

CS251: Introduction to Language Processing

Code Generation and Optimizations

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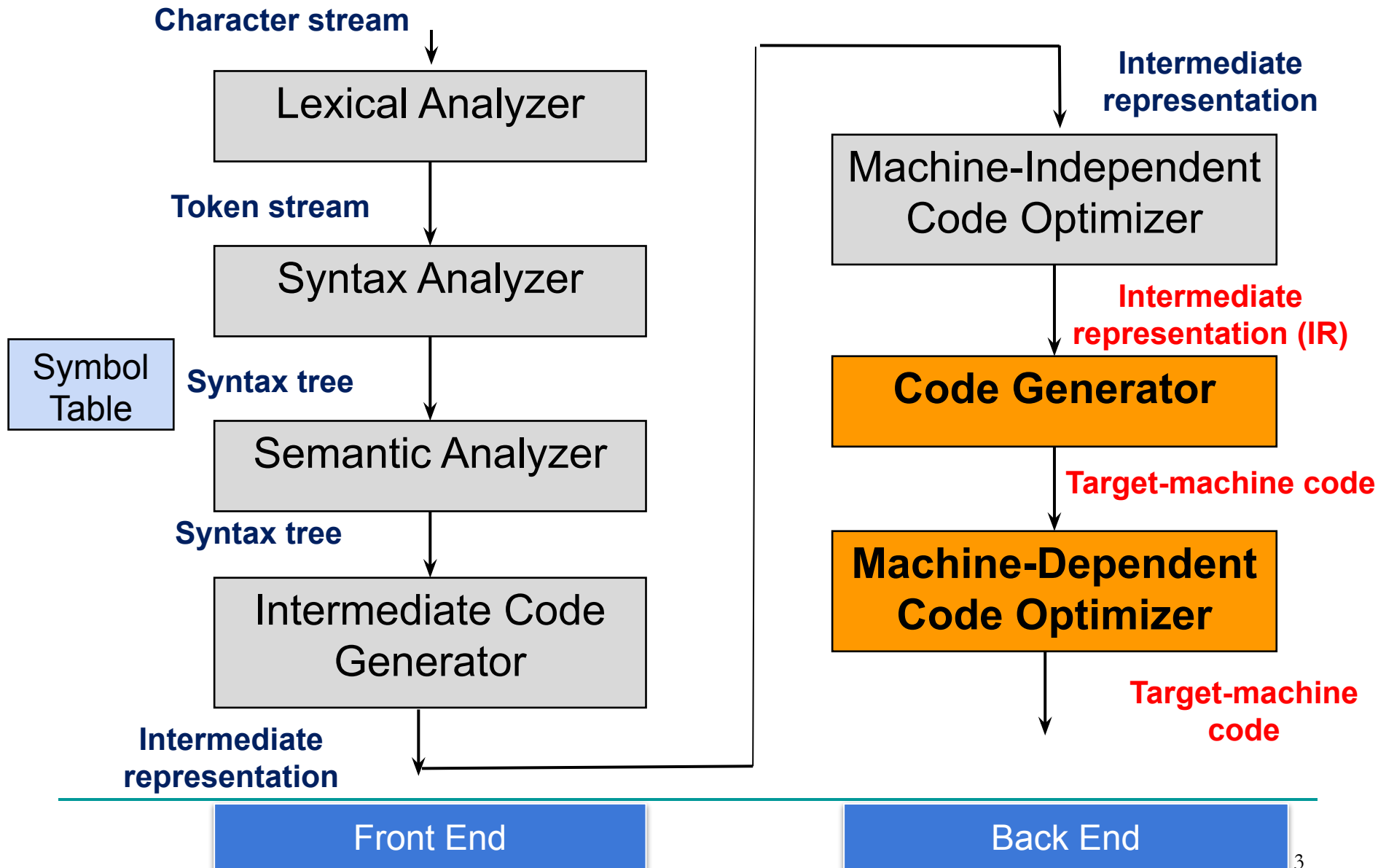


2023-24 M

Acknowledgement

- References for today's slides
 - *Prof. Amitabha Sanyal, IIT Bombay*
 - *<https://www.cse.iitb.ac.in/~uday/courses/cs324-08/code-generation.pdf>*
 - *Prof. Y. N Srikant, IISc Bangalore*
 - *<https://nptel.ac.in/content/storage2/courses/106108052/module4/code-gen-part-2.pdf>*
 - *Course textbook*

Compiler Design



Outline

- Code generation algorithms
 - ▣ Sethi-Ullman Algorithm

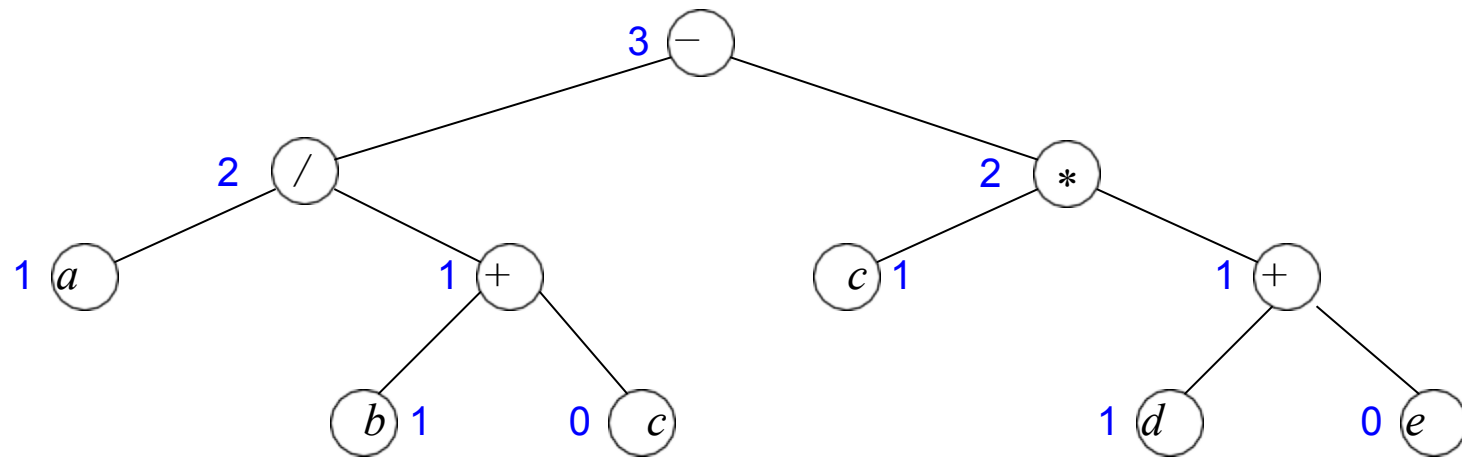
Overview

- Computes the minimum number of registers required to compute the expression tree -- labelling algorithm
- Generates the code

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Labeling the Expression Tree



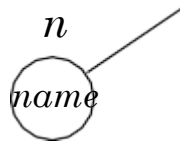
Assumptions and Notational Conventions

1. The code generation algorithm is represented as a function $gencode(n)$, which produces code to evaluate the node labeled n .
2. Register allocation is done from a stack of register names $rstack$, initially containing r_0, r_1, \dots, r_k (with r_0 on top of the stack).
3. $gencode(n)$ evaluates n in the register on the top of the stack.
4. Temporary allocation is done from a stack of temporary names $tstack$, initially containing t_0, t_1, \dots, t_k (with t_0 on top of the stack).
5. $swap(rstack)$ swaps the top two registers on the stack.

The Algorithm

$gencode(n)$ described by case analysis on the type of the node n .

1. n is a left leaf:

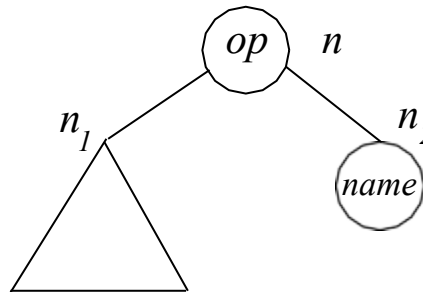


$gen(top(rstack)) \leftarrow name$

Comments: n is named by a variable say $name$. Code is generated to load $name$ into a register.

The Algorithm

2. n 's right child is a leaf:

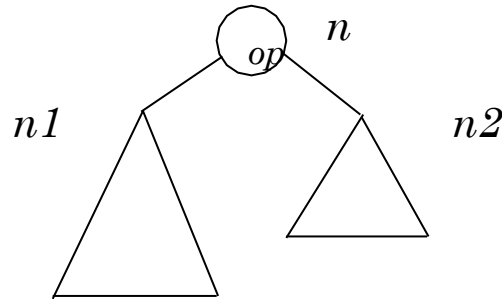


$gencode(n_1);$
 $gen(top(rstack)) \leftarrow top(rstack) \text{ op } name)$

Comments: n_1 is first evaluated in the register on the top of the stack, followed by the operation op leaving the result in the same register.

The Algorithm

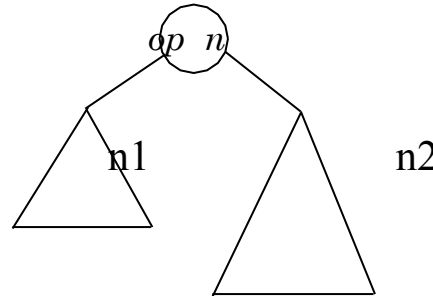
3. *The right child of n is lighter or as heavy as the left child. Its requirement is strictly less than the available number of registers*



```
gencode( $n_1$ );  
 $R := pop(rstack)$ ;  
gencode( $n_2$ );  
gen( $R \leftarrow R \text{ op } top(rstack)$ );  
push( $rstack$ ,  $R$ )
```

The Algorithm

4. *The left child is the lighter subtree. This requirement is strictly less than the available number of registers*



```
swap(rstack );  
gencode( $n_2$ );  
 $R := pop(rstack )$ ;  
gencode( $n_1$ );  
 $gen(top(rstack ) \leftarrow top(rstack ) \text{ op } R )$ ;  
push(rstack,  $R$  );  
swap(rstack )
```

Evaluate right child

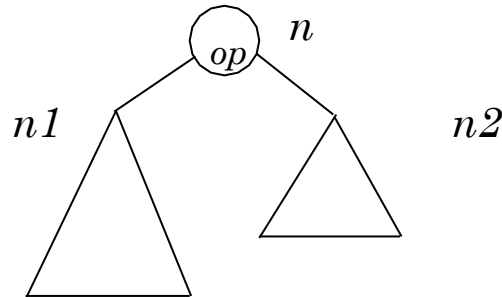
Evaluate left child

Issue op

Restore register stack

The Algorithm

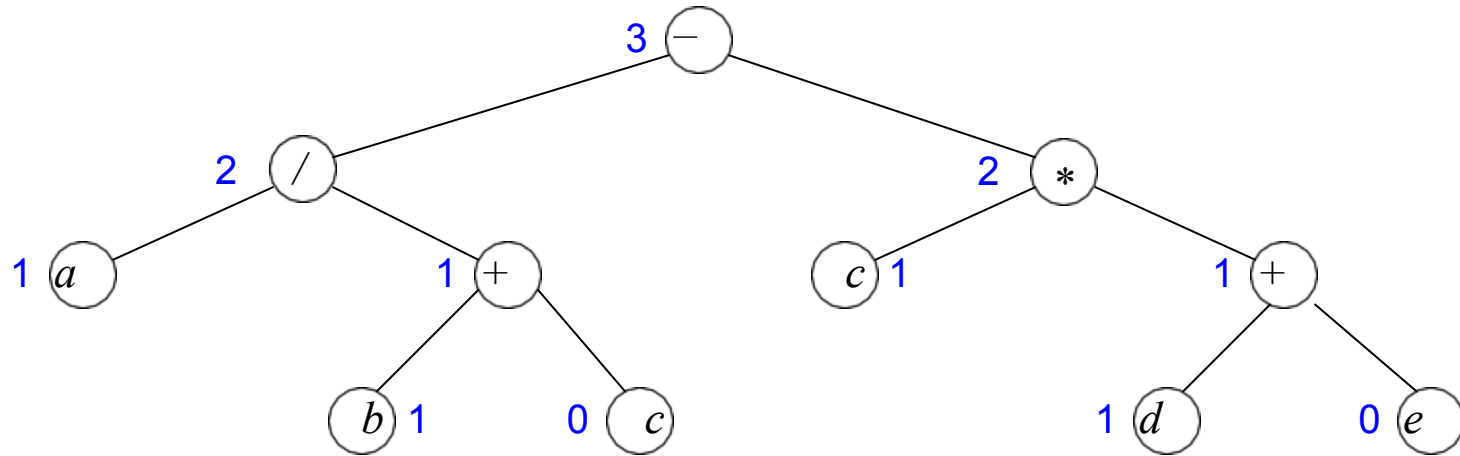
5. *Both the children of n require registers greater or equal to the available number of registers.*



```
gencode( $n_2$ );  
 $T := \text{pop}(\text{tstack});$   
 $\text{gen}(T \leftarrow \text{top}(\text{rstack}));$   
 $\text{gencode}(n_1);$   
 $\text{push}(\text{tstack}, T);$   
 $\text{gen}(\text{top}(\text{rstack}) \leftarrow \text{top}(\text{rstack}) \text{ op } T);$ 
```

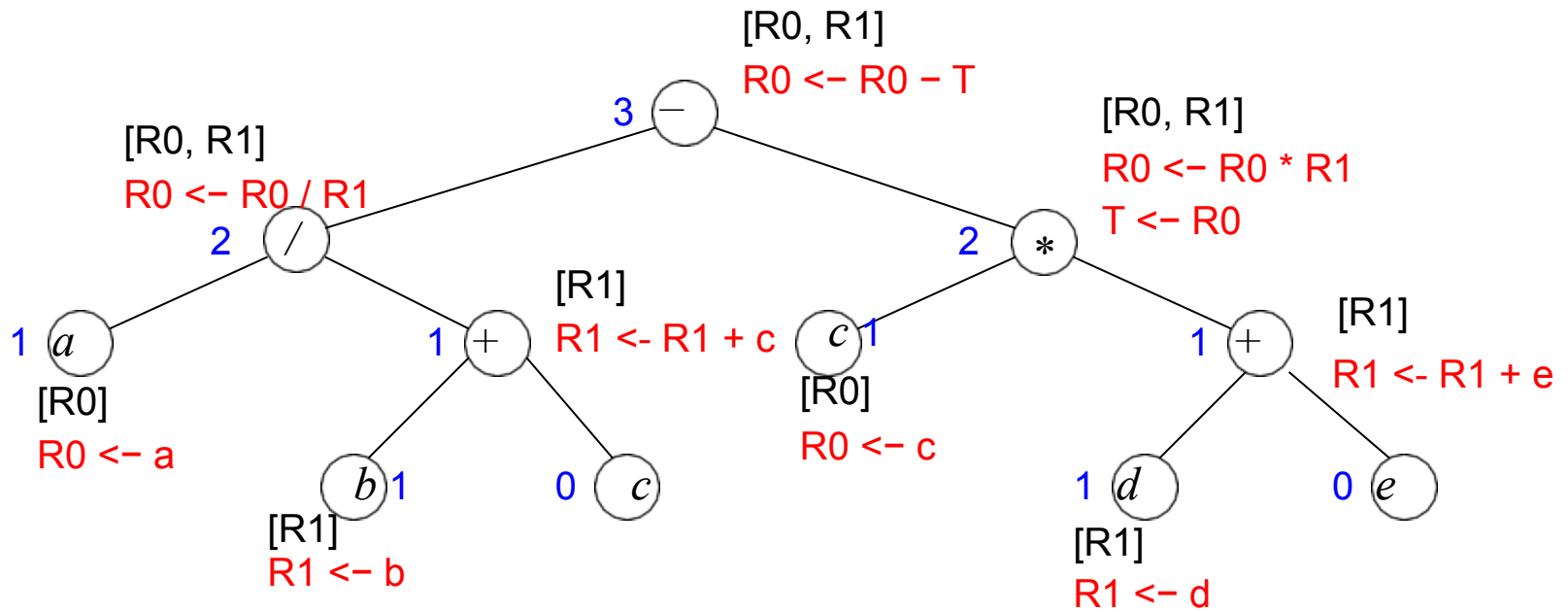
Comments: Evaluate the right sub-tree into a temporary. Then evaluate the left sub-tree and n into the register on top of stack.

Example

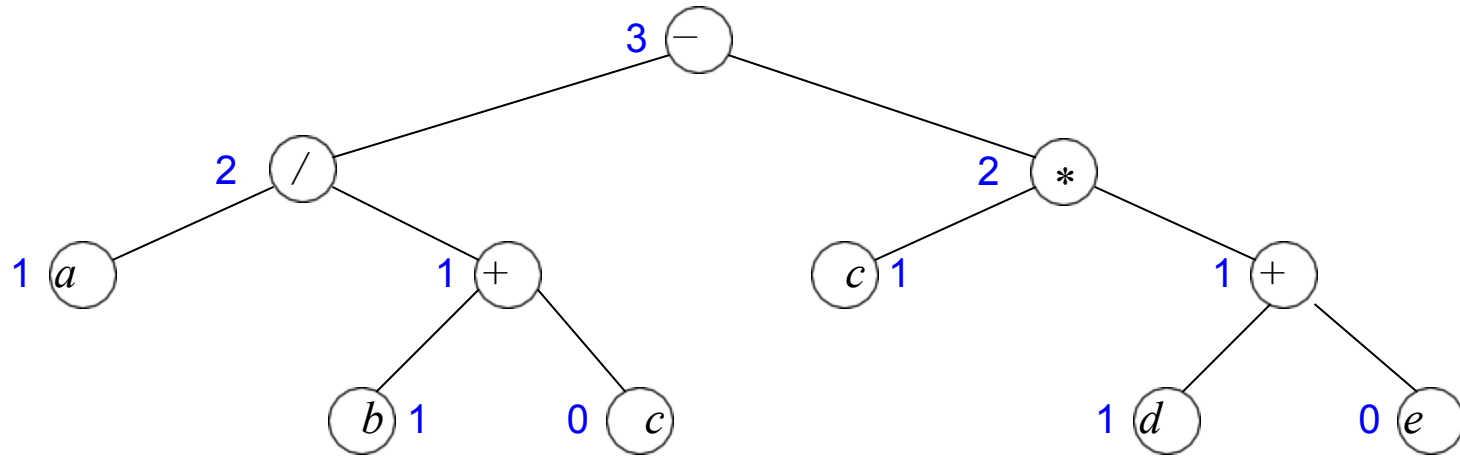


assuming two available registers r_0 and r_1 , the calls to gencode and the generated code are shown below.

Example



Home Exercise

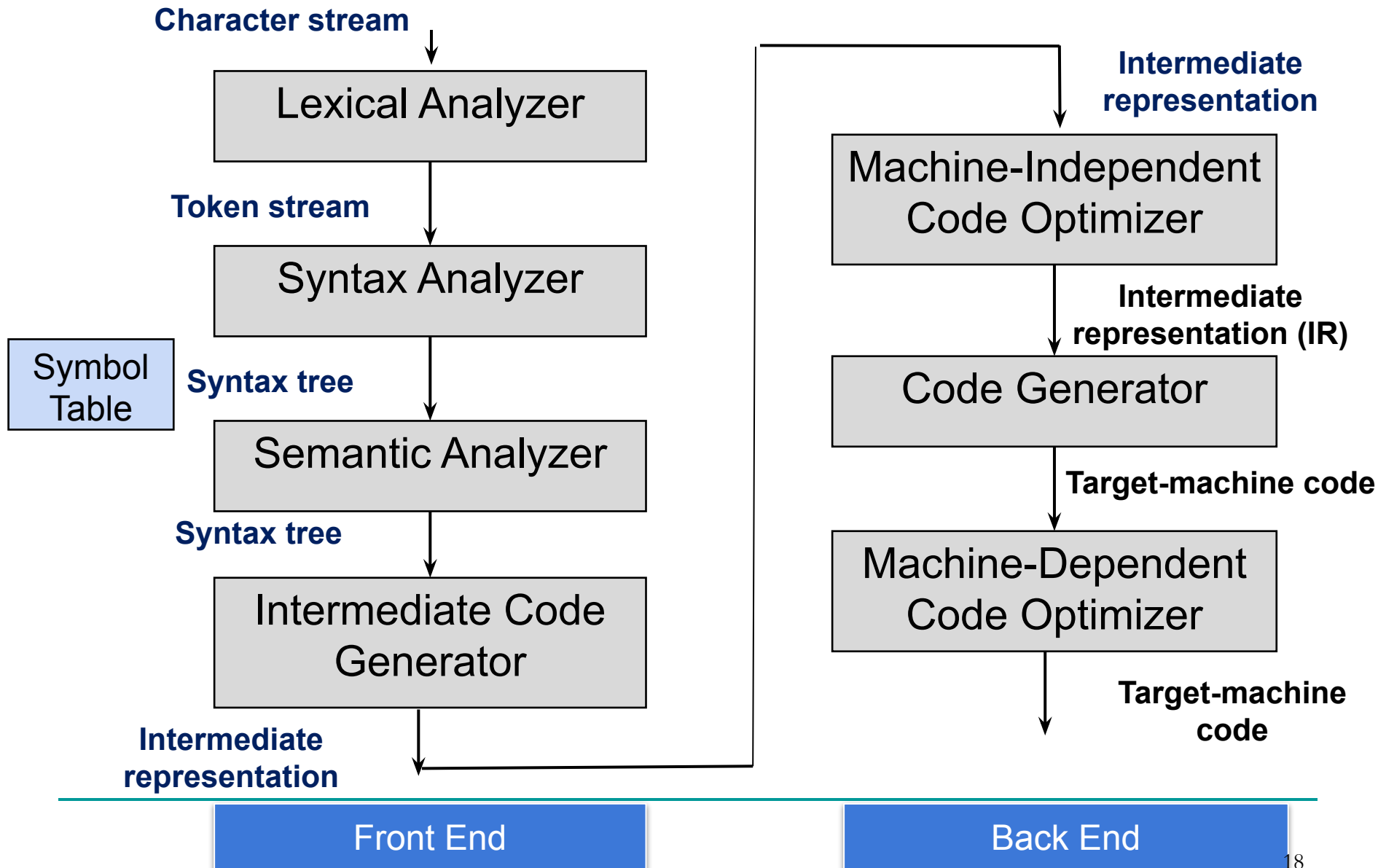


Assuming *three* available registers r_0 , r_1 and r_2 what would be the generated code?

Summary

- Code generation algorithm
 - ▣ Sethi-Ullman Algorithm

Summary of Course



Summary of Course

- Concepts of compiler design
 - Theory
 - Practice

Questions?