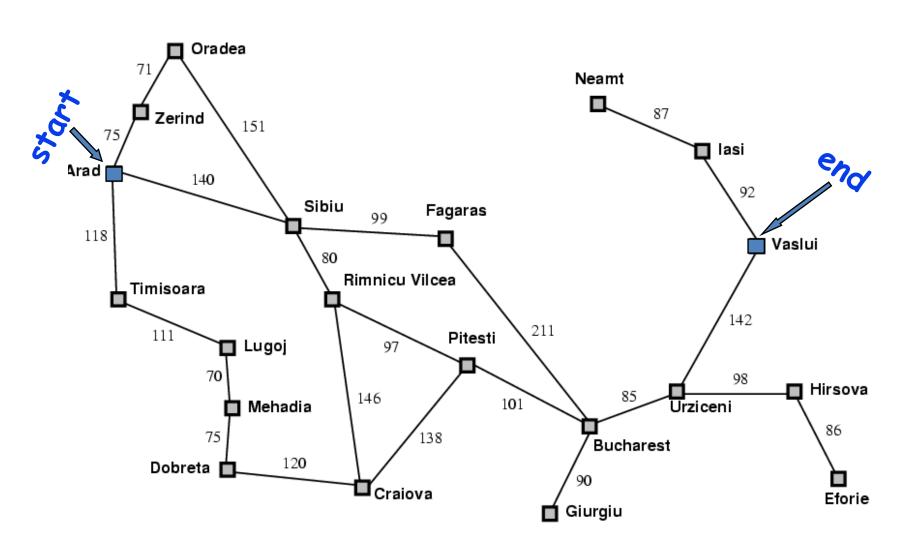
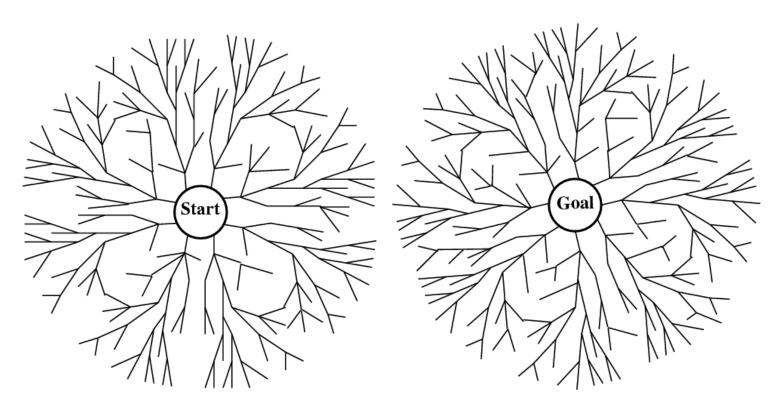
Forwards vs. Backwards



vs. Bidirectional



When is bidirectional search applicable?

- Generating predecessors is easy
- Only 1 (or few) goal states

Bidirectional search

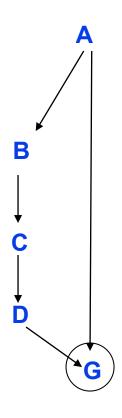
Complete? Yes

- Time?
 - $-O(b^{d/2})$
- Space?
 - $-O(b^{d/2})$
- Optimal?
 - Yes if uniform cost search used in both directions

Summary of algorithms

Criterion	Breadth- First	Uniform- Cost	Depth- First	Depth- Limited	Iterative Deepening	Bidirectional (if applicable)
Complete? Time Space Optimal?	$egin{aligned} \operatorname{Yes}^a \ O(b^d) \ O(b^d) \ \operatorname{Yes}^c \end{aligned}$	$\operatorname{Yes}^{a,b} O(b^{1+\lfloor C^*/\epsilon \rfloor}) O(b^{1+\lfloor C^*/\epsilon \rfloor})$ Yes	$egin{array}{c} \operatorname{No} \ O(b^m) \ O(bm) \ \operatorname{No} \end{array}$	$egin{array}{c} \operatorname{No} \ O(b^\ell) \ O(b\ell) \ \operatorname{No} \end{array}$	$egin{array}{l} \operatorname{Yes}^a \ O(b^d) \ O(bd) \ \operatorname{Yes}^c \end{array}$	$egin{array}{l} \operatorname{Yes}^{a,d} \ O(b^{d/2}) \ O(b^{d/2}) \ \operatorname{Yes}^{c,d} \end{array}$

Figure 3.21 Evaluation of tree-search strategies. b is the branching factor; d is the depth of the shallowest solution; m is the maximum depth of the search tree; l is the depth limit. Superscript caveats are as follows: a complete if b is finite; b complete if step costs b for positive b optimal if step costs are all identical; b if both directions use breadth-first search.

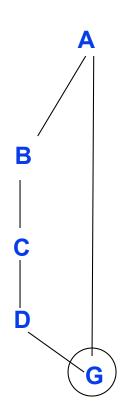


BFS: A,B,G

DFS: A,B,C,D,G

IDDFS:(A), (A, B, G)

Note that IDDFS can do fewer expansions than DFS on a graph shaped search space.



BFS: A,B,G

DFS: A,B,A,B,A,B,A,B,A,B

IDDFS: (A), (A, B, G)

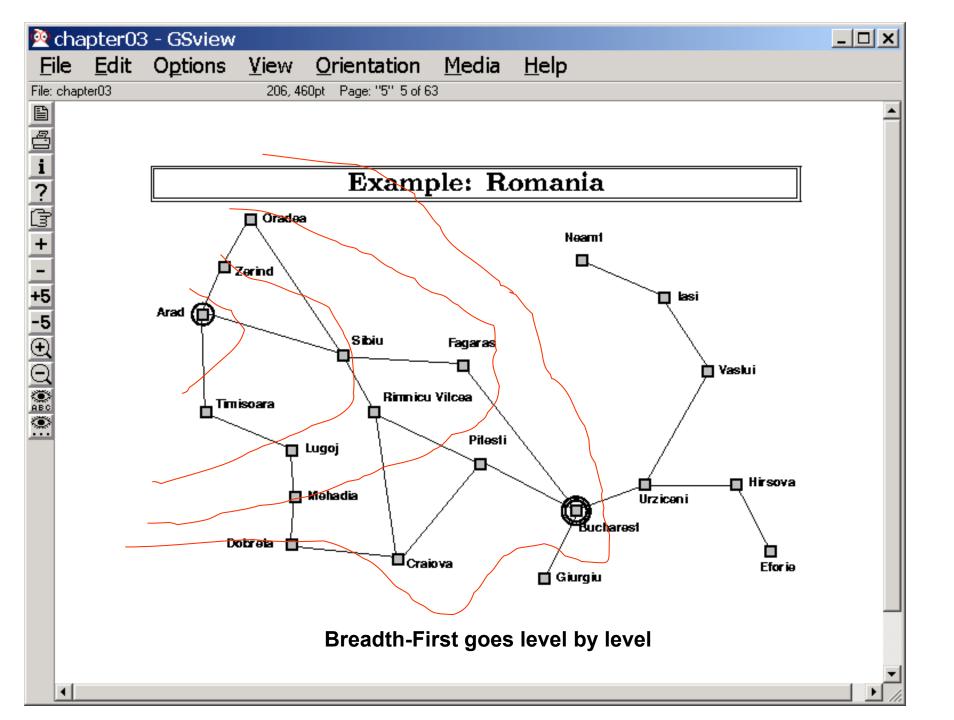
Note that IDDFS can do fewer expansions than DFS on a graph shaped search space.

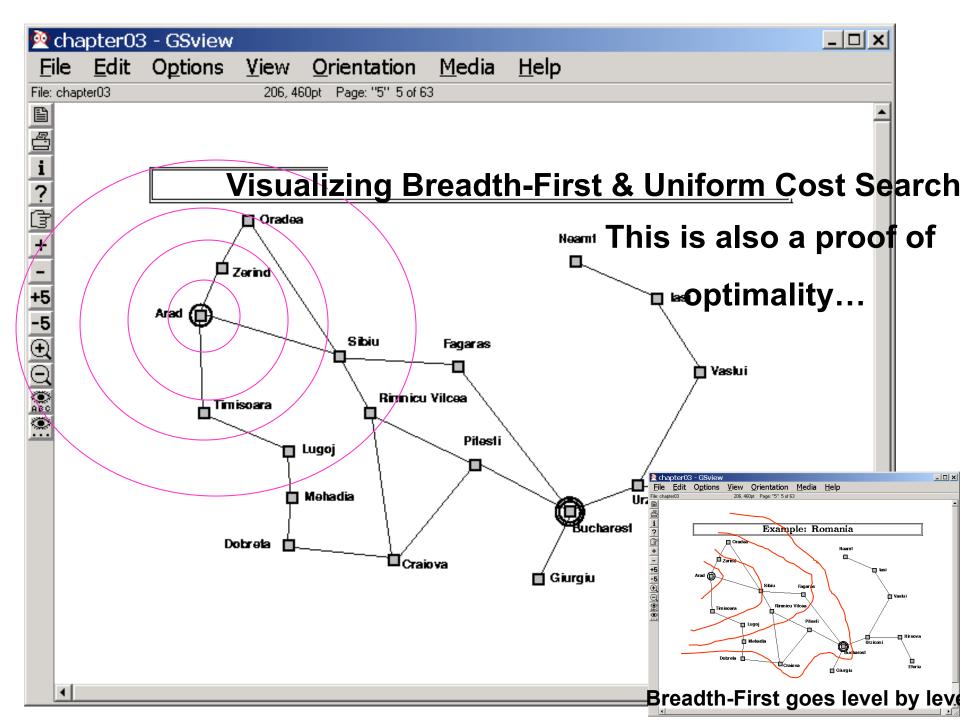
Search on undirected graphs or directed graphs with cycles...

Cycles galore...

Graph (instead of tree) Search: Handling repeated nodes

- Repeated expansions is a bigger issue for DFS than for BFS or IDDFS
 - Trying to remember all previously expanded nodes and comparing the new nodes with them is infeasible
 - Space becomes exponential
 - duplicate checking can also be expensive
- Partial reduction in repeated expansion can be done by
 - Checking to see if any children of a node n have the same state as the parent of n
 - Checking to see if any children of a node n have the same state as any ancestor of n (at most d ancestors for n—where d is the depth of n)





Problem

All these methods are slow (blind)



- Solution → add guidance ("heuristic estimate")
 - → "informed search"