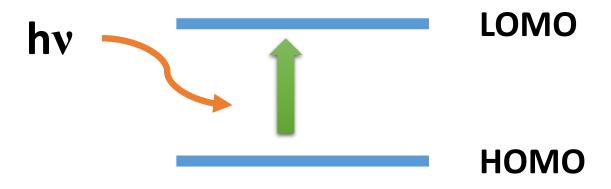
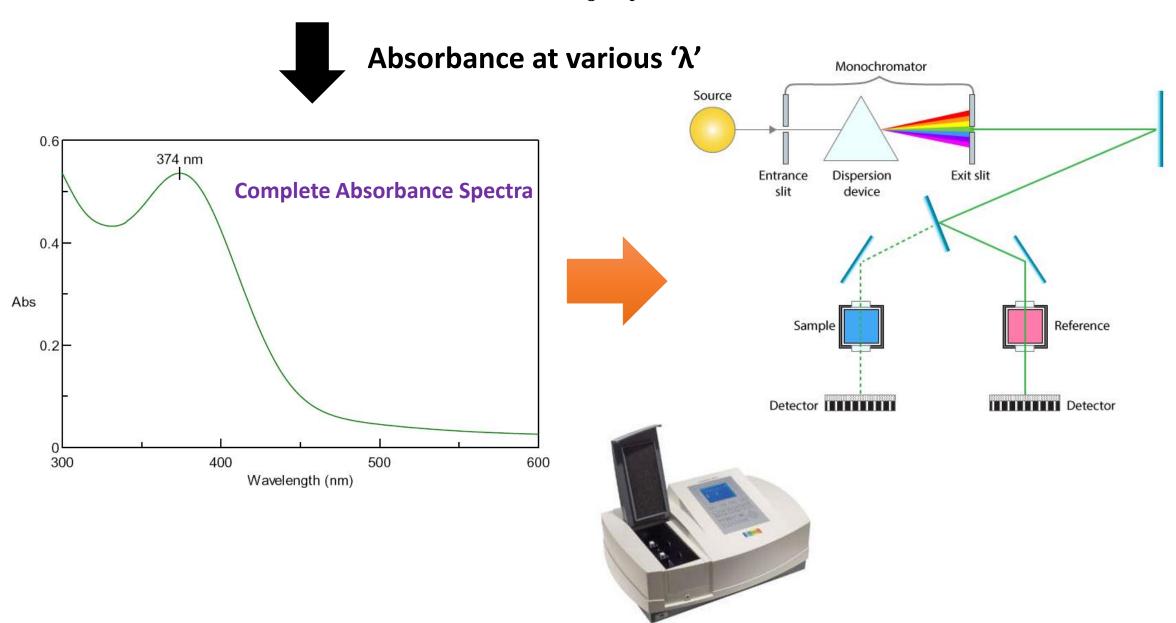
# Materials Chemistry III Day 10

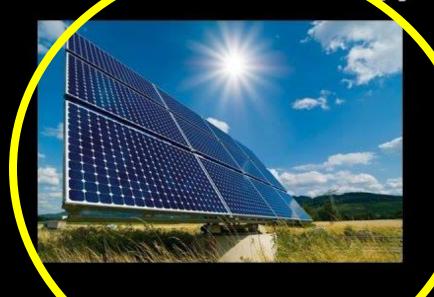


## <u>Lambert-Beers law:</u> $log(I_o/I_t)=\epsilon cL=Absorbance$



# Energy sources

Renewable energy sources are naturally replenished.







**Solar Energy** 

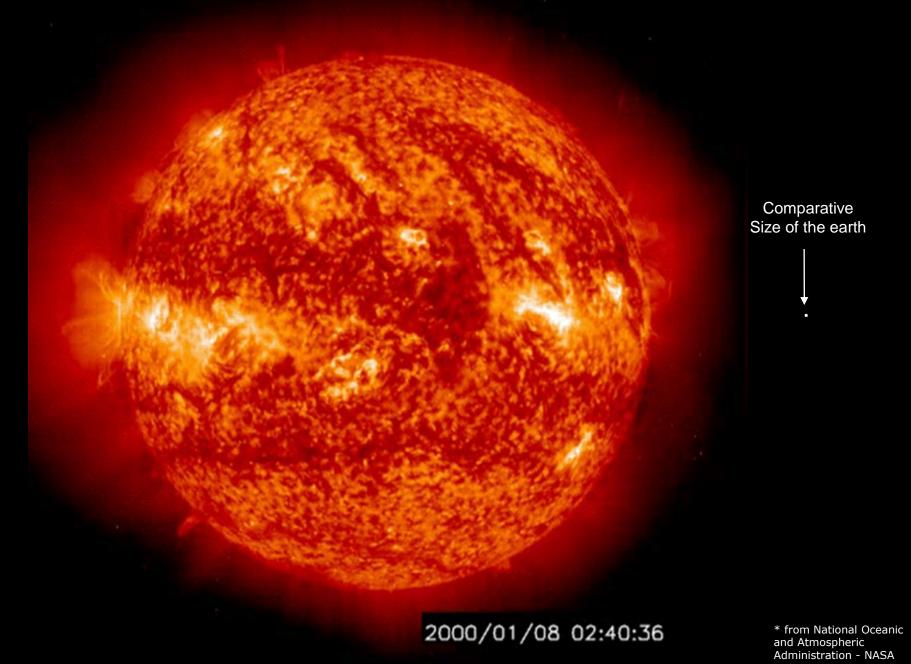
**Wind Power** 

**Tidal Waves** 

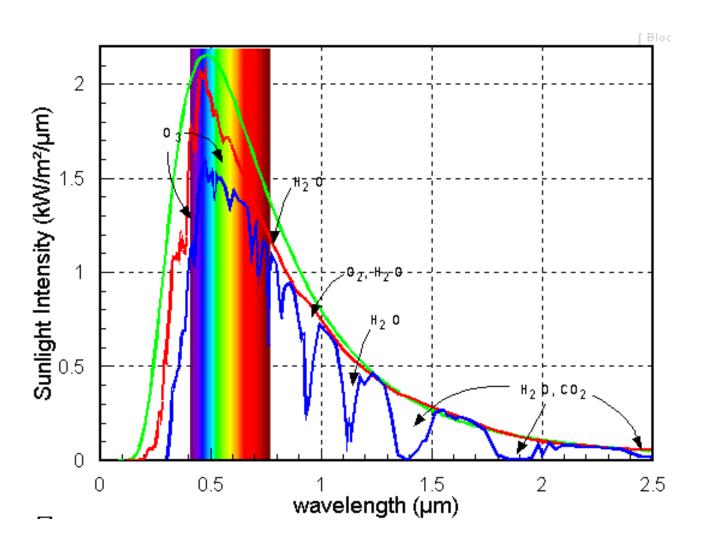


Geothermal Heat Rain water

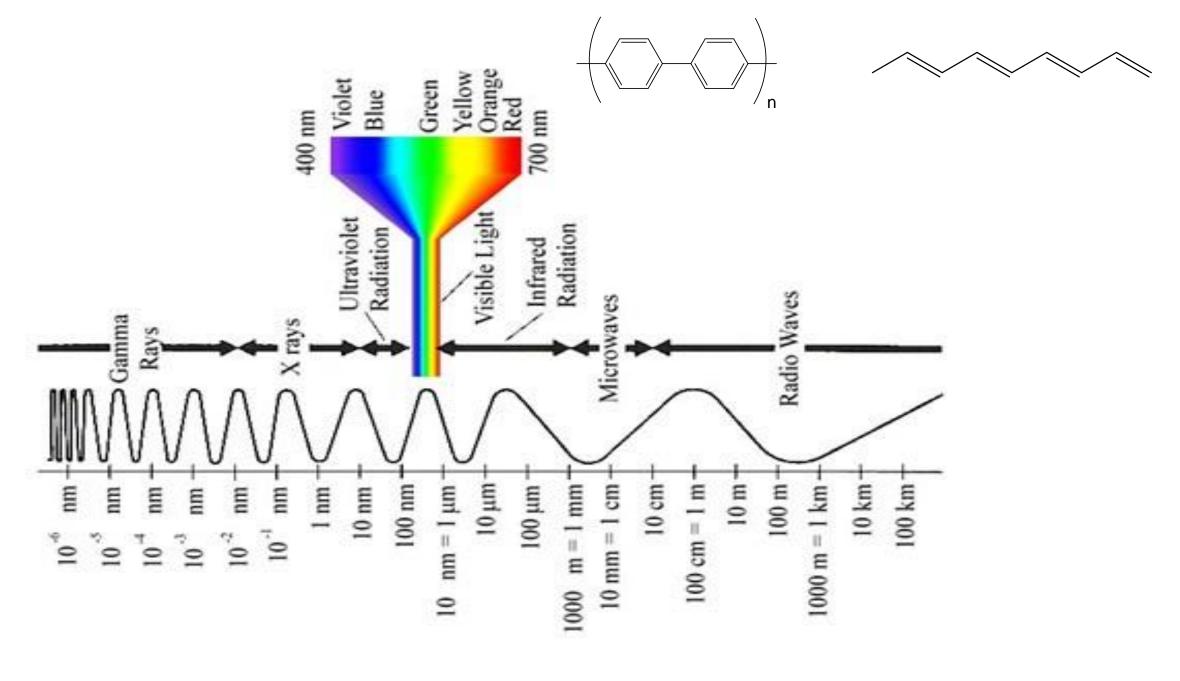




#### Solar spectra



Black-body Radiation



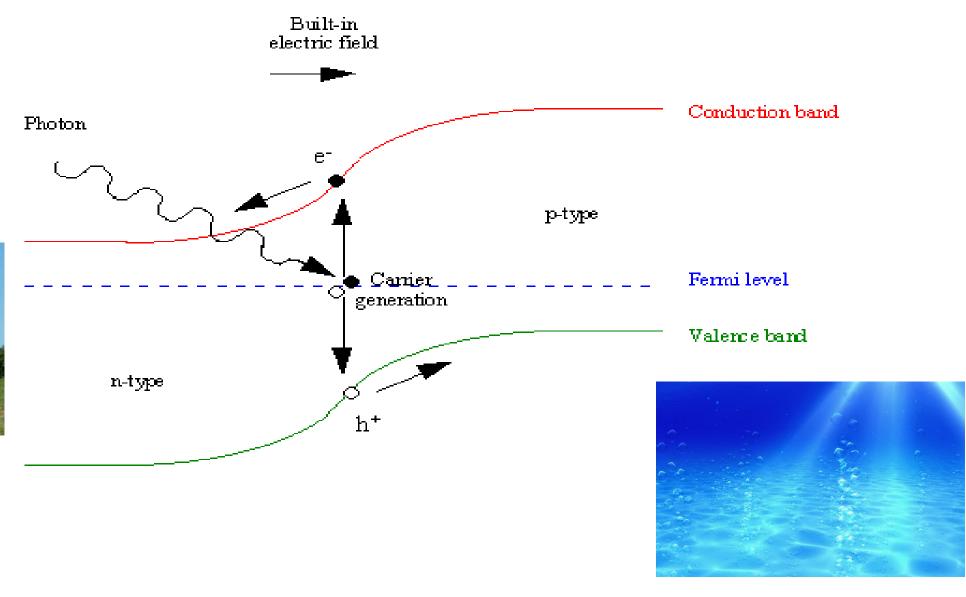
3.17 eV 1.8 eV



**Human Eye: 450 nm to 650 nm** 

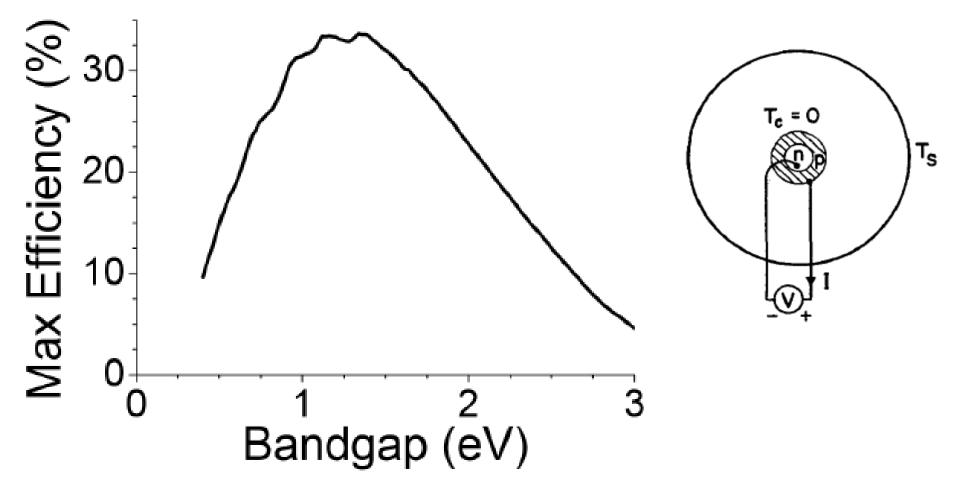


#### Solar cell



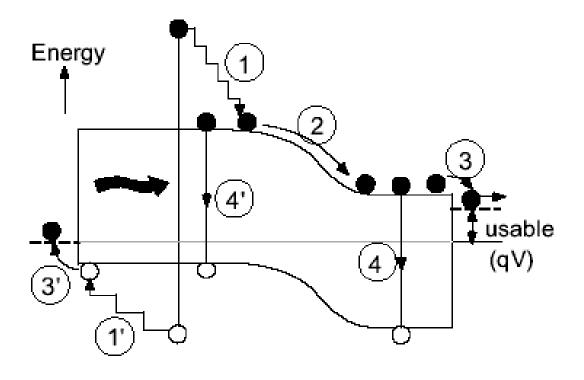
#### **Detailed Balance Limit of Efficiency of p-n Junction Solar Cells**

William Shockley, and Hans J. Queisser



The maximum efficiency of a single junction solar-cell was calculated by considering incident solar spectrum as a black body operated at 6000 K.

#### Efficiency Losses in Solar Cell

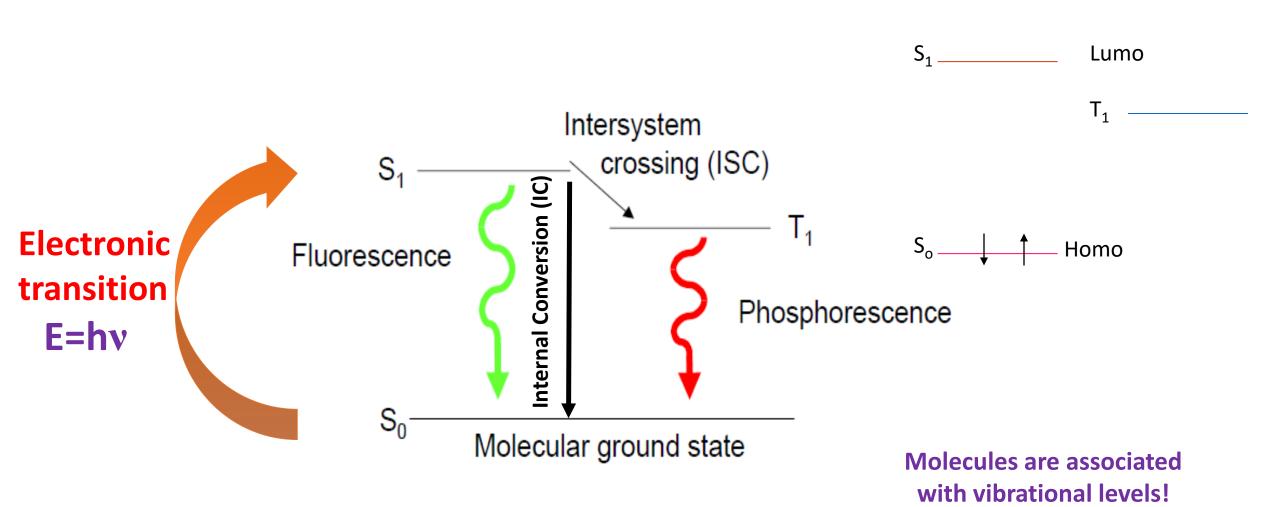


- 1 = Thermalization loss
- 2 and 3 = Junction and contact voltage loss
- 4 = Recombination loss

- 1. Excited State Electron Dynamics.
- 2. Simple Harmonic Oscillator.
- 3. Vibrational Levels.

## **Excited State Kinetics**

# **Electronic Structure of Conjugated Systems-Simple Diagram!**



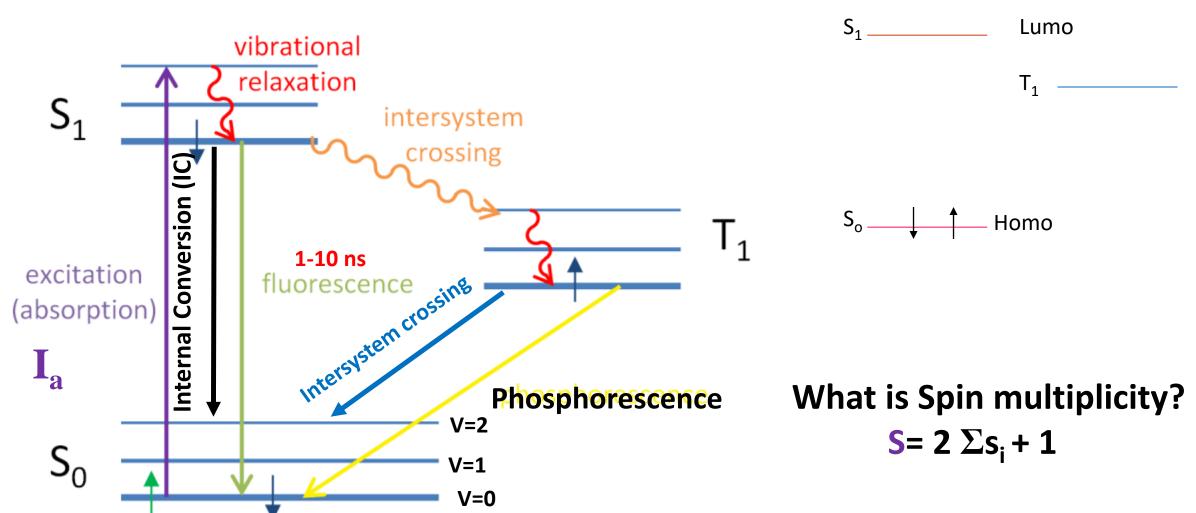


**Under Visible light** 



**Under UV-light** 

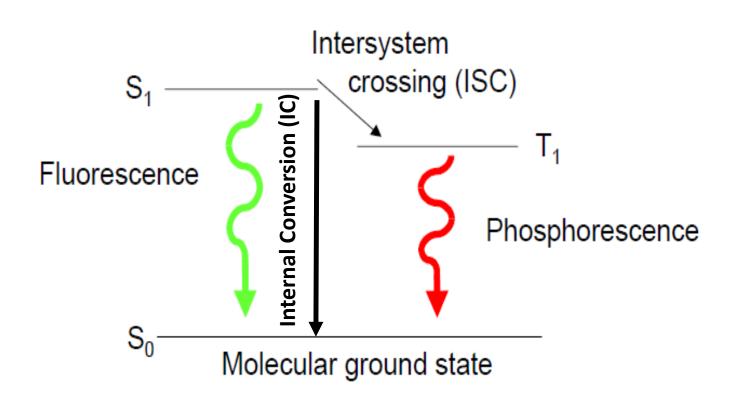
#### Electronic Structure of Conjugated Systems-Jablonski Diagram

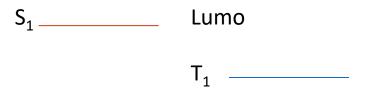


## Triplets and singlets

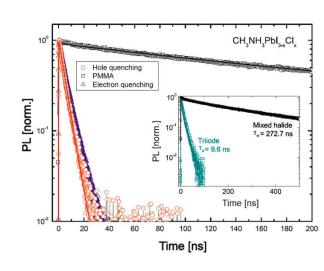
- Singlet lifetime ~ ns
- •Triplet lifetimes ~ ms secs

# **Electronic Structure of Conjugated Systems-Simple Diagram!**









# Rate of disappearance = $K_F[S_1^*]+K_{IC}[S_1^*]+K_{ISC}[S_1^*]$ Rate of appearance of $S_1^*=I_a$

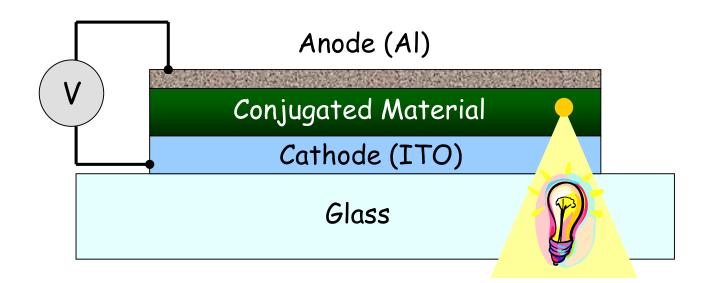
Rate of fluorescence:  $K_F[S_1^*]$  ( $S_1$  to  $S_0$ + hv)
Rate of internal conversion:  $K_{IC}[S_1^*]$  ( $S_1$  to  $S_0$ )
Rate of intersystem crossing:  $K_{ISC}[S_1^*]$  ( $S_1$  to  $S_1$ )

### **Problems**

• Fluorescence quantum yield and observed lifetime of tryptophan in water are 0.2 and 2.6 ns. Calculate fluorescence life-time.

• If, fluorescence quantum yield=0.35 and fluorescence emission decayed with a half-life of 5.6 ns. Calculate fluorescence rate constant.

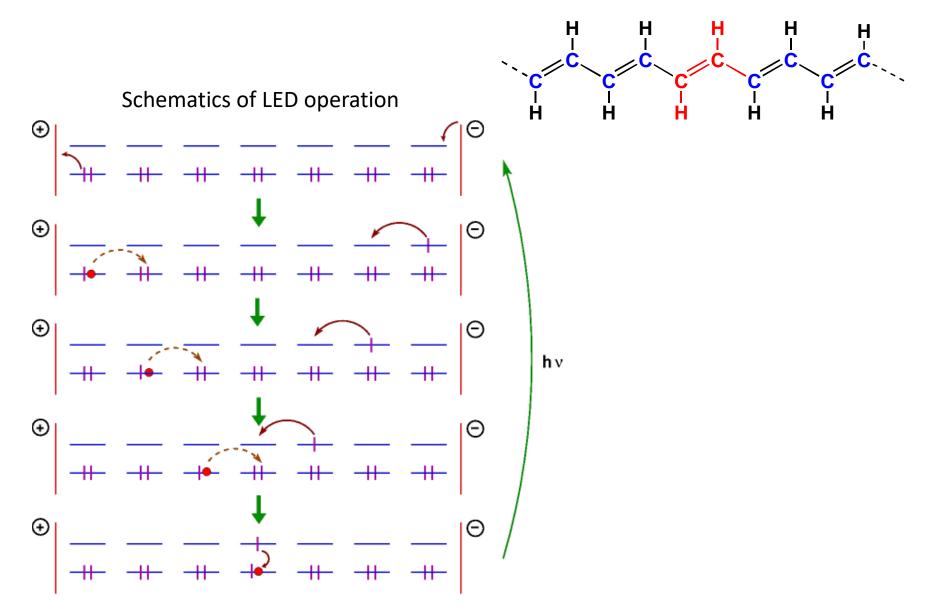
# **OLED**



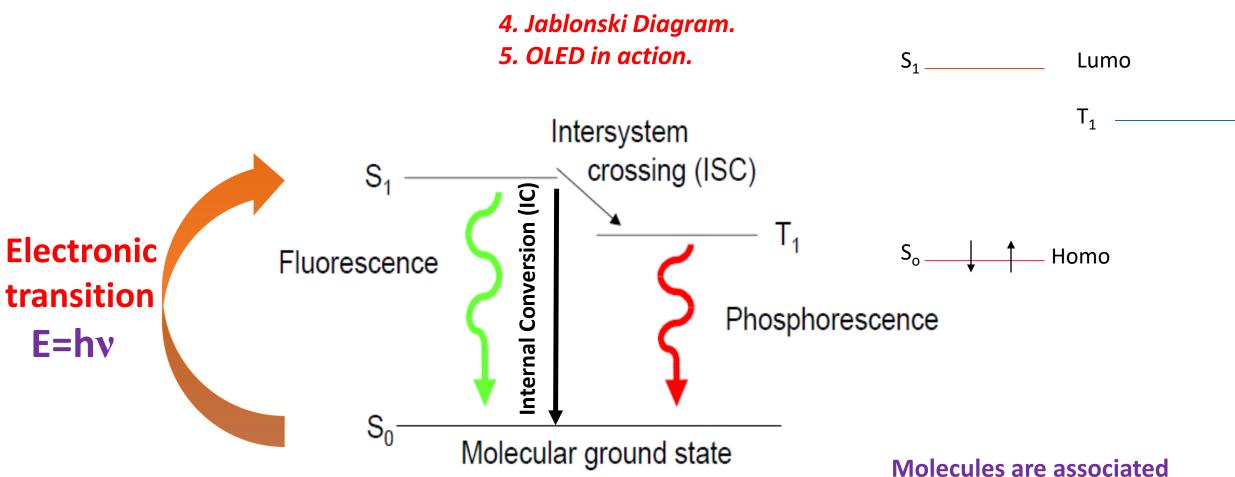


#### **CONTACT LAYERS**





# Electronic Structure of Conjugated Systems-Simple Diagram! (detail calculationin the next class)



with vibrational levels!

#### Simple Harmonic Oscillator Vibrational Levels

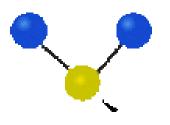
# A molecule is associated with many 'vibrational levels'!

Motion	$\simeq \Delta E/J$ molecule <sup>-1</sup>	$\approx \lambda/m$
Rotation	10 <sup>-23</sup>	10 <sup>-2</sup>
Vibration	10 <sup>-21</sup>	10-4
Electronic	$10^{-19}$	$10^{-6}$

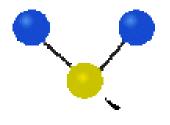
**Details in the Next Class** 

#### **Molecular Vibrations**

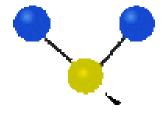




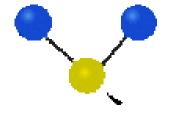
**Rocking** 



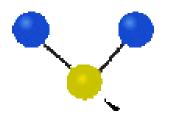
Asymmetrical stretching



wagging



**Scissoring** 



**Twisting** 

Let us consider a particle of mass m is oscillating about its equilibrium position:

#### Restoring force $(F) = -k_f x$

(-ve sign indicates restoring force is acting in the opposite direction)  $(k_f=$ force constant; x=displacement)

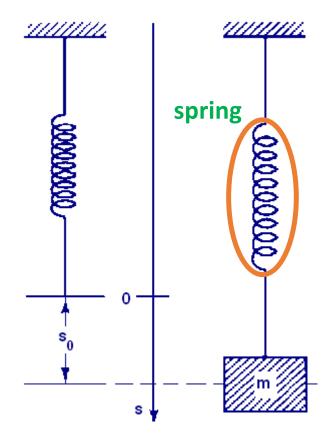
# In classical mechanics, the above motion can be described in terms of Newton's law of motion:

F = mf = m× d<sup>2</sup>x/dt<sup>2</sup> = -k<sub>f</sub>x-----(1)  
Solution of eqn 1:  

$$x = A\sin(2\pi v_0 t)$$
  
Or  
 $x = A\cos(2\pi v_0 t)$ 

Incorporating solution in eqn. 1, we get the following:

$$v_0 = 1/(2\pi) \times \sqrt{(k/m)}$$
 = frequency of vibration



## Potential Energy [V]

Potential energy at any instance:

$$F = -dV/dx$$

$$dV = -Fdx$$

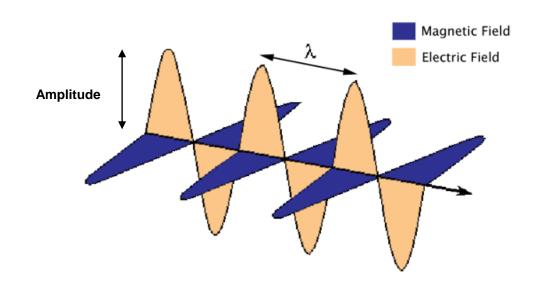
$$\int_0^v dV = K_f \int_0^x x dx$$

$$V = k_f(x^2/2)$$

#### **Molecular Vibrations**

$$v_0 = 1/(2\pi) \times \sqrt{(k/\mu)} = \text{frequency of vibration}$$
 
$$\mu = m_1 m_2/(m_1 \times m_2)$$

- In IR spectroscopy we are concerned with interaction between the oscillating electrical field of the wave and changing electrical fields resulting from vibration and rotational motion in the molecules in the sample
- Only those vibrational and rotational motions which result in an oscillating electrical dipole will be infrared active



Vibrational spectroscopy generates due to periodic molecular vibrations in materials

#### Analysis of IR spectra

3650 - 3200	O-H fundamental stretch alcohol and H <sub>2</sub> O	
(Blob peak)	O-H fundamental stretch of –COOH acids	
3650 - 3200 (often doublet)	N-H fundamental stretch of amines (-NH <sub>2</sub> )	
3350 (stronger) 3170 (weaker)	N-H fundamental stretch of amides (NH CO)	
3150 – 3000	C-H fundamental stretch of aromatic rings	
3150 – 3000	C-H fundamental stretch of vinyl	
2960	Asymmetric –CH <sub>3</sub> stretch	
2870	Symmetric –CH <sub>3</sub> stretch	
2920	Asymmetric –CH <sub>2</sub> stretch	
2850	Symmetric –CH <sub>2</sub> stretch	
2240	C≡N	
2270	-N=C=O (isocyanates)	
2200 - 1700	C-H bonds of aromatic rings	
1870 – 1540	C=O (carbonyl) (large dipole moment $\Rightarrow$ stro	ngest peak)
C=O summary		
1760 – 1700 1710 -1665 1650 - 1550	Aliphatic Aromatic Carboxylate anions	Acids
1750 – 1735 1730 -1715 1770	Aliphatic Aromatic Vinyl esters (C=O directly attached to C=C)	Esters
1690 – 1630 1570 -1515	Amide I Amide II (N-H and C-N combination)	Amides
1720 – 1700 1690 - 1630 1570 - 1515	Ester C=O Amide I C=O Amide II	Urethanes

1600	C=C of aromatic rings
1600	C=C of vinyl bonds
1500 – 1400	C-C in ring
Finger print region (fundamental + overtone)	
1450	Asymmetric –CH <sub>3</sub> bend
1375	Symmetric –CH <sub>3</sub> bend
1465	Asymmetric –CH <sub>2</sub> scissoring
1350 - 1150	Symmetric –CH <sub>2</sub> twist and wag
1310 – 1250	Aromatic ester (-C(O)O-C-)
1420 – 1160	Aliphatic ester (-C(O)O-C-)
1150 – 1085	C-O-C (ester and ether)
1085 – 1000	C-O-H (alcohol)
900 – 675	Fundamental out of plane C-H bending in ring
1000 - 675	Fundamental out of plane C-H bending in C=C
720	-CH <sub>2</sub> rocking band
1415 - 1380	Organic sulfates Asymmetric S=O
1200 - 1185	Organic sulfates Symmetric S=O
1110 – 830	Si-O and Si-C
1260	C-H bend of Si-CH <sub>3</sub>

#### Time Independent Schrödinger Equation-SHO

$$\left[\frac{-\hbar^2}{2m}\frac{d^2\psi(x)}{dx^2} + V(x)\right]\psi = E\psi$$

$$V(x) = (\frac{1}{2})Kx^2$$

$$\left[\frac{-\hbar^{2}}{2m}\frac{d^{2}\psi(x)}{dx^{2}} + \frac{1}{2}Kx^{2}\right]\psi = E\psi$$

$$E_v = (\omega + 1/2)hv_0$$
 [ $\omega = quantum number$ ]