14/314 St 1 +00 3 X Ynbeng $= p^{2} \sum_{y \in N_{0}} (-p)^{x} \sum_{x \in \{x+1, y+2, ... \}} (-p)^{x}$ P(XZY) = SE PX, V &H 1xx = E & PX (x) RY (Axx) looks 'One" to georieme series = & & PX (x) Poly Day $\begin{array}{ccc}
\text{let} & \text{i} := & \text{x-}(y+1) \\
\Rightarrow & \text{x} = & \text{i} + y+1
\end{array}$ then i & & 1, .. 3 = No = E E (-p)xp (-p)xp IXX = pr & (-p) & (1-p) i+y+1 = P2 & (1-p) 2y+1 & (-p) i e-Mo 25 p 30, A(X>Y) -> = = p(1-p) \(\sum_{eN} \) 1- (b) = 1- +56-63

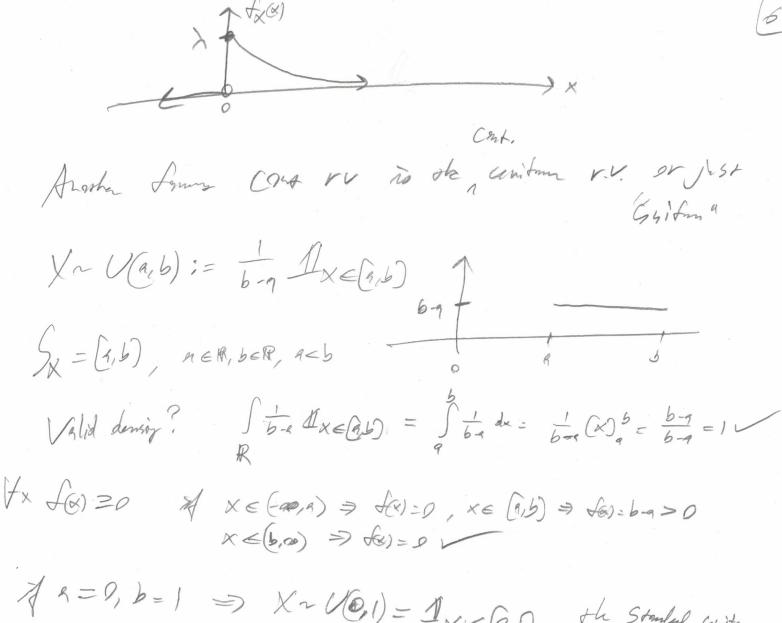
X ~ (seon (p) Impire X is the on a clock tought eleny second, presum sumil what if 1452nd, we had n in second; per second: let denne stylig the Xn R(x) = (1-p) hx p 1 x = \{0, \frac{2}{5}, \frac{2}{5}, \frac{1}{5}, \frac{1}{5}, \frac{2}{5}, \fra The process stops" almost involvedy if it is large and pio modest bro what if p was very small? p → 0, 4 → 0 st.) = p5>0 And he substitute. PX, (x) = (1- \frac{\lambda}{\gamma}) \frac{\gamma}{\gamma} \frac{\gamma}{\gamma} \pm \frac{\gamma}{\gamma} \pm \frac{\gamma}{\gamma} \frac{\gamma}{\gamma Now we les 4 sa effectly running 14 time Bernacilles 14 ence (1)= (in Px (x) = 1/m (-1) nx = 1 x = (P, 1, 2, ... 3 Recall from calculus. I'm f6) g6) = 1m f6) 1m g6)

= (Im (1-4) h) (Im 3) / Im Ixe 8, 4, 2, 3 $= \left(e^{-\lambda x}\right)(0) \, \mathbf{1}_{X \in [0, \infty)}^{t}$ (SX) & (IX)
CHE 00
No longer a diserver = 0 Not a PMF!!! =) We're in tradle! $\left(\frac{S}{N_{00}}\right) = \left(\frac{R}{R}\right)$ $\frac{S}{S} = \frac{1}{N_{00}}$ lets take a look at F(x) = /m F(x) = /m /- (-2) hx = /- (/m (1-2)) x = (-e-xx Igalia 1 valid COF? If x < 0 | > f(x) = (0,1) | size it a / grab

If x < 0 | > f(x) = (0,1) | size | / ef x / e [0,1) Moranelly 17cm. 3 d F(c) ≥ 0 λe-1 >0 for all x≥0 F(x) = 0 Since x<0 => F(x)=0) |m x3-00 9nd = 0 for 1100 Im 1-e-1x = 1. /me-1x = FO) = 1 X >300 valid CDF

Of: A con re X has |SX = |R and ho PMF, the PMF is p(x)=0 the P(x=x)=0!! They have COF'S, The dorne of the COF (how fast the ru collects prob at ay x) is refl: Ix (x):= \$\frac{1}{4}(\frac{1}{2}(\frac{1}{2}))\$ is called the ris prob density "from (ODF)
Why bensity? It's the density of prob in my gran regim: $A = b, \quad P(X = (a,b)) = F(b) - F(b) = \int_{A}^{B} f(x) dx = \int_{A}^{B} f(x) dx = \int_{A}^{B} f(x) dx$ Also, may sons the PDF is I vail in closed from but the COF is not! Proprier: $= P\left(X \in (-0, \infty)\right) = \int f_{X}(x) dx \quad \text{the Hupp-Dupp Landa}$ $R \quad \text{for Cont. rv's.}$ fx& ≥0 sine Fx& is moroundy Nm: fx cm he >0 $S_{X} = \{x: f_{(x)} > 0\}$ It's not a problime
the PMF!!!, The Xoo he discusse is of fairs

The Xoo ne discerned is a favore brand have rv, the expansive $X \sim Eap(\lambda) := \lambda e^{-\lambda x} \mathcal{A}_{x \ge 0}$ $\lambda \in (0, \infty)$ sur $p \in (0, 1)$, $n \in \mathbb{N}$



A R=0, b=1 => X~ V(0,1) = 1 XE(0,1) the Standal Guitant Very important rv. compaidly in comp. Schone!

A = (x) = (x, x) jeth denny (xx) Xn (xn, xn) jeth denny (xx) if Xu., Xn ill = fan fan i. . . fan S La)=1 Humphy Dunpay Rh To get prob's from a TDF, you ned to howe per a regin prés) of A (8) da A coste. Leiboutz's Rule $\frac{d}{dt} \int_{a(\xi)} f(x,y) dy = \int_{a(\xi)} (x,b(\xi)) b(\xi) + \int_{a(\xi)} f(x,t) a(\xi)$ $\frac{d}{dt} \int_{a(\xi)} f(x,y) dy = \int_{a(\xi)} f(x,t) dy = \int$

les Xi, Xi be tuo cont. ru's T= X,+X2 2 f_(+) = ? Meshe 1 Nok: if F7(4) is known = \$ \$ \int_{7(4)} - \frac{1}{97} \left(\overline{F_7(8)}\right)\$ What if not brown? famly like before as a freeze of plas of the toubook rkjaf or dergitio (itilgs) F_T(t) P(T < +) $P(\hat{x} \in A_{t}) = \int X_{1}X_{2}(X_{1},X_{2}) dx_{1}dx_{2} = \int \int X_{2}(X_{1},X_{2}) dx_{2}dx_{2} = \int \int X_{2}$ King (Kinz) das din het need to pake ship look Rike Jerous Jule 3.5. to do so he real to remder simply to who he did with the sums for the geometric problem with AR=10 les X2 = V-X1 => V= X2 + X1 => (dv=dx)

V=X2+K1 coluit is a rendering thick like in les x2=V-X, geonera cied public >> X2=-00 >> V=-00 $\Rightarrow X_2 = t - X_1 \Rightarrow V = t$ dre =1 => dv=drz drop subscript or X, >> X $= \int_{X_{1}, X_{2}} \left(X, V-X\right) dv dx$ $\neq \in \mathbb{R} \quad V = -0$ $\neq \text{ for various } f \text{ then pure}$ $F(t) = \int_{+\infty}^{\infty} \left(\int_{X_{i}, X_{i}}^{\infty} (X, V - X) dX \right) dV$ P(X e(-0, b]) = F(b) - F(0) $\Rightarrow f(t) = \int f_{X_1,X_2}(x,t-x) dx$ = Sf(R)dx Jerese con. Any surged the looks like this means densy is wohn? formla F-(x) =) f(v) dv -ao 1 f this is the variable

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