

Problem-1

average of per bench and strong

$$\text{loads} = \frac{25+19}{2} = 22\%$$

$$\text{stores} = \frac{14+7}{2} = 10.5\%$$

$$\text{Branches} = \frac{15+15}{2} = 15\%$$

$$\text{Jumps} = \frac{7+3}{2} = 5\%$$

$$\text{AVU} = \frac{39+56}{2} = 47.5\%$$

~~$$\text{CPI} = 0.22 \times 3.5 + 0.105 \times 2.8 + 0.15 \times 1$$~~

CPI when Branch is taken

$$= 0.22 \times 3.5 + 0.105 \times 2.8 + 0.15 \times 4 + 0.05 \times 2.4 + 0.475 \times 1$$

$$= 0.77 + 0.294 + 0.6 + 0.12 + 0.475$$

$$\boxed{\text{CPI} = 2.259}$$

CPI when Branch is not taken

$$= 0.77 + 0.294 + 0.15 \times 2 + 0.12 + 0.475$$

$$= 1.659 + 0.3 =$$

$$\boxed{\text{CPI} = 1.959}$$

$$\text{CPI with avg. of Branch} = \frac{4+2}{2} = 3$$

$$\text{CPI} = 1.659 + 0.15 \times 3$$

$$\boxed{\text{CPI} = 2.109}$$

Problem-2

HPC4473

Enhanced mode is used 100% of the 50% time it takes in enhanced mode.

Going in reverse order

Time without enhancement = 50% unaffected + 50% $\left(\frac{1}{\frac{1}{10}}\right)$
= 550%.

$$\text{Speed up} = \frac{550\%}{100\%} = \underline{5.5}$$

using Amdahl's law to calculate percentage of enhancement

$$5.5 = \frac{1}{1-x + \frac{x}{10}}$$

$$5.5 = \frac{1}{1-0.9x}$$

$$1-0.9x = \frac{1}{5.5}$$

$$1-0.9x = 0.18$$

$$0.9x = 1-0.18$$

$$X = 0.909 \approx 0.91 \text{ or } 91\%$$

Problem-3

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(i) when run in isolation: using Amdahl's law

$$\text{speed up} = \frac{1}{0.6 + \frac{0.4}{2}} = 1.25$$

$$(ii) \text{ speed up} = \frac{1}{0.01 + \frac{0.99}{2}} = 1.98$$

(iii) For overall system speed up
first application uses 80% of resources
40% of this 80% is enhanced
time taken = $0.8 \left(\frac{0.4}{2} + 0.6 \right) = 0.8 \times 0.8$

20% of the resources are unenhanced

⇒ using Amdahl's law

$$\begin{aligned} \text{Speed up} &= \frac{1}{0.2 + 0.8 \times 0.8} \\ &= \frac{1}{0.84} = \underline{\underline{1.19}} \end{aligned}$$

Problem 4

hpcu473

(A) (i) pipelining improves the throughput by a factor equal to no. of pipeline stages for large number of instructions

(ii)

	1	2	3	4	5	6	7	8	9	10	11
lw x10, 0(x11)	IF	ID	EX	ME	WB						
add x9, x11, x11		IF	ID	EX	ME	WB					
sub x8, x10, x9			IF	ID	EX	ME	WB				
lw x7, 0(x8)				IF	ID	EX	ME	WB			
sw x7, 4(x8)					IF	ID	..	EX	ME	WB	

Stall

(iii) sw instruction will get its data for register x7 from EX/MEM register.

(B) Given that Branch is not taken so all the instructions will execute sequentially.

	1	2	3	4	5	6	7	8	9	10	11	12	13
beq x1, x2, x	IF	ID	EX	ME	WB								
lw x10, 0(x11)		IF	ID	EX	ME	WB							
sub x14, x10, x10			IF	ID	..	EX	ME	WB					
x: add x4, x1, x2				IF	..	ID	EX	ME	WB				
sw x1, 0(x4)				..	IF	ID	EX	ME	WB				
sub x1, x1, x1							IF	ID	..	EX	ME	WB	
add x1, x1, x1								IF	..	ID	EX	ME	WB

Problem-5

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- (i) more data elements + few blocks;
more data elements mean high spatial locality because block size is big. It can accommodate more sequential data...

Con: This arrangement does not do well when data requirement is heterogeneous.

example: This setup is good for array accesses.

less data elements + more blocks:

Con: It generates more compulsory misses as block size is small

Pro: It can accommodate more heterogeneous data with unique indexes.

example: Data from database.

(ii) word = 8 bits = 1 byte
Block = 16 bytes = ~~16 words~~ 16 words
offset needed = $\log_2 16 = 4$

tag = 11 bits

\Rightarrow index = $20 - 11 - 4 = 5$ bits

blocks = $2^5 = \underline{\underline{32 \text{ blocks}}}$

(iii) 16 way set associative

\Rightarrow 16 blocks in a set

addressing : half word

Block size = 16 words = 32 half words

offset = $\log_2 32 = 5$ bits

word length = 64 bits = 8 bytes

Block size = $2^3 \cdot 2^4 = 2^7$ bytes

memory size = 2 MB = 2^{21} bytes

Blocks = $\frac{2^{21}}{2^7} = 2^{14}$ blocks

sets = $\frac{2^{14}}{16} = \frac{2^{14}}{2^4} = 2^{10}$ sets

10 bits are needed to index the sets.

tag = $64 - 10 - 5 = 49$ bits

\Rightarrow Tag = 49 bits, offset = 5 bits, index = 10 bits