

(i)	Number	Binary	Decimal.
(a)	0	0 0000b 0000000000	0

(b) -1.6×10^{-19}
 Since -1.6×10^{-19} has a fraction precision i.e. greater than 10 bits, that is why the precision would be 0 and exponent is 0

$$-1.6 \times 10^{-19}$$

Binary representation: 0 0000 00000 00000

(c) Smallest positive normalised number.

Binary: 0 00001 00000 00000

Decimal: Exponent = $1 - 15 = -14$ Significand = $1.000000 \dots \approx 1$

$$\therefore \text{value in decimal} = 2^{-14} = 6.103515 \times 10^{-5}$$

(d) Largest positive normalised number.

Binary: 0 11110 11111111

Decimal:

$$\text{Exponent} - \text{bias} = 30 - 15 = 15$$

$$\text{fraction} = (1.11111111) \approx 2$$

$$\therefore \text{Value in decimal} = 2 \times 2^{15} \approx 2^{16} = 65536 = 6.5536 \times 10^4$$

Smallest denormalised number and largest denormalised number at end of the Ans 4.

2.

ISA A:

$$\text{IPC} : 10 \Rightarrow \frac{1}{10} = \text{CPI}$$

frequency = 500MHz clock

ISA B:

$$\text{IPC} : 2 \Rightarrow \text{CPI} = \frac{1}{2}$$

frequency = 600MHz clock.

(i)

Total Instructions : 1 million

: 10^6 instruction

$$\therefore \text{Execution time (ISA A)} = \left[\frac{1}{10} * 10^6 \right] * \frac{1}{500 \times 10^6}$$

$$= \frac{1}{10} * \frac{1}{500} \text{ sec}$$

$$= \frac{1}{5000} \text{ second}$$

$$= 0.0002 \text{ seconds} = 2 \times 10^{-4} \text{ secs}$$

\therefore In 2×10^{-3} seconds it evaluates 1 million ops. \therefore In 1s, it can evaluate 5×10^3 instr

(ii)

Execution Time
(ISA B)

$$= \left[\frac{1}{2} * 10^6 \right] * \frac{1}{600 \times 10^6} = \frac{500 \text{ million instr}}{600}$$

$$= \frac{1}{1200} \text{ seconds}$$

$$= 8.33 \times 10^{-4} \text{ seconds}$$

In 8.33×10^{-4} seconds it can evaluate 1 million ins

$$8.33 \times 10^{-4} \rightarrow 1 \text{ million}$$

1

$$\rightarrow \frac{1}{8.33 \times 10^{-4}} \text{ million instr}$$

$$\approx \underline{\underline{1200 \text{ MIPS}}}$$

(iii)

3.

- (iii) Since on ISA A, more no. of instructions get executed in 1 sec
Hence ISA A is better.
This is assuming instructions in both ISA handle similar complexity.

3. Nor and Nand instructions

Nor can be thought of as a combination of or operation followed by xor operation

Nand can be thought of as a combination of and operation followed by xor operation

XOR operation is used to invert the ~~ops~~ results of and/or operation.

NOR

or x10, x8, x9

xori x10, x10, -1

NAND

and ~~x10~~ x7, x5, x6

xori x7, x7, -1

4.

$g \rightarrow x5$
 $h \rightarrow x6$

(i) if ($g > h$)
 $g = g + 1$;
 else
 $h = h - 1$;

Rough: $(x5 > x6) \Rightarrow x6 < x5$
 $bge \quad h, g, COND2$
 $add \quad x5, x5, 1$
 $COND2: add \quad x6, x6, -1$

Solution: $bge \quad x6, x5, COND2 \rightarrow$ check if h becomes greater than or equal to g then go to $COND2$
 $add \quad x5, x5, 1$
 $COND2: add \quad x6, x6, -1$

(ii) if ($g \leq h$) $\Rightarrow h < g$ then loop
 $g = 0$;
 else
 $h = 0$;

$blt \quad x6, x5, COND2$ check when $h < g$ then go to $COND2$
 $addi \quad x5, x0, 0$ # $g = 0$
 $COND2: addi \quad x6, x0, 0$ # $h = 0$

1.

(e) Largest positive denormalised number

Binary
Decimal

$$\begin{array}{c}
 0 \quad 00000 \quad .111111111 \\
 \downarrow \\
 \text{Binary: } 0.111111111 \times 2^{-10} \Rightarrow 2^{-1} + 2^{-2} + 2^{-3} + \dots + 2^{-10} \\
 \approx 1
 \end{array}$$

(f) Smallest positive denormalised number

Binary:

$$0 \quad 00000 \quad .0000000001$$

Decimal:

$$\begin{array}{c}
 \text{Binary: } 0.0000000001 \times 2^{-10} \\
 \text{Decimal: } 10^{-10}
 \end{array}$$

$$2^{-10} = \frac{1}{2^{10}} = \frac{1}{1024} \approx 9 \times 10^{-4}$$

(g)

Distance b/w Earth and Neptune = 171,072,000,000,000

This exceeds the range of representation.

Hence cannot be represented.

