MATH STOTECS X Y noung) $= \int_{A}^{2} \sum_{k=1}^{2} (1-k)^{k} \sum_{k=1}^{2} (1-k)^{k} \times \sum_{k=1}^{2} (1-k)^$ P(XZY) = SE PX, V (X) 1x2 = S S RX (x) Ry (y) Dx> Cooks 'Close" to = & & Px da (x) folly Any i:= x-(x+1) +hn i = 8,1,..3 = No = E E (-p)xp (-p)xp IXX $= p^{2} \sum_{y \in N_{0}} (-p)^{2} \sum_{i \in N_{0}} (1-p)^{i+y+1}$ = P2 & (1-p) 2y+1 & (-p) ieNo 15 p →0, P(X>Y) → = = p (1-p) & (1-p)2 Y 1- (b) = 1- +2b-bs

COF of beautic (corrected)

$$B_1, b_2, \dots$$
 in bern (p) # of zeroes

 $X \times X+1$
 $S(8) = P(X > X) = P(X \ge X+1) \qquad X+1 = 2eroes$
 $E = P(X \ge X+1, X=X+1) + P(X \ge X+1, X=X+2) + P(X \ge X+1, X=X+3) \times \dots$
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By the book:

let j:= c-(x+1) => c=j+x+1

 $S(x) = P(X \ge x+1) = \sum_{i \in [x+1, x_2, ... 3]} P(1-p)^{x} = P(1-p)^{x+1} = P(1-p$

X ~ (seon (p) Impire X is the on a clock taybe every serve! Masur simile West if 1457ad, he had n Eff George per second: let Xn denia styling the Xn R(x) = (1p) x = (20, 4, 2, ..., 1, 1+4, 1+3, 3 The process Stops" almost immediately if is large and pio modest but what if p was very small? p > 0, 4 > 0 st.) = p5>0 And he substitute. PX, (x) = (1- \frac{\dagger}{n}) \frac{4x}{4} \frac{1}{2} x \in \frac{2}{n}, \frac{1}{n}, \frac{2}{n}, \frac{ Now we let 4 300 effecting running intime Bernocall's 14 card 0=1,m Px (x) = 1/m (-1) nx = 1 x = (P; +, =, ... 3 Recall from colculus. I'm fG) gG) = 1 im fG) 1th gG)

= (Im (1-2) h) (Im 2) / Im IxE 8, 4, 2, 3 $= (e^{-\lambda x})(0) 1_{x \in [0,\infty)}^{t}$ (Sx) & (IX) CHO 00 No longer a diserver = 0 Not a PMF!!! =) We're in trade! $\left| \frac{1}{2} \left| \frac{1}{2} \left| \frac{1}{2} \right| \right| = \left| \frac{1}{2} \left| \frac{1}{2} \right| \right|$ Lets take a look at the COF... F(x) = /m F(x) = /m /- (-2) hx+1 = /- (/m (-2)) x * $lim_\{n\to\infty\}\;(1\;\text{-}\;\lambda\!/n)$ = /- e-xx This term in red becomes 1 Igalia & valid CDF? If x < 0 | > F(x) = (0,1) | sine | | - ef x | = [0,1) Maronelly 14cr. 3 d F(c) ≥ 0 he-m>0 for all x ≥0 FG) = 0 Since x<0 => FB)=0 and = 0 for allx<0 Im 1-e-x = 1 /me-xx = Fox) = 1 X >>0 valid CDF

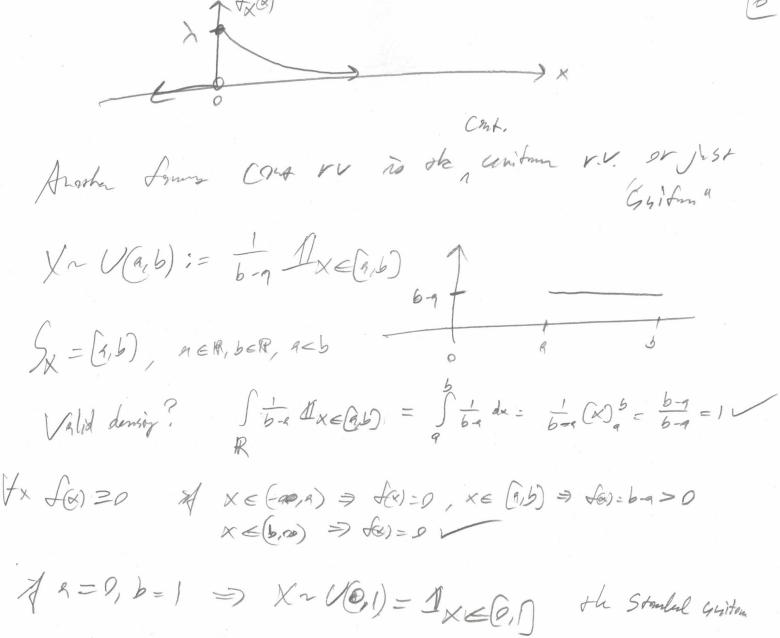
Oct: A com ri X has |SX = |R| and ho PAF, the PMF is p(8)=0 th P(E=K)=0!! They have CDF's, T'k down of the CDF (how fort the ru collects prob at ay x) is refl: of (x):= \$\frac{1}{4}(\frac{1}{2}(\frac{1}{2}))\$ is called the ris pmb density "fruence (00F)

Why bensity? It's the density of prob in my gran regim: $A = b, P(X = (a,b)) = F(b) - F(b) = \int_{9}^{6} f_{X}(x) dx = \int_{9}^{6} f_{X}(x) dx$ Also, may ster the PDF is I vail. in closed from but the COF is not! Propose: = P(X \(\infty\) - (\infty\) \(\infty\) \(\i R for cont. rus. fx& =0 sine Fx& is moroundy Nm: fx cm he >0 $S_{\chi} = \{ \chi : f_{(i)} > 0 \}$ It's mor a problime

the PMF!!!, The Xoo he discusse is a faire brank have TV., He exposure

 $X \sim Eag(\lambda) := \lambda e^{-\lambda x} I_{x=0} \quad \lambda \in (0, \infty)$

 $\lambda \in (0, \infty)$ sue $p \in (0,1)$, $n \in \mathbb{N}$



the Stanled Griton Very inporter rv. especially in comp. scheme!

if X_{ii} , X_{ii} = $f(x_i)$ $f(x_i)$. Fairly $f(x_{ii})$ $f(x_{ii})$ = $f(x_{ii})$ $f(x_{ii})$ To get prob's from a JOF, you red to htype per a regin pres) of A (8) da A colc. fact / LeibyHZ's Rule $\frac{d}{dt} \int_{a(t)}^{b(t)} g(x,y) dy = \int_{a(t)}^{b(t)} (x,b(t)) \int_{a(t)}^{b(t)} f(x,b(t)) \int_{a($

le X, X2 be the cont. ru's T= X,+X2 2 f_(+) = ? Meshe ! Note: if F_(4) is Known = \$ \$ \int_{7(4)} - \frac{d}{d}_{7} \left(\overline{F}_{7}(6) \right) \] Who if not known? former like before as a finere of plas of the toubook re jdf desgres (itilgs) F(t) P(T < +) $P(\overline{\chi} \in A_{t}) = \int_{A_{t}} \int_{X_{t}} \chi_{s}(x_{t}, x_{s}) dx_{t} dx_{2} = \int_{A_{t}} \int_{X_{t}} \chi_{s}(x_{t}, x_{s}) dx_{s} dx_{2} = \int_{A_{t}} \int_{A_{t}} \chi_{s}(x_{t}, x_{s}) dx_{s} dx_{2} = \int_{A_{t}} \chi_{s}(x_{t}, x_{s}) dx_{s} d$ IX, No (K1, X2) does dx, hel need to pake ship look Rike Jerous Jule 36. 5. to do so he real to reinder simply to who he did with the sums for the geometric problem with AX=19

let Xi = V-Xi => V= X2+Xi => | dv=dxi

V=X2+K1 coluin is a rendering thick like us les x2 = V-X, des with the P(X=W)

geometra cied problem ⇒ X2=-00 => V=-00 $\Rightarrow X_2 = t - X_1 \Rightarrow V = t$ dre =1 => dv=dxz grob suprement or X' => X $= \int \int_{X_{1}, X_{2}} (X, V - X) dV dX$ $\neq \in \mathbb{R} \quad V = -\infty \quad \text{for } V = V \text{ with}$ fre varble f ihmpun $F(t) = \int_{+\infty}^{\infty} \left(\int_{X_{1},X_{2}}^{\infty} (X, V - X) dX \right) dV$ P(X ∈ (-0, b]) = F(b) - F(a) $\Rightarrow f(t) = \int_{X_1, X_2} (x, t-x) dx$ $\times \in \mathbb{R}$ = Sf(R)dx Jerest conv. Any surged the looks like this means densy suchi? formla T-(x) =) f(v) dv -ao 1 1 this is free varieble the during & likyum