Qui2-2: Solutions

- () Check that $f(\alpha, \gamma) \le f(0,0) + (\alpha, \gamma) \in \mathbb{R}^2$ Option - b
- ② Check that the minimum value occurs at (0,0) and maximum value occurs at $(\frac{3}{2}, \pm \frac{15}{2})$.

 Option d
- (3) fre = -ySinx, fay = cosx, fyy = 0, H= (-ySinx cosx) cosx o)

 4) det H <0 => all critical points are saddle point & there are infinitely many saddle point:

Oftion - c

- Dhe only critical priot lies in the doundary.

 So no critical priot in the interior.

 Since f is continuous in the closed & bounded domain so if always has absolute maxima & minima on D.

 The absolute maxima & minima escist at boundary.

 Option d
 - Dercive from Lagrange's multiplier method that f has maximum at (10,100).

 Option—C

- 6 Check that (0,0) is the saddle point..

 Option-C
- The cureve is an infinite cureve so no-point on C which is farthest from origin.

Option - c

- 8 Salve the Lagrange multiplies equations. Option-d
- (9) det H = 0 at (20, 90). In this case any of the three cases can occure.

Option-d

10 Option -c