Continued Fractions in Lean

A Newbie's Adventure

Kevin Kappelmann

June 14, 2019

Vrije Universiteit Amsterdam

Let's Go on an Adventure

Choose a Weapon

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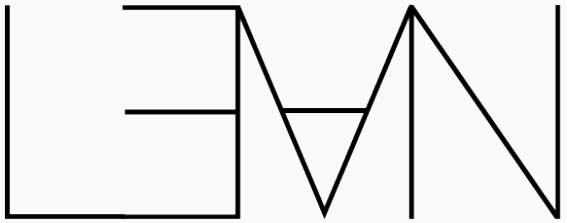

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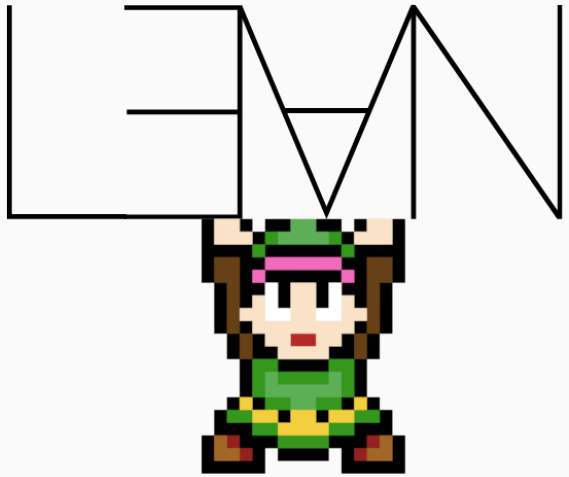

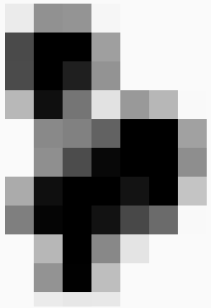

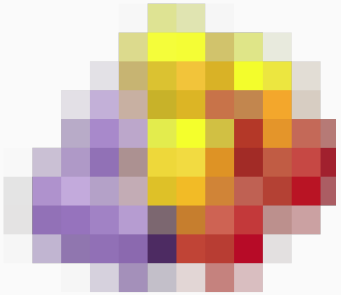

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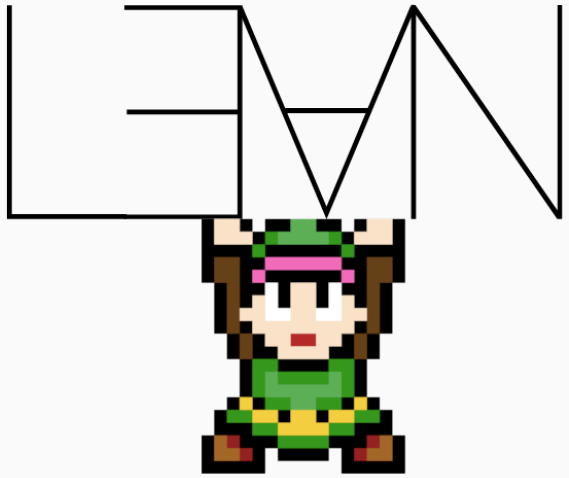

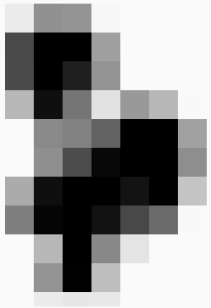

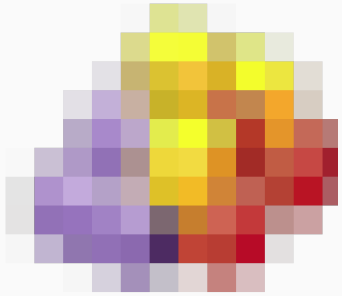

...perhaps because I am interning at VU Amsterdam

The Adventurer's Skill Set

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- Some experience using Isabelle

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- First project with a dependent type theorem prover

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- First project with a dependent type theorem prover
- Basic maths and functional programming knowledge

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