

## 02\_eda\_visualization

September 4, 2025

### 1 Streamlined EDA for Student Performance Analysis

**Project Objectives:** 1. **K-means clustering** using 6 behavioral features: studytime, absences, goout, freetime, famsup, schoolsup 2. **Binary classification** for pass/fail prediction

This notebook contains only the essential visualizations that directly support these modeling objectives.

```
[2]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy import stats
from scipy.stats import chi2_contingency
import warnings

warnings.filterwarnings("ignore")

# Set professional styling
sns.set_style("whitegrid")
plt.rcParams.update(
    {
        "figure.figsize": (10, 6),
        "font.size": 11,
        "axes.titlesize": 14,
        "axes.labelsize": 12,
        "axes.grid": True,
        "grid.alpha": 0.3,
        "axes.spines.top": False,
        "axes.spines.right": False,
    }
)

# Load data
df = pd.read_pickle(r"../data/processed/cleaned_dataset.pkl")

# Create numeric version for correlations
df_numeric = df.copy()
```

```

for col in df_numeric.columns:
    if df_numeric[col].dtype == "category":
        df_numeric[col] = df_numeric[col].cat.codes
    elif df_numeric[col].dtype == "bool":
        df_numeric[col] = df_numeric[col].astype(int)

print("Data loaded successfully!")
print(f"Dataset shape: {df.shape}")

```

Data loaded successfully!

Dataset shape: (649, 36)

```

[3]: # CONSISTENT STYLE CONFIGURATION
# Set up professional, consistent styling for all plots

# Set seaborn style and palette
sns.set_style("whitegrid")
sns.set_palette("viridis")

# Set matplotlib parameters for consistency
plt.rcParams.update(
    {
        "figure.figsize": (10, 6), # Default figure size
        "font.size": 11, # Base font size
        "axes.titlesize": 14, # Title font size
        "axes.labelsize": 12, # Axis label font size
        "xtick.labelsize": 10, # X-tick label size
        "ytick.labelsize": 10, # Y-tick label size
        "legend.fontsize": 10, # Legend font size
        "axes.grid": True, # Enable grid
        "grid.alpha": 0.3, # Grid transparency
        "lines.linewidth": 2, # Line width
        "axes.spines.top": False, # Remove top spine
        "axes.spines.right": False, # Remove right spine
    }
)

# Color constants for consistent theming
COLORS = {
    "primary": "#3691d2", # Blue
    "secondary": "#ff7f0e", # Orange
    "success": "#2ca02c", # Green
    "danger": "#d62728", # Red
    "warning": "#ff7f0e", # Orange
    "threshold": "#d62728", # Red for pass/fail lines
    "data_leakage": "#ff7f0e", # Orange for G1/G2 warnings
}

```

```
print(" Professional styling configured!")
```

Professional styling configured!

## 1.1 Descriptive Statistics

```
[4]: df
```

```
[4]:
```

	school	sex	age	address	famsize	Pstatus	Medu	Fedu	Mjob	Fjob	\
0	GP	F	18	U	GT3	A	4	4	at_home	teacher	
1	GP	F	17	U	GT3	T	1	1	at_home	other	
2	GP	F	15	U	LE3	T	1	1	at_home	other	
3	GP	F	15	U	GT3	T	4	2	health	services	
4	GP	F	16	U	GT3	T	3	3	other	other	
..	...	..	...	...	...	...	...	...	...	...	
644	MS	F	19	R	GT3	T	2	3	services	other	
645	MS	F	18	U	LE3	T	3	1	teacher	services	
646	MS	F	18	U	GT3	T	1	1	other	other	
647	MS	M	17	U	LE3	T	3	1	services	services	
648	MS	M	18	R	LE3	T	3	2	services	other	

	...	Dalc	Walc	health	absences	G1	G2	G3	pass_fail	attendance_proxy	\
0	...	1	1	3	4	0	11	11	1	87.50	
1	...	1	1	3	2	9	11	11	1	93.75	
2	...	2	3	3	6	12	13	12	1	81.25	
3	...	1	1	5	0	14	14	14	1	100.00	
4	...	1	2	5	0	11	13	13	1	100.00	
..	...	...	...	...	...	..	..	..	...	...	
644	...	1	2	5	4	10	11	10	1	87.50	
645	...	1	1	1	4	15	15	16	1	87.50	
646	...	1	1	5	6	11	12	9	0	81.25	
647	...	3	4	2	6	10	10	10	1	81.25	
648	...	3	4	5	4	10	11	11	1	87.50	

	grade_average
0	7.333333
1	10.333333
2	12.333333
3	14.000000
4	12.333333
..	...
644	10.333333
645	15.333333
646	10.666667
647	10.000000
648	10.666667

[649 rows x 36 columns]

```
[5]: # Descriptive statistics for numeric variables
df.describe()
```

```
[5]:
```

	age	failures	absences	G1	G2	G3 \
count	649.000000	649.000000	649.000000	649.000000	649.000000	649.000000
mean	16.744222	0.221880	3.659476	11.399076	11.570108	11.906009
std	1.218138	0.593235	4.640759	2.745265	2.913639	3.230656
min	15.000000	0.000000	0.000000	0.000000	0.000000	0.000000
25%	16.000000	0.000000	0.000000	10.000000	10.000000	10.000000
50%	17.000000	0.000000	2.000000	11.000000	11.000000	12.000000
75%	18.000000	0.000000	6.000000	13.000000	13.000000	14.000000
max	22.000000	3.000000	32.000000	19.000000	19.000000	19.000000

	pass_fail	attendance_proxy	grade_average
count	649.000000	649.000000	649.000000
mean	0.845917	88.564137	11.625064
std	0.361307	14.502371	2.833360
min	0.000000	0.000000	1.333333
25%	1.000000	81.250000	10.000000
50%	1.000000	93.750000	11.666667
75%	1.000000	100.000000	13.333333
max	1.000000	100.000000	18.666667

```
[6]: df.describe(include="category")
```

```
[6]:
```

	school	sex	address	famsize	Pstatus	Medu	Fedu	Mjob	Fjob	reason \
count	649	649	649	649	649	649	649	649	649	649
unique	2	2	2	2	2	5	5	5	5	4
top	GP	F	U	GT3	T	2	2	other	other	course
freq	423	383	452	457	569	186	209	258	367	285

	guardian	traveltime	studytime	famrel	freetime	goout	Dalc	Walc \
count	649	649	649	649	649	649	649	649
unique	3	4	4	5	5	5	5	5
top	mother	1	2	4	3	3	1	1
freq	455	366	305	317	251	205	451	247

	health
count	649
unique	5
top	5
freq	249

```
[7]: df.describe(include="bool")
```

```
[7]:
```

	schoolsup	famsup	paid	activities	nursery	higher	internet	romantic
count	649	649	649	649	649	649	649	649
unique	2	2	2	2	2	2	2	2
top	False	True	False	False	True	True	True	False
freq	581	398	610	334	521	580	498	410

---

## 1.2 Target Variable Distribution

```
[8]: # Primary focus: Target variable
plt.figure(figsize=(12, 8))
plt.subplot(2, 2, (1, 2)) # Span two columns for G3
sns.histplot(data=df, x="G3", bins=range(0, 22), kde=True)
# Add pass/fail threshold line with legend
plt.axvline(
    x=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold (10)",
)
plt.title(
    "PRIMARY TARGET: Final Grade (G3) Distribution", fontsize=14,
    fontweight="bold"
)
plt.legend()

# Context: Grade progression
plt.subplot(2, 2, 3)
sns.histplot(data=df, x="G1", bins=range(0, 22), kde=True, alpha=0.7)
plt.axvline(
    x=10,
    color="#fb8500",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
)
plt.title("G1 (Data Leakage Risk)", fontsize=10, color="#fb8500",
    fontweight="bold")
plt.legend()

plt.subplot(2, 2, 4)
sns.histplot(data=df, x="G2", bins=range(0, 22), kde=True, alpha=0.7)
plt.axvline(
```

```

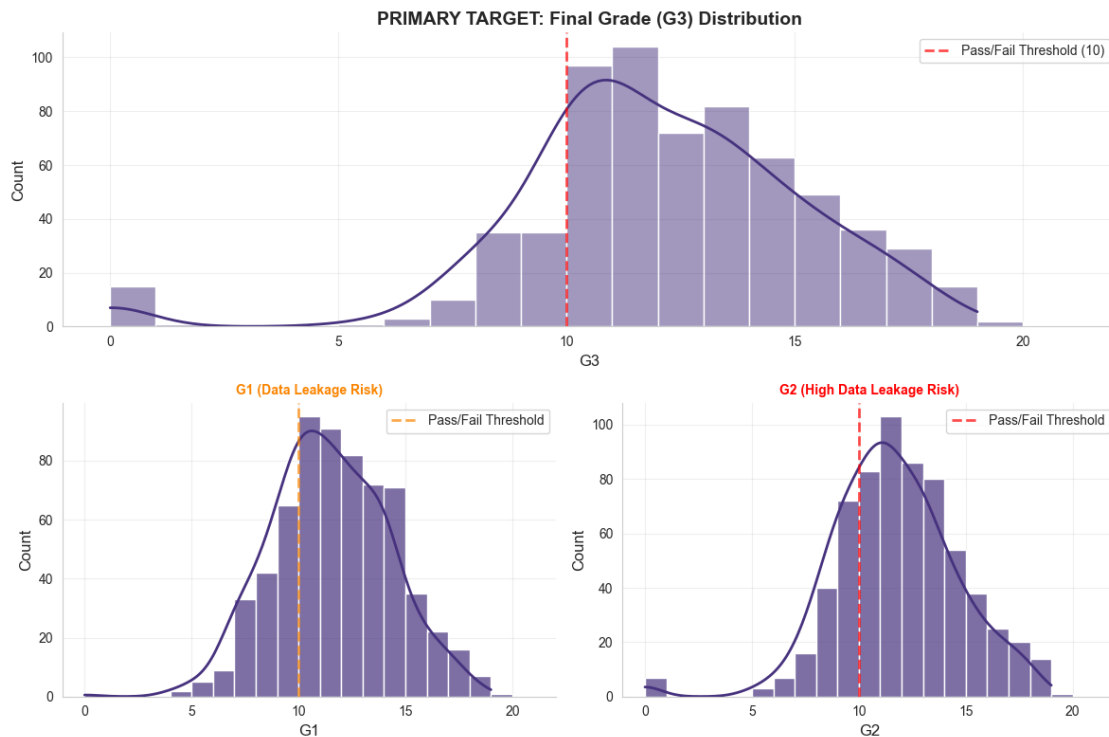
x=10,
color="red",
linestyle="--",
linewidth=2,
alpha=0.7,
label="Pass/Fail Threshold",
)
plt.title("G2 (High Data Leakage Risk)", fontsize=10, color="red",
fontweight="bold")
plt.legend()

plt.tight_layout()
plt.show()

# Statistical summary
pass_count = df["pass_fail"].sum()
fail_count = (df["pass_fail"] == 0).sum()
pass_rate = pass_count / len(df) * 100

print(f"Class Distribution Analysis:")
print(f"Pass (G3 >= 10): {pass_count} students ({pass_rate:.1f}%)")
print(f"Fail (G3 < 10): {fail_count} students ({100-pass_rate:.1f}%)")
print(f"\nClass imbalance detected - this affects binary classification
performance.")

```



Class Distribution Analysis:

Pass ( $G3 \geq 10$ ): 549 students (84.6%)

Fail ( $G3 < 10$ ): 100 students (15.4%)

Class imbalance detected - this affects binary classification performance.

---

### 1.3 Data Leakage Variables (G1, G2) - Excluded from Models

```
[9]: # Visualization 2 & 3: Grade progression analysis - G1 vs G3 and G2 vs G3
fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(15, 6))
fig.suptitle(
    "Grade Progression Analysis - Variables EXCLUDED from Models Due to Data_
    ↪Leakage",
    fontsize=14,
    fontweight="bold",
    color="red",
)

# G1 vs G3
sns.regplot(x="G1", y="G3", data=df, scatter_kws={"alpha": 0.6}, ax=ax1)
ax1.axhline(
    y=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
)
g1_corr = df["G1"].corr(df["G3"])
ax1.set_title(f"G1 vs G3 Relationship\nCorrelation: {g1_corr:.3f}",
    ↪fontweight="bold")
ax1.set_xlabel("First Period Grade (G1)")
ax1.set_ylabel("Final Grade (G3)")
ax1.legend()

# G2 vs G3
sns.regplot(x="G2", y="G3", data=df, scatter_kws={"alpha": 0.6}, ax=ax2)
ax2.axhline(
    y=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
```

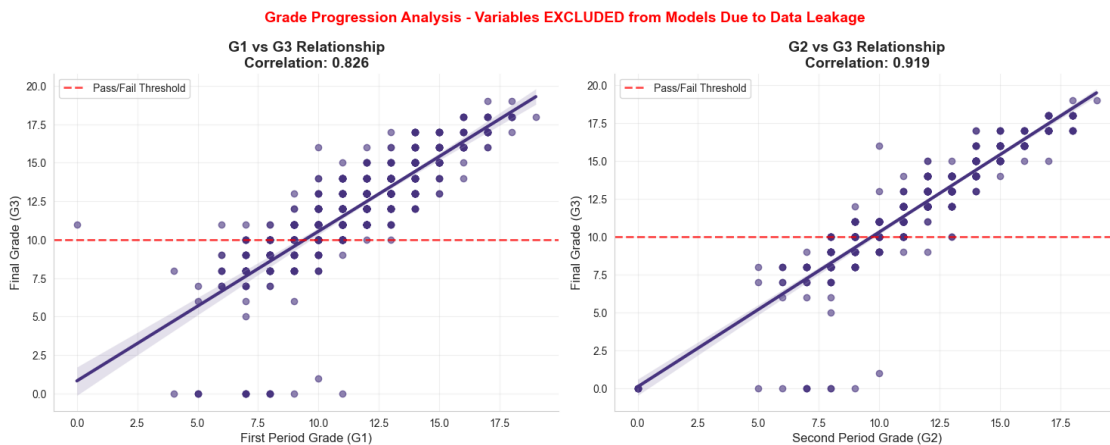
```

)
g2_corr = df["G2"].corr(df["G3"])
ax2.set_title(f"G2 vs G3 Relationship\nCorrelation: {g2_corr:.3f}",
    ↳fontweight="bold")
ax2.set_xlabel("Second Period Grade (G2)")
ax2.set_ylabel("Final Grade (G3)")
ax2.legend()

plt.tight_layout()
plt.show()

print("DATA LEAKAGE WARNING:")
print(f"G1-G3 correlation: {g1_corr:.3f} - Very high correlation creates data_
    ↳leakage")
print(
    f"G2-G3 correlation: {g2_corr:.3f} - Extremely high correlation creates_
    ↳severe data leakage"
)
print(
    "\nThese variables will be EXCLUDED from predictive models to ensure_
    ↳realistic performance estimates."
)
print(
    "For early intervention systems, we need to predict G3 from baseline_
    ↳characteristics only."
)

```



DATA LEAKAGE WARNING:

G1-G3 correlation: 0.826 - Very high correlation creates data leakage

G2-G3 correlation: 0.919 - Extremely high correlation creates severe data leakage



These variables will be EXCLUDED from predictive models to ensure realistic performance estimates.

For early intervention systems, we need to predict G3 from baseline characteristics only.

---

## 1.4 Key Predictive Variables

```
[10]: # Visualization 4: Past failures analysis - strongest predictor
fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(15, 6))
fig.suptitle(
    "Past Failures Analysis - Strongest Non-Leakage Predictor",
    fontsize=14,
    fontweight="bold",
)

# Failures vs G3 boxplot
sns.boxplot(x="failures", y="G3", data=df, ax=ax1, palette="Blues_r")
ax1.axhline(
    y=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
)
ax1.set_title("Final Grade by Number of Past Failures", fontweight="bold")
ax1.set_xlabel("Number of Past Failures")
ax1.set_ylabel("Final Grade (G3)")
ax1.legend()

# Pass rate by failures
pass_rate_failures = df.groupby("failures")["pass_fail"].mean()
sns.barplot(
    x=pass_rate_failures.index, y=pass_rate_failures.values, ax=ax2,
    palette="Blues_r"
)
ax2.set_title("Pass Rate by Number of Past Failures", fontweight="bold")
ax2.set_xlabel("Number of Past Failures")
ax2.set_ylabel("Pass Rate")
ax2.set_ylim(0, 1)

# Add percentage labels
for i, v in enumerate(pass_rate_failures.values):
    ax2.text(i, v + 0.02, f"{v:.1%}", ha="center", fontweight="bold")

plt.tight_layout()
```

```

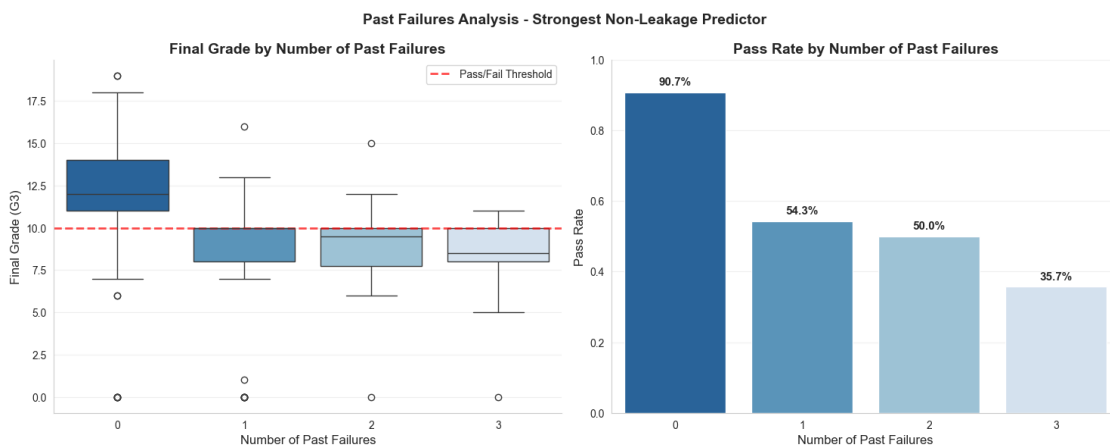
plt.show()

failures_corr = df_numeric["failures"].corr(df_numeric["G3"])
print(f"Past failures correlation with G3: {failures_corr:.3f}")
print("Past failures show the strongest predictive power among non-leakage_
↳variables.")
print("Critical for both clustering behavioral patterns and classification_
↳models.")

# Critical failures impact analysis
print("\nPast Failures Impact Analysis:")
failures_stats = df.groupby("failures")["G3"].agg(["mean", "std", "count"]).
↳round(2)

print(failures_stats)

```



Past failures correlation with G3: -0.393

Past failures show the strongest predictive power among non-leakage variables.

Critical for both clustering behavioral patterns and classification models.

Past Failures Impact Analysis:

	mean	std	count
failures			
0	12.51	2.83	549
1	8.64	3.44	70
2	8.81	3.21	16
3	8.07	2.79	14

```

[11]: # Visualization 5: Study time analysis - key behavioral variable
fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(15, 6))
fig.suptitle(

```

```

        "Study Time Analysis - Critical Behavioral Variable for Clustering &
        ↪Classification",
        fontsize=14,
        fontweight="bold",
    )

    # Study time vs G3 boxplot
    sns.boxplot(x="studytime", y="G3", data=df, ax=ax1, palette="Blues")
    ax1.axhline(
        y=10,
        color="red",
        linestyle="--",
        linewidth=2,
        alpha=0.7,
        label="Pass/Fail Threshold",
    )
    ax1.set_title("Final Grade by Study Time Level", fontweight="bold")
    ax1.set_xlabel("Study Time (1=<2h, 2=2-5h, 3=5-10h, 4=>10h per week)")
    ax1.set_ylabel("Final Grade (G3)")
    ax1.legend()

    # Study time pass rate
    pass_rate_study = df.groupby("studytime")["pass_fail"].mean()
    sns.barplot(x=pass_rate_study.index, y=pass_rate_study.values, ax=ax2,
        ↪palette="Blues")
    ax2.set_title("Pass Rate by Study Time Level", fontweight="bold")
    ax2.set_xlabel("Study Time Level")
    ax2.set_ylabel("Pass Rate")
    ax2.set_ylim(0, 1)

    # Add percentage labels
    for i, v in enumerate(pass_rate_study.values):
        ax2.text(i, v + 0.02, f"{v:.1%}", ha="center", fontweight="bold")

    plt.tight_layout()
    plt.show()

    studytime_corr = df_numeric["studytime"].corr(df_numeric["G3"])
    print(f"Study time correlation with G3: {studytime_corr:.3f}")
    print(
        "Study time shows clear progressive improvement in both median grades and
        ↪pass rates."
    )
    print("Essential variable for behavioral clustering and predictive
        ↪classification.")

    # Statistical summaries

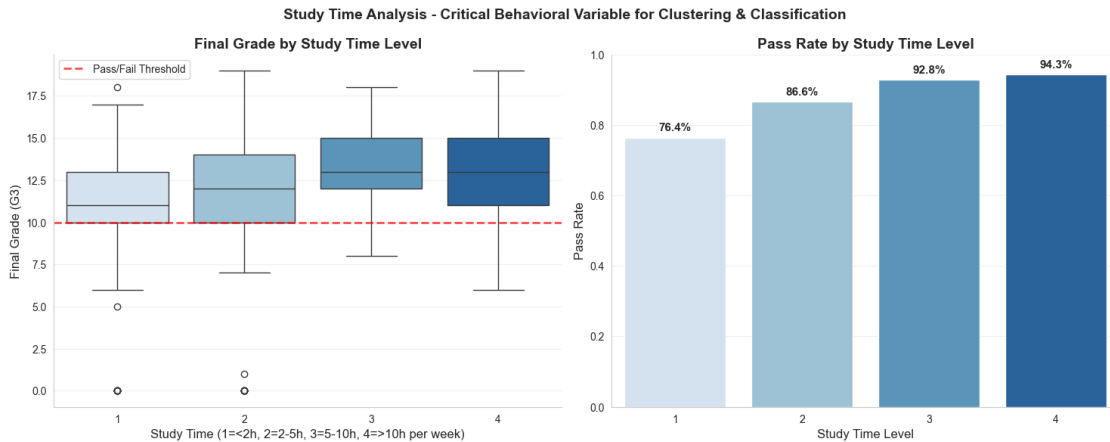
```

```

print("\n Study Time Impact:")
studytime_stats = df.groupby("studytime")["G3"].agg(["mean", "std", "count"]).
    ↪round(2)

print(studytime_stats)

```



Study time correlation with G3: 0.250

Study time shows clear progressive improvement in both median grades and pass rates.

Essential variable for behavioral clustering and predictive classification.

Study Time Impact:

	mean	std	count
studytime			
1	10.84	3.22	212
2	12.09	3.24	305
3	13.23	2.50	97
4	13.06	3.04	35

```

[12]: # School Support Analysis - Key Behavioral Variable for Clustering
fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(15, 6))
fig.suptitle(
    "School Support Analysis - Clustering Variable with Selection Bias",
    fontsize=14,
    fontweight="bold",
)

# School support vs G3 boxplot
sns.boxplot(x="schoolsup", y="G3", data=df, ax=ax1, palette=["steelblue", "coral"])
ax1.axhline(
    y=10,

```

```

        color="red",
        linestyle="--",
        linewidth=2,
        alpha=0.7,
        label="Pass/Fail Threshold",
    )
ax1.set_title("Final Grade by School Support Status", fontweight="bold")
ax1.set_xlabel("School Support (False=No, True=Yes)")
ax1.set_ylabel("Final Grade (G3)")
ax1.legend()

# School support pass rate
pass_rate_schoolsup = df.groupby("schoolsup")["pass_fail"].mean()
sns.barplot(
    x=[str(x) for x in pass_rate_schoolsup.index],
    y=pass_rate_schoolsup.values,
    ax=ax2,
    palette=["steelblue", "coral"],
)
ax2.set_title("Pass Rate by School Support Status", fontweight="bold")
ax2.set_xlabel("School Support")
ax2.set_ylabel("Pass Rate")
ax2.set_ylim(0, 1)

# Add percentage labels
for i, v in enumerate(pass_rate_schoolsup.values):
    ax2.text(i, v + 0.02, f"{v:.1%}", ha="center", fontweight="bold")

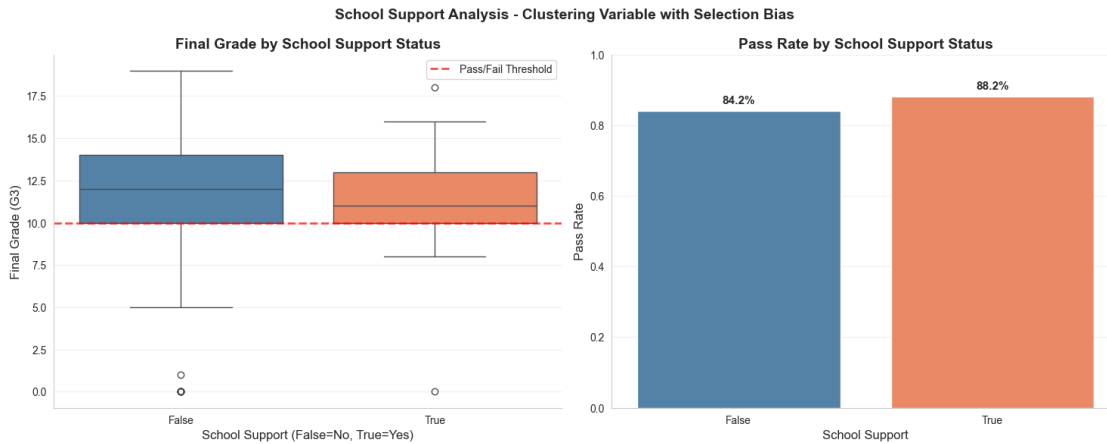
plt.tight_layout()
plt.show()

schoolsup_corr = df_numeric["schoolsup"].corr(df_numeric["G3"])
print(f"School support correlation with G3: {schoolsup_corr:.3f}")
print("Counter-intuitive pattern: Students with school support show lower_
    ↪grades.")
print("This indicates selection bias - support is provided to struggling_
    ↪students.")
print("Important clustering variable despite negative correlation with grades.")

# Statistical summary
print("\n School Support Impact Analysis:")
schoolsup_stats = (
    df.groupby("schoolsup")["G3"].agg(["mean", "median", "std", "count"]).
    ↪round(2)
)

print(schoolsup_stats)

```



School support correlation with G3: -0.066

Counter-intuitive pattern: Students with school support show lower grades. This indicates selection bias - support is provided to struggling students. Important clustering variable despite negative correlation with grades.

School Support Impact Analysis:

	mean	median	std	count
schoolsup				
False	11.98	12.0	3.32	581
True	11.28	11.0	2.30	68

```
[13]: # Parental Education Analysis (Medu, Fedu)
fig, axes = plt.subplots(2, 2, figsize=(15, 10))
fig.suptitle(
    "Parental Education Impact on Student Performance", fontsize=16,
    fontweight="bold"
)

# Mother's education distribution
medu_counts = df["Medu"].value_counts().sort_index()
sns.barplot(x=medu_counts.index, y=medu_counts.values, palette="Blues",
    ax=axes[0, 0])
axes[0, 0].set_title("Mother's Education Distribution", fontweight="bold")
axes[0, 0].set_xlabel("Education Level (0=none, 4=higher)")
axes[0, 0].set_ylabel("Count")

# Mother's education vs G3
sns.boxplot(x="Medu", y="G3", data=df, ax=axes[0, 1], palette="Blues")
axes[0, 1].axhline(
    y=10,
    color="red",
    linestyle="--",
```

```

        linewidth=2,
        alpha=0.7,
        label="Pass/Fail Threshold",
    )
axes[0, 1].set_title("Final Grade by Mother's Education", fontweight="bold")
axes[0, 1].legend()

# Father's education distribution
fedu_counts = df["Fedu"].value_counts().sort_index()
sns.barplot(x=fedu_counts.index, y=fedu_counts.values, palette="Greens",
            ax=axes[1, 0])
axes[1, 0].set_title("Father's Education Distribution", fontweight="bold")
axes[1, 0].set_xlabel("Education Level (0=none, 4=higher)")
axes[1, 0].set_ylabel("Count")

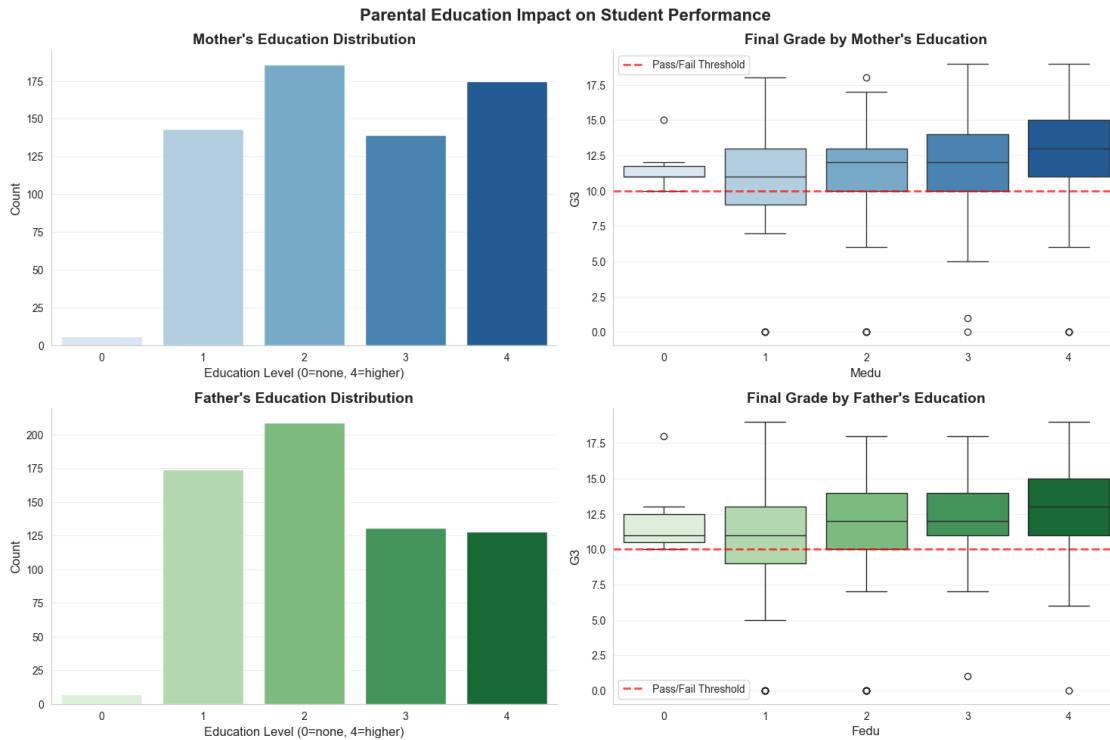
# Father's education vs G3
sns.boxplot(x="Fedu", y="G3", data=df, ax=axes[1, 1], palette="Greens")
axes[1, 1].axhline(
    y=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
)
axes[1, 1].set_title("Final Grade by Father's Education", fontweight="bold")
axes[1, 1].legend()

plt.tight_layout()
plt.show()

# Statistical summaries
print(" Mother's Education Impact:")
medu_stats = df.groupby("Medu")["G3"].agg(["mean", "std", "count"]).round(2)
medu_stats["pass_rate"] = (df.groupby("Medu")["pass_fail"].mean() * 100).
    round(1)
print(medu_stats)

print("\n Father's Education Impact:")
fedu_stats = df.groupby("Fedu")["G3"].agg(["mean", "std", "count"]).round(2)
fedu_stats["pass_rate"] = (df.groupby("Fedu")["pass_fail"].mean() * 100).
    round(1)
print(fedu_stats)

```



Mother's Education Impact:

	mean	std	count	pass_rate
Medu				
0	11.67	1.75	6	100.0
1	10.80	3.16	143	74.1
2	11.66	3.06	186	85.5
3	11.92	3.12	139	84.2
4	13.07	3.24	175	92.0

Father's Education Impact:

	mean	std	count	pass_rate
Fedu				
0	12.14	2.79	7	100.0
1	10.94	3.42	174	74.1
2	11.78	3.45	209	85.2
3	12.38	2.49	131	92.4
4	12.92	2.92	128	89.1

```
[14]: # Visualization 6: Absences analysis - key behavioral variable despite weak
      ↪ correlation
plt.figure(figsize=(10, 6))
sns.scatterplot(data=df, x="absences", y="G3", alpha=0.6)
sns.regplot(
    data=df,
```

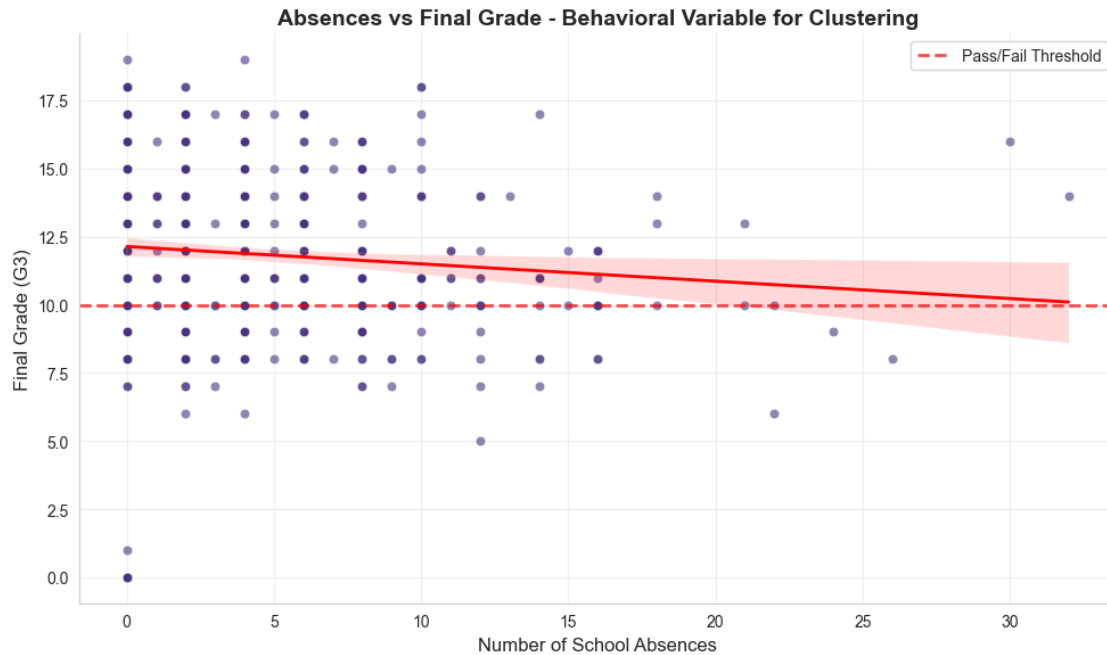


```

        x="absences",
        y="G3",
        scatter=False,
        color="red",
        line_kws={"linestyle": "-", "linewidth": 2},
    )
plt.axhline(
    y=10,
    color="red",
    linestyle="--",
    linewidth=2,
    alpha=0.7,
    label="Pass/Fail Threshold",
)
plt.title(
    "Absences vs Final Grade - Behavioral Variable for Clustering",
    fontsize=14,
    fontweight="bold",
)
plt.xlabel("Number of School Absences")
plt.ylabel("Final Grade (G3)")
plt.legend()
plt.tight_layout()
plt.show()

absences_corr = df_numeric["absences"].corr(df_numeric["G3"])
print(f"Absences correlation with G3: {absences_corr:.3f}")
print(
    "Despite weak correlation, absences represent important behavioral patterns,
    ↪for clustering."
)
print(
    "High absence students may form distinct behavioral clusters regardless of,
    ↪grade correlation."
)

```



Absences correlation with G3: -0.091

Despite weak correlation, absences represent important behavioral patterns for clustering.

High absence students may form distinct behavioral clusters regardless of grade correlation.

## 1.5 Behavioral Variables for Clustering

```
[15]: # Visualization 7: Clustering feature correlation heatmap
clustering_features = [
    "studytime",
    "absences",
    "goout",
    "freetime",
    "famsup",
    "schoolsup",
]

plt.figure(figsize=(10, 8))
correlation_matrix = df_numeric[clustering_features].corr()
sns.heatmap(
    correlation_matrix,
    annot=True,
    cmap="RdBu_r",
```

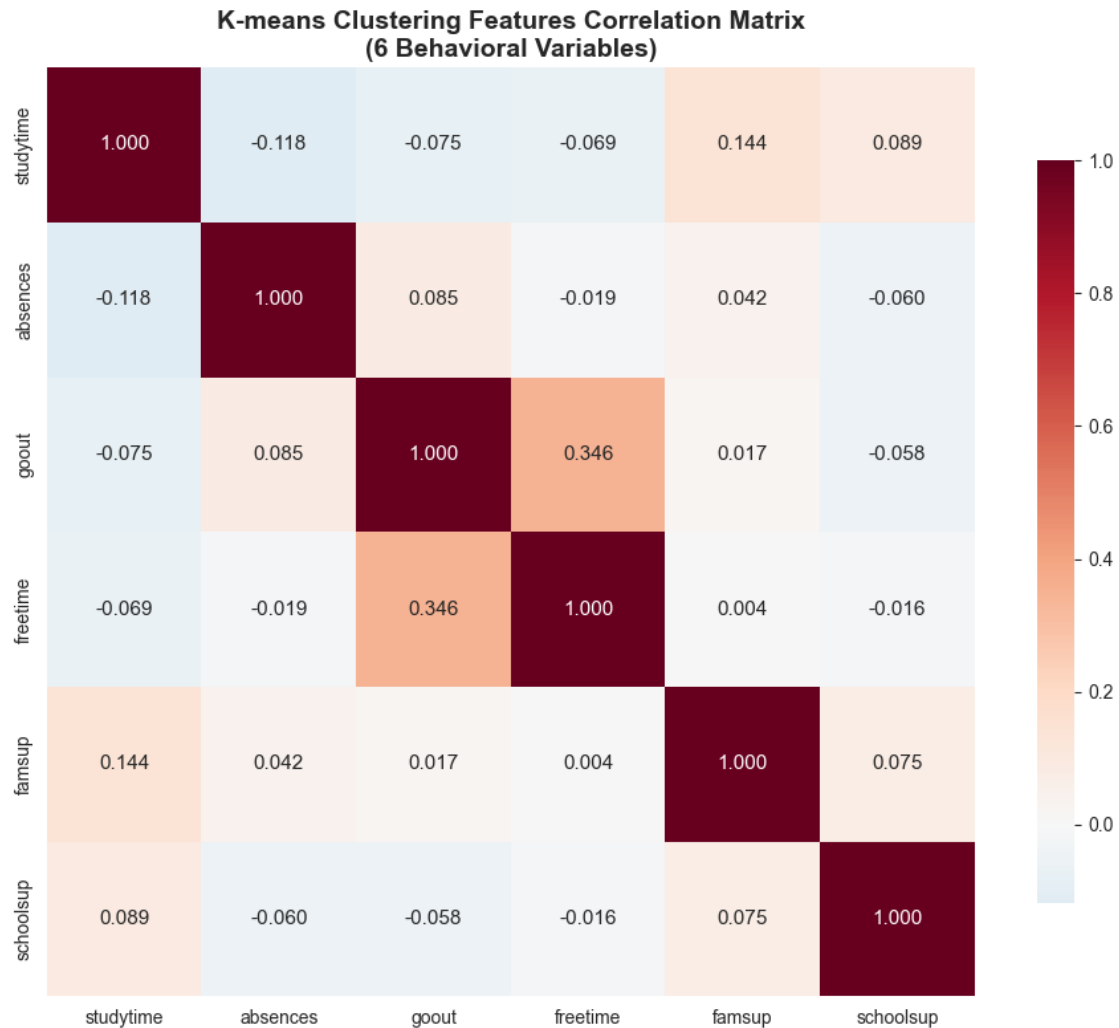
```

        center=0,
        square=True,
        fmt=".3f",
        cbar_kws={"shrink": 0.8},
    )
plt.title(
    "K-means Clustering Features Correlation Matrix\n(6 Behavioral Variables)",
    fontsize=14,
    fontweight="bold",
)
plt.tight_layout()
plt.show()

print("K-MEANS CLUSTERING FEATURE ANALYSIS:")
print("Selected behavioral variables for clustering:")
for feature in clustering_features:
    g3_corr = df_numeric[feature].corr(df_numeric["G3"])
    print(f" - {feature}: correlation with G3 = {g3_corr:.3f}")

print(
    "\nThese 6 variables will be used to identify behavioral patterns in_
    ↪ student populations."
)
print(
    "Low inter-correlations suggest they capture different aspects of student_
    ↪ behavior."
)

```



#### K-MEANS CLUSTERING FEATURE ANALYSIS:

Selected behavioral variables for clustering:

- studytime: correlation with G3 = 0.250
- absences: correlation with G3 = -0.091
- goout: correlation with G3 = -0.088
- freetime: correlation with G3 = -0.123
- famsup: correlation with G3 = 0.059
- schoolsup: correlation with G3 = -0.066

These 6 variables will be used to identify behavioral patterns in student populations.

Low inter-correlations suggest they capture different aspects of student behavior.

```

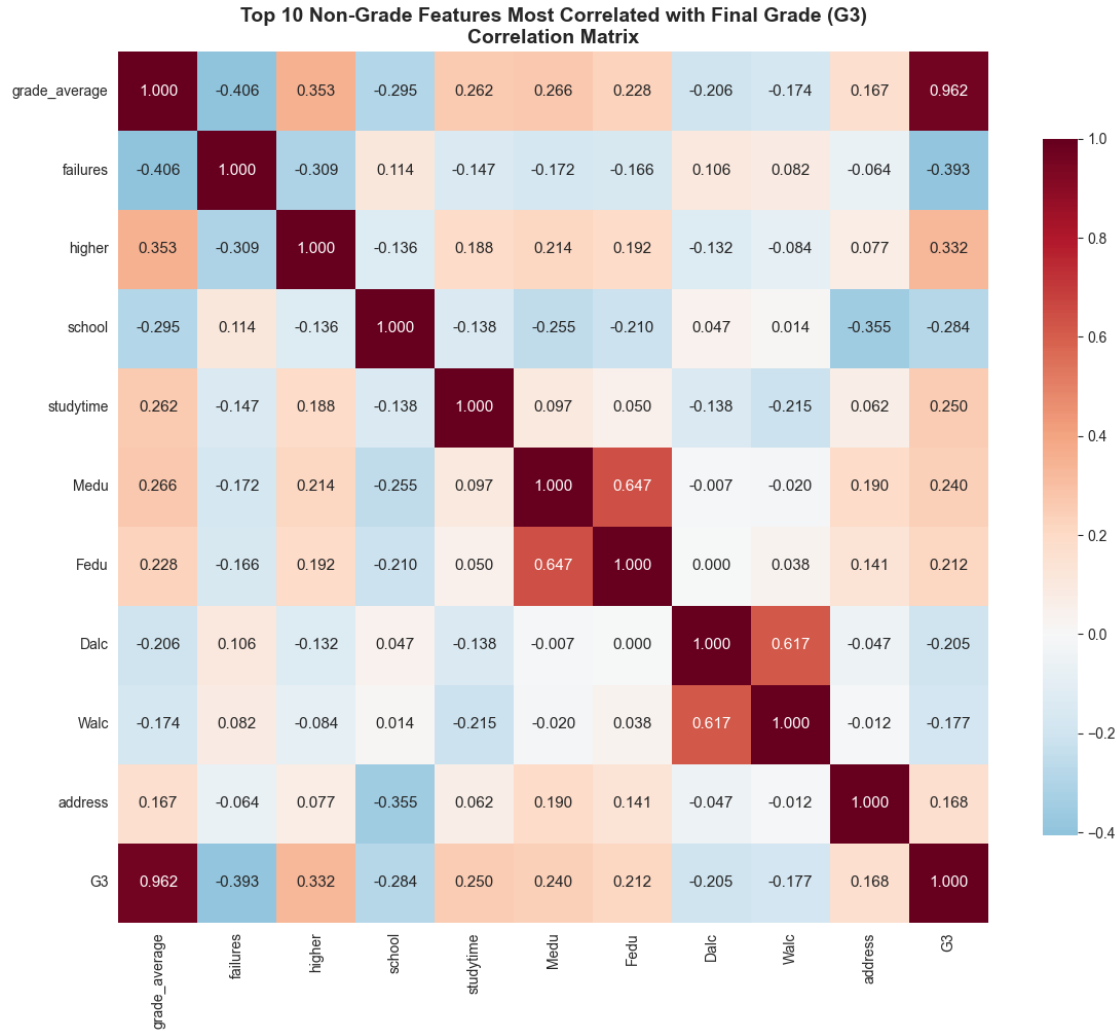
[22]: # Find top 10 features most correlated with G3 (excluding G1, G2, pass_fail)
g3_correlations = df_numeric.corr()['G3'].abs().sort_values(ascending=False)
# Remove G3, G1, G2, and pass_fail, then get top 10
features_to_exclude = ['G3', 'G1', 'G2', 'pass_fail']
top_10_features = g3_correlations.drop(features_to_exclude).head(10).index.
    ↪ tolist()
# Add G3 back to show correlations with it
top_10_with_g3 = top_10_features + ['G3']

plt.figure(figsize=(12, 10))
correlation_matrix = df_numeric[top_10_with_g3].corr()
sns.heatmap(
    correlation_matrix,
    annot=True,
    cmap="RdBu_r",
    center=0,
    square=True,
    fmt=".3f",
    cbar_kws={"shrink": 0.8},
)
plt.title(
    "Top 10 Non-Grade Features Most Correlated with Final Grade_
    ↪ (G3)\nCorrelation Matrix",
    fontsize=14,
    fontweight="bold",
)
plt.tight_layout()
plt.show()

print("TOP 10 NON-GRADE FEATURES MOST CORRELATED WITH FINAL GRADE (G3):")
for i, feature in enumerate(top_10_features, 1):
    g3_corr = df_numeric[feature].corr(df_numeric["G3"])
    print(f" {i:2d}. {feature}: correlation with G3 = {g3_corr:.3f}")

print(f"\nExcluded G1, G2 (previous grades) and pass_fail (derived from G3) to_
    ↪ focus on")
print(f"underlying behavioral and demographic factors that predict academic_
    ↪ performance.")

```



TOP 10 NON-GRADE FEATURES MOST CORRELATED WITH FINAL GRADE (G3):

1. grade\_average: correlation with G3 = 0.962
2. failures: correlation with G3 = -0.393
3. higher: correlation with G3 = 0.332
4. school: correlation with G3 = -0.284
5. studytime: correlation with G3 = 0.250
6. Medu: correlation with G3 = 0.240
7. Fedu: correlation with G3 = 0.212
8. Dalc: correlation with G3 = -0.205
9. Walc: correlation with G3 = -0.177
10. address: correlation with G3 = 0.168

Excluded G1, G2 (previous grades) and pass\_fail (derived from G3) to focus on underlying behavioral and demographic factors that predict academic performance.

## 1.6 Hypothesis Testing

Statistical validation of key relationships through formal hypothesis testing.

```
[17]: # Hypothesis 1: Study time affects final grades
print("\nHYPOTHESIS 1: Study Time and Academic Performance")
print("-" * 50)
print("H0: There is no significant difference in G3 scores across study time_
      ↪levels")
print("H1: There is a significant difference in G3 scores across study time_
      ↪levels")

# ANOVA test
study_groups = [df[df["studytime"] == i]["G3"] for i in range(1, 5)]
f_stat, p_value = stats.f_oneway(*study_groups)
print(f"ANOVA F-statistic: {f_stat:.4f}")
print(f"P-value: {p_value:.6f}")
print(f"Result: {'Reject H0' if p_value < 0.05 else 'Fail to reject H0'} at =0.
      ↪05")
```

HYPOTHESIS 1: Study Time and Academic Performance

-----

H0: There is no significant difference in G3 scores across study time levels  
H1: There is a significant difference in G3 scores across study time levels  
ANOVA F-statistic: 15.8763  
P-value: 0.000000  
Result: Reject H0 at =0.05

```
[18]: # Hypothesis 2: Past failures affect pass rates
print("\nHYPOTHESIS 2: Past Failures and Pass Rates")
print("-" * 50)
print("H0: Past failures and pass rates are independent")
print("H1: Past failures and pass rates are dependent")

# Chi-square test
crosstab = pd.crosstab(df["failures"], df["pass_fail"])
chi2, p_value, dof, expected = chi2_contingency(crosstab)
print(f"Chi-square statistic: {chi2:.4f}")
print(f"P-value: {p_value:.6f}")
print(f"Degrees of freedom: {dof}")
print(f"Result: {'Reject H0' if p_value < 0.05 else 'Fail to reject H0'} at =0.
      ↪05")
```

HYPOTHESIS 2: Past Failures and Pass Rates

-----

H0: Past failures and pass rates are independent  
H1: Past failures and pass rates are dependent

Chi-square statistic: 105.4435  
P-value: 0.000000  
Degrees of freedom: 3  
Result: Reject H0 at  $\alpha=0.05$

```
[19]: # Hypothesis 3: Absences correlation with G3
print("\nHYPOTHESIS 3: Absences and Final Grades Correlation")
print("-" * 50)
print("H0: There is no significant correlation between absences and G3")
print("H1: There is a significant correlation between absences and G3")

corr_coef, p_value = stats.pearsonr(df["absences"], df["G3"])
print(f"Pearson correlation coefficient: {corr_coef:.4f}")
print(f"P-value: {p_value:.6f}")
print(f"Result: {'Reject H0' if p_value < 0.05 else 'Fail to reject H0'} at  $\alpha=0.05$ ")
```

HYPOTHESIS 3: Absences and Final Grades Correlation

-----  
H0: There is no significant correlation between absences and G3  
H1: There is a significant correlation between absences and G3  
Pearson correlation coefficient: -0.0914  
P-value: 0.019896  
Result: Reject H0 at  $\alpha=0.05$

```
[20]: # Hypothesis 4: School support affects grade distribution
print("\nHYPOTHESIS 4: School Support and Grade Distribution")
print("-" * 50)
print("H0: School support recipients and non-recipients have same G3_
distribution")
print(
    "H1: School support recipients and non-recipients have different G3_
distributions"
)

support_group = df[df["schoolsup"] == True]["G3"]
no_support_group = df[df["schoolsup"] == False]["G3"]
u_stat, p_value = stats.mannwhitneyu(
    support_group, no_support_group, alternative="two-sided"
)
print(f"Mann-Whitney U statistic: {u_stat:.4f}")
print(f"P-value: {p_value:.6f}")
print(f"Result: {'Reject H0' if p_value < 0.05 else 'Fail to reject H0'} at  $\alpha=0.05$ ")
```

HYPOTHESIS 4: School Support and Grade Distribution



```
-----
H0: School support recipients and non-recipients have same G3 distribution
H1: School support recipients and non-recipients have different G3 distributions
Mann-Whitney U statistic: 16520.0000
P-value: 0.026106
Result: Reject H0 at  $\alpha=0.05$ 
```

```
[21]: # Statistical Conclusions Summary
print("\n" + "=" * 60)
print("STATISTICAL CONCLUSIONS:")
print("=" * 60)
print("1. Study time significantly impacts academic performance")
print("2. Past failures strongly predict future failure risk")
print("3. Absences show weak but significant negative correlation with grades")
print("4. School support targeting creates selection bias in data")
print("\nAll hypotheses provide statistical validation for the modeling_
↪approach.")
```

```
=====
STATISTICAL CONCLUSIONS:
=====
```

1. Study time significantly impacts academic performance
2. Past failures strongly predict future failure risk
3. Absences show weak but significant negative correlation with grades
4. School support targeting creates selection bias in data

All hypotheses provide statistical validation for the modeling approach.

---

## 1.7 Final Modeling Roadmap

### 1.7.1 K-means Clustering Approach:

- **Features:** studytime, absences, goout, freetime, famsup, schoolsup
- **Goal:** Identify behavioral student segments
- **Expected clusters:** High achievers, at-risk, average performers, social-focused

### 1.7.2 Binary Classification Approach:

- **Target:** pass\_fail (G3  $\geq 10$ )
- **Key features:** failures (strongest), studytime, absences, behavioral variables
- **Excluded:** G1, G2 (data leakage)
- **Challenge:** Class imbalance requires balanced sampling or weighted algorithms

### 1.7.3 Statistical Validation:

- Correlation analysis confirms feature independence for clustering
- Past failures emerge as the strongest non-leakage predictor

- Behavioral variables capture different student lifestyle aspects
- Model interpretability supports educational intervention strategies