Examples:

ples:
$$|\nabla v| = |\nabla v|$$

 $\frac{\partial \vec{v}}{\partial t} + (\nabla \cdot \vec{v}) \vec{v} = |\nabla v|$
 $|\nabla v| = |\nabla v|$
 $|\nabla v| = |\nabla v|$

V - relouty rector field

gives the velocity of

the fluid at all

points in space,

at all times

- \rightarrow if we can find $\overline{\mathcal{F}}(x,4,2,t)$, we are done!
- P -> pressure scalar field

 P(x, y, 2, t) -> given the pressure

in the times, at all times.

- -) Termi involving 2nd Order derivatives are called Diffusive terms.
- -s Terms involving 1st order derivative.

 (in space)

 are called convective terms.

Most of the solutions to the N-S
equations involve modeling assumptions
(assumptions about the importance of
various terms)

- -> All of them involve a system of PDE's with
 - highest space derivative
 7 2nd Order
 - -) highest time devivolie

forward difference in time, and backers difference in space.

$$\frac{u'_{i} - u'_{i}}{\Delta t} + c \frac{u'_{i} - u'_{i-1}}{\Delta x}$$

$$= 0$$

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u:-1

Example 2: Inviscid Burger's Equation.

 $\frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} = 0$

(interest -) Can generate non-linearities from smooth I.C.'s -> Shock works in supersonic flows)

 $\frac{u_{i}^{n+1}-u_{i}^{n}}{\Delta t} + u_{i}^{n}\left(\frac{u_{i}^{n}-u_{i-1}^{n}}{\Delta x}\right)$ = 1