

Deep Learning (for Computer Vision)

Arjun Jain

Visualizing and Understanding ConvNets

Understanding ConvNets

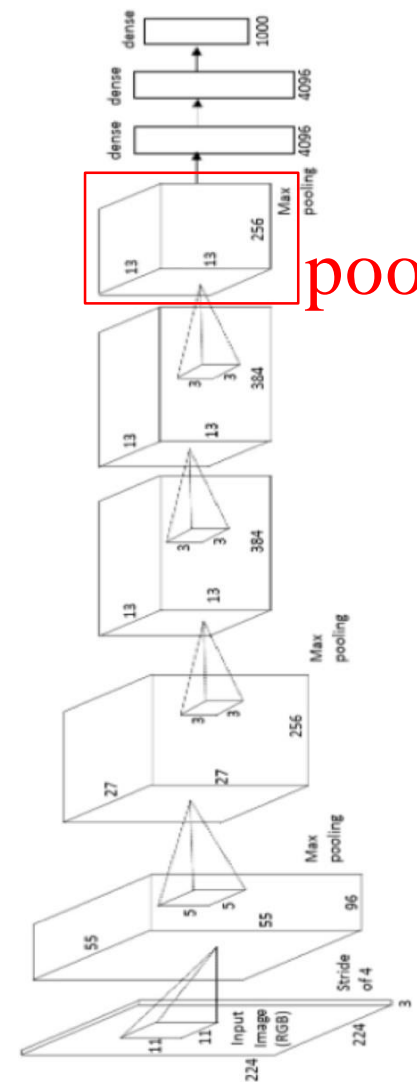
- Visualize patches that maximally activate neurons
- Visualize the weights
- Visualize the representation space
- Occlusion experiments

Visualize patches that maximally activate neurons

one-stream AlexNet



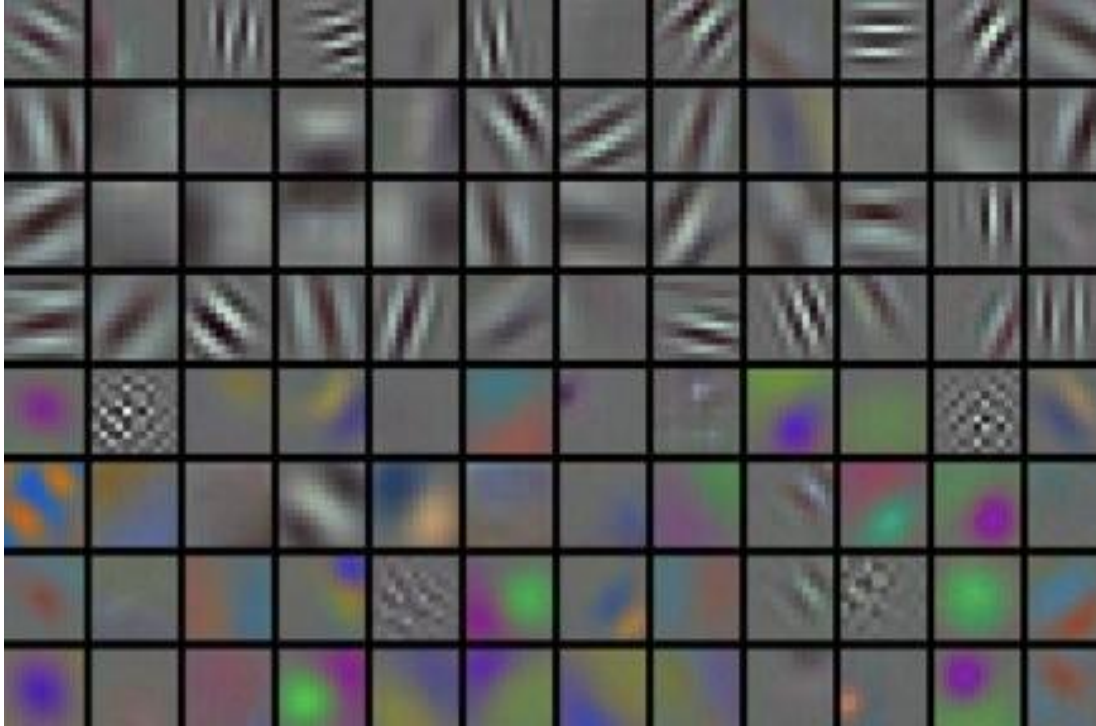
Figure 4: Top regions for six pool_5 units. Receptive fields and activation values are drawn in white. Some units are aligned to concepts, such as people (row 1) or text (4). Other units capture texture and material properties, such as dot arrays (2) and specular reflections (6).



Source: Rich feature hierarchies for accurate object detection and semantic segmentation [Girshick, Donahue, Darrell, Malik]

Visualize the filters/kernels(raw weights)

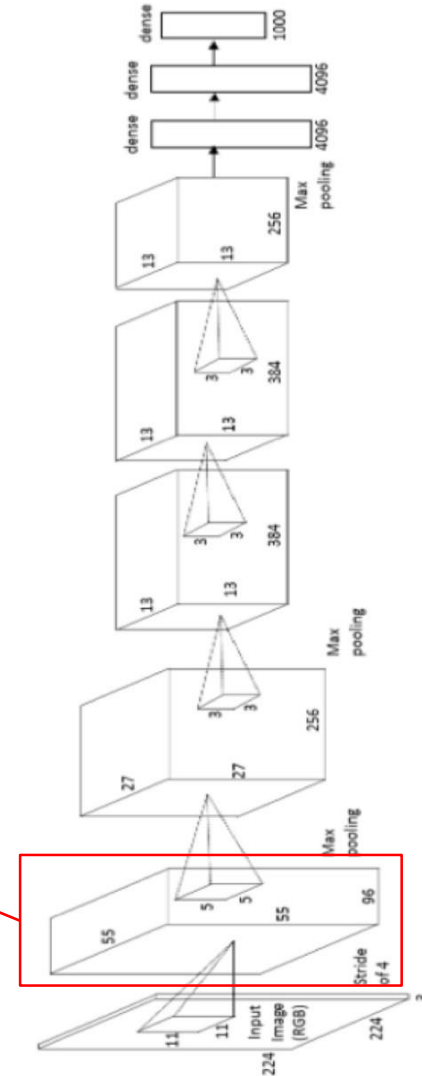
one-stream AlexNet



only interpretable on the first layer :(

Source: Rich feature hierarchies for accurate object detection and semantic segmentation [Girshick, Donahue, Darrell, Malik]

conv1



Visualize the filters/kernels(raw weights)

Weights:



layer 1 weights

Weights:



layer 2 weights

Weights:



layer 3 weights

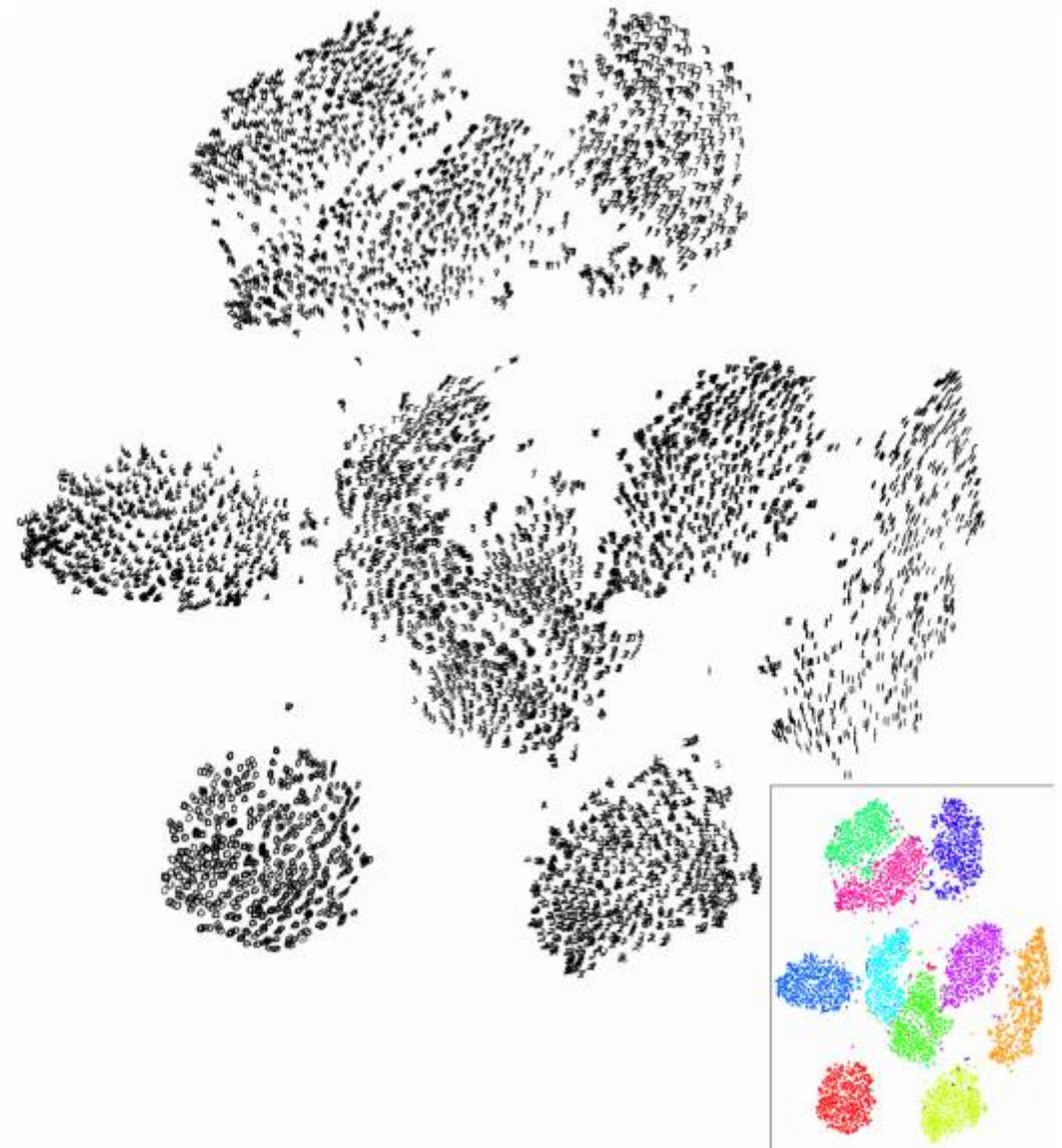
one can still do it
for higher layers,
but it's just not
that interesting

Visualizing the representation

Embed high-dimensional points so that locally, pairwise distances are conserved

i.e. similar things end up in similar places and dissimilar things end up wherever

Right: Example embedding of MNIST digits (0-9) in 2D

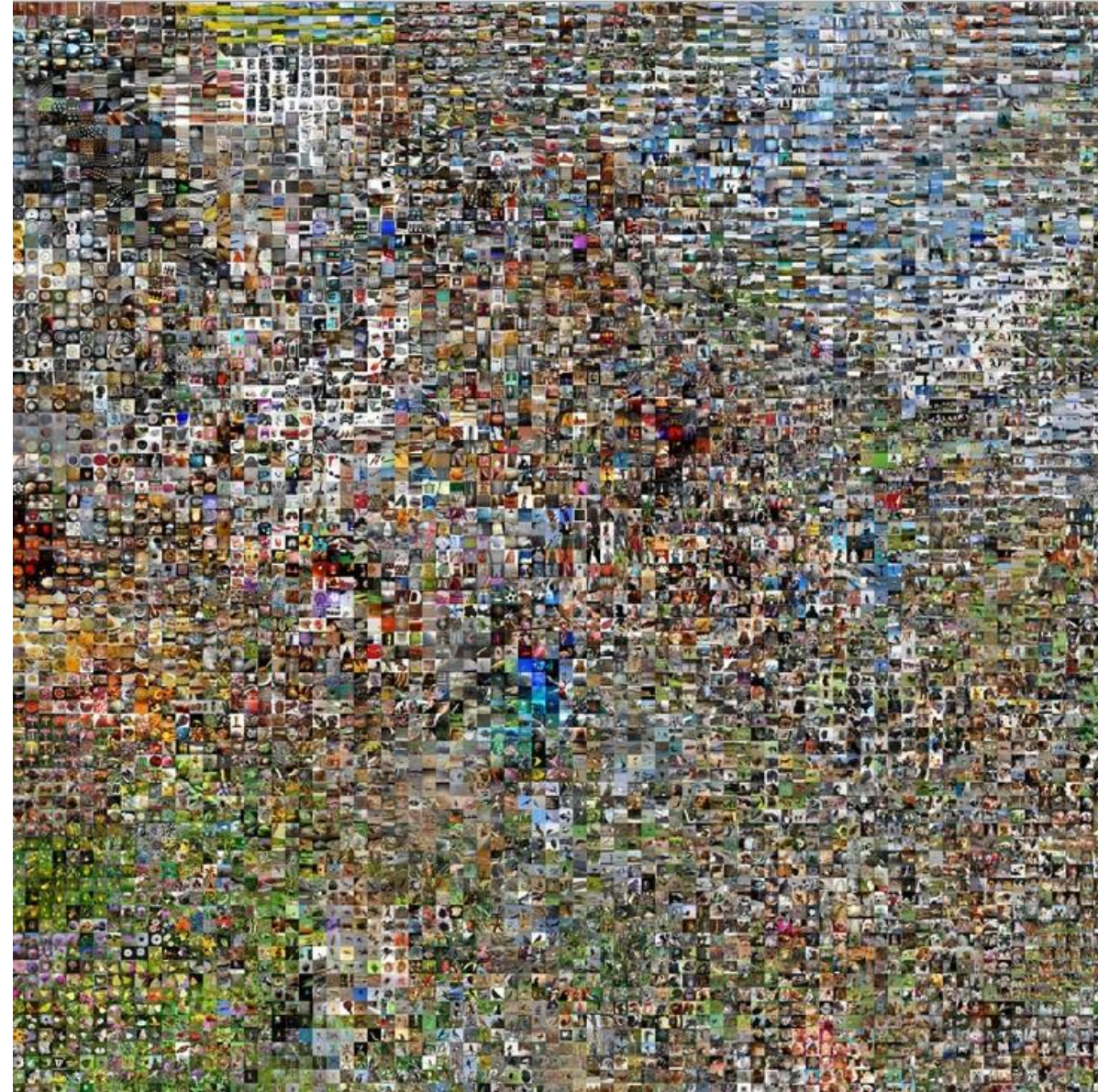


Source: Visualizing data using *t*-SNE [van der Maaten & Hinton]

Visualizing the representation

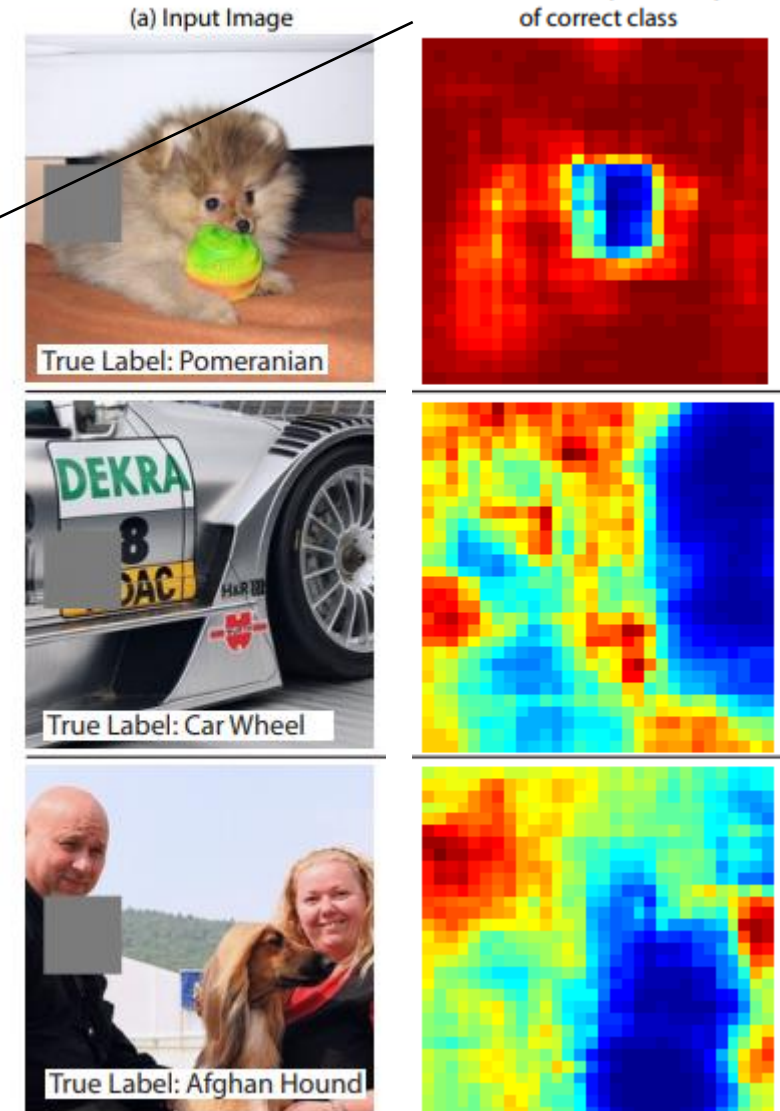
Two images are placed nearby
if their CNN codes are close.

Source: <https://cs.stanford.edu/people/karpathy/cnnembed/>



Occlusion experiments

(as a function of the position of the square of zeros in the original image)



Source: Visualizing and Understanding Convolutional Networks [Zeiler & Fergus 2013]

Universal approximation theorem

From Wikipedia, the free encyclopaedia

In the [mathematical](#) theory of [artificial neural networks](#), the **universal approximation theorem** states that a [feed-forward](#) network with a single hidden layer containing a finite number of [neurons](#) can approximate [continuous functions](#) on [compact subsets](#) of \mathbf{R}^n , under mild assumptions on the activation function. The theorem thus states that simple neural networks can *represent* a wide variety of interesting functions when given appropriate parameters.

Universal approximation theorem

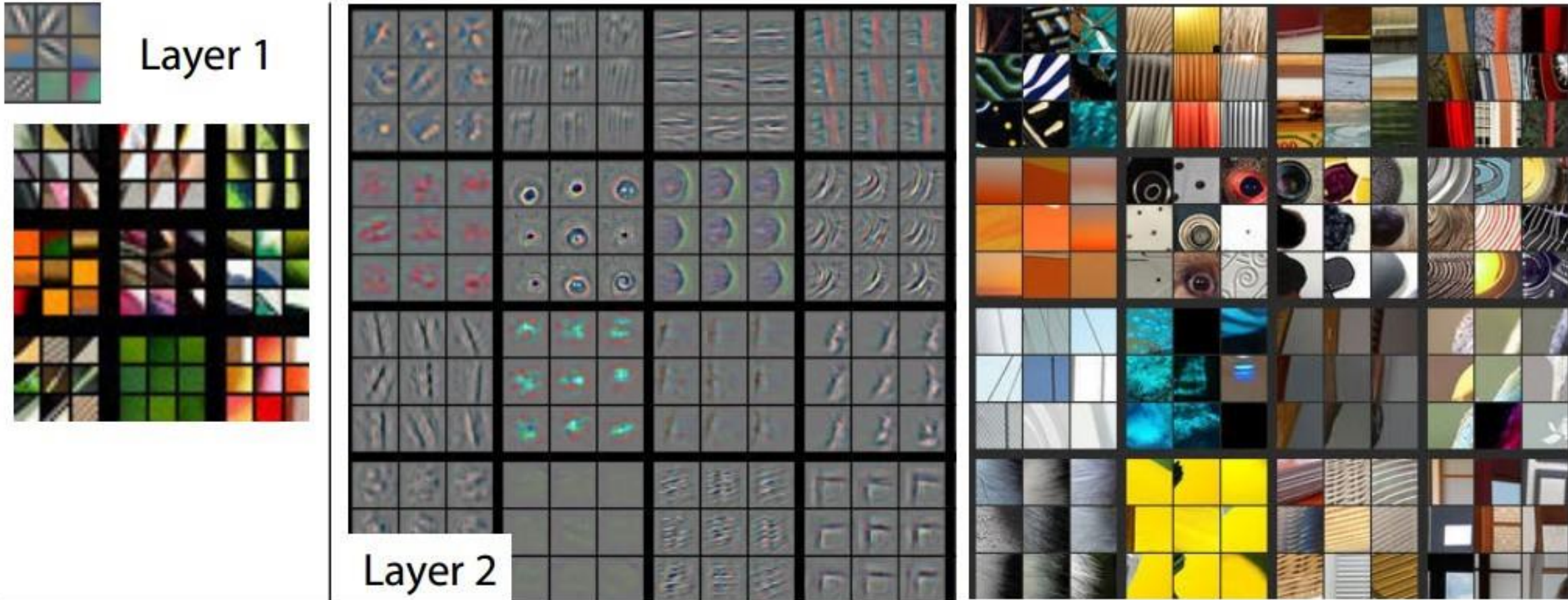
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Then why so deep?

Visualizing and Understanding Convolutional Networks

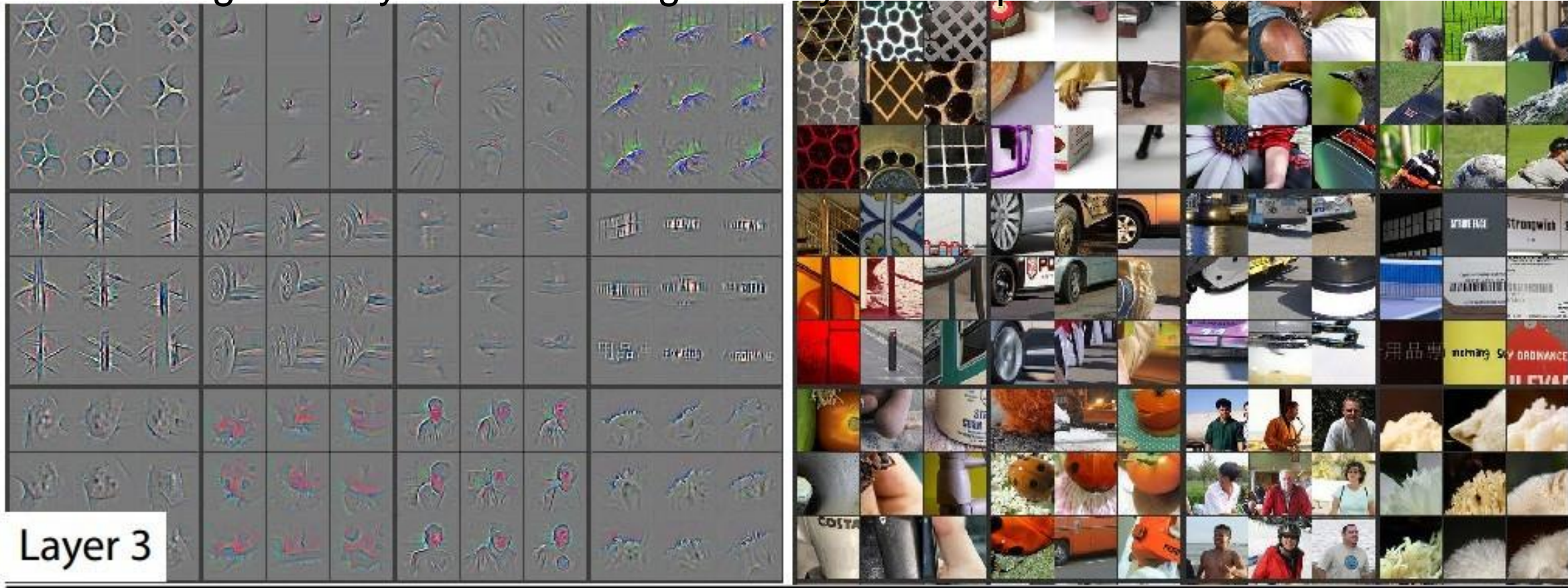
Visualizing arbitrary neurons along the way to the top...



Source: Visualizing and Understanding Convolutional Networks [Zeiler & Fergus 2013]

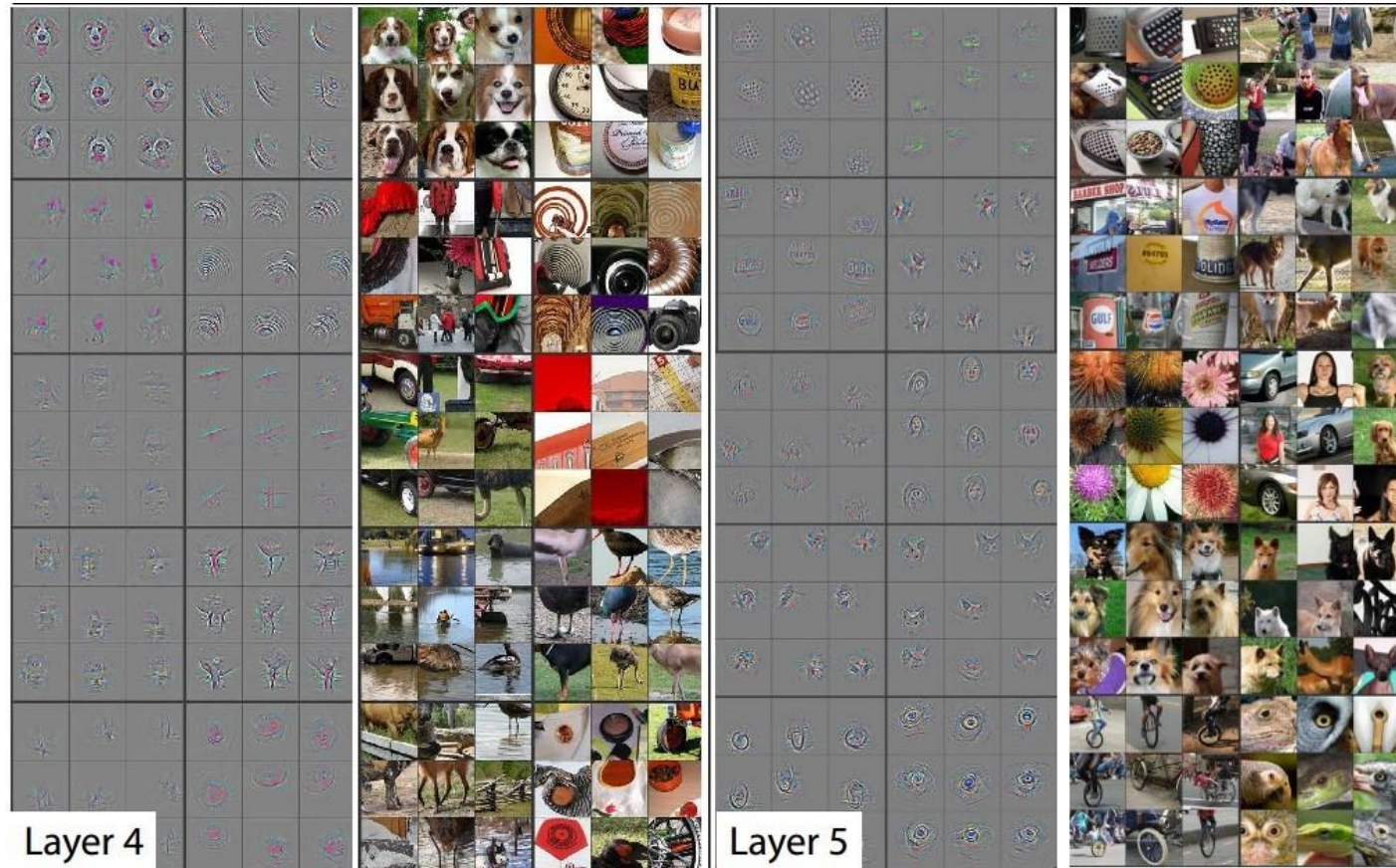
Visualizing and Understanding Convolutional Networks

Visualizing arbitrary neurons along the way to the top...



Visualizing and Understanding Convolutional Networks

Visualizing arbitrary neurons along the way to the top...

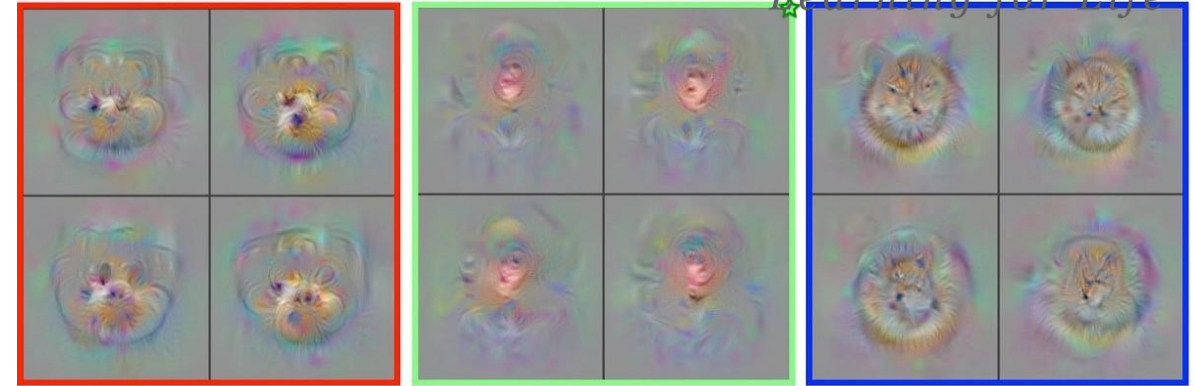
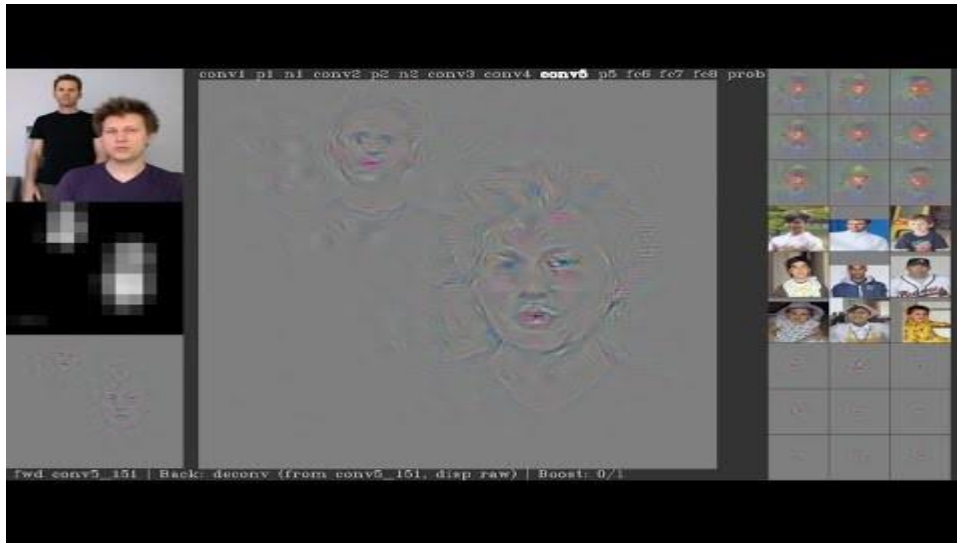


Source: Visualizing and Understanding Convolutional Networks [Zeiler & Fergus 2013]

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Deep Visualization Toolbox

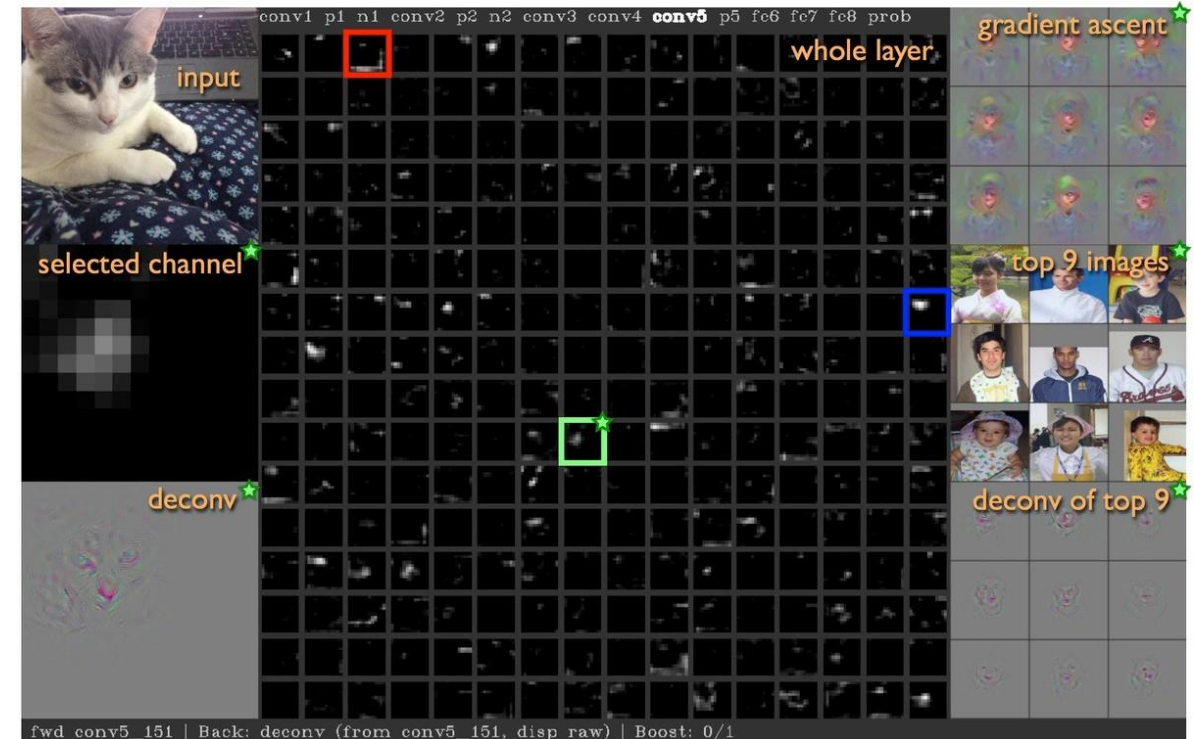
<http://yosinski.com/deepvis>



conv5₂ (dog face + flower)

conv5₁₅₁ (human face + cat face)

conv5₁₁₁ (cat face)



Source: Understanding Neural Networks Through Deep Visualization [Yosinski, Clune et al.] (<http://yosinski.com/deepvis>)

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Thank you!