



Sorting Techniques

Foundation Course on Data Structures & Algorithm - Part I

→ Sorting tech :-

Sorting → what - ' ?

asc →

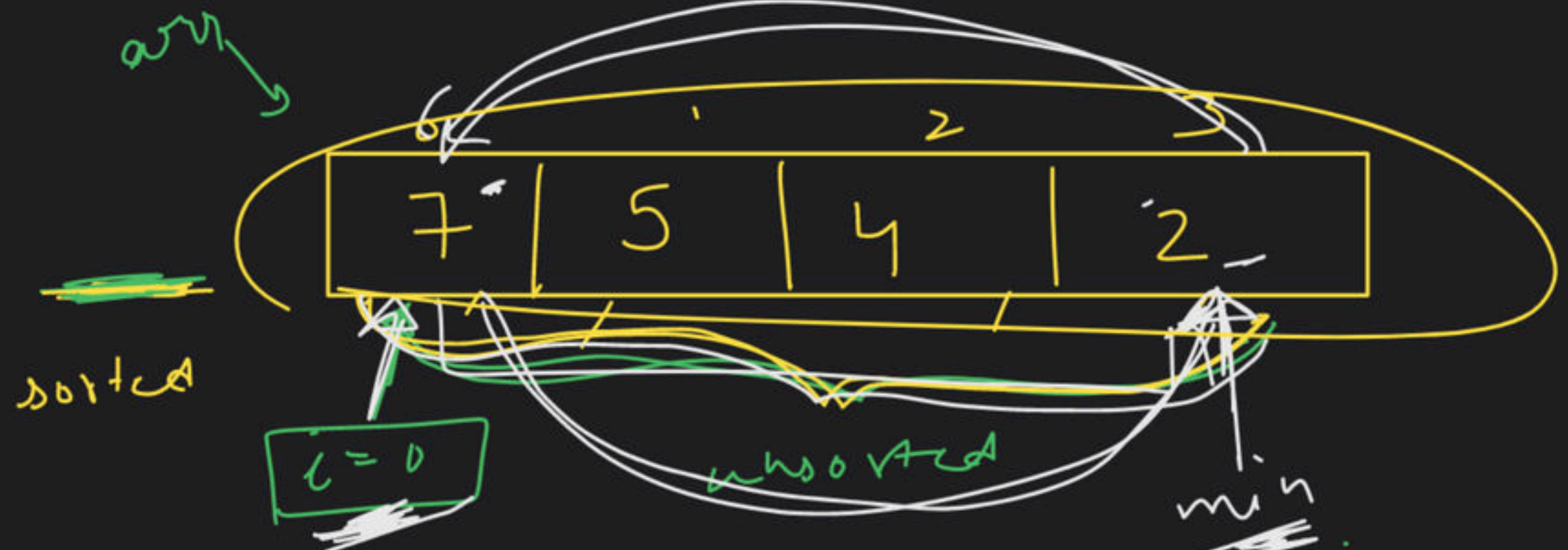
1 3 5 7
→

desc

7 6 5 4 3
→

→ Selection Sort → ? → array → 2 part

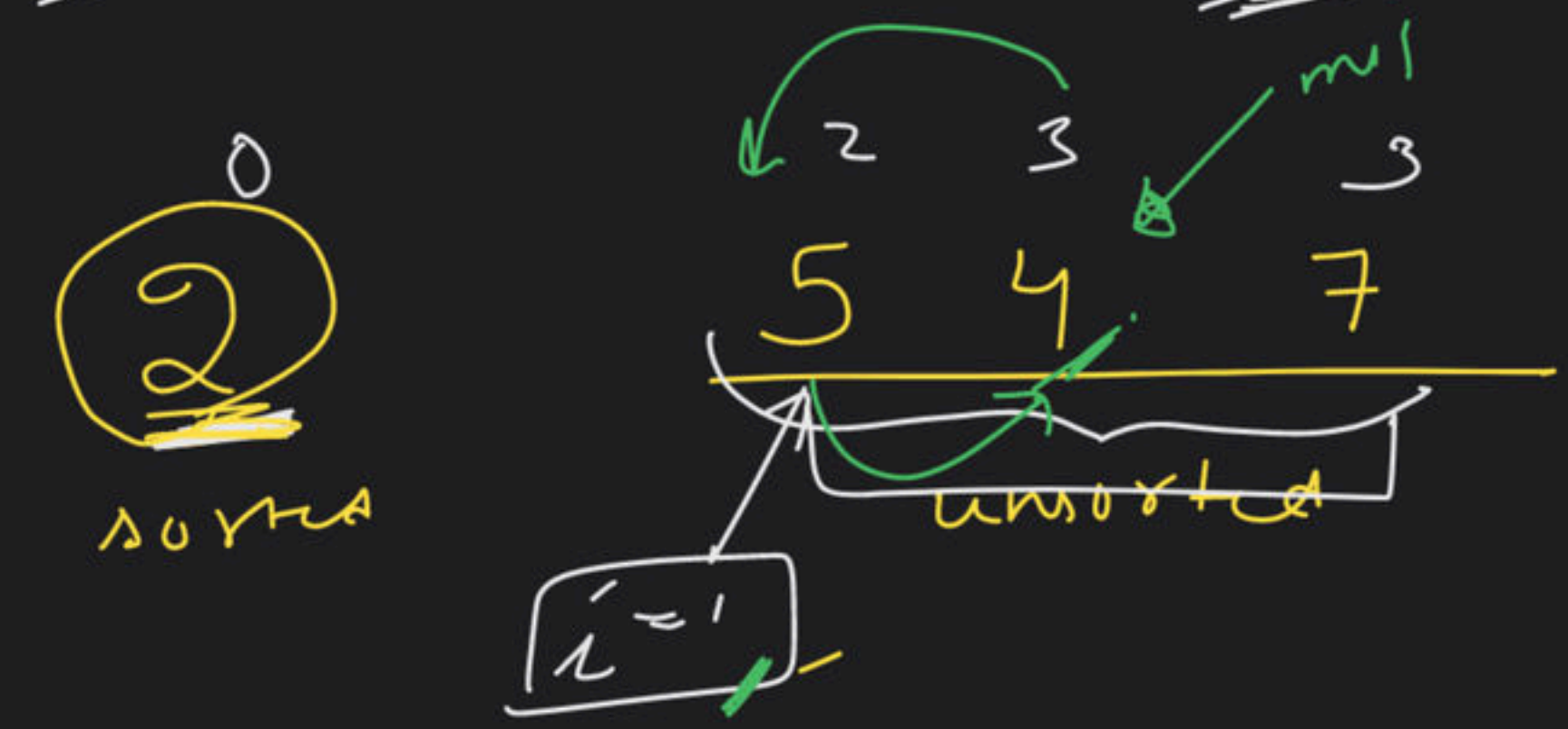
sorted unsorted
left right



→ ascending order

show the right place

Round 1



i^{th} Round

→ i^{th} smallest
↓
right place
pr each
time

Round 2

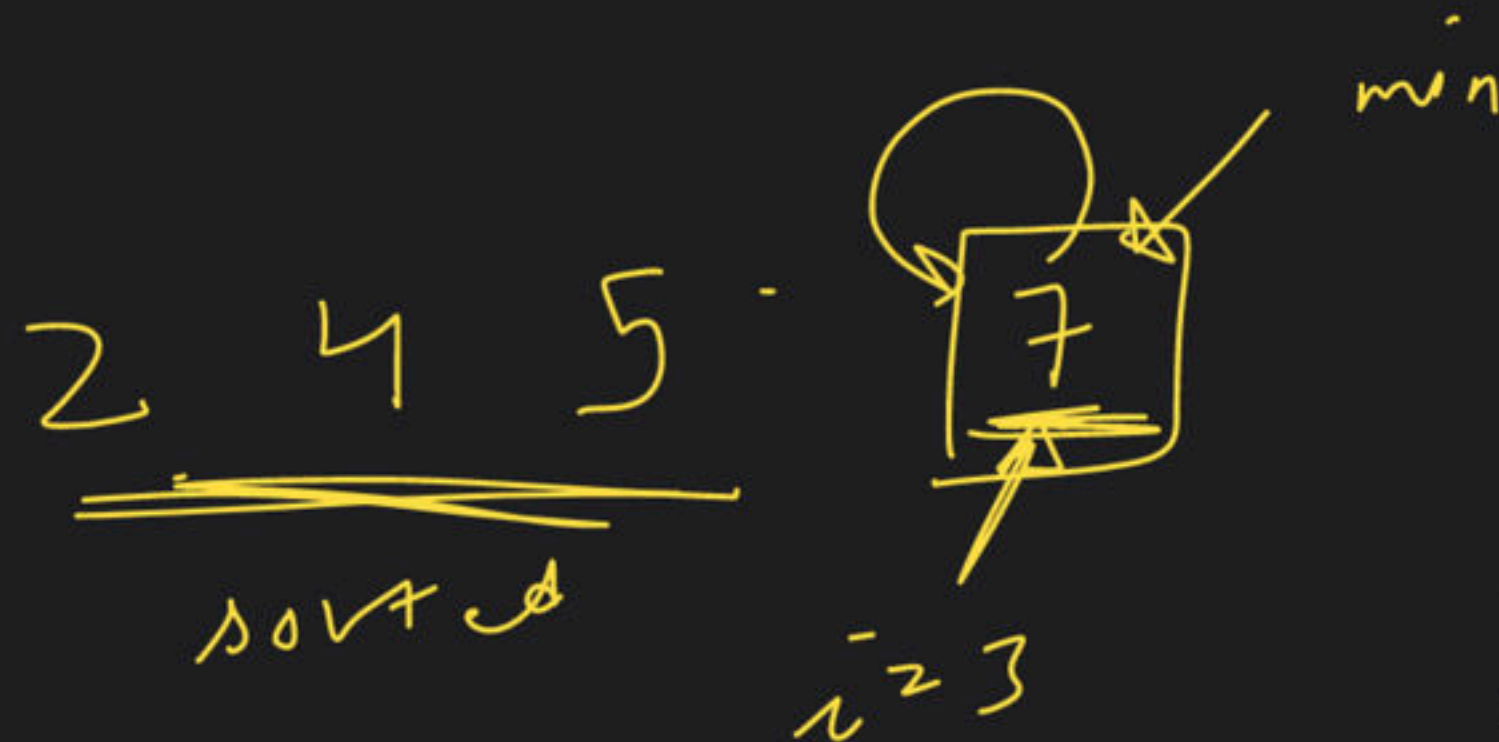


Round 3



4
3
2
1

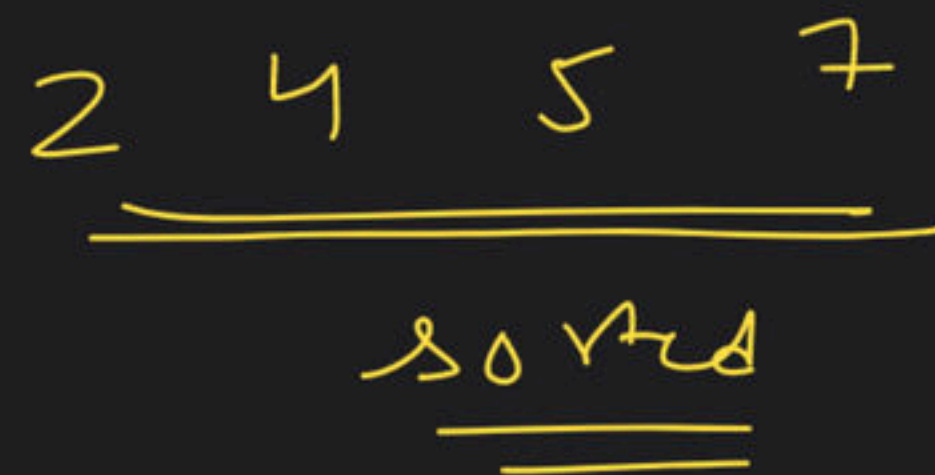
Round 4



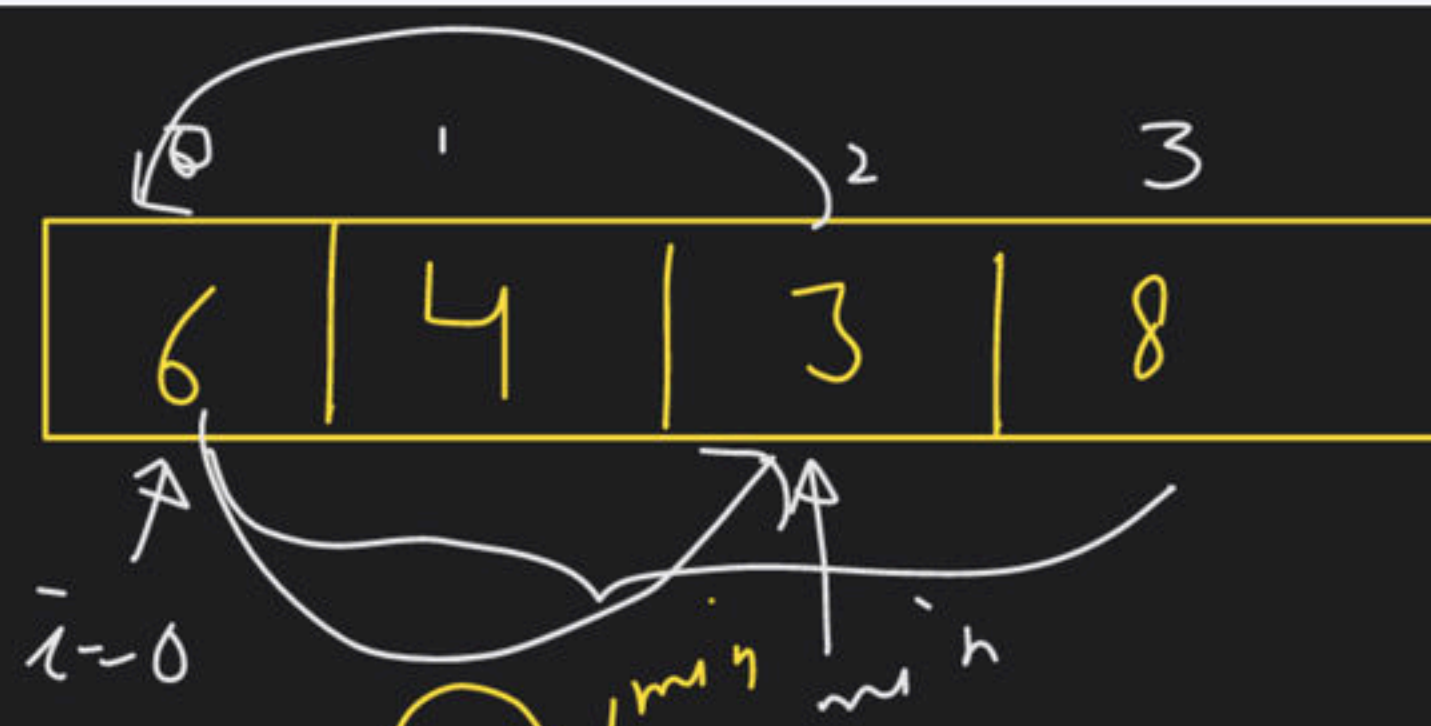
$$1 + 2 + 3 + \dots + n$$

$$= \frac{n(n+1)}{2}$$

$$= \frac{n^2 + n}{2} = O(n^2)$$

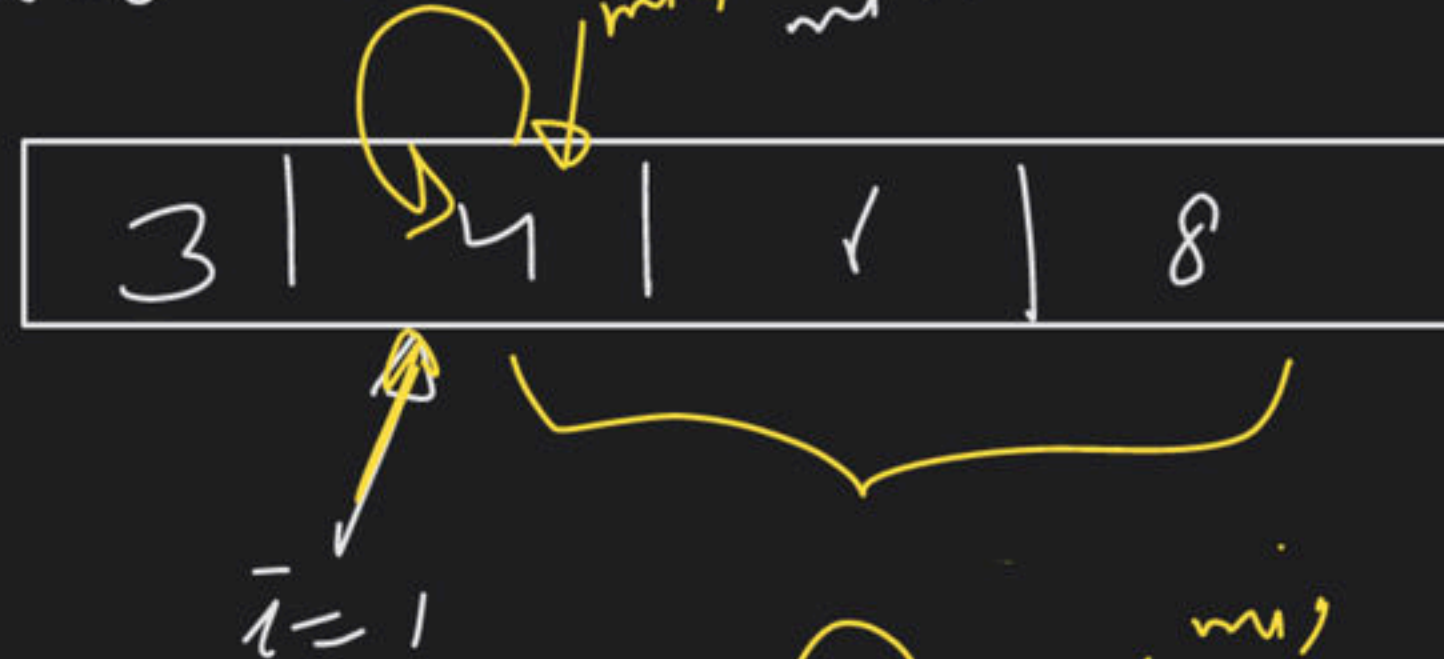


arr
→

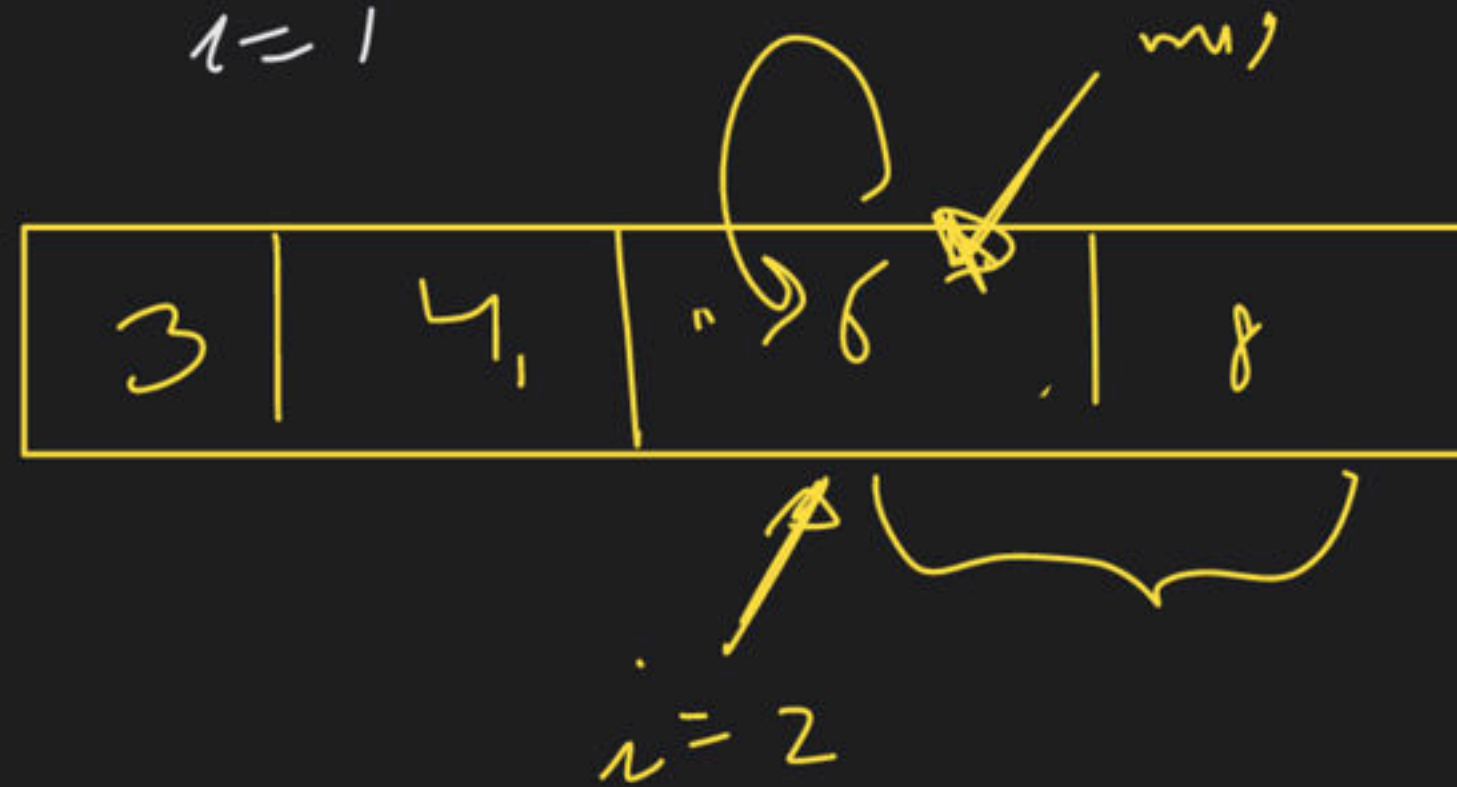


Dry Run

Round 1



Round 2



Round 3



→ code

Outer loop

```
for (int i=0; i < n; i++)
```

```
{  
    int minIndex = i;
```

// find min element

```
    for (int j=i+1; j < n; j++)
```

```
    {  
        if (arr[minIndex] > arr[j])
```

```
            minIndex = j;
```

```
    }  
    swap(arr[i], arr[minIndex])
```

min Element
search

T.C. → $O(n^2)$
↓
bruteforce algo

S.C. → $O(1)$

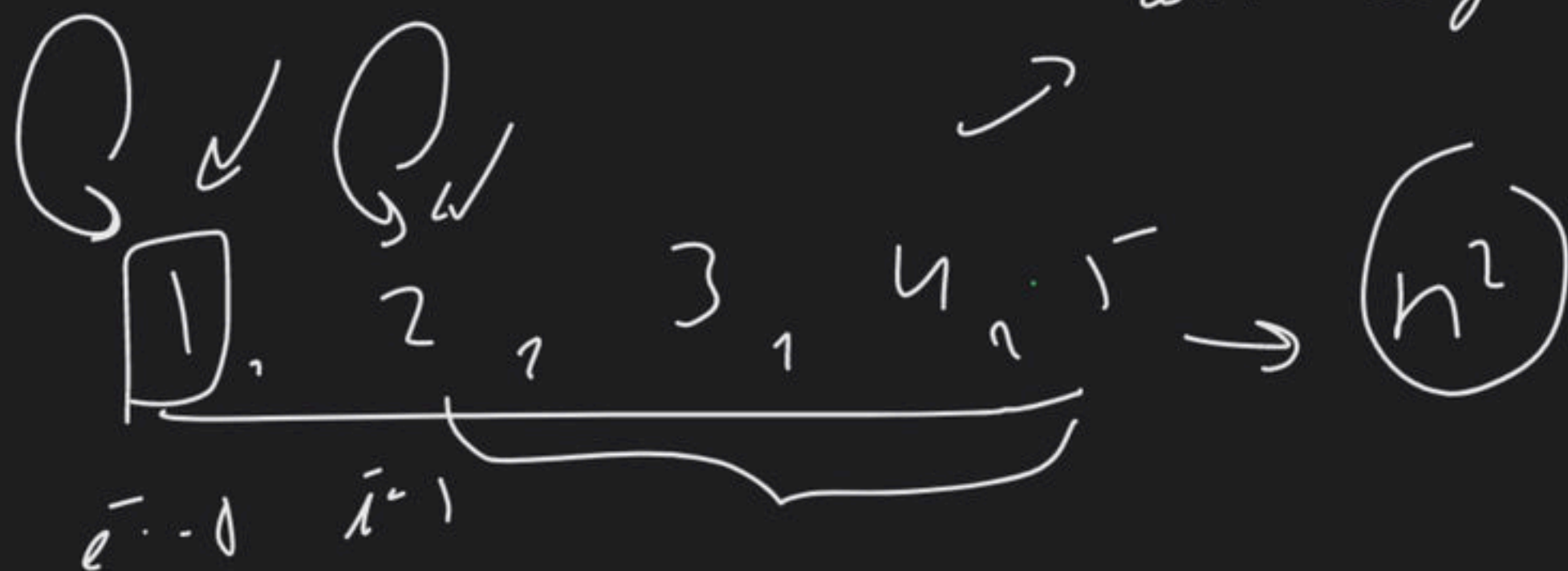
→ Spec constraints → S.S

→ small array →

ind

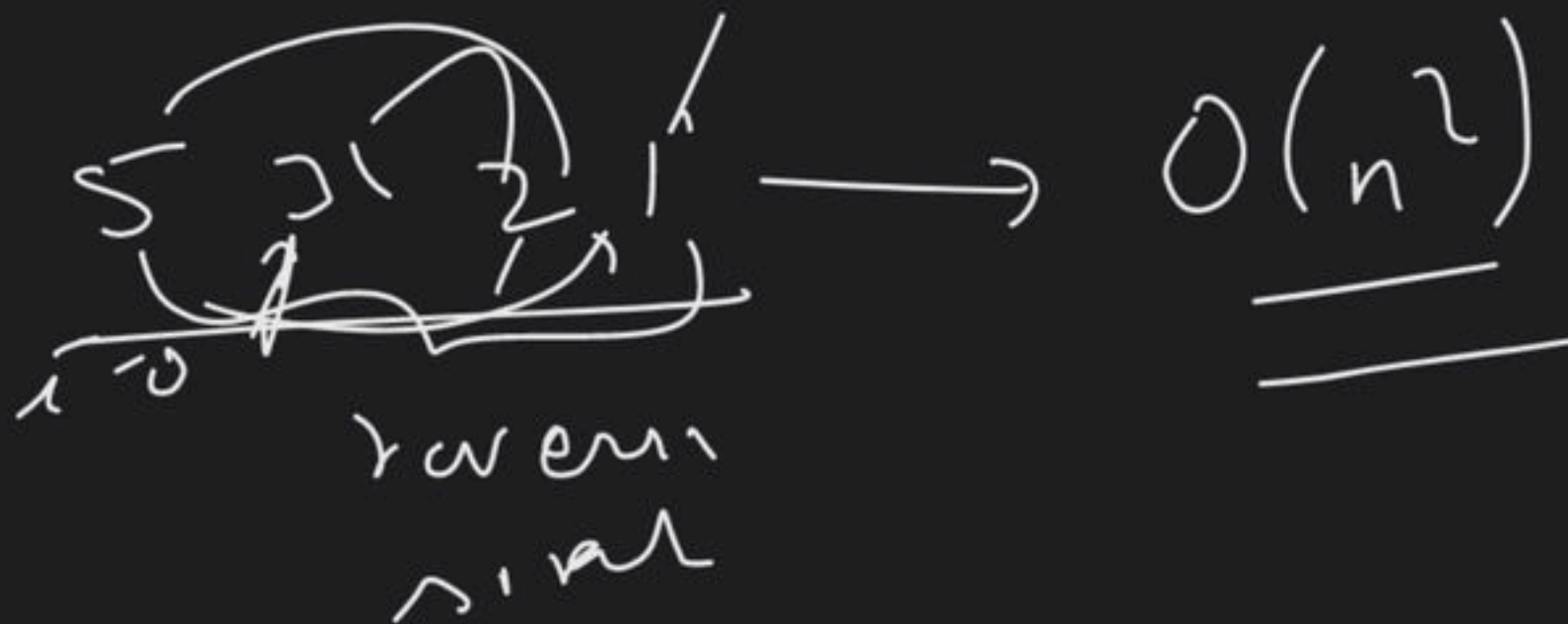
~~SS-1~~

But
Can →



$\frac{H/W}{L}$

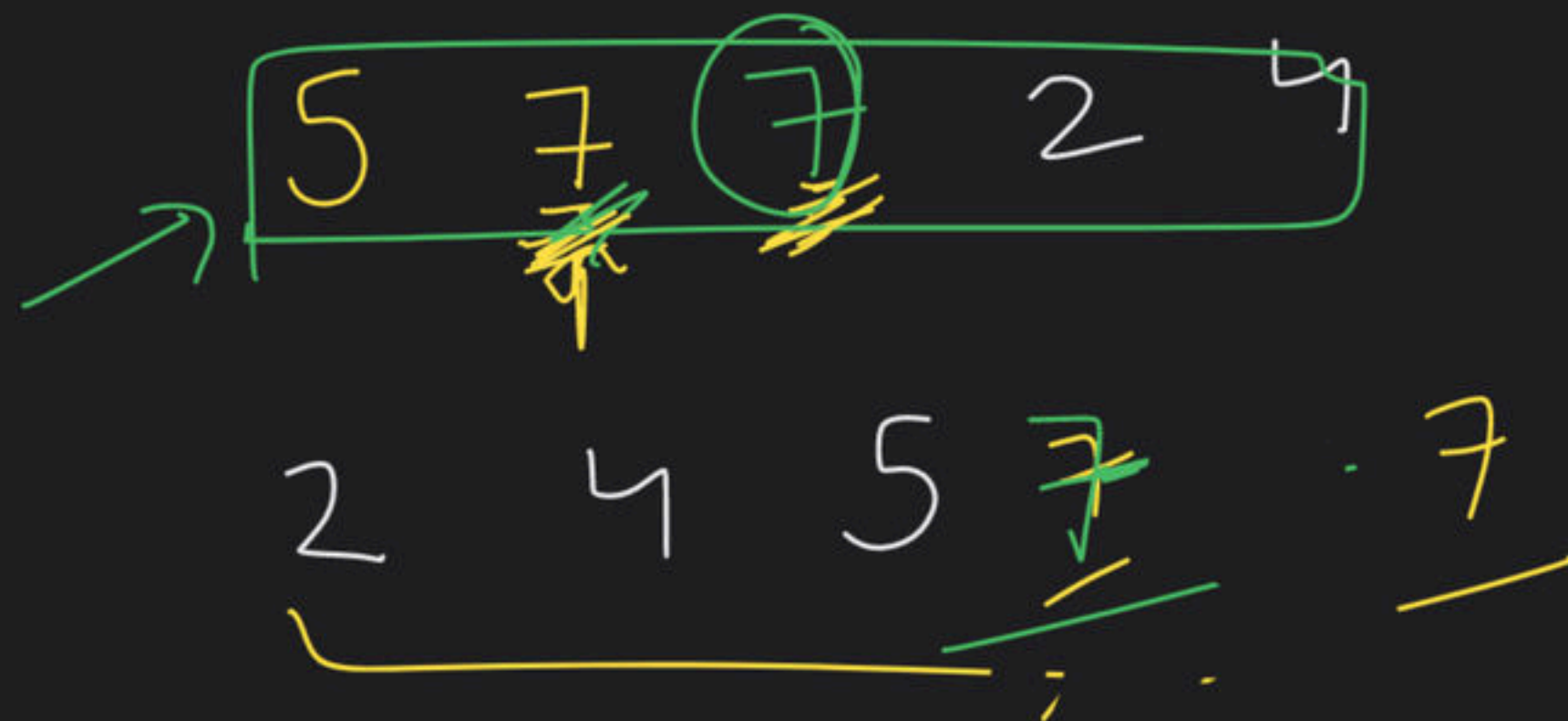
work
Can →



Solution not → Stable or Not → ? → DRY RUN → Ex

→ Stable algorithm! → How to make it stable?

i/p →
↳
sort



stable

Order preserve

duplicate

No

unstable

$$1 + 2 + 3 + \dots + n$$

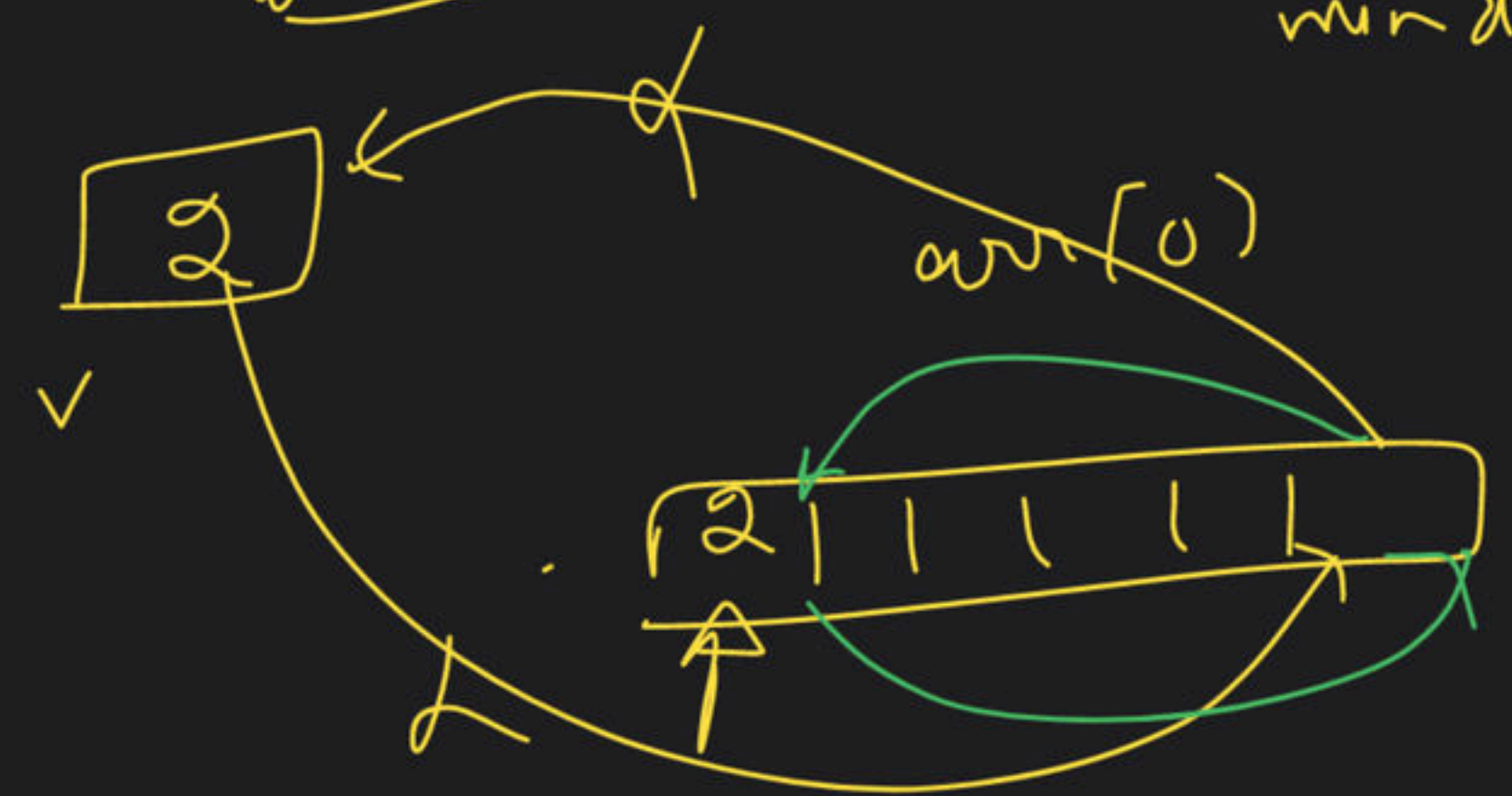
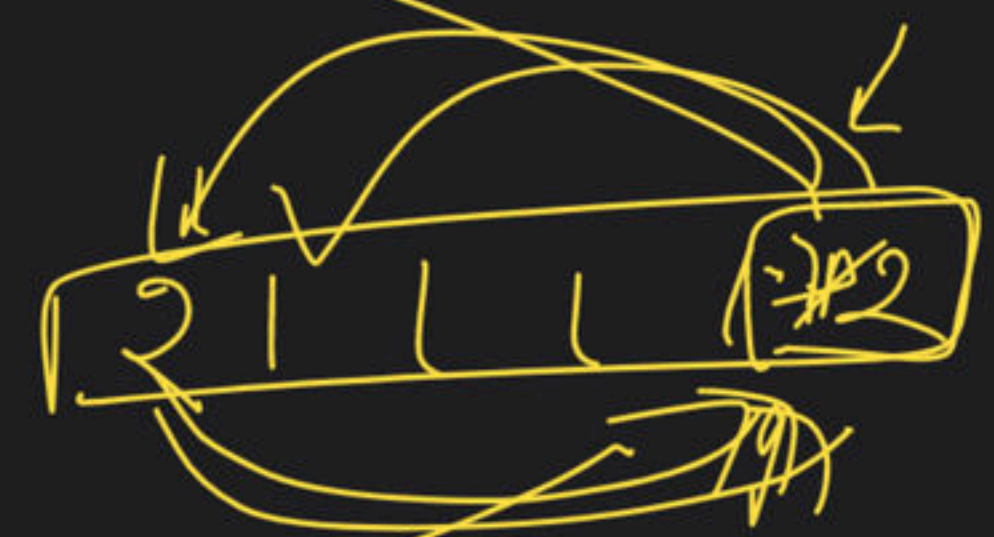
$$= \frac{n \times (n+1)}{2} = \frac{n^2 + n}{2} = \underline{\underline{O(n^2)}}$$



1st minElement = arr[1]

int v = arr[b]

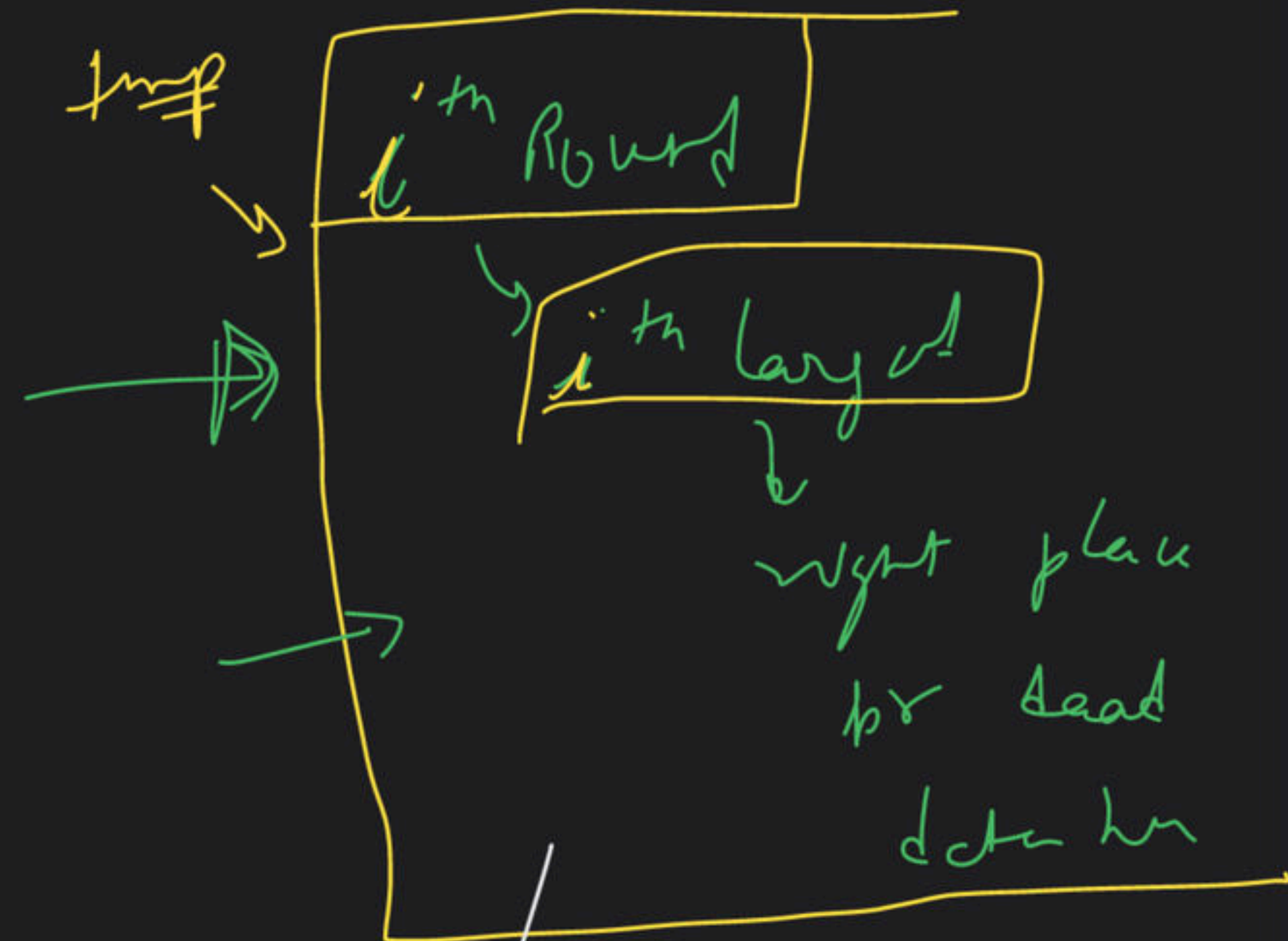
~~7 2~~
min den



→ DRY-RUN

→ Bubble Sort → largest element
↳ right place

i^{th} Round
↳ i^{th} largest
↳ right place
or saynega



$n-1$

Round 1

1st largest

1st worst

$j < n-1$

0	1	2	3	4
-2	45	0	11	-9

-2	0	45	11	-9
----	---	----	----	----

Diagram showing comparisons between adjacent elements (j and j+1) and the selection of the maximum element (45) at index n-2 and the minimum element (-9) at index n-1.

-2	0	11	45	-9
----	---	----	----	----

-2	0	11	-9	45
----	---	----	----	----

Diagram showing the final array with the maximum element (45) at the end. The first four elements are labeled "unsorted" and the last element (45) is labeled "sorted".

5 element

1st

$j < n-1$

$-2 > 45 \rightarrow \text{True}$

$45 > 0 \rightarrow \text{True}$

↓
swap

$45 > 11 \rightarrow \text{True}$

↓
swap

$45 > -9 \rightarrow \text{True}$

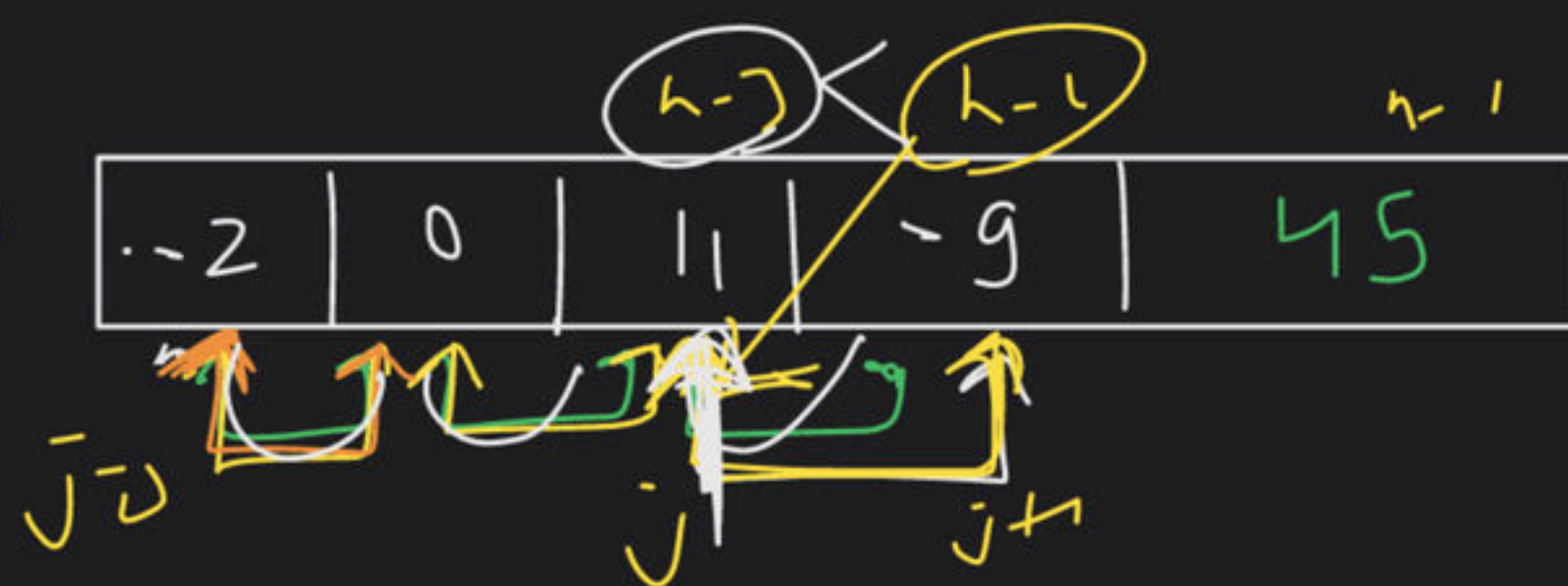
↓
swap

Round 2

i^{th}

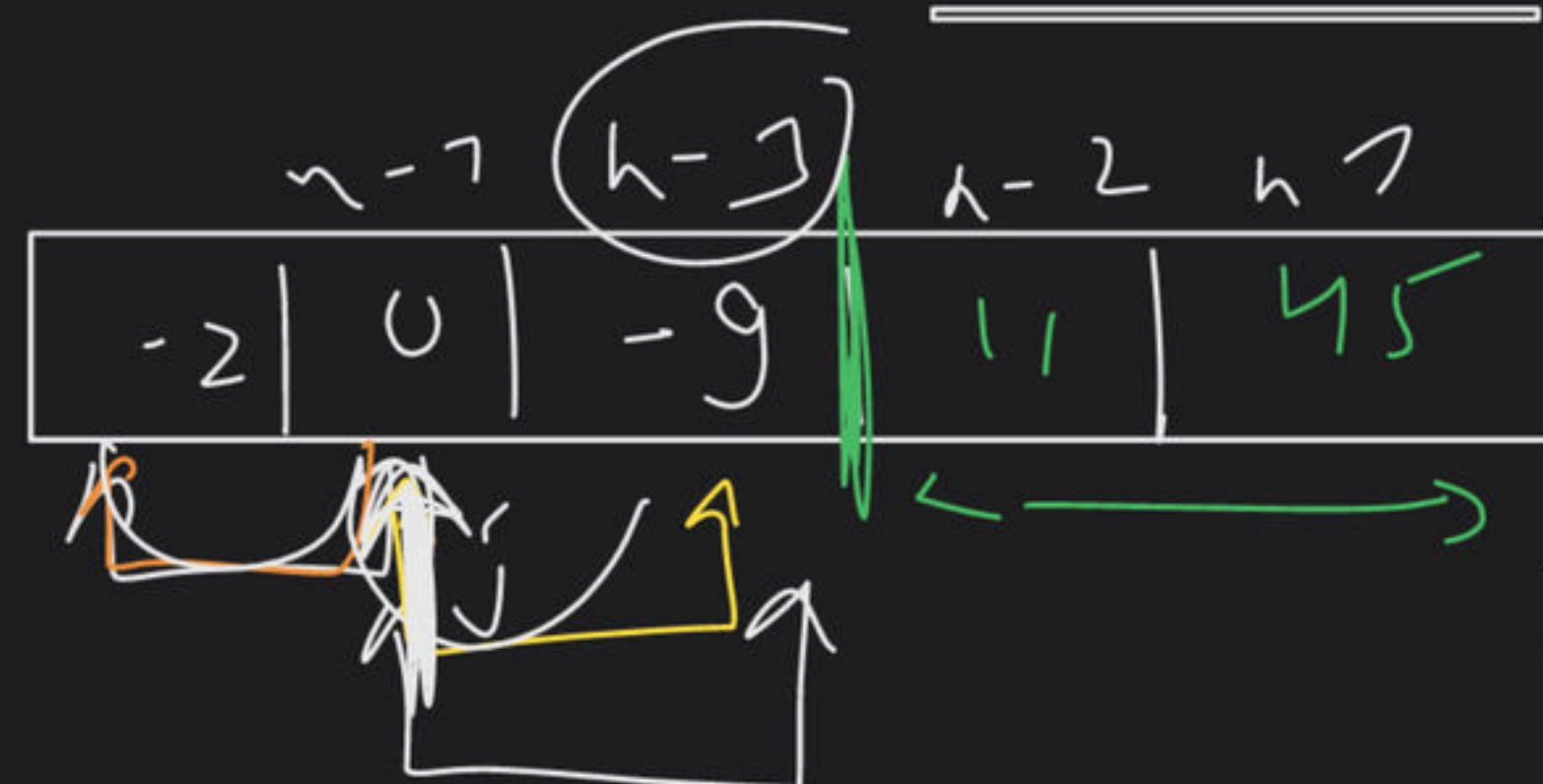
$j < n-1$

$n-2$



← sorted →

← sorted →



← sorted →

← sorted →

$2 > 0 \rightarrow F$

$0 > 11 \rightarrow F$

$11 > -9 \rightarrow T$

↓
swap

$2 > 0 \rightarrow F$

$0 > -9 \rightarrow T$

↓
swap

Round 3

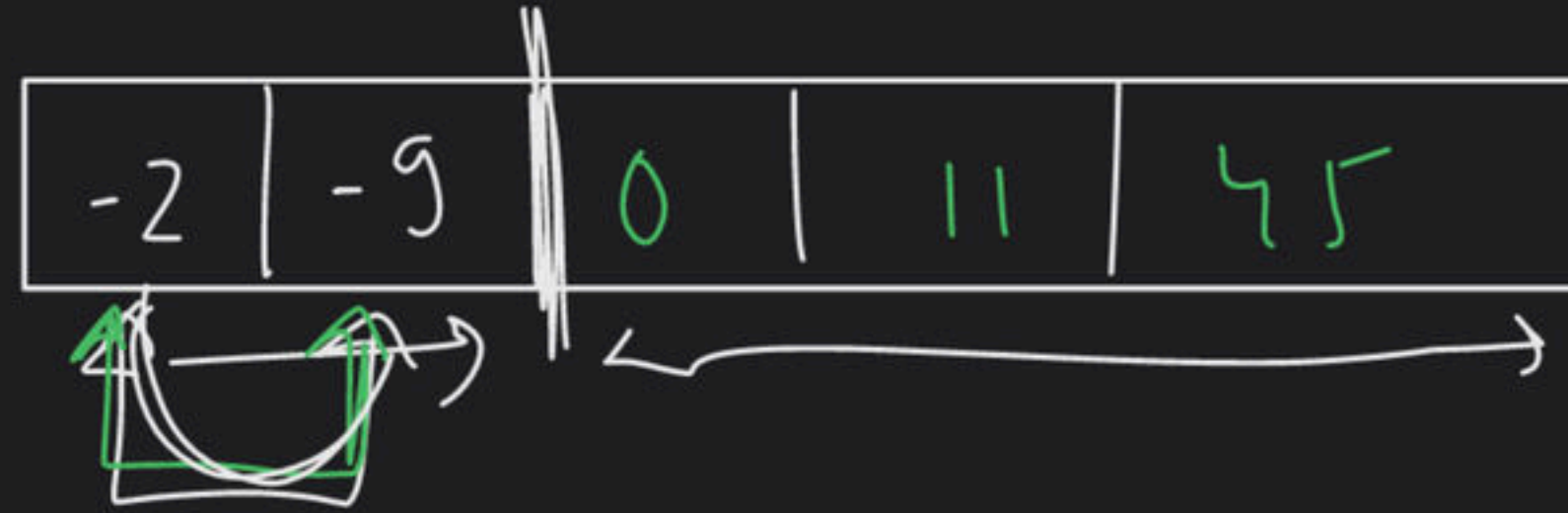
i^{th}

$j < n-3$

$n-i$

$j < n-3$

Round 4



-2 > -9 → +
↓
→



sorted o/p

T.C →

Best Case → already sorted

→

$O(n)$

why?
How?

1 2 3 4 5

Worst Case → reverse sorted

→

$O(n^2)$

code



```
for (int i = 0; i < n-1; i++)
```

rounds

```
{
```

```
    bool swapped = false;
```

j < n-i-1

```
    for (int j = 0; j < n-i-1; j++)
```

```
    {
```

```
        if (arr[j] > arr[j+1])
```

↑ up

```
        { swap(arr[j], arr[j+1]);
```

```
          swapped = true; }
```

```
    } if (swapped == false) break;
```

j = i+1

Optimize
Bubble
sort

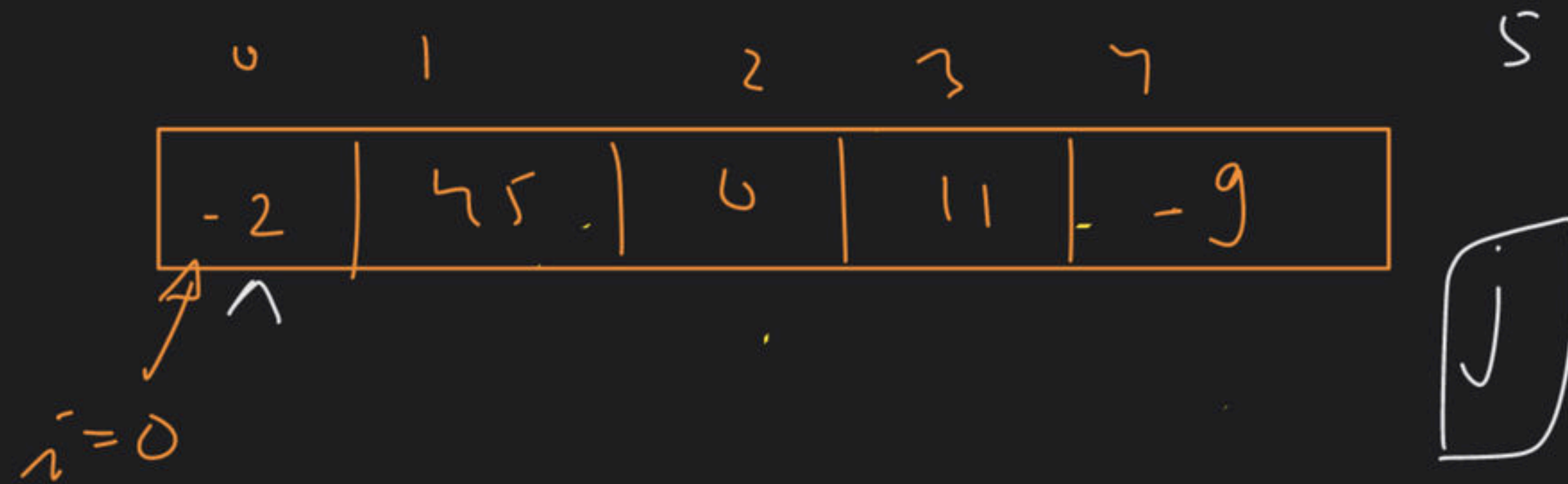
j < n-0

j < n

j+1 =

★ DRY RUN

★ Practice → syntactically comfortable



$$1^{st} \rightarrow j < n-1$$

$$2^{nd} \rightarrow j < n-2$$

$$3^{rd} \rightarrow j < n-3$$

$$i^{th} \rightarrow j < n-i-1 \rightarrow \underline{\underline{0\text{-based indexing}}}$$

$$j < n-i-1$$

$$j < n=0-1$$

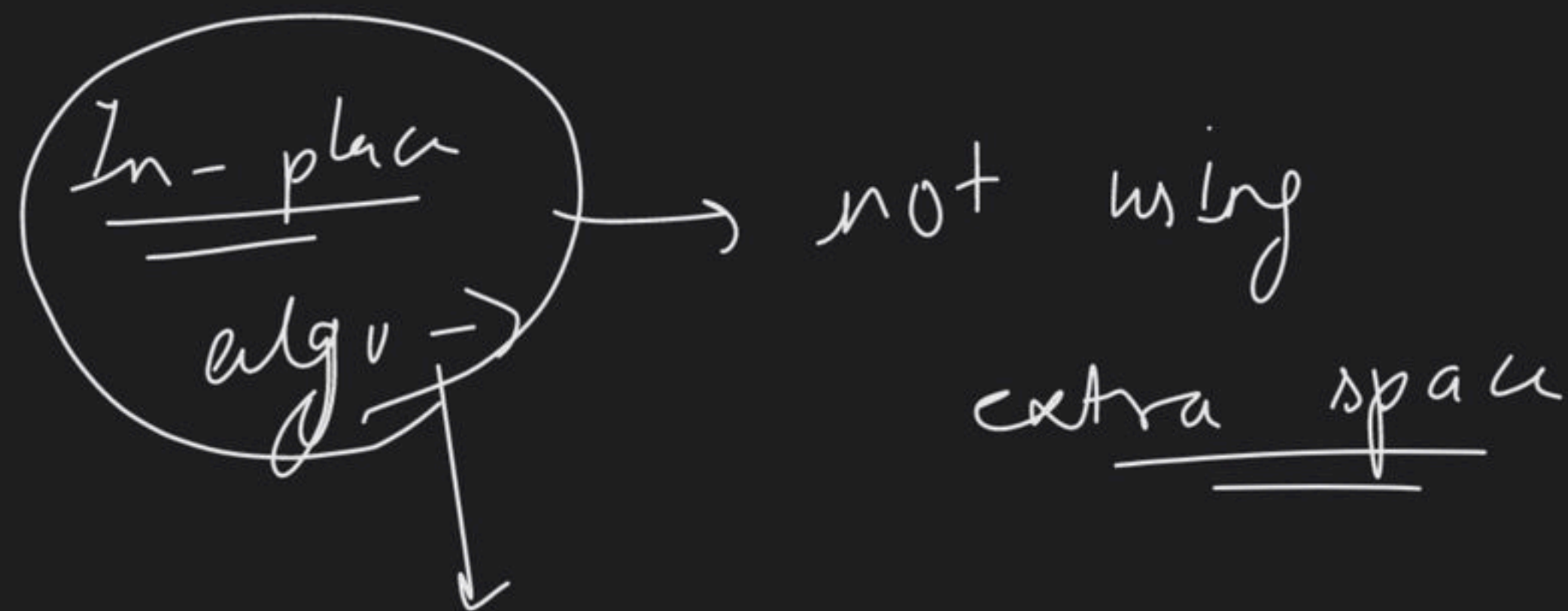
$$j < n-1$$

$$j < n-i$$

$$j < n=5-0$$

$$\underline{\underline{j < 5}}$$

Stable \rightarrow ? \rightarrow YES \rightarrow Row \rightarrow DRY RUN



~~yes~~

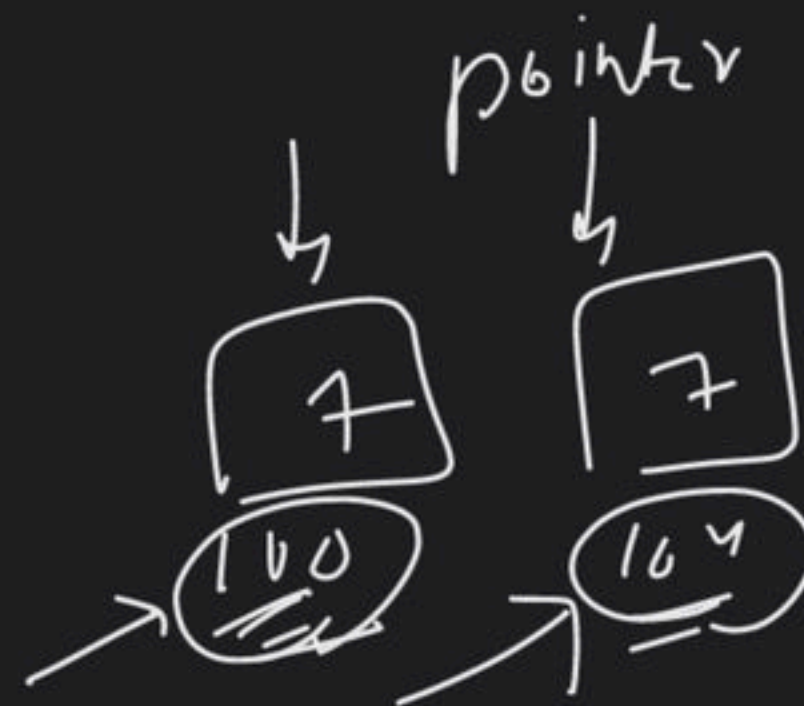
bool =

~~14x~~

Yes

B.S > S.S

B.C \rightarrow $O(n)$ $O(n^2)$





Round 1

swapped = false

break

$(n-1)$ comparison

$O(n)$

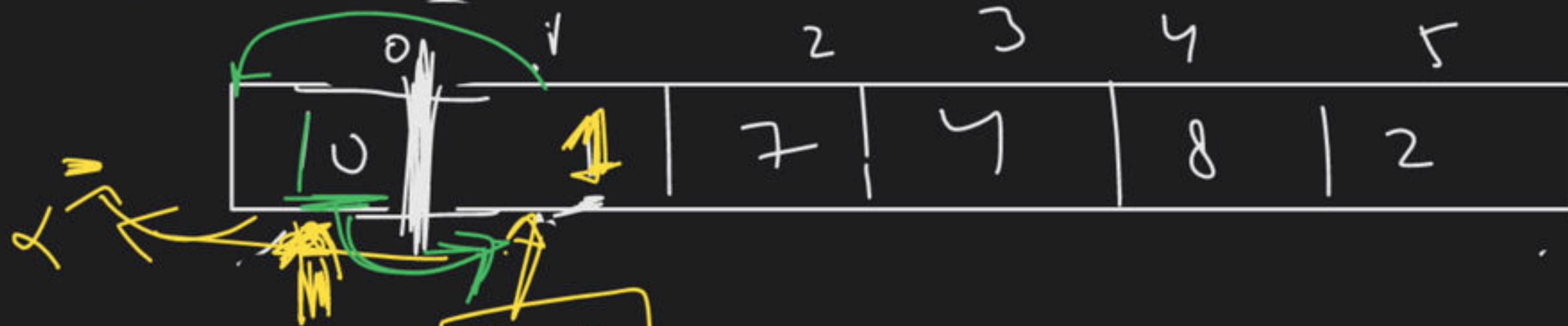
→ S.S
→ B.S

Yes or No

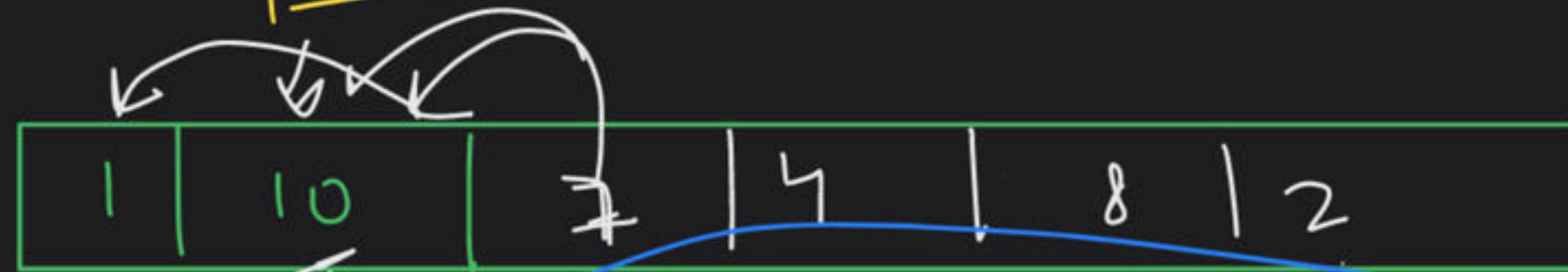
Repeat

Dry Run → 2/3 to

Insertion Sort :->



Round 1



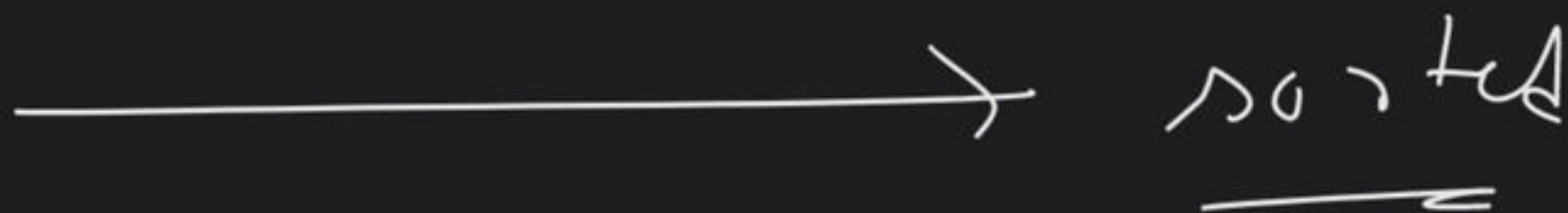
Round 2



Round 3



Row 5



10 > 8 \rightarrow shift

770-1F Row

```
for (
    i
    for (
        {
        }
    }
}
```

↑ shift

1) for (int i = 1, i ≤ n; i++) ← Rows
 {
 count ← i;

(n-1)

int temp = arr[i];
 for (int j = i-1; j ≥ 0; j--)
 {

SC → O(1)

// shift
 if (arr[j] > temp)
 arr[j+1] = arr[j]

place at right position

else break;
 arr[j+1] = temp;

← column

shifting

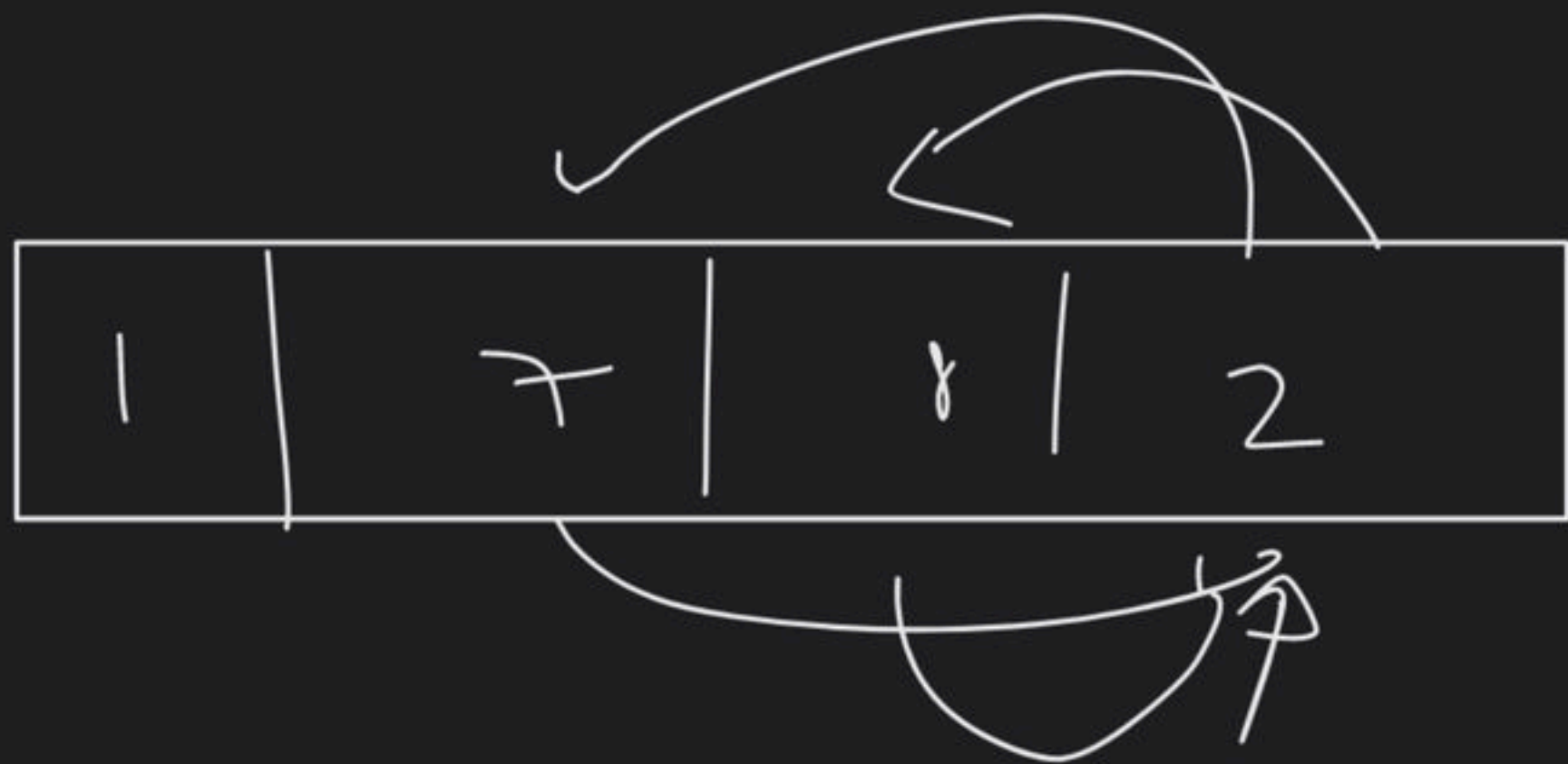
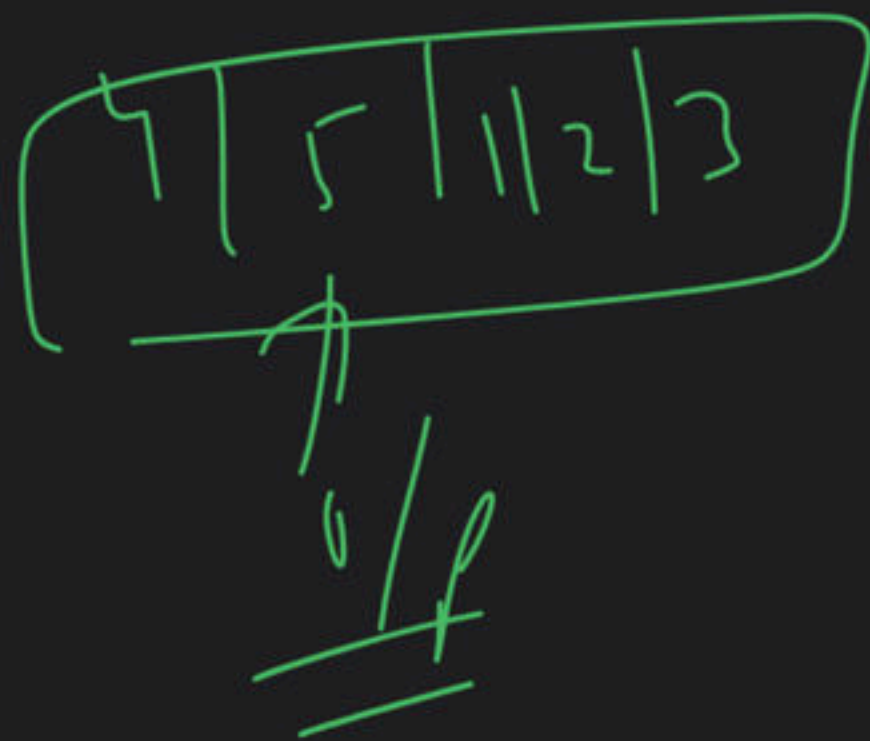
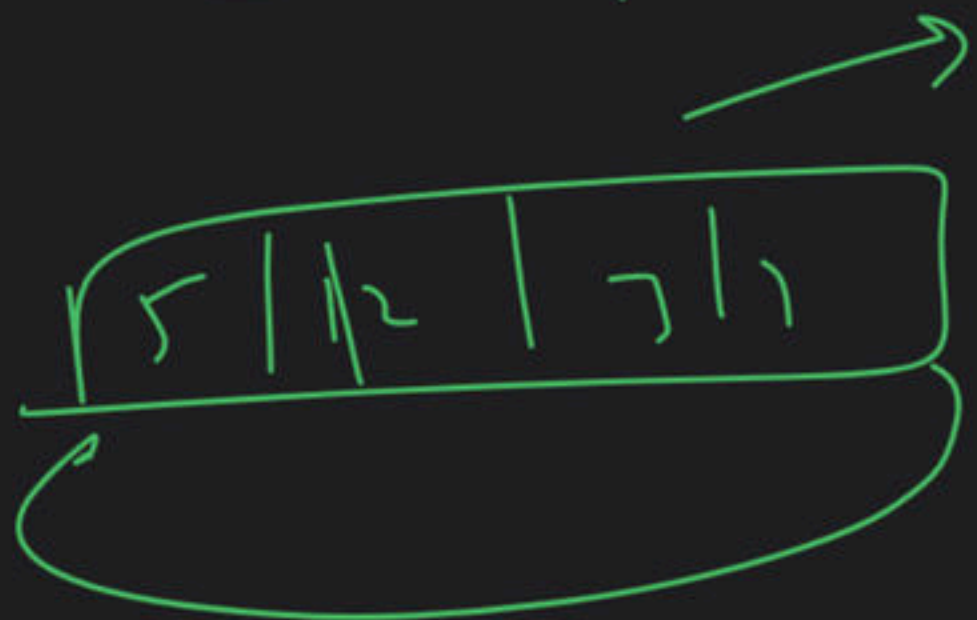
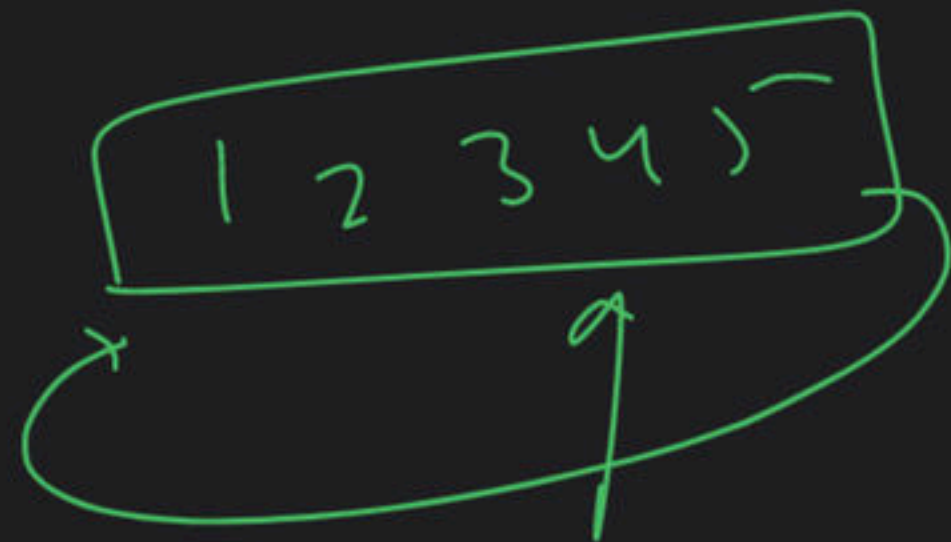
	0	1	2	3
	7	7	3	9 5
j		j	j	

$$\underline{arr[j+1]} = \underline{arr[j]}$$

J = -

why not swap

1	2	3	7
---	---	---	---



1 2 8 7

1 7 2 8

B: 8

arr
 cyclically
 rotate
 by
 2

$$i = 1$$

$$j = (i-1) \rightarrow 0$$

$$1 \rightarrow$$

$$1$$

$$2 \rightarrow$$

$$2$$

$$3 \rightarrow$$

$$3$$

$$(n-1) \rightarrow$$

$$(n-1)$$

sr \rightarrow { Java in
1 Video }

$$\underline{\underline{O(n^2)}}$$

$$\boxed{T.C}$$

\rightarrow { collection
framework }

Search
sort \rightarrow

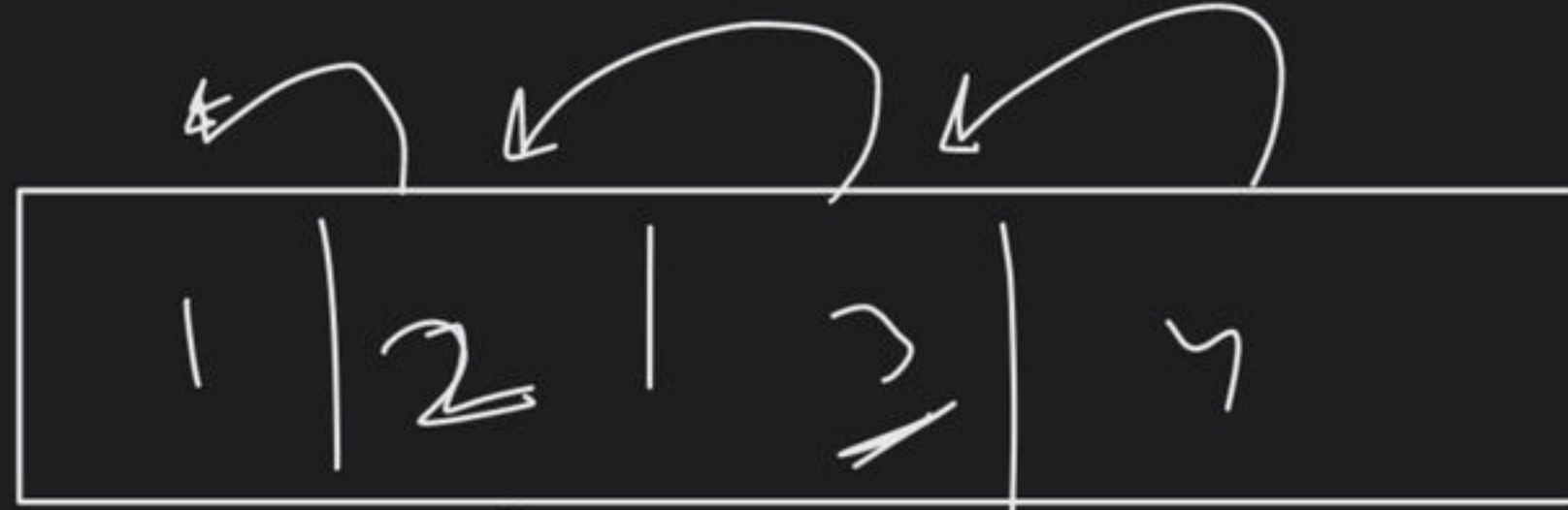
La



SDE2
IDE3



Best
Case



~~i~~

~~j~~

j

$(n-1)$ comp

$O(n)$



~~i~~

~~j~~

~~i~~

j

$(n-1)$ op

$O(n)$

T.C \rightarrow Best Case $\rightarrow O(n)$
Worst Case $\rightarrow O(n^2)$

\rightarrow Junk
(1900)

S.C $\rightarrow O(1)$

Stable \rightarrow ? \rightarrow How (Dry Run)

In-place - 1 ? \rightarrow How - Yes

(1900) \rightarrow MF

\rightarrow 1a
VS 11
1Q
KPUU
(compensatio

	T-C	B-C	W-C
S.S		$O(n^1)$	$O(n^2)$
<u>B.S</u>		$O(n)$	$O(n^2)$
<u>I.S</u>		$O(n)$	$O(n^2)$

get job

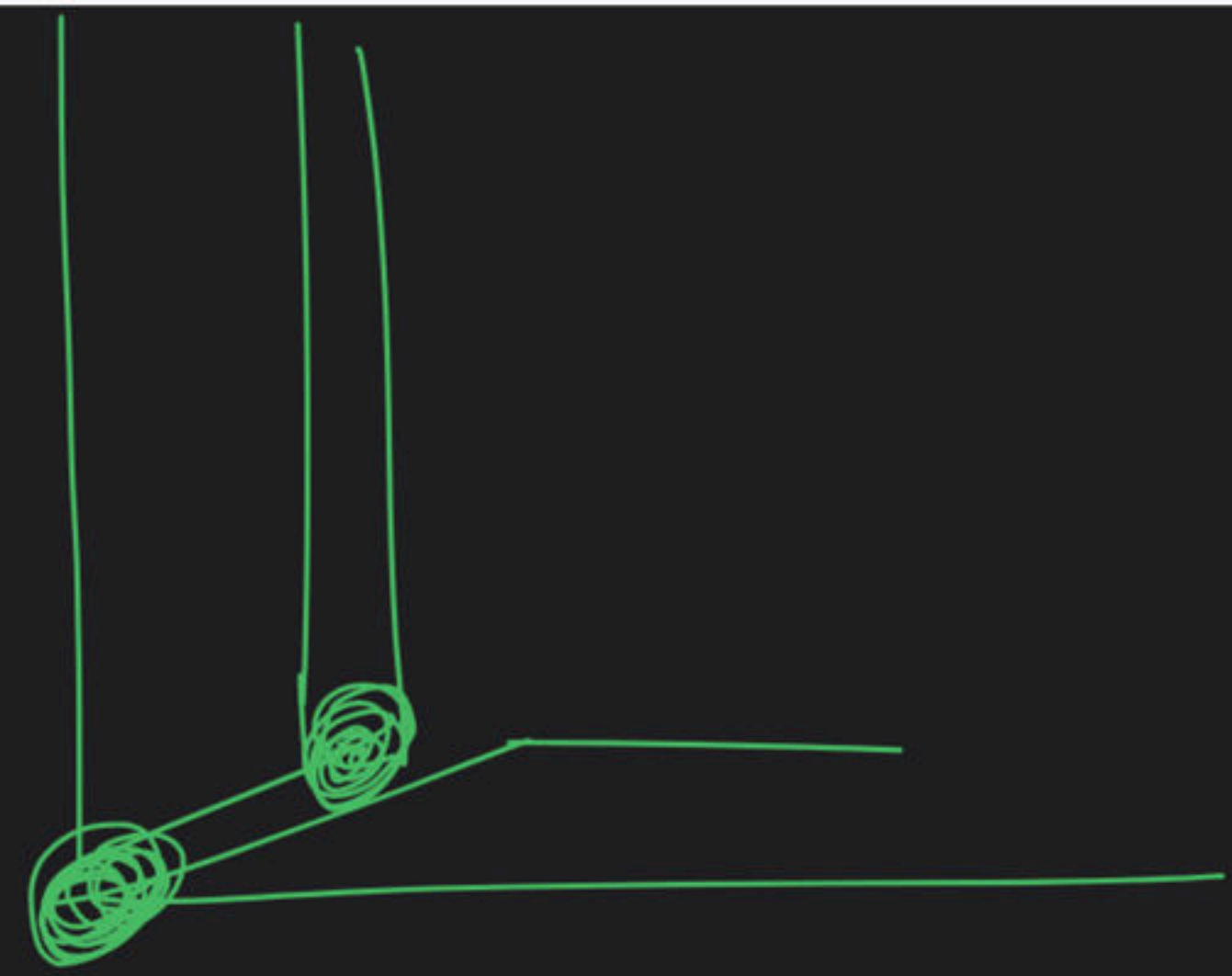
~~time pass~~

DSA + Project
Desuvi

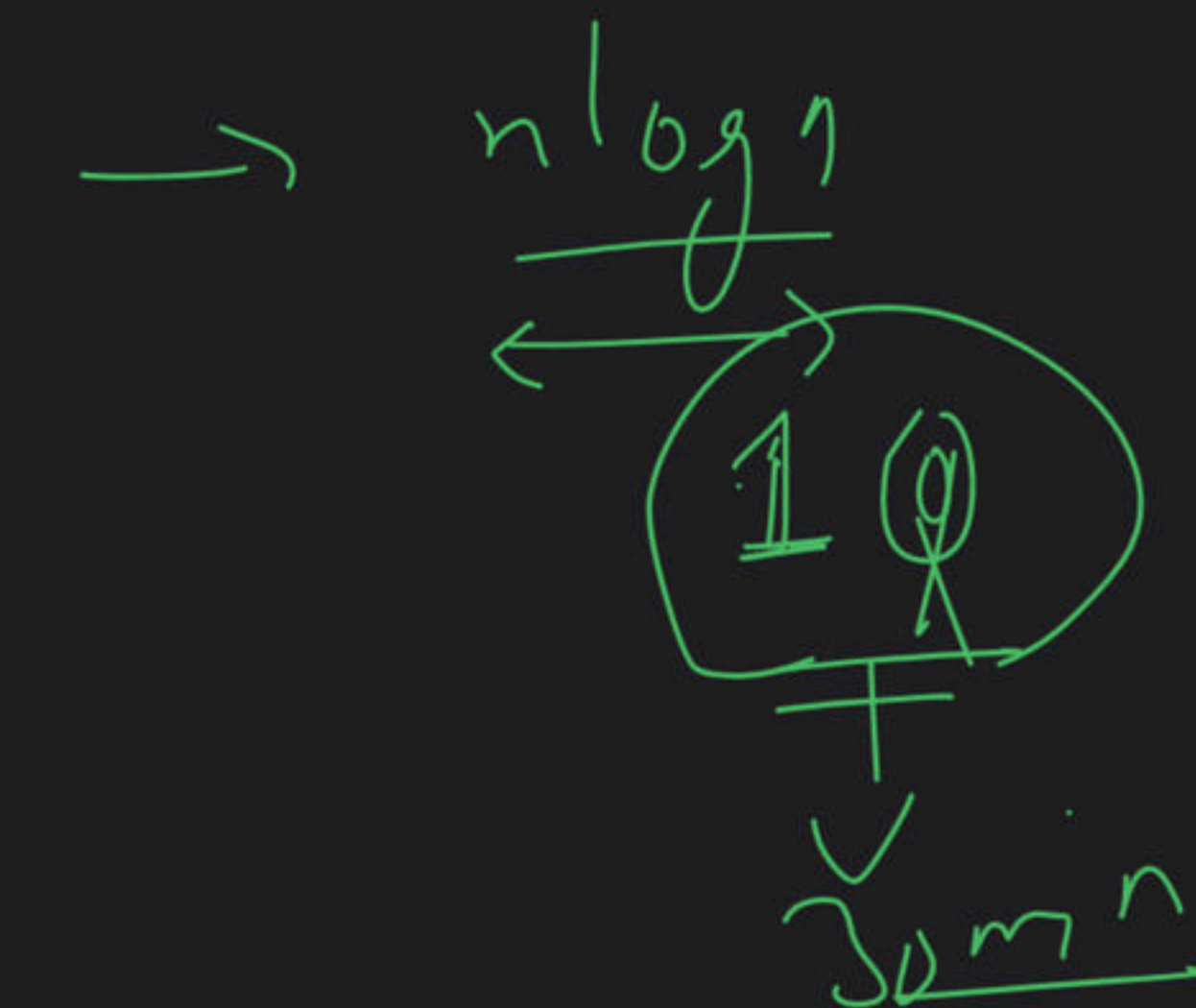
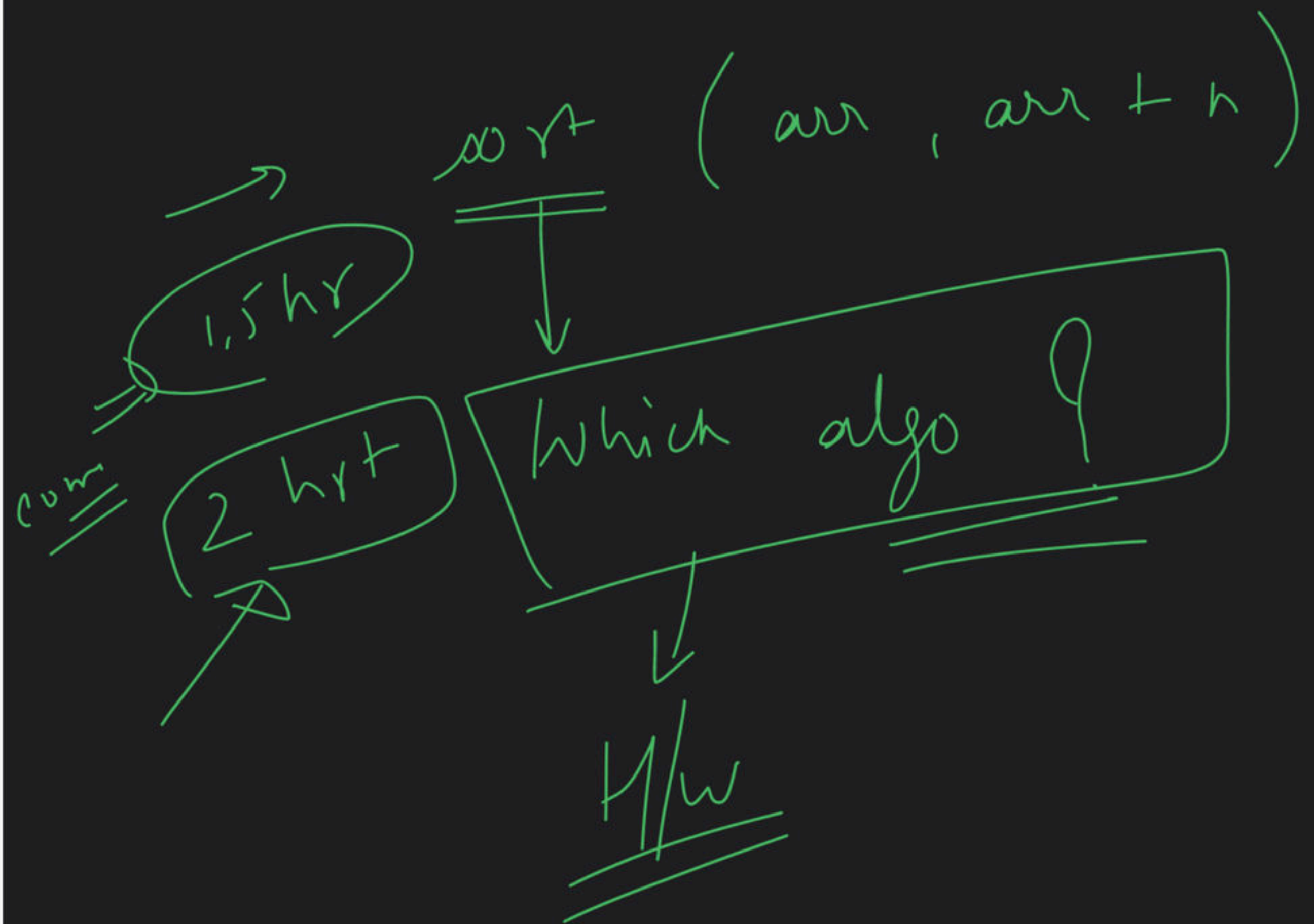
Arche hai

Daily

Tier 3



B.S. →
Quart



fraser →