discrete)

Lin - 1
Trig - 1
Pois - 1

Linear

Regression ;

Dependent
Variable



1 2 3 4

Variable

$$\hat{y} = \beta_0 + \beta_1 \cdot x_i \quad \begin{array}{l} \text{(Line)} \\ \text{Independent Variable} \end{array} \quad \left(y = mx + b \right)$$

Parameters

$$\Rightarrow \beta_0 = \bar{y} - (\beta_1 \cdot \bar{x})$$

$$\Rightarrow \beta_1 = \frac{\sum (x_i - \bar{x}) \cdot (y_i - \bar{y})}{\sum (x_i - \bar{x})^2} = \frac{SS_{XY}}{SS_X}$$

\Rightarrow Systems:

Heights	$[173, 182, 165, 154, 170]$	$= X$
Weights	$[68, 75, 65, 57, 64]$	$= y$

x	y	$x_i - \bar{x}$	$y_i - \bar{y}$	$(x_i - \bar{x})^2$	$(x_i - \bar{x}) \cdot (y_i - \bar{y})$
173	68	173 - 168			
182	75	182 - 168			
165	65	165 - 168			
154	57	154 - 168			
170	64	170 - 168			
Σ		Σ			
$\bar{x} = 168$					
$\bar{y} = 66$					

$$\hat{y} = \beta_0 + \beta_1 \cdot x_i$$

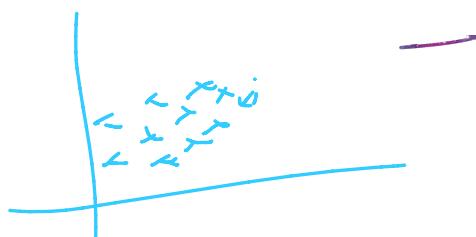
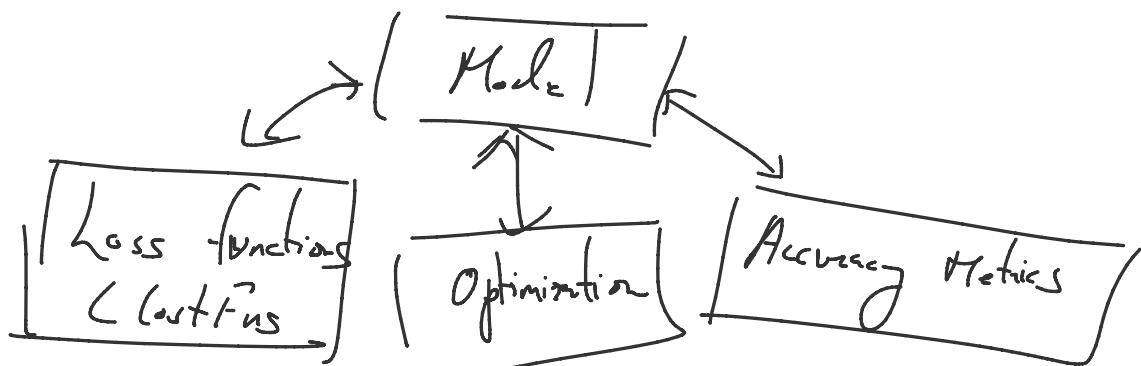
$$\begin{aligned} \beta_0 &= \bar{y} - (\beta_1 \cdot \bar{x}) \\ \beta_1 &= \frac{\sum (x_i - \bar{x}) \cdot (y_i - \bar{y})}{\sum (x_i - \bar{x})^2} \end{aligned}$$

$$\left. \begin{array}{l} \beta_0 = -57.82 \\ \beta_1 = 0.737 \end{array} \right\}$$

$$\hat{y} = \beta_0 + \beta_1 \cdot x$$

$$= -57.82 + 0.737 \times 176$$

\Rightarrow Generalized Flow:



\Rightarrow Regression:

- \rightarrow Mean Squared Error
 - \rightarrow Mean Absolute Error
 - \rightarrow Root Mean Squared Error
- \rightarrow Loss Functions

$(R^2 \text{-Squarred})$

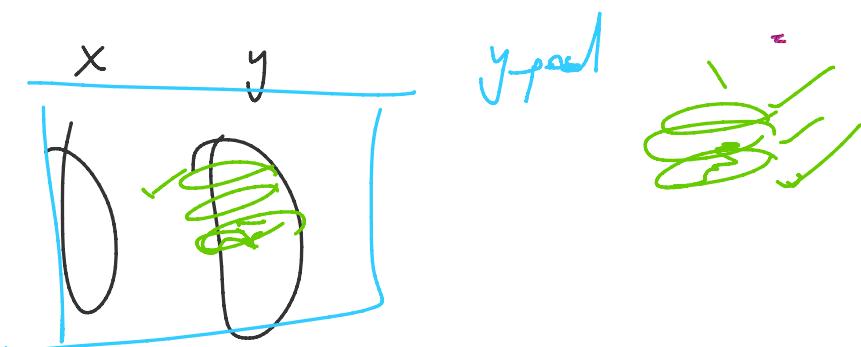
$(\text{Adjusted } R^2 \text{-Squarred})$

\rightarrow Goodness of Fit

Gradient Descent
 Stochastic
 RMS Prop
 AdaGrad
 Adam

→ Optimized

=> Mean Squared Error:



$$\text{Error} = \sum (y_i - \hat{y}_i)$$

$$\text{Sum Squared Error} = \sum (y_i - \hat{y}_i)^2$$

$$\text{Mean SE} = \frac{\sum (y_i - \hat{y}_i)^2}{n}$$

$$\Rightarrow \hat{y} = \beta_0 + \beta_1 \cdot x_1 + \beta_2 \cdot x_2 + \beta_3 \cdot x_3 + \dots + \beta_n \cdot x_n$$

BHI, Activity

Generalized: Self Adaptable

=> Least Square Estimates: (Linear Algebra)

$$\hat{f} = \begin{pmatrix} 1 \\ \beta_0 \\ \beta_1 \\ \beta_2 \\ \vdots \\ \beta_n \end{pmatrix} = \underline{\underline{(x^T \cdot x)^{-1}}} \cdot \underline{\underline{x^T \cdot y}}$$

\Rightarrow Bias \Rightarrow An arbitrary weight

$$\begin{pmatrix} x_1 \\ \vdots \\ x_n \end{pmatrix} \text{ P1 S1 } \begin{pmatrix} \beta_1 \\ \vdots \\ \beta_n \end{pmatrix} \text{ P2 S2 } \text{ weight } (\gamma)$$

$$\begin{matrix} \beta_1 & 1 \\ 2 & 5 \\ 3 & 8 \\ 4 & 12 \end{matrix}$$

$$x^T = \begin{pmatrix} 1 & 1 & 1 & 1 \\ 1 & 2 & 3 & 4 \\ 1 & 3 & 5 & 6 \\ 1 & 4 & 8 & 12 \end{pmatrix}_{4 \times 3} \quad x^T = \begin{pmatrix} 1 & 1 & 1 \\ 1 & 2 & 3 \\ 1 & 3 & 5 \\ 1 & 4 & 8 \end{pmatrix}_{3 \times 4}$$

$$x^T x = \begin{pmatrix} \dots & \dots & \dots \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{pmatrix}$$

$$3 \times 1 \times 4 \times 3 = 36$$

$$(x^T x)^{-1} = \begin{pmatrix} \dots & \dots & \dots \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{pmatrix}_{3 \times 3}$$

$$(x^T x)^{-1} \cdot x^T = \begin{pmatrix} \dots & \dots & \dots \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{pmatrix} \times \begin{pmatrix} \dots & \dots & \dots \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{pmatrix}$$

$$(x^T \cdot x)^{-1} \cdot x^T = \begin{pmatrix} - & - & - \\ - & - & - \\ - & - & - \end{pmatrix}_{3 \times 3} \times \begin{pmatrix} - & - & - & - \\ - & - & - & - \end{pmatrix}_{3 \times 4}$$

$$= \begin{pmatrix} - & - & - & - \\ - & - & - & - \\ - & - & - & - \end{pmatrix}_{3 \times 4}$$

$$(x^T \cdot x)^{-1} \cdot x^T y = \begin{pmatrix} - & - & - & - \\ - & - & - & - \\ - & - & - & - \end{pmatrix}_{3 \times 3} \times \begin{pmatrix} - \\ - \\ - \end{pmatrix}_{3 \times 1}$$

$$\hat{y} = \beta_0 + \beta_1 \cdot z_1 + \beta_2 \cdot z_2$$

$$= (1 \times 3) \rightarrow (1 \times 1) \text{ scalar } \hat{y}$$

Classification : Discrete Values

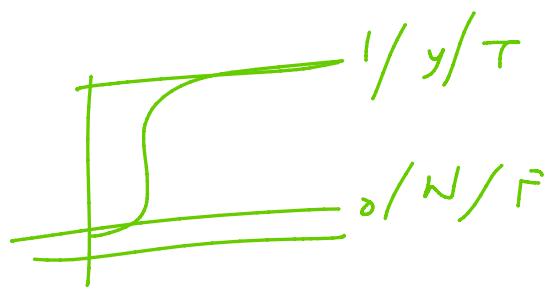
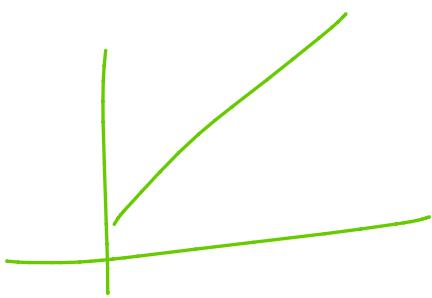
Logistic Regression : Binary Classification

T/F, 0/1, Yes/No

Logit Fn

r. . 1 / Activation)

Signal (Activation)



$$z = (\hat{y} = \beta_0 + \beta_1 \cdot i)$$

$$\sigma(z) = \frac{1}{1 + e^{-z}}$$

$$= \frac{1}{1 + e^{-(\beta_0 + \beta_1 \cdot i)}}$$

Loss
↳ Logarithmic Loss - Binary Cross-Entropy

↳ Categorical Cross-entropy

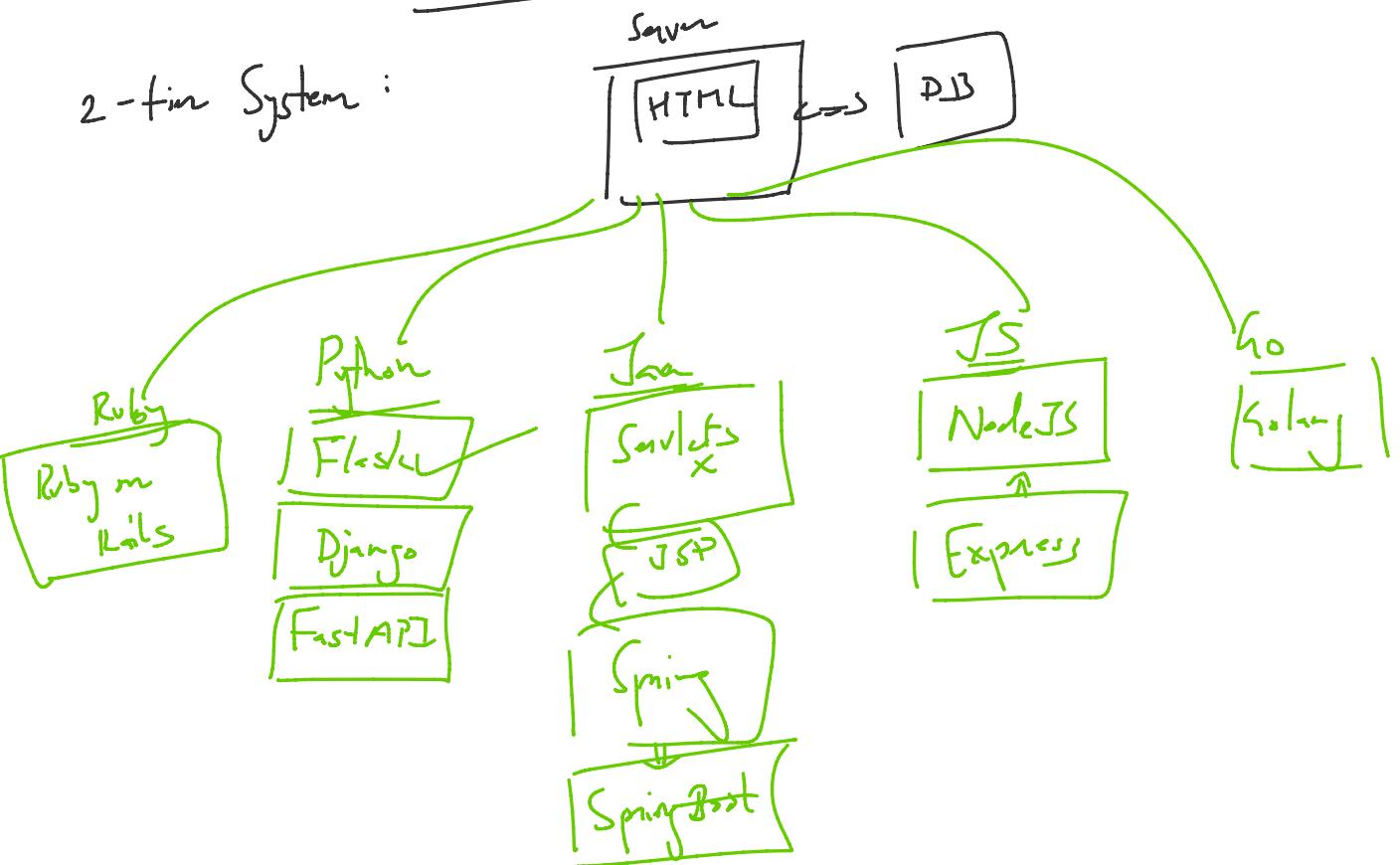
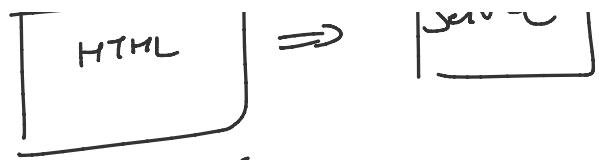
Accuracy Metrics:
↳ Confusion Matrix $\Rightarrow (TP, TN, FP, FN) \approx (Type I, Type II error)$

↳ Precision & Recall

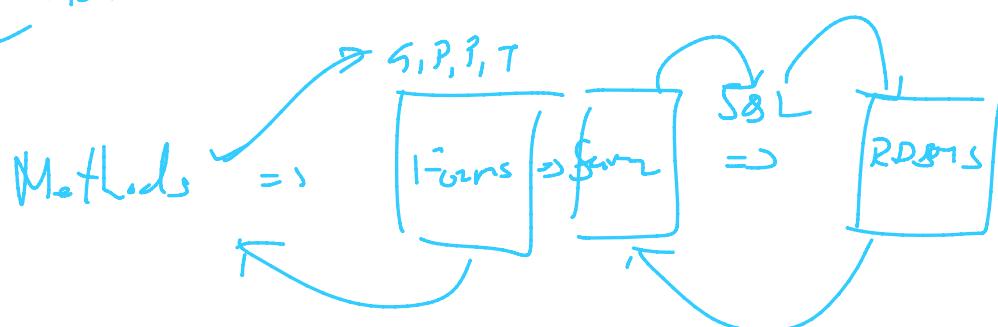
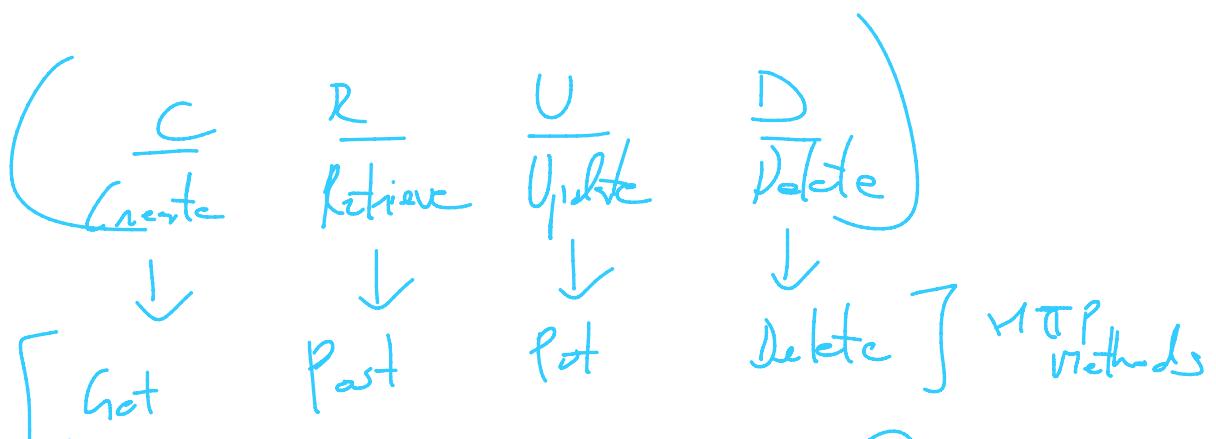
↳ F₁-Score - Harmonic Mean of Precision & Recall.

Model Deployment:





→ Methods : HTTP :

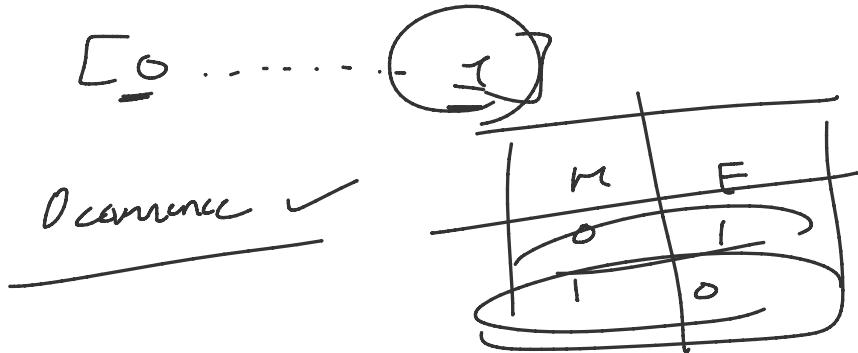


=> Feature Engg: One Hot Encode

[Male, Female]

[0, 1] → Ordinal Scale

[0 1]



=> MVCT

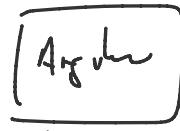
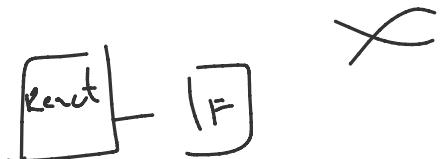
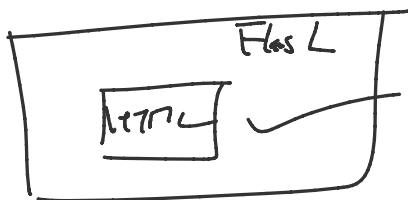
Model View Painter

DB App JS HTML

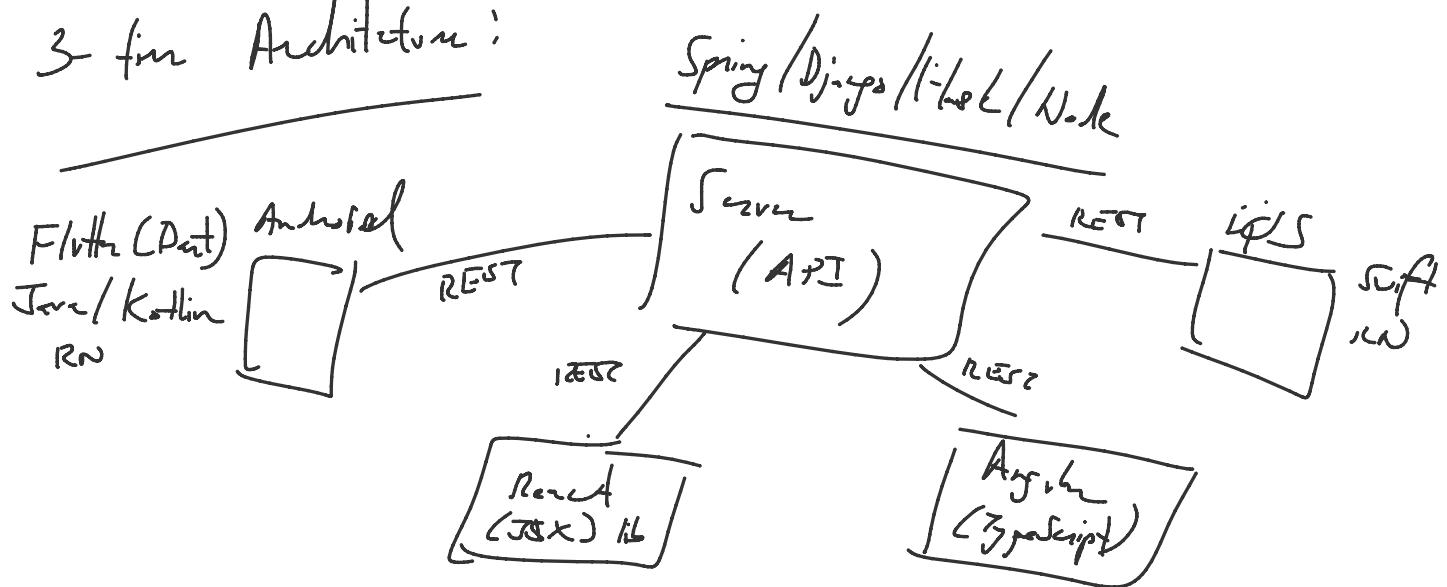
(MVC - Model View Controller)

DB Frontend Server

(Swift
Kotlin
React Native
Flutter)



3 tier Architecture:



API - Application Programming Interface

REST = REpresentational State Proper
(JSON)

LinScript Object Notation