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2 Problems

- Given a set of $n (=2^m)$ registers (each of (word) length l bits) for some $m = 0, 1, 2, \dots$,

Solution:

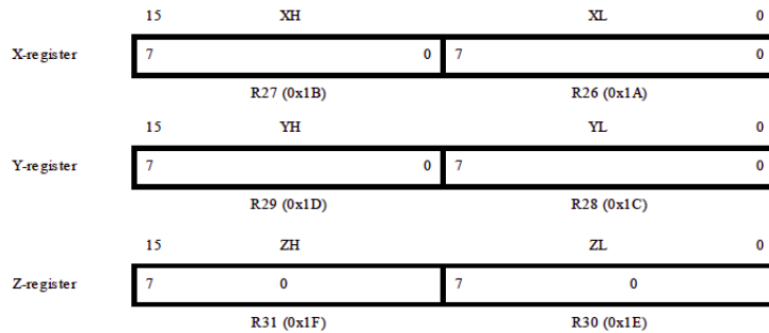
- The minimum number of address bits necessary to pick an unique register from the above set is $\log_2(n) = m$. For example if $n = 2^2 = 4$ that is there are 4 registers then minimum number of address bits required are 2.
- What is the size of (General Purpose) register memory (part of CU) in AVR? (Mention its size in terms of Bytes and its arrangement). What is the role of registers R26 through R31?

Solution:

The size of general purpose register is 8 bits. There are 32 general purpose registers. R0-R31 are the registers.

	7	0	Addr.
	R0		0x00
	R1		0x01
	R2		0x02
	...		
	R13		0x0D
	R14		0x0E
	R15		0x0F
General Purpose Working Registers	R16		0x10
	R17		0x11
	...		
	R26		0x1A
	R27		0x1B
	R28		0x1C
	R29		0x1D
	R30		0x1E
	R31		0x1F

The registers R26...R31 have some added functions to their general purpose usage. These registers are 16-bit address pointers for indirect addressing of the data space. The three indirect address registers X, Y, and Z are defined as described in the figure.



3. Consider the internal registers (internal to CU of a processor) of size l bits each and ' m ' of them are available. If consecutive two such registers are used as a pointer to external memory (which might hold code or data), what would be the maximum number of memory words it could uniquely address?

Solution:

It is given that the number of registers available are m each with size l bit. And two consecutive registers are used to point to an address. Assuming that data to be addressed is a byte (It is not necessary that length is 8 bits or 1 byte). Following depicts memory structure in that particular external memory.

1st byte : 00

2nd byte: 01

3rd byte : 10

....

If m is even then $\frac{m}{2}$ bytes can be addressed. (Here each bit in 2 bit is a register).

If m is odd then $\frac{m-1}{2}$ can be addressed and one extra register is left.