Lec 16 Mark 341 4/22/17

X1,... X 10, 62 ild M(8, 62) Box 8862 94 Kronely

P(0,02/x) = NING -> lety? You can sayle...

 $P(0|X,6^2) = N(X, (\xi_1)^2)$ 

P(62/X,0) = Imb( 1/2, 1/2)

8(AX) = Th-1 (X, 5)

A62/X) = Inv6(4-1, (4-1) 52)

very important for inference. Boyesian arrive to husane params.

CR for 0? Hop text for 0?

CR for 62?

Next quesion ...

X = 10,62 ~ W(0,63)

X X ~? Use when got ....

$$Next = \int_{0}^{\infty} \int_{0}^{$$

$$\propto T_{n-1} \left( Z, \sqrt{S^2 \frac{n+1}{n}} \right)$$

If I large Th-12N, 4x1 21 3 X\* | X 2 N(x, 52)
With miles sense.

How to draw from this distr?

 $P(x^{2}|x) = \int P(x^{2}|\theta,\sigma^{2}) P(\theta|x,\sigma^{2}) P(\sigma^{2}|x) d\sigma^{2} d\theta$   $N(\theta,\sigma^{2}) \qquad N(x,\sigma^{2}) \qquad Inversion (\frac{\sigma^{2}}{2}, \frac{\varepsilon^{2}}{2})$   $Sep(1) Pro, \sigma^{2} (1) \qquad To some (\frac{\sigma^{2}}{2}, \frac{\varepsilon^{2}}{2})$ 

Sty 2: Prom of from

Sep 3: Dran X & from

Resum only x \*

Reyon.

X1,.... K 10,03 20 N(0,00)

P(0,02) × -2

=> PO,62/X) = Norm In Game.

Alex. Herse gorma

Alm, if P(0/02) = N(no, (5/2)), P(02) = Jundomn ( 10/2, 4000)

S.t. 
$$t^2 \neq \frac{6^2}{50}$$

$$= \left(6^{2}\right)^{-\frac{h}{2} - \left(\frac{h_{0}}{2} + 1\right)} e^{-\frac{1}{202}\left(\left(h-1\right)5^{2} + h_{0}O_{0}^{2}\right) - \frac{h}{262}\left(x-0\right)^{2} - \frac{1}{22^{2}}\left(x-0\right)^{2}}$$

$$-\frac{\sqrt{\chi^2}}{2\sigma^2} + \frac{\sqrt{\chi}\sigma}{\sigma^2} - \frac{n\sigma^2}{2\sigma^2} - \frac{\sigma^2}{2\tau^2} + \frac{\sigma A_0}{\tau^2} - \frac{M_0^2}{2\tau^2}$$

$$= \frac{1}{26^{2}} \left( \frac{h^{2}}{2} + 1 \right) \left( \frac{h^{2}}{26^{2}} \left( \frac{h^{2}}{2} + 1 \right) + h^{2} \right) - \left( \frac{h^{2}}{26^{2}} + \frac{h^{2}}{2} \right) \left( \frac{h^{2}}{2} + \frac{h^{2}}{$$

12×62 6 262 N(80,65) = (62) - 2 ( 10 + 1) - 262 (6-1)52 + 1003 + 10 22)  $\sqrt{\frac{n}{o^2} + \frac{1}{t^7}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \sqrt{2} + \frac{1}{\sqrt{2}} \quad \left( \frac{1}{\sqrt{2}} + \frac{n}{\sqrt{2}} \right)^2 \quad \left( \frac{1}$ K(62/X) & Inv barm => Schi-conjugue 1) hor gythy else known. Model But it is a kernel of some r.v. ) only conjugate for passions of one pamera is Who if he was to sayle? PE(X,53), PE(X,8) Sy 1: Saple 62 Som 462(x) Sup 2: suple 80 from N(0p, 02p = 10 62 Sy 5: regal (O0, 62) Hon to do Styp 1??? Revelle Por/x) = c k(62/x) Creak and, Set of my, onax, Doz G = { m, ony + Ax, on + 2 Ax, one } Sampling > P(62/x) 2 ck(62/x) => F(62/x) 2 Sck(62/x) {0€6:0<6.3 Now draw y from V(0,1). Compre do = min ( F(62) = y

Gnid Sagling Disadaunge

Nyrenzally 4550mble.

Congiters have missioner values of #'s / mix. value of #'s.

3 Hon to pick of Down, Down, so ?

Bad decision for Emm, Imax = You miss a port
of de support of de

Princeton!

But become for DO => But usdension => non-redord saylor

1 let's soy Dom = 0, & max = 1.

Who if I had 10 diversions? => 161=10510=1050 => Impossible for a conjunt. (3) let's say Dm = 0, Dmmx = 1, D8 = 0.0001, | & | = 10,000 = 105

=> Grid sayling only good is low dirensions

if you know the effective syspens of & (i.e. where most of de suppose lies) and it you know the

shape so you can pick of tensorble DO.

It would be vive to fix these problems with a sea medod. he will do the LAST. Non Oto sonething afferro.