n: 1 / 2 3 4 5 6 7 8 9 10 11 12 13 14

 \overline{x} : 2.5 2 2.71

the alternative way to conduct this experiment:

1 cup with 6 coins in it. 2 of the coins are marked.

- shake the cup then quarry 1 coin, is it Marked? - NO

- shake the cup then quarry 1 coin, is it Marked? - NO

- shake the cup then quarry 1 coin, is it Marked? - NO

record the number of shakes, repeat the entire precess again

n: 15 16 17 18 19 20 21 ...

x: 2 3 1 2 2 1 5 Supp[X]={1,...}

x: 3 2 1 3 3 2 5 8 3 2 1 9 1 5

3.05 ≈ 3 balance point

- shake the cup then quarry 1 coin, is it Marked? - Yes \rightarrow STOP record the number of flips. We repeat the experiment

the alternative way of looking at this experiment:

 $X\sim Bernoulli (1/3) := \begin{cases} 1 & \text{or} \\ 0 & \text{wp} \ 2/3 \end{cases}$

The cup can be viewed as a single entity capable to deliver

a marked coin with the probability of 1/3. It is as if we

had a single 'unfair coin' with probability of Heads = 1/3.

Thus a single trial means that we keep conducting iid

success which is the 'stopping time' for each trial.

Bernoulli experiments over and over until we get the first

We keep flipping this 'unfair coin' until we get Heads. We

1 wp 1/3 (Heads = marked coin)

~ Negative Binomial(\mathring{r} ,p)(3,4/6)

7 6.66 5.86

n: 15 16 17 18 19 20 21 ...

x: 3 5 4 5 4 5 3 Supp[X]={3,...}

'stopping time' for each trial.

n: 1 / 2 3 4 5 6 7 8 9 10 11 12 13 14 x: 5 9 6 3 7 6 5 4 6 7 5 5 3 6

In the above NegBinomial experiment, a single trial means

>>> that we keep conducting iid Bernoulli experiments over

and over until we get the rth success which is the

5.05 ≈ 4.5 balance point

 $Median[X] \neq E[X]$

Mean - says that if I balance a thing, where

is the 'balancing point'. In our example it's 5

Symmetric, Unimodal

pull the const p

let $y=x-1 \rightarrow x=y+1$

thus our **balance point** is = 5

E [$\times \sim$ Geometric(p) := $(1-p)^{x-1}$ p] = $\mu = \frac{1}{p}$

reindexing trick

x=1...∞ → y=0...∞

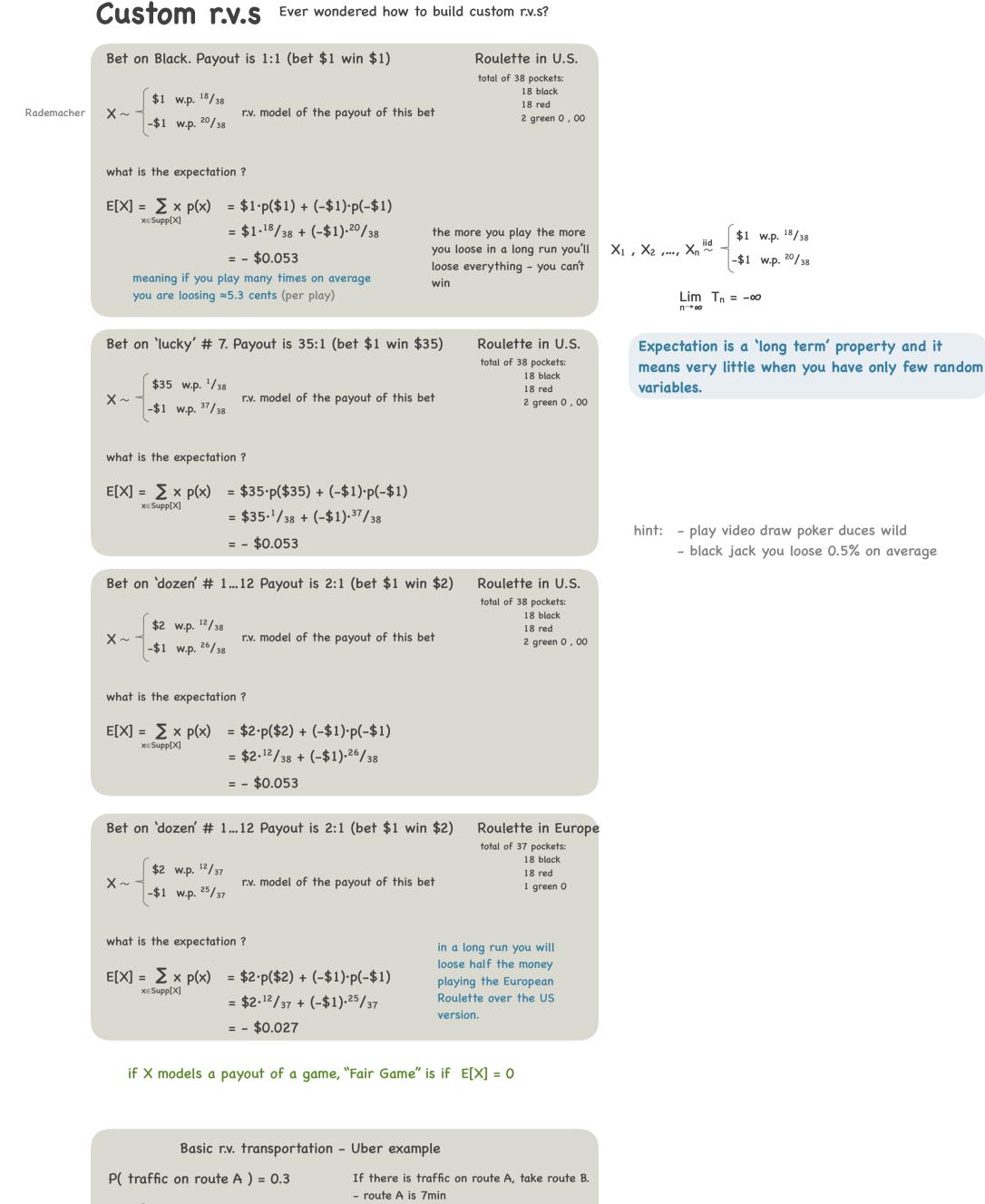
email: deeneshgoundory@yahoo.com

you choose

that makes sense / reasonably realistic

Yes, it is probable to keep flipping that proverbial coin and never

get a Head, but is it realistic/believable? Choose a value for p(x)



- route B is 12min

- on average in all my trips the time spend in the taxi is ≈8.5 min

- this exact value pertains to an infinite amount of trips

7min w.p. 0.7

12min w.p. 0.3 not a Bernoulli b/c Supp[X] ≠ {0,1}

= 8.5 min

 $E[W] = \sum x p(x) = 7\min \cdot p(7\min) + 12\min \cdot p(12\min)$

 $= 7\min \cdot 0.7 + 12\min \cdot 0.3$