

A & B are two person approaching point 'O' perpendicular to each other. When A is at O, B is 300m away from O.

After 3 minutes A & B are in equidistant from.

In after 5 minutes A & B are in equidistant from. What is the distance between A & B?

A

$$3x = 300 - 3y$$

$$\Rightarrow 3x + 3y = 300 \text{ --- (1)}$$

$$\Rightarrow 8x = 5y - (x - 3y)$$

$$\Rightarrow 8x = 8y - 300$$

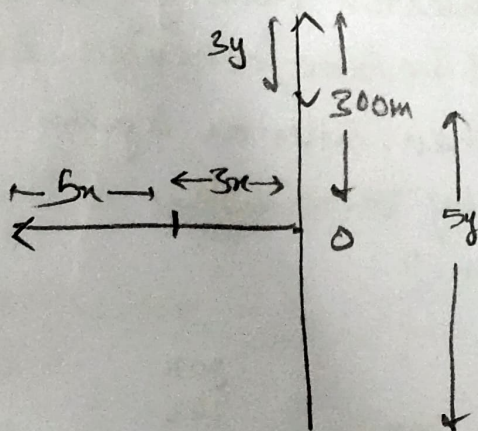
$$\Rightarrow 8y - 8x = 300 \text{ --- (2)}$$

$$3x + 3y = 8y$$

$$\Rightarrow 11x = 5y$$

$$\therefore \frac{x}{y} = \frac{5}{11}$$

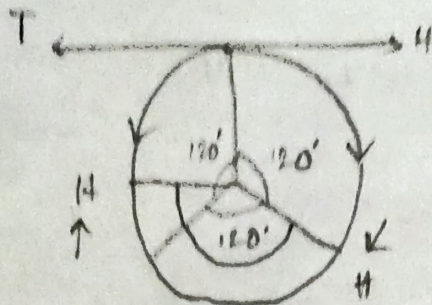
$$x : y = 5 : 11$$



- ② A hare & a tortoise started from same distant in a circular path to their opposite direction. When hare covered $\frac{1}{3}$ distance tortoise started. When tortoise covered $\frac{1}{4}$ distance. Then hare crosses tortoise. What factor of speed tortoise have to improve so that tie the game?

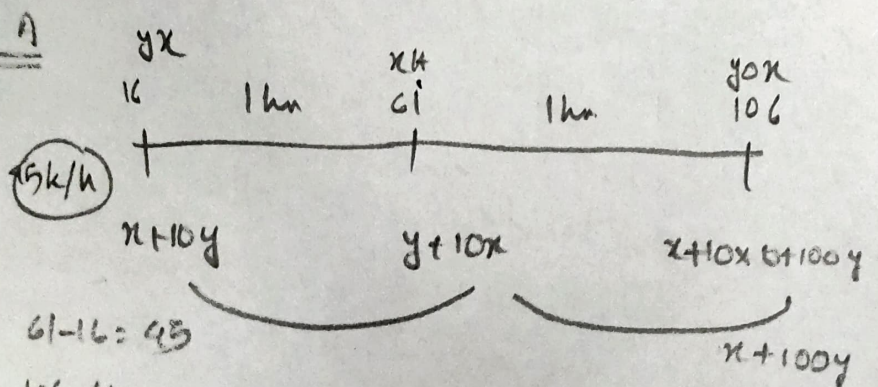
A

$$360 \times \frac{1}{3} = 120^\circ$$



H	T	H	T
150°	90°	90°	270°
(5) : 3		5x 1 : 3 x (5)	

While moving in a car a man observed a milestone having two digit number. After 1 hour he observed another milestone having also two digit number but the digit become reversed. After 1 hour he observed another milestone again reversed but separated by zero. What is the average speed of the car?



$$61 - 16 = 45$$

$$106 - 61$$

$$= 45$$

$$y + 10x - x - 10y = x + 100y - y - 10x$$

$$9x - 9y = 99y - 9x$$

$$\Rightarrow 18x = 108y$$

$$\Rightarrow \frac{x}{y} = \frac{108}{18} = \frac{6}{1}$$

$$\therefore x = 6$$

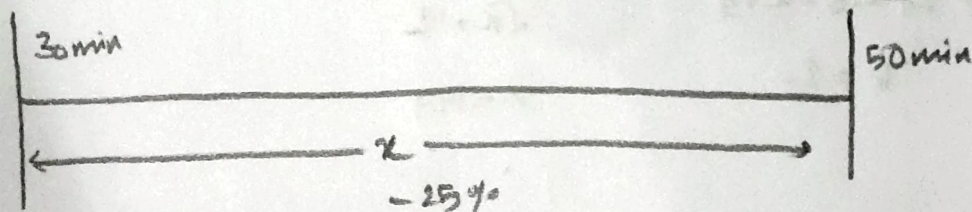
$$y = 1$$

4) Esha starting from 'O' 30 min late from her office. Due to bad condition of road she reduces her ~~usual~~ speed by ~~20~~ 25 percent and reached office 50 min late. what ~~usual~~ time she takes if she moves not with that slower speed?

A

Home

Office



$$VT = \frac{x}{v}$$

$$V \times \frac{75}{100}$$

$$\frac{x}{\frac{3v}{4}} - \frac{x}{v} = 20$$

$$\frac{x}{v} \left(\frac{4}{3} - 1 \right) = 20$$

$$\frac{4x}{3v} - \frac{x}{v} = 20$$

$$\frac{x}{v} = 20 \times 3 = 60 \text{ min.}$$

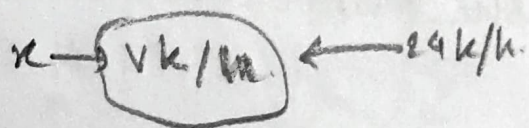
5) If a ^{diminished} velocity of a locomotive engine is directly proportional to the sq. root of the number of wagon attached. Only engine can move with a speed of 20 km/hr. When 9 wagon is attached engine can move with the speed of 18 km/hr.

(i) Find the max no. of wagon that can be carried by engine

(ii) Find the min no. of wagon which ~~when~~ ^{will} attached that the engine ^{tends} to ~~for~~ move.

A

$$x=9$$
$$v=18$$



$$24 - v \propto \sqrt{x}$$

$$\Rightarrow 24 - v = k\sqrt{x}$$

$$\Rightarrow 24 - 18 = k\sqrt{9}$$

$$k = 2$$

$$24 - v = 2\sqrt{x}$$

$$v = 0$$

$$24 - 0 = 2\sqrt{x}$$

$$\sqrt{x} = 12$$

$$x = 144$$