



DOMAIN WINTER WINNING CAMP

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VERY EASY

1. N-th Tribonacci Number

The Tribonacci sequence T_n is defined as follows:

$T_0 = 0$, $T_1 = 1$, $T_2 = 1$, and $T_{n+3} = T_n + T_{n+1} + T_{n+2}$ for $n \geq 0$. Given n , return the value of T_n .

Example 1:

Input: $n = 4$ **Output:**

4

Explanation:

$$T_3 = 0 + 1 + 1 = 2$$

$$T_4 = 1 + 1 + 2 = 4$$

Example 2: Input: $n = 25$

Output: 1389537

Constraints: $0 \leq n \leq 37$

The answer is guaranteed to fit within a 32-bit integer, ie. $\text{answer} \leq 2^{31} - 1$.

```
CODE: def tribonacci(n: int) -> int:    if n ==
0:        return 0    if n in (1, 2):    return 1
dp = [0, 1, 1]    for i in range(3, n + 1):
dp.append(dp[i - 1] + dp[i - 2] + dp[i - 3])
return dp[n] print(tribonacci(4))
```

Output

4

=== Code Execution Successful ===

Easy

1. Climbing Stairs

You are climbing a staircase. It takes n steps to reach the top. Each time you can either climb 1 or 2 steps. In how many distinct ways can you climb to the top?



Example 1: Input: n = 2

Output: 2

Explanation: There are two ways to climb to the top.

1.1 step + 1 step

2. 2 steps

Constraints: $1 \leq n \leq 45$

CODE:

```
def climbStairs(n: int) -> int:
    if n == 1:
        return 1
    dp = [0] * (n + 1)
    dp[1], dp[2] = 1, 2
    for i in range(3, n + 1):
        dp[i] = dp[i - 1] + dp[i - 2]
    return dp[n]
print(climbStairs(2))
```

Output: 2

Output

2

=== Code Execution Successful ===

Medium:

2. Longest Palindromic Substring

Given a string s, return the longest palindromic substring in s.

Example 1: Input: s = "babad"

Output: "bab"

Explanation: "aba" is also a valid answer.

Example 2: Input: s = "cbbd"

Output: "bb"

Constraints: $1 \leq s.length \leq 1000$ s consist of only digits and English letters.

CODE:

```
def longestPalindrome(s: str) -> str:
    def expand_around_center(left: int, right: int) -> int:
        while left >= 0 and right < len(s) and s[left] == s[right]:
            left -= 1
            right += 1
        return left + 1, right - 1
```

```
start, end = 0, 0    for i in range(len(s)):    l1, r1 =
expand_around_center(i, i)    l2, r2 =
expand_around_center(i, i + 1)    if r1 - l1 > end - start:
start, end = l1, r1    if r2 - l2 > end - start:    start, end
= l2, r2    return s[start:end + 1]
print(longestPalindrome("babad")) # Output: "bab" or "aba"
```

Output

bab

=== Code Execution Successful ===

Hard

3. Maximal Rectangle

Given a rows x cols binary matrix filled with 0's and 1's, find the largest rectangle containing only 1's and return its area.

Example-

1	0	1	0	0
1	0	1	1	1
1	1	1	1	1
1	0	0	1	0

Input: matrix= [["1","0","1","0","0"],["1","0","1","1","1"],["1","1","1","1","1"],
["1","0","0","1","0"]]

Output: 6

Explanation: The maximal rectangle is shown in the above picture.

Constraints: rows ==
matrix.length cols ==
matrix[i].length 1 <= row, cols <= 200
matrix[i][j] is '0' or '1'.

CODE:

```
def maximalRectangle(matrix):    if not matrix:    return 0
```

```
def
largest_histogram_area(heights):    stack = []    max_area =
0    heights.append(0)    for i, h in enumerate(heights):
while stack and heights[stack[-1]] > h:    height =
heights[stack.pop()]    width = i if not stack else i - stack[-
1] - 1    max_area =
max(max_area, height * width)    stack.append(i)    return
max_area    cols = len(matrix[0])    heights = [0] * cols
max_area = 0    for row in matrix:    for j in range(cols):
heights[j] = heights[j] + 1 if row[j] == "1" else 0    max_area =
max(max_area, largest_histogram_area(heights))    return
max_area
matrix = [["1", "0", "1", "0", "0"], ["1", "0", "1", "1", "1"], ["1", "1", "1", "1", "1"],
["1", "0", "0", "1", "0"]] print(maximalRectangle(matrix))
```

Output

6

=== Code Execution Successful ===

Very Hard

4. Cherry Pickup

You are given an $n \times n$ grid representing a field of cherries, each cell is one of three possible integers.

0 means the cell is empty, so you can pass through,

1 means the cell contains a cherry that you can pick up and pass through, or -1 means the cell contains a thorn that blocks your way.

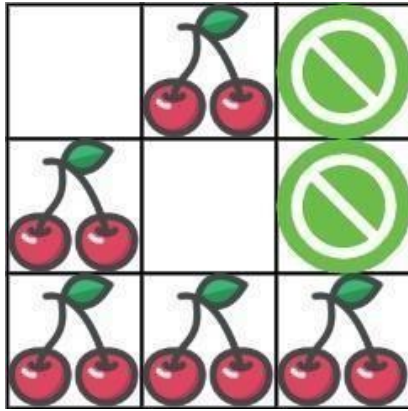
Return the maximum number of cherries you can collect by following the rules below: Starting at the position (0, 0) and reaching (n - 1, n - 1) by moving right or down through valid path cells (cells with value 0 or 1).

After reaching (n - 1, n - 1), returning to (0, 0) by moving left or up through valid path cells.

When passing through a path cell containing a cherry, you pick it up, and the cell becomes an empty cell

0.

If there is no valid path between (0, 0) and (n - 1, n - 1), then no cherries can be collected.



Input: grid = `[[0,1,-1],[1,0,-1],[1,1,1]]`

Output: 5

Explanation: The player started at (0, 0) and went down, down, right right to reach (2, 2). 4 cherries were picked up during this single trip, and the matrix becomes `[[0,1,-1],[0,0,-1],[0,0,0]]`.

Then, the player went left, up, up, left to return home, picking up one more cherry. The total number of cherries picked up is 5, and this is the maximum possible.



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